<u>Terminal Practical Examination</u> <u>Artificial Intelligence Lab</u>

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Slot : A Set : 1

Srinidhi.V 24/05/2021 180005 10 To find the minimum number of steps taken by the knight to reach the declination from the source. Algorithm: x Start * Fint, we get The Size of The square chase booked. or Thon, get the knight's position and The dedination position. × All pourble & position of the Enight is initialized in The list. * Att Tritially, all the celle are marked as & It will iterate for all reachable states unvisited. and check whether it is invide the chamboard & also * When The current cell is agreed to decitaration not visited. goleun its distance. * Stop

Program:

```
class cell:
  def __init__(self, x = 0, y = 0, dist = 0):
    self.x = x
    self.y = y
    self.dist = dist
def isInside(x, y, N):
  if (x \ge 1) and x \le N and
    y >= 1 and y <= N):
    return True
  return False
def minStepToReachTarget(knightpos,
              targetpos, N):
  dx = [2, 2, -2, -2, 1, 1, -1, -1]
  dy = [1, -1, 1, -1, 2, -2, 2, -2]
  queue = []
  queue.append(cell(knightpos[0], knightpos[1], 0))
  # make all cell unvisited
  visited = [[False for i in range(N + 1)]
             for j in range(N + 1)
  visited[knightpos[0]][knightpos[1]] = True
  while(len(queue) > 0):
    t = queue[0]
    queue.pop(0)
```

Output:

```
In [2]: runfile('C:/Users/Srinidhi/Desktop/knight.py', wdir='C:/Users/Srinidhi/Desktop')
Min no of moves :
2
System Time :
11:56:34
```

```
Result:

Thus, the minimum number of slope taken by the knight to neach the destination is determined using bis.
```

Set - 1

Ib.

Aim.

To implement the graph-colouring publish by satisfying The given constraint

Algorithm:

- * Stant
- * Initialize & dictionaries adj. ad. The adjacent
- order 2 map The adjacent vertices with revouse order me ad didionary.
- Ist with mad, green and blue.
- * In the function solve, degree the adjacent tage & Traverse the neighbour vertices, if it is adjacent vertex, then pop it
- * Assign different colour to adjacent vector & remove the present colour to next ready adjacent vector remove the present colour to next ready adjacent vector remove that the present additionary that is assigned with the colours.

* Stop

Program:

```
from collections import deque
def solve(domain, adj):
  q = deque(list(adj.keys()))
  while(q):
    curr_node = q.popleft()
    domain[curr_node] = list(domain[curr_node][0])
    for dest node in adj[curr node]:
       colors = domain[dest node]
      if(domain[curr node][0] in colors):
         colors.remove(domain[curr node][0])
if __name__ == "__main__":
  adj, ad = dict(), dict()
  adj['q'] = ['nt', 'nsw', 'sa']
  adj['sa'] = ['wa', 'nt', 'q', 'nsw', 'v']
  adj['nsw'] = ['sa', 'q', 'v']
  adj['nt'] = ['wa', 'sa', 'q']
  adj['wa'] = ['nt', 'sa']
  adj['v'] = ['sa', 'nsw']
  adi['t'] = []
  temp = sorted(adj, key = lambda ele : len(adj[ele]), reverse = True)
  for ele in temp:
    ad[ele] = adj[ele][:]
  domain = dict()
  colors = ['r', 'g', 'b']
  for key in ad.keys():
    domain[key] = colors[:]
  solve(domain, adj)
  print(domain)
```

Output:

```
In [1]: runfile('C:/Users/Srinidhi/Desktop/graph_coloring.py', wdir='C:/Users/Srinidhi/
Desktop')
{'sa': ['g'], 'q': ['r'], 'nsw': ['b'], 'nt': ['b'], 'wa': ['r'], 'v': ['r'], 't': ['r']}
System Time :
11:57:27
```

Result:

Thus, The graph colouing peoblem is implemented by satisfying the given constraint.