### **PCA**

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### What is PCA

▶ PCA is a method for dimension reduction

### **DATA**

- ➤ Source: https://archive.ics.uci.edu/ml/datasets/EEG+Eye+State#
- ▶ 19 features from Electroencephalography sensors; 1 feature representing if eye is opened or closed

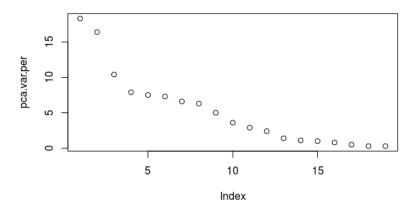
# TODO log regression FUll data

- ► First We try a logistic regression on all features and see results;
- My aim is to make a PCA -> log regression and then compare result;

### TODO FULL PCA

- ► First We do A full PCA on all features(except the result feature)
- ▶ We get Variance of the factors is too smalls and we must use 5 PCs to reach 80% variance
- ▶ PC1 has Var of 18% which is too smal

### Plot Full PCA



 $\Phi$ игура 1: Percentage Full PCA

# Selecting features with maximum magnetude

```
loading_scores <- full_pca_train$rotation[,1] sensor_scores <- abs(loading_scores) ## get the magnitudes sensor_score_ranked <- sort(sensor_scores, decreasing=TRUE) top_10_sensors <- names(gene_score_ranked[1:10]) top_10_sensors ## show the names of the top 10 genes [1] "X6" "X5" "X7" "X4" "X3" "X8" "X19" "X9" "X10" "X16"
```

But if we want to use them in a logistic model, how do we choose how man of them to choose

## Let's pick all of them

```
full_magnetude_model = glm.fit <- glm(result ~ X3+X4+X5+X6+X7+X8+X9+X10+X16+X19, data = train) full_magnetude_predict = predict(full_magnetude_model, newdata=test) full_magnetude_results <- ifelse(full_magnetude_predict > 0.5, 1, 0) true_results = test$result table(full_magnetude_results,true_results)
```

## Results

```
\begin{bmatrix} 0 & 1 & 0 & 86 & 53 & 1 & 21 & 71 & \# \text{ asd} \\ 0 & 0 & 1 \\ 086 & x_{23} & 53 \\ 1 & 21 & 71 \end{bmatrix}
```

## Proprietary PCAs

▶ We Will select only specific features to make PCA

## PCA by corelation

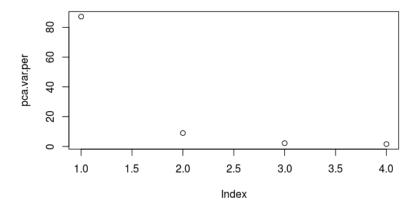
▶ Lets select our top 5 features with biggest corelation towards the wanted output

# Corelation between eye state and features

```
cor_table["result",]
```

```
 \begin{array}{l} [0.0628162508; -0.0769254158; \ 0.2926029110; \ 0.2663378517; \\ 0.2346910985; \ 0.1975108984; \ 0.1616306742; \ 0.1278607878; \\ 0.0580148247; \ 0.0004790855; \ 0.0382814237; \ 0.1042544888; \\ 0.1422728633; \ 0.1514243876; \ 0.1847720945; \ 0.1773128303; \\ 0.0084663109; \ -0.0308676736; \ -0.0421439497; \ 1.00000000000] \end{array}
```

# PCA with hight correlation with result



Фигура 2: Percentage of

### Results

 $\blacktriangleright$  In this case PC1 accounts for more than 80% of variances