On the Effects of Quantisation on Model Uncertainty in Bayesian Neural Networks

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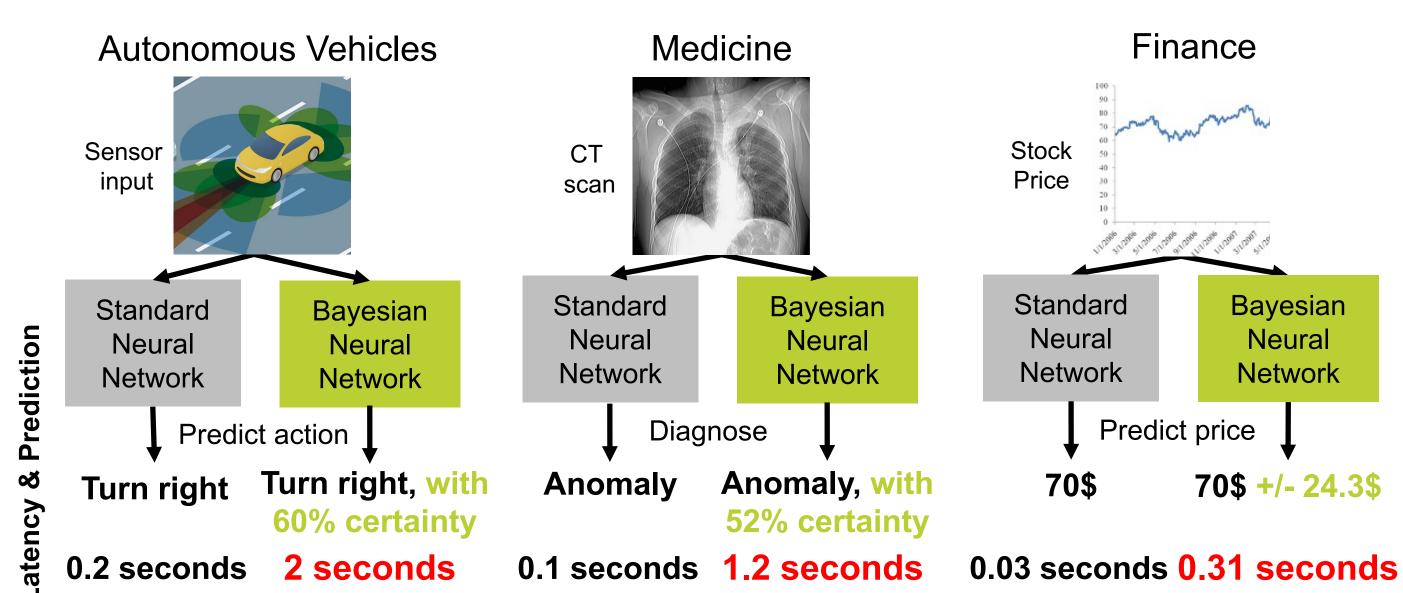
Summary

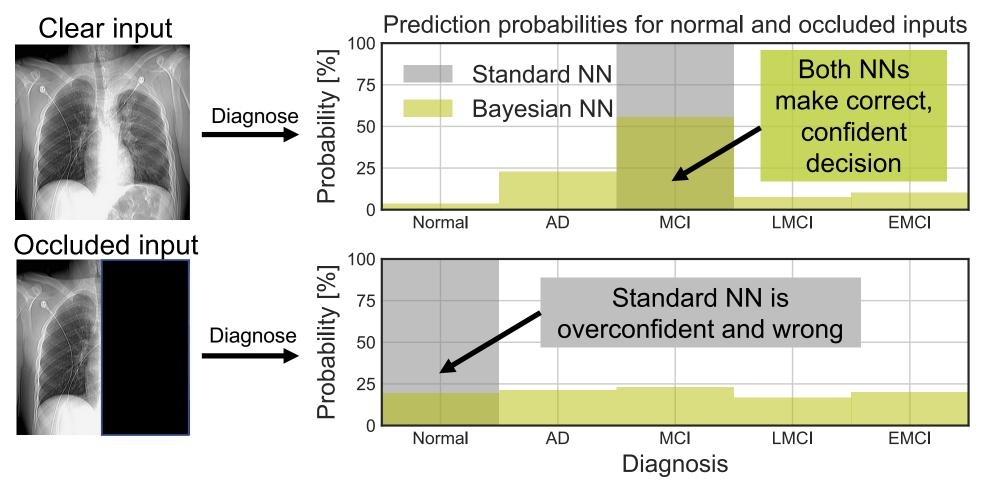
- What is this about? Computational representation precision reduction of trustworthy Bayesian neural networks for uncertainty quantification.
- What is the problem? Bayesian neural networks, in comparison to standard neural networks, can quantify their uncertainty, but they are $\sim 10 \times$ slower.
- How it is addressed? Uniform quantisation of Bayesian nets from 32-bit floating point to quantised integers, providing simpler and faster computation.
- Contribution: Methodology and implementation for quantisation of 3 types of Bayesian neural networks.

Introduction

Uncertainty quantification (UQ) in machine learning is important for understanding what a model *does not know* and to build trust with users. **Bayesian neural networks** (BNNs) [1] can learn automatically, be accurate and reliably perform UQ.

Application: UQ is essential for **safety-critical and regulated real-world applications**, where observing a prediction made by a network is not enough.



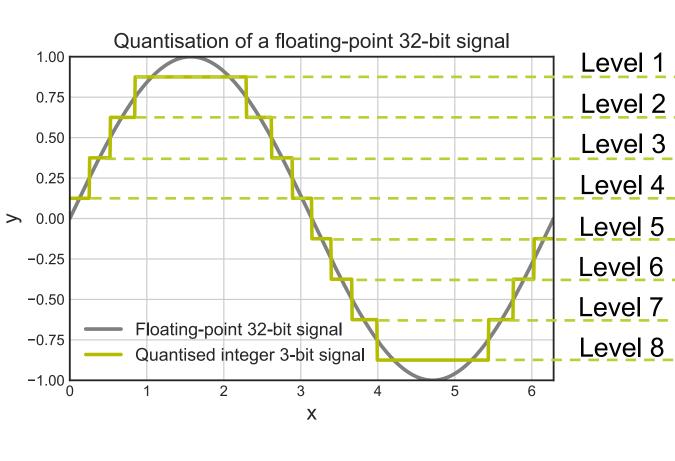


Example: network's prediction needs confused appear uncertain by not knowing what to the diagnose, then underlying system can detect an anomaly and practitioner should have a further look.

Challenge: Bayesian neural networks are $\sim 10 \times$ slower, than standard neural networks with the same architecture and hardware deployment.

Solution: Reduce precision of computation through **uniform quantisation** without accuracy or UQ performance loss, generalizable to **most hardware and tasks**.

Method



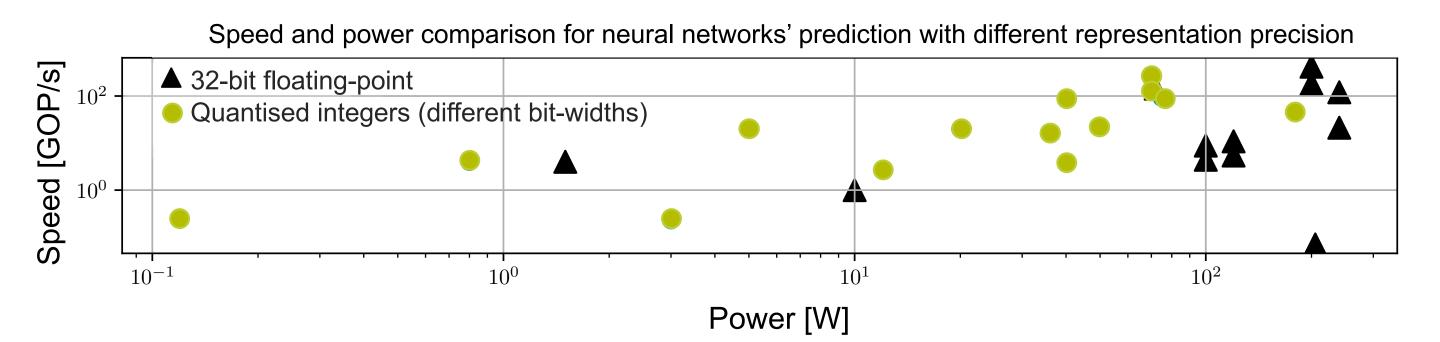
Example: reduce 32-bit floating-point signal into 3-bit quantised integers.

Advantages:

- Represent 8 values (Levels) instead of 3.4×10^{38} values in a computer.
- Generalizable to almost any modern hardware and any application [2].
- Simpler hardware implementation.

 $q = \text{round}\left(\frac{f}{S}\right) + Z$ • q quantised integer value
• f floating-point value
• S quantisation bin-width

Uniform quantisation Z, S learnable through [2]



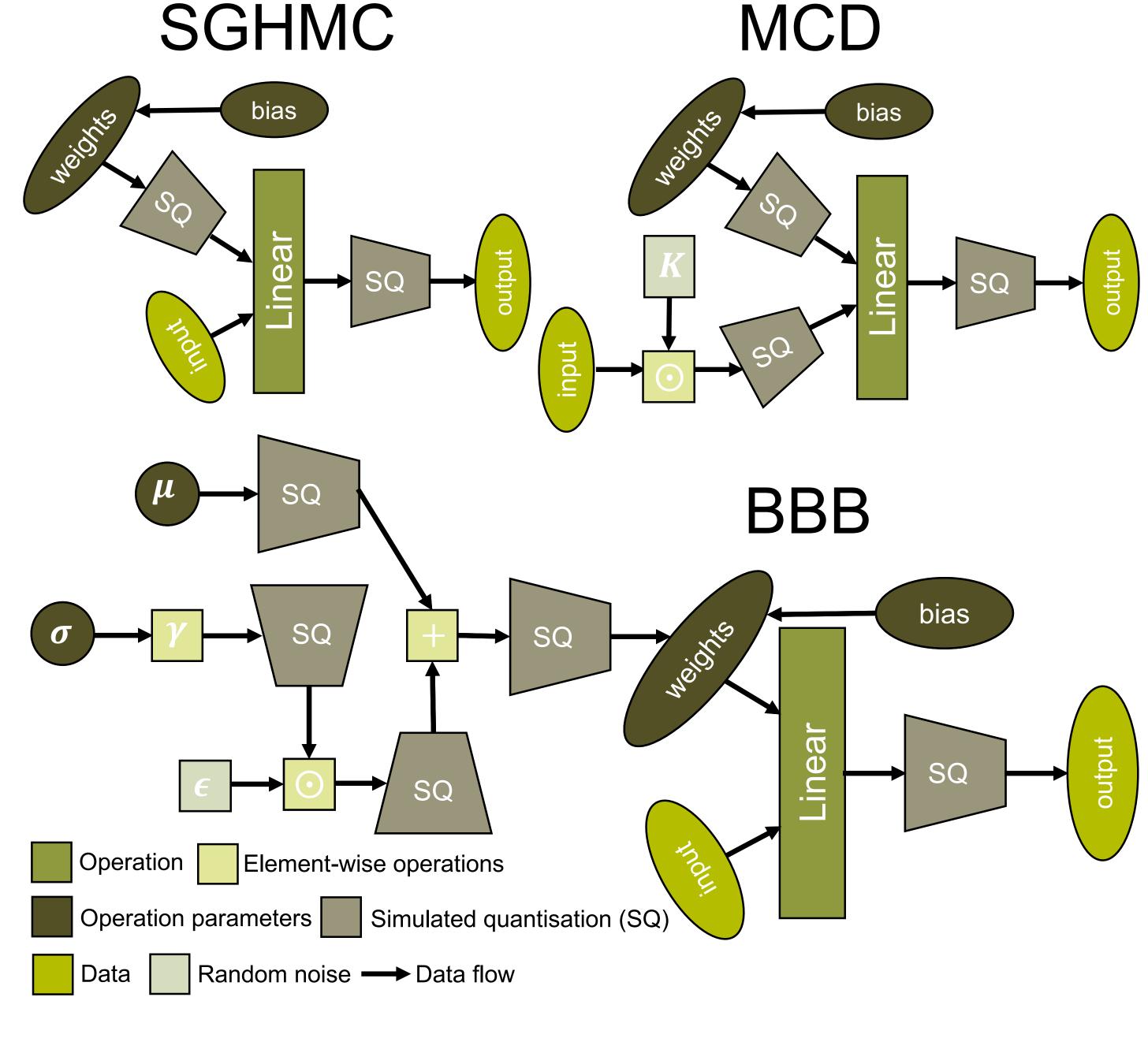
Quantised computations can be executed faster and cheaper.

We looked at quantising 3 types of Bayesian neural nets for trade-offs [3]:

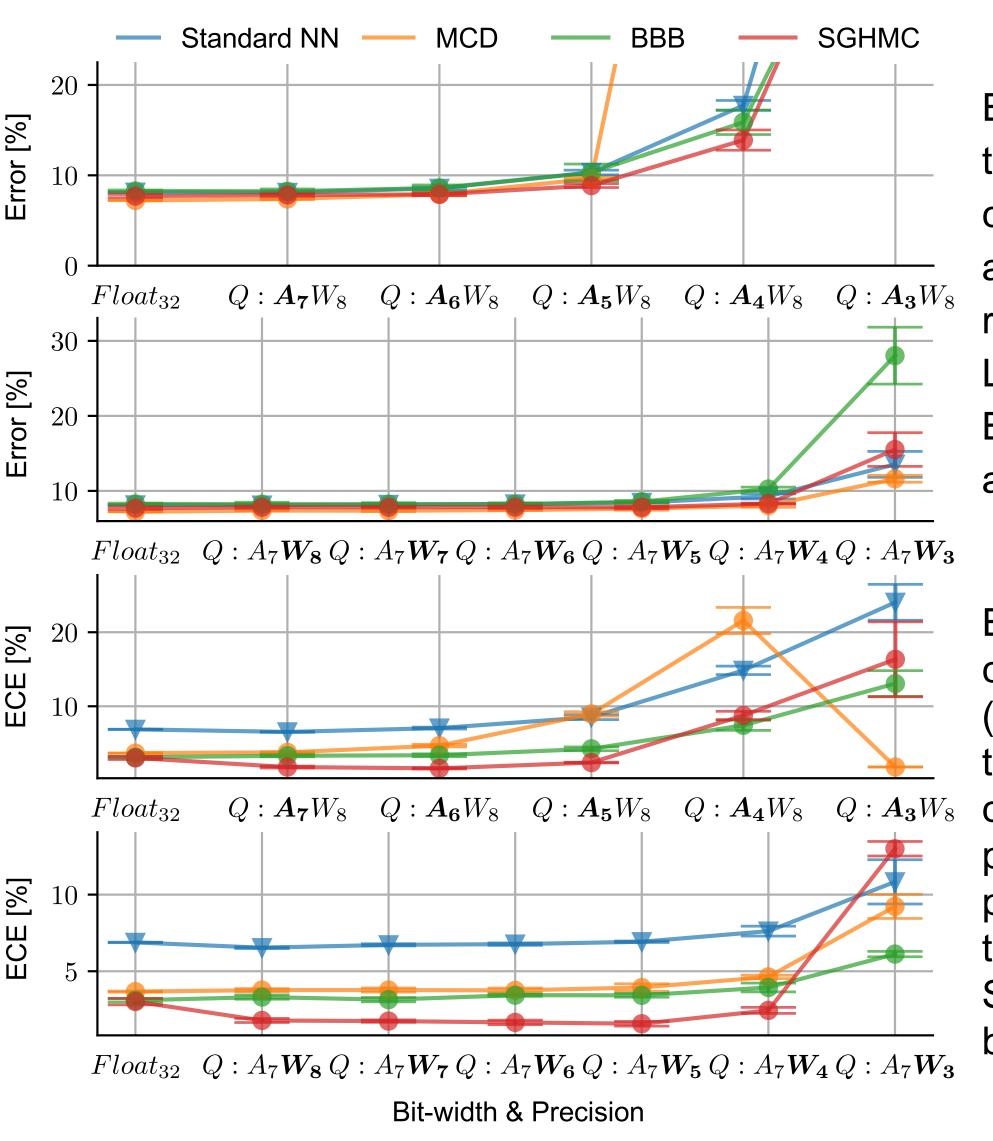
- Bayes-By-Backprop (BBB)
- Monte Carlo Dropout (MCD)
- Stochastic Gradient Langevin Dynamics with Hamiltonian Monte Carlo (SGHMC)

Bayesian inference schemes shown on a *Linear* layer: output = input·weights+bias.

Graphical representation of the proposed quantisation method for different



Experiments



Experiments with respect to regression (UCI) and classification (MNIST and CIFAR-10) with respect to feed-forward, LeNet and ResNet-18 Bayesian neural network architectures.

Error expected and calibration error (ECE) with respect quantisation and changing activation (A) precision or weight (W) precision respect to CIFAR-10 test set. Subscript denotes bit-width.

Key-Takeaway

Lowering precision from 32-bit floating-point to quantised 8-bit integers does not detriment accuracy and uncertainty quantification quality of Bayesian neural networks with $\sim\!\!4\times$ compute and memory savings.

Room for Improvement and Future Work

Tested Bayesian inference methods were all mean-field approximations which are the least expressive, i.e. could be tried on more complex architectures.

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Paper

Published at the Thirty-Seventh Conference of Uncertainty in Artificial Intelligence.

Acknowledgements: This work was partially completed while Martin Ferianc was an intern at Arm and completed through continued collaboration with Arm ML Research Lab. Martin Ferianc was also sponsored through a scholarship from the Institute of Communications and Connected Systems at UCL.



References

- [1] R. M. Neal, *Bayesian learning for neural networks*, vol. 118. Springer Science & Business Media, 2012.
- [2] B. Jacob, "Quantization and training of neural networks for efficient integer-arithmetic-only inference," in *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pp. 2704–2713, 2018.
- [3] H. Wang and D.-Y. Yeung, "A survey on Bayesian deep learning," ACM Computing Surveys (CSUR), vol. 53, no. 5, pp. 1–37, 2020.