



For torque: counter-clockwise rotation positive $-W_{e}L-D_{A}h_{A}-\frac{W}{2}a_{x}h-W\sin(\theta)h+W\cos(\theta)c=0$ $W_{f} = \frac{1}{2} \left[W_{cos}(\theta) c - W_{sin}(\theta) h - \frac{w}{g} a_{x} h - D_{A} h_{A} \right]$ To find W, we use point B $W_{1}L-D_{2}h_{A}-\frac{W}{2}a_{x}h-W\cos(\theta)b-W_{2}\sin(\theta)h=0$ $W_r = \frac{1}{1} \left[W \cos(\theta) h + W \sin(\theta) h + \frac{W}{7} \alpha_x h + D_x h_x \right]$ When static and level; V=0, 0=0, V=0=> a=0 $W_{e_5} = \frac{1}{2} \left[W_{cos}(0) c - W_{sin}(0) h - \frac{w}{y} o h - 0 h_4 \right]$ = 1 Wc Wrs = 1 [Wcus(0) b + Wsin(0) h + 2 0.h + 0 h] $=\frac{1}{2}$ Wb W + W = 1 W C+ 1 W b $=\frac{1}{L}W(C+b)$ c+b=L = W

Static on upward hill: $0 = 0, \theta > 0$ $cos(\theta) \langle f, S; n(\theta) \rangle O$ $W_f = \frac{1}{L} \left[wos(\theta) c - wsm(\theta) h \right]$ $W_r = \frac{1}{L} \left[W(os(\theta))b + Wsin(\theta)h \right]$ We Who