Atomická tabla pro predikátovou logiku 1. řádu			
TA	FA	$T(\alpha \wedge \beta)$	$F(\alpha \wedge \beta)$
		$T\alpha$ $T\beta$	$F\alpha$ $F\beta$
$T(\neg \alpha)$ $ $ $F\alpha$	$F(\neg \alpha)$ $\mid$ $T\alpha$	$T(\alpha \vee \beta)$ $/$ $T\alpha  T\beta$	$F(\alpha \vee \beta)$
$T(\alpha \Rightarrow \beta)$ $/ \qquad \qquad$	$F(\alpha \Rightarrow \beta)$ $T\alpha$ $\beta$ $F\beta$	$T(\alpha \Leftrightarrow \beta)$ $T\alpha  F\alpha$ $\beta$ $T\beta  F\beta$	$F(\alpha \Leftrightarrow \beta)$ $/ \setminus$ $T\alpha  F\alpha$ $    $ $F\beta  T\beta$
$T(\forall x)\varphi(x)$ $\downarrow$ $T\varphi(t)$	$F(\forall x)\varphi(x)$ $ $ $F\varphi(c)$	$T(\exists x)\varphi(x)$ $\downarrow$ $T\varphi(c)$	$F(\exists x)\varphi(x)$ $ $ $F\varphi(t)$
pro libovolný ground term $t$	pro novou konstantu $c$	pro novou konstantu $c$	pro libovolný ground term $t$

## Atomická tabla pro modální logiku

$$Tp \Vdash \varphi$$
  $Fp \Vdash \varphi$ 

pro libovolnou atomickou sentenci $\varphi$ a libovolnép

$$\begin{array}{|c|c|c|c|c|}\hline Tp \Vdash \varphi \lor \psi & Fp \Vdash \varphi \lor \psi & Tp \Vdash \varphi \land \psi & Fp \Vdash \varphi \land \psi \\\hline Tp \Vdash \varphi & Tp \Vdash \psi & Tp \Vdash \psi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi \Rightarrow \psi & Fp \Vdash \varphi \Rightarrow \psi & Tp \Vdash \neg \varphi & Fp \Vdash \neg \varphi \\\hline Fp \Vdash \varphi & Tp \Vdash \psi & Tp \Vdash \varphi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi & Tp \Vdash \psi & Tp \Vdash \varphi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi & Fp \Vdash \varphi & Fp \Vdash \varphi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi & Fp \Vdash \varphi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi & Fp \Vdash \varphi & Fp \Vdash \varphi \\\hline Tp \Vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \Vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \Vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi \\\hline Tp \vdash \varphi & Fp \vdash \varphi \\\hline Tp \vdash \varphi & Fp$$