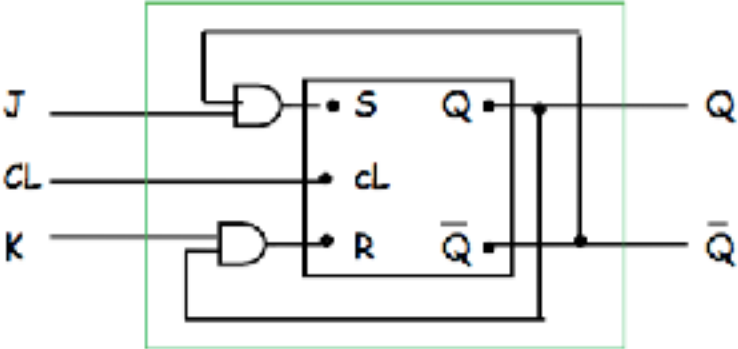
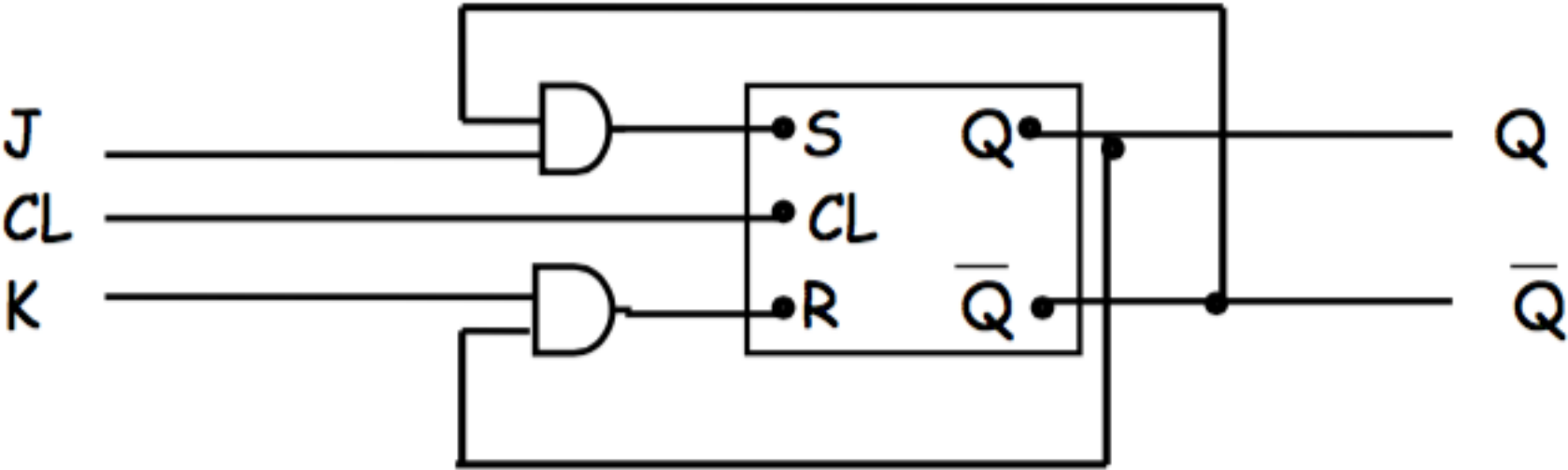


CL 22=CSCI 160

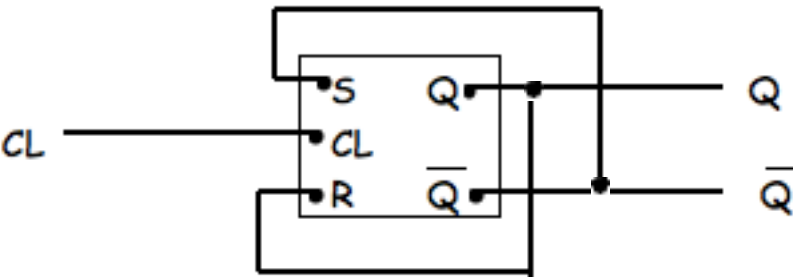
REVIEW CLASS

HW 21 J-K Flip-Flop - Describe its behavior

Solution



a) $J = K = 1$, the circuit becomes a T- Flip-Flop in which output Q oscillates 2x slower than CL.



b) Otherwise, for $CL = 1$:

J	K	Q
0	0	PS
0	1	0 (= value of J)
1	0	1 (= value of J)

$J = 0 \rightarrow S$ fixed at $S = 0$
 $K = 0 \rightarrow R$ fixed at $R = 0$

Put together, the answer is:

For $CL = 1$ (F-F enabled)

For oscillating CL

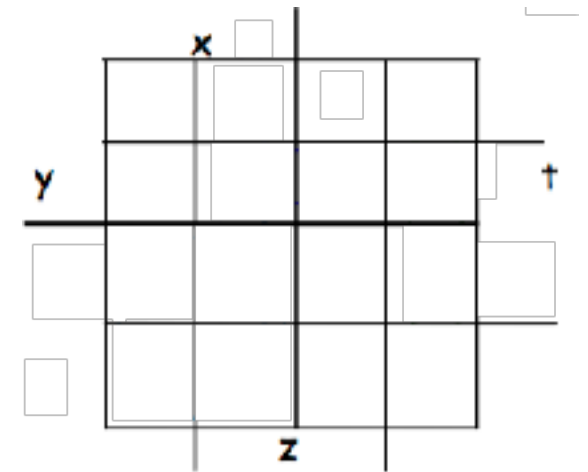
J	K	Q
0	0	PS
0	1	J
1	0	J
1	1	T flip-flop 2 x slower than CL

If $CL = 0$, then $Q = PS$, for all values of J and Q

REVIEW 2 - TOPICS

- 1) & 2) Minimization of functions - K-map
- Tabulation
 - d's
 - Circuit design

Always use this K-map:



and no other!

3) Adders, subtractors

4) Controlled circuits

5) Flip-Flops

For topic #5 we worked out the J-K F-F HW.

Let's review the topics in decreasing order.

4) Controlled circuits - Example

- * 2 inputs (external): A, B
- * 2 outputs: Y_1 , Y_2 , such that we have

* at times

Y_1 : Y_2 :

A B

* at other times

B A

* yet at other times

0 0

* yet at other times

1 1

Solution

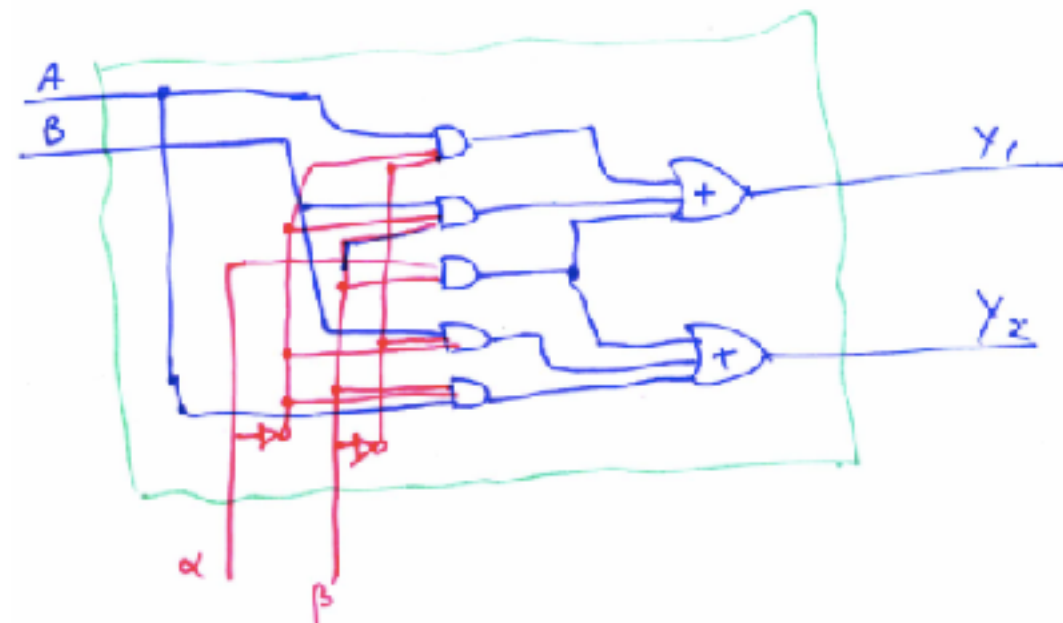
4 possible outcomes \Rightarrow 2 control lines

$$Y_1 = \alpha'\beta'A + \alpha'\beta B + \alpha\beta$$

$$Y_2 = \alpha'\beta'B + \alpha'\beta A + \alpha\beta$$

α	β	Y_1	Y_2
0	0	A	B
0	1	B	A
1	0	0	0
1	1	1	1

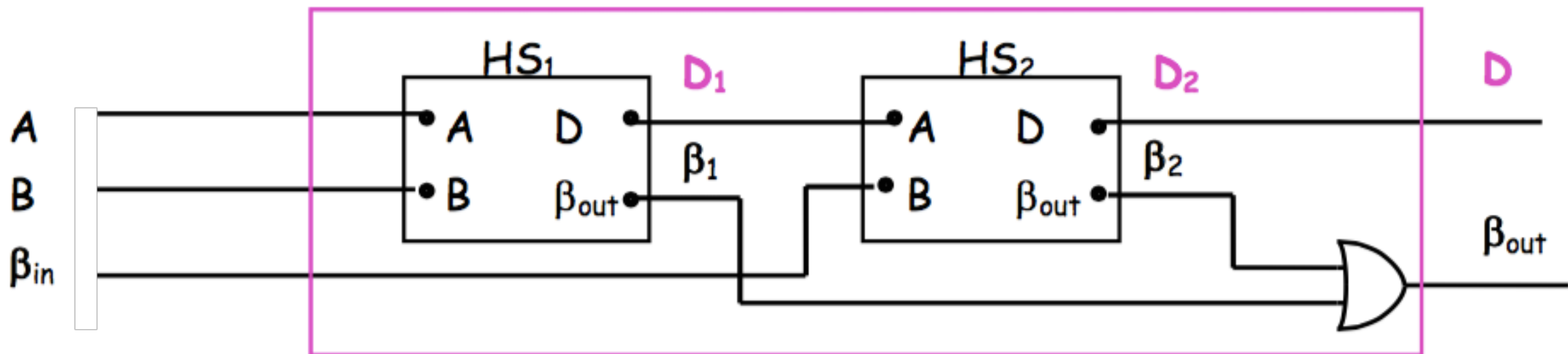
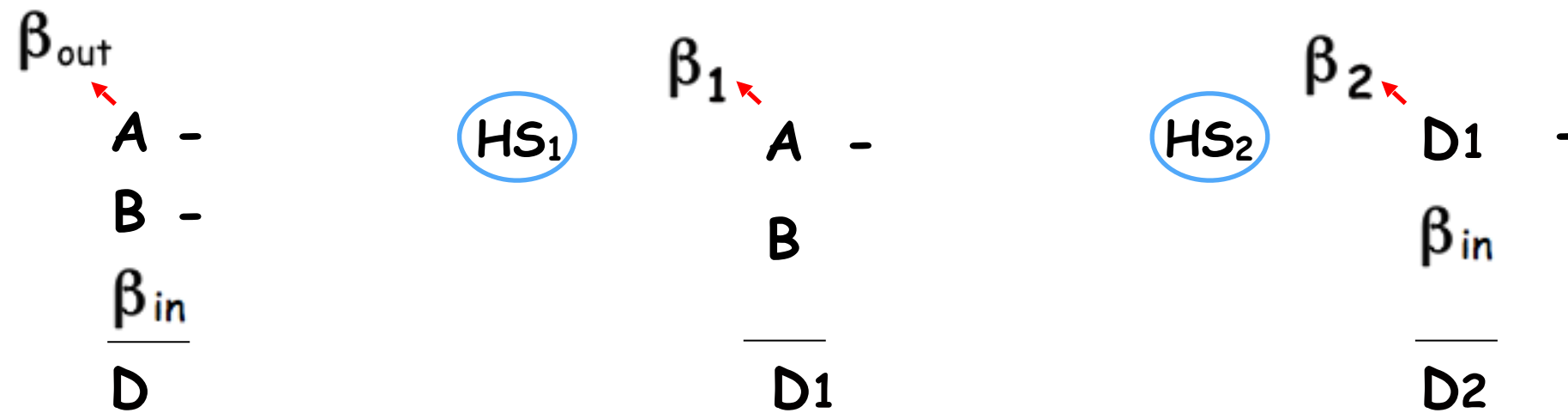
If you finished everything draw diagram:



3) Adders, subtractors - Example

HW (older): Construct FS using HS's and one other gate.

Solution



Important to Note (solution not finished otherwise):

β_1 and β_2 may not be both = 1. Why? $\beta_1 = 1 \rightarrow \begin{cases} A=0 \\ \text{and} \\ B=1 \end{cases} \rightarrow D_1 = 1 \rightarrow \beta_2 = 0$

\Rightarrow We can use an OR gate for β_1, β_2 .

Remember:

•	0	1
0	0	0
1	0	1

+	0	1
0	0	1
1	1	1

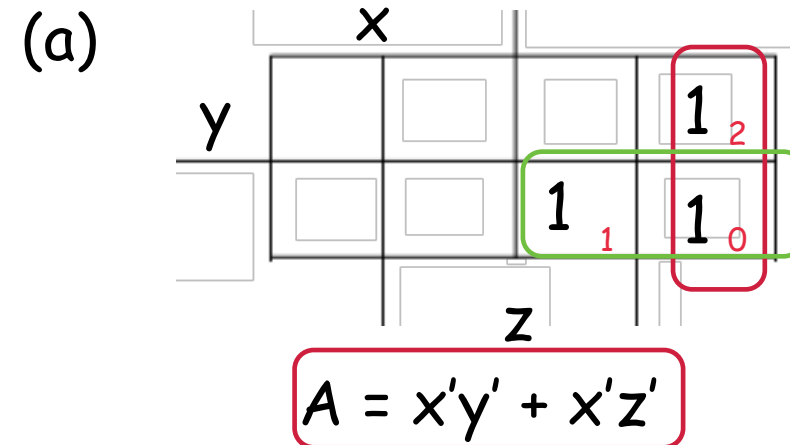
2) Minimization of functions - Design - Example

Design a circuit with 3 binary (external) inputs, x , y , z and two outputs, A , B , which satisfies both specifications (a) and (b) below. Minimize A and B .

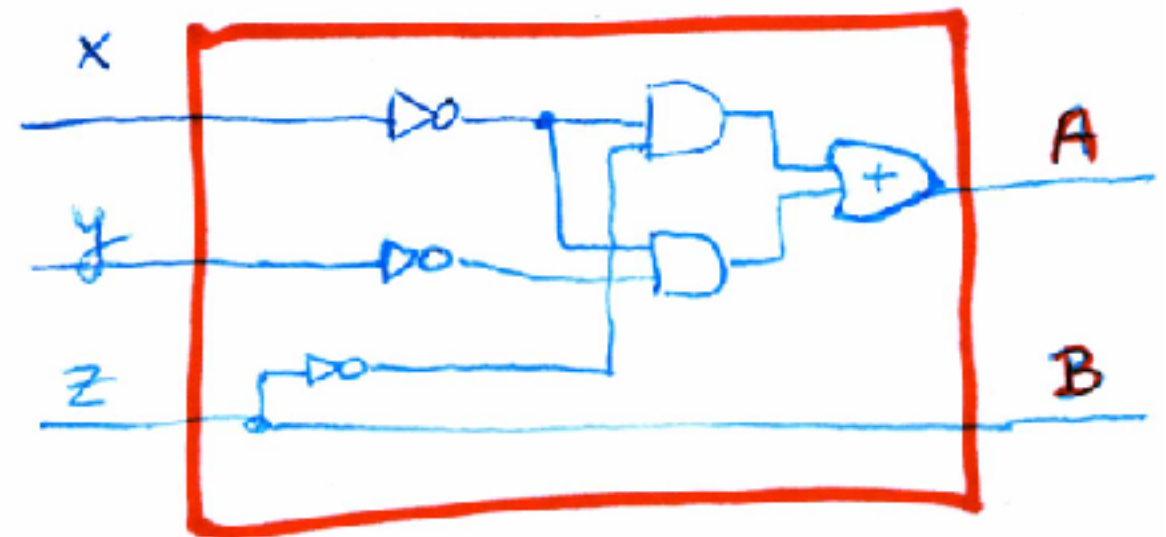
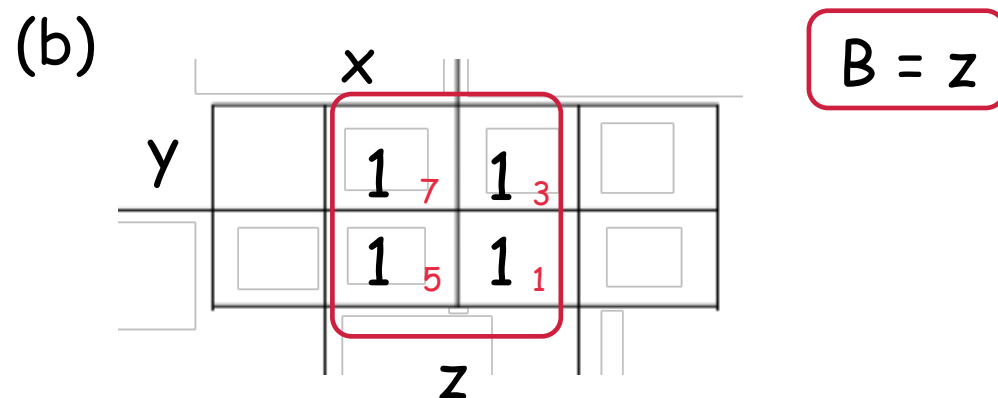
- (a) $A = 1$ exactly when xyz , the value of the input (in decimal), is less than 3.
(b) $B = 1$ exactly when xyz , the value of the input, is odd.

Solution

	x	y	z	A	B
0	0	0	0	1	0
1	0	0	1	1	1
2	0	1	0	1	0
3	0	1	1	0	1
4	1	0	0	0	0
5	1	0	1	0	1
6	1	1	0	0	0
7	1	1	1	0	1



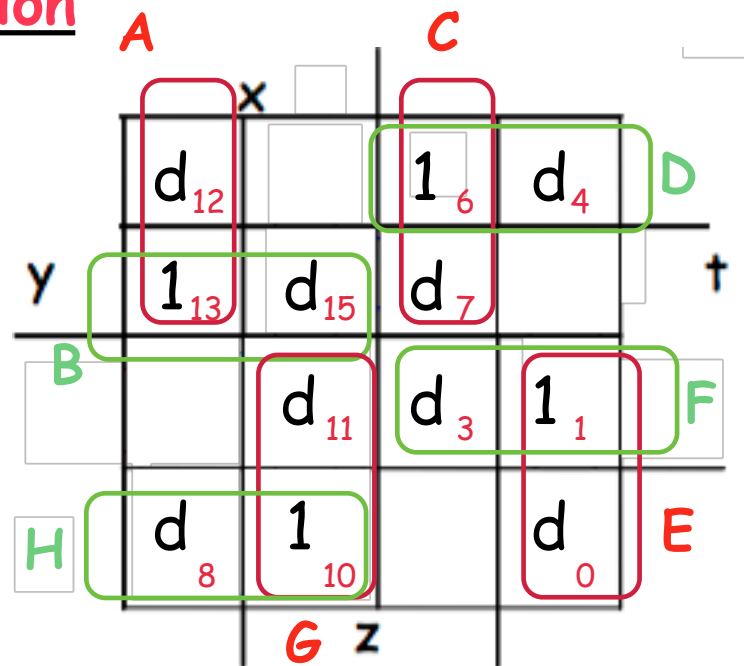
If you finished everything draw diagram:



1) Minimization of functions - Example

$$F = \sum (1, 6, 10, 13) + d \sum (0, 3, 4, 7, 8, 11, 12, 15) \quad \text{Find all minimal forms.}$$

Solution



Essentials: None

Each 1 can be covered by 2 size-2 implicants independently from each other.

We have four such 1s \rightarrow # min forms is:

$$2 \times 2 \times 2 \times 2 = 16:$$

$$F_{1-16} = \left\{ \begin{matrix} A \\ B \end{matrix} \right\} + \left\{ \begin{matrix} C \\ D \end{matrix} \right\} + \left\{ \begin{matrix} E \\ F \end{matrix} \right\} + \left\{ \begin{matrix} G \\ H \end{matrix} \right\} = \dots \text{ (express using variables)}$$

What if $d_0 = 1$?

Think about it and the fact that we want a minimized F.

Complete the Evaluations ASAP in one of two ways:

Visit www.hunter.cuny.edu/te OR www.hunter.cuny.edu/mobilete (for smartphones)

Sign in with your net ID and net ID password (forgot your password? Use: <https://netid.hunter.cuny.edu/verify-identity>)