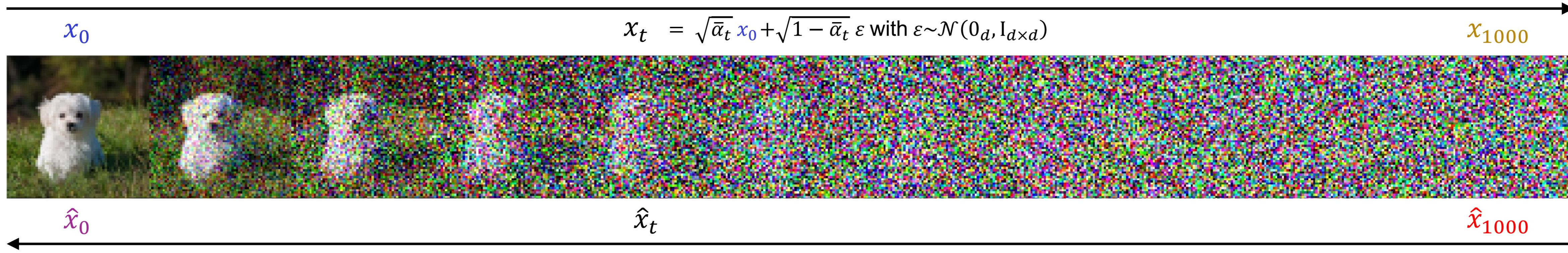


Controlling Style in Diffusion Models through Noise

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Forward Diffusion (Noising)



Reverse Diffusion (Generation/Sampling)

Image from [2]

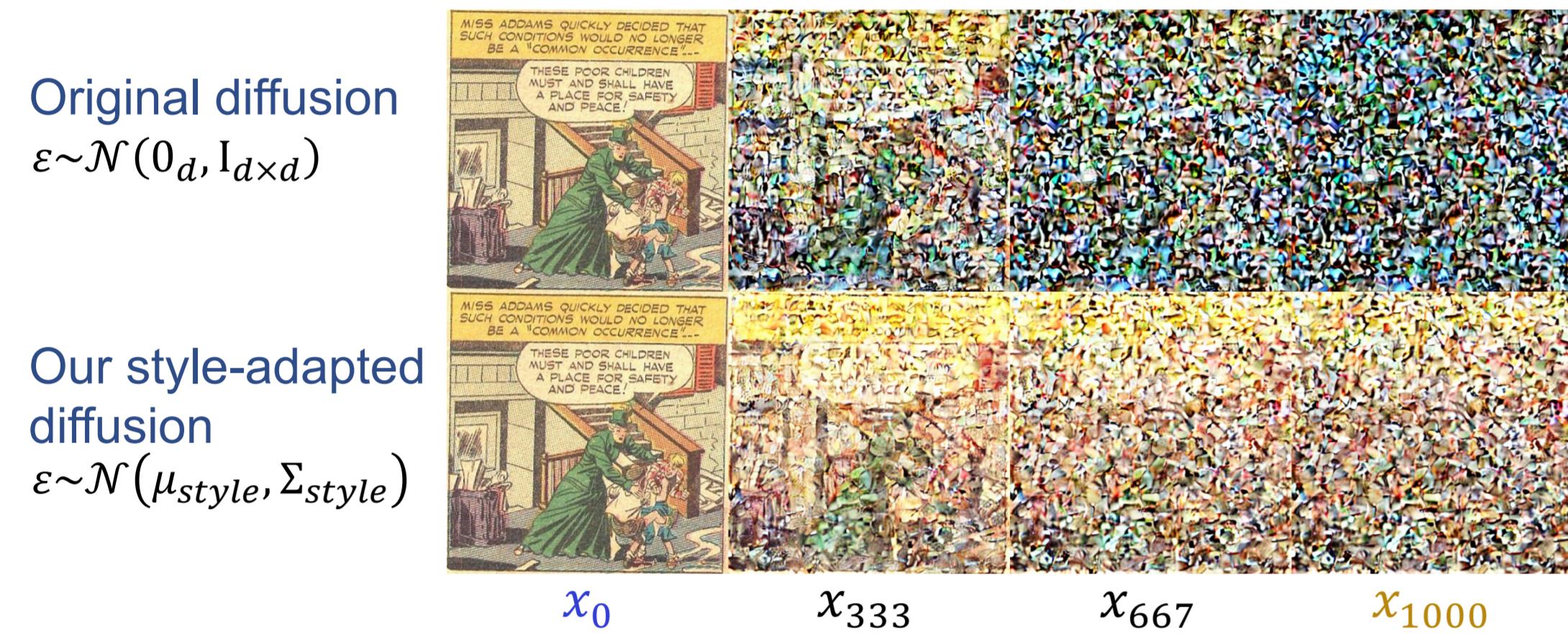
Diffusion in Style

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The initial noise \hat{x}_{1000} affects the style of the generated image \hat{x}_0 , so adapting it to the style facilitates style adaptation.

We fine-tune Stable Diffusion (SD) [1] with a **style-specific noise distribution** $\mathcal{N}(\mu_{\text{style}}, \Sigma_{\text{style}})$ instead of the default $\mathcal{N}(0_d, I_{d \times d})$.



We compute the style-specific noise parameters μ_{style} and Σ_{style} from a small set of images of the desired style. We use the fine-tuned model to denoise the initial noise $\hat{x}_{1000} \sim \mathcal{N}(\mu_{\text{style}}, \Sigma_{\text{style}})$.



Exploiting the Signal-Leak Bias in Diffusion Models

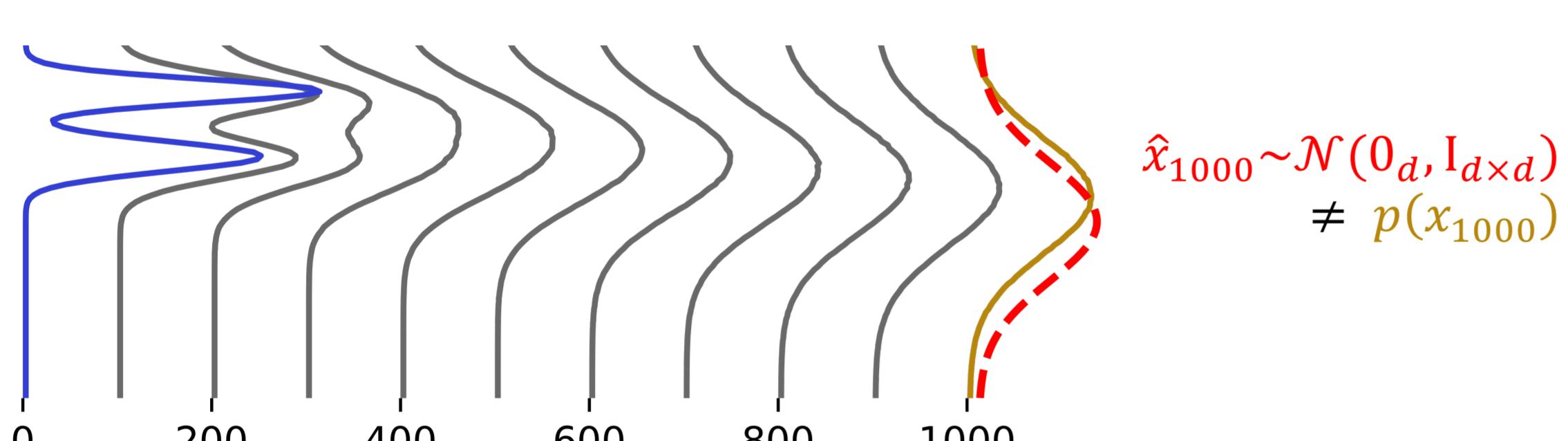
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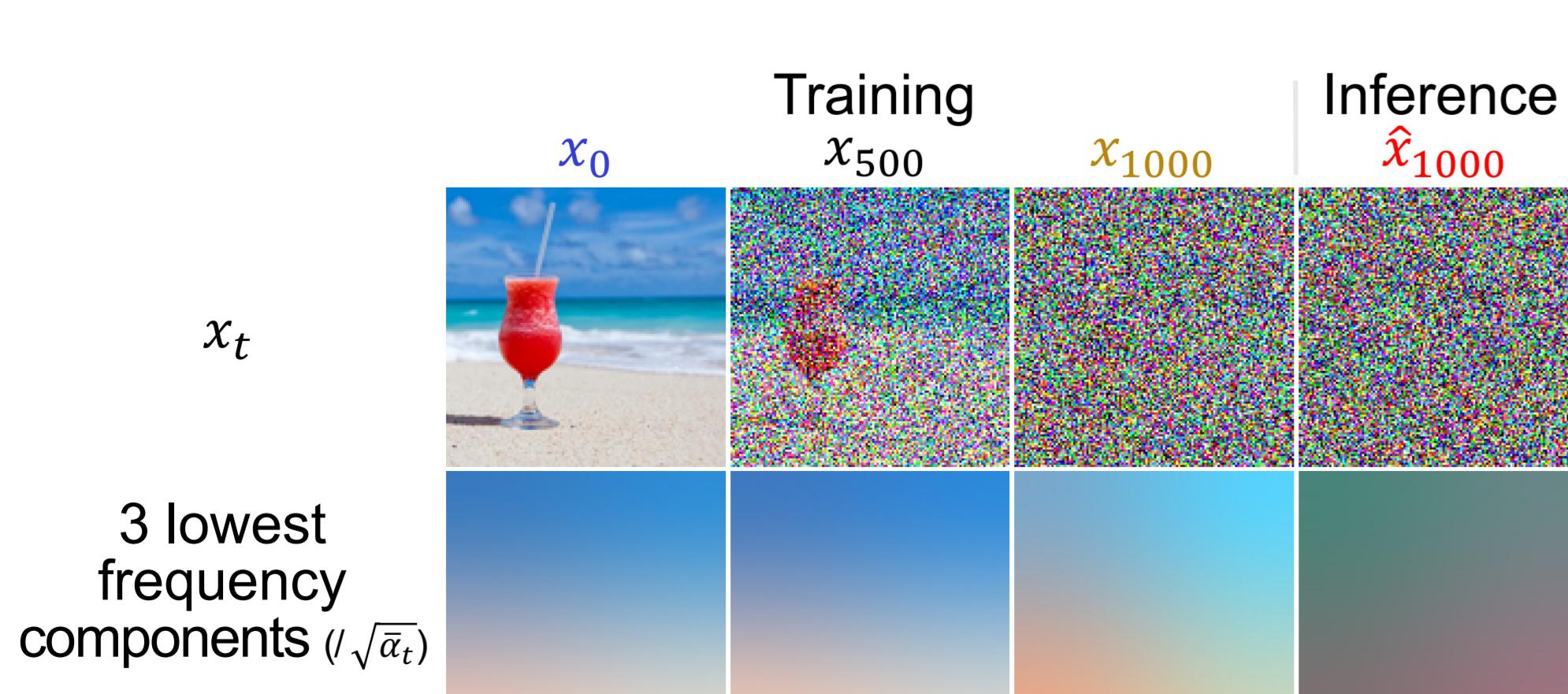
Diffusion models never fully corrupt images during training [5,6]:

$$x_{1000} = \sqrt{\bar{\alpha}_{1000}} x_0 + \sqrt{1 - \bar{\alpha}_{1000}} \varepsilon \quad \text{with } x_0 \sim p(x_0) \text{ and } \varepsilon \sim \mathcal{N}(0_d, I_{d \times d}) \\ \approx 0.068 x_0 + 0.998 \varepsilon$$

However, the process of generating images starts with pure noise $\hat{x}_{1000} \sim \mathcal{N}(0_d, I_{d \times d})$, oblivious of the signal leak $\sqrt{\bar{\alpha}_{1000}} x_0$ present in x_{1000} during training, creating a bias.



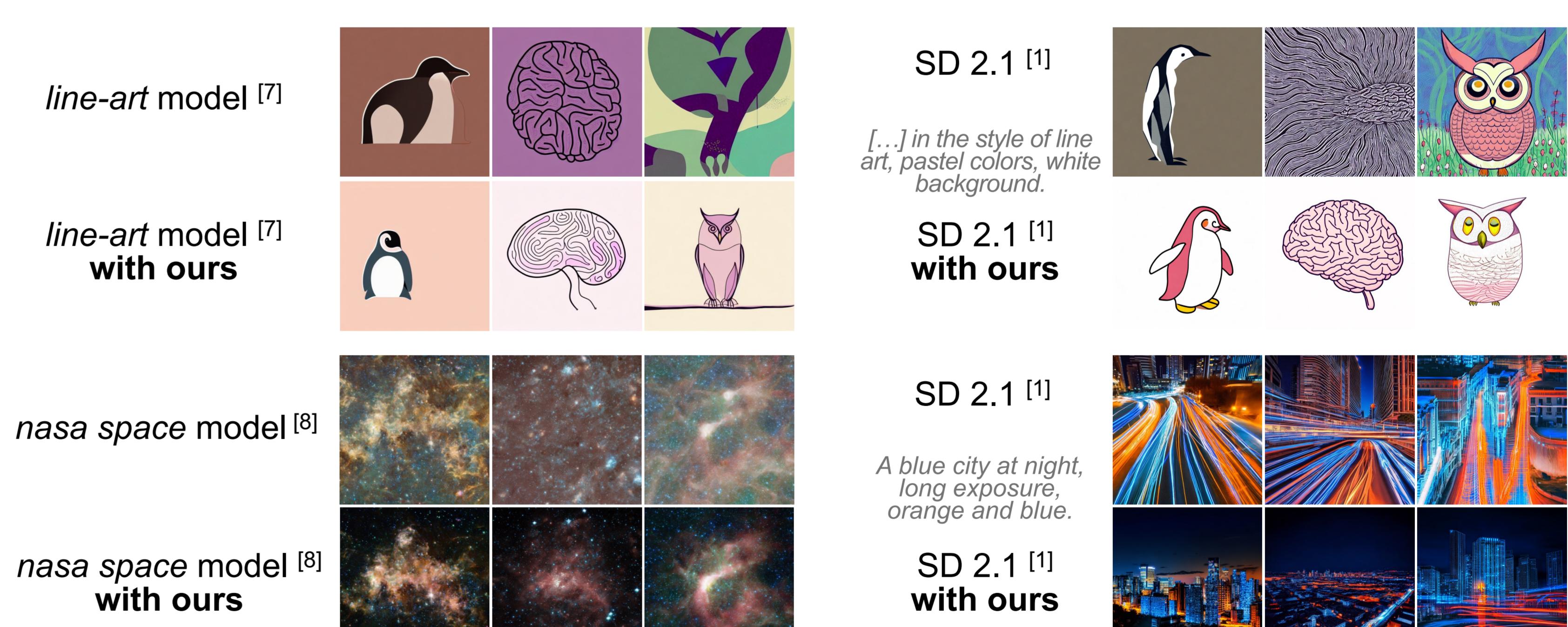
The diffusion model uses the signal-leak $\sqrt{\bar{\alpha}_{1000}} x_0$ in x_{1000} to deduce the low-frequency information about x_0 . Using $\hat{x}_{1000} \sim \mathcal{N}(0_d, I_{d \times d})$ biases the low-frequency components towards medium values.



Instead of retraining or fine-tuning [5,6,A] to remove this bias, we exploit it to our advantage by including a signal-leak $\sqrt{\bar{\alpha}_{1000}} \tilde{x}$ in \hat{x}_{1000} at inference time, starting generating images from:

$$\hat{x}_{1000} = \sqrt{\bar{\alpha}_{1000}} \tilde{x} + \sqrt{1 - \bar{\alpha}_{1000}} \varepsilon \quad \text{with } \tilde{x} \sim q(\tilde{x}) \text{ and } \varepsilon \sim \mathcal{N}(0_d, I_{d \times d})$$

With $q(\tilde{x}) = \mathcal{N}(\mu_{\text{style}}, \Sigma_{\text{style}})$, we exploit the bias to generate images \hat{x}_0 in the style we want:



At inference time, we can control the low-frequency components of the generated images \hat{x}_0 by setting the desired ones (here, the mean color) in \tilde{x} :

