Activity 13: Logistic Regression

Goal

To be able to apply logistic regression to train an artificial neuron to give the degree of ripeness of that the fruit

Perceptron Algorithm

This algorithm is known to perform classification through supervised learning given that the classes are linearly separable in feature space. As I only made a 2D feature space, we expect the decision boundary to be a line.

Logistic Regression

In here, we introduce the logit function which is:

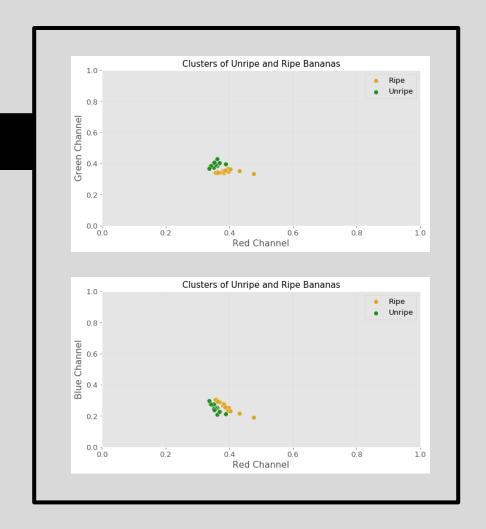
$$logit(p) = log \frac{p}{1-p}$$

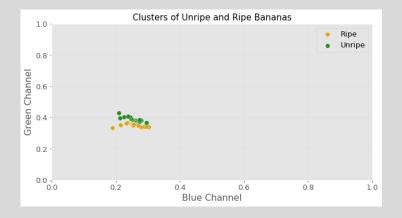
The output is only one of two states (1, 0). We wanted something that output the probability that the input belongs to a certain class.

```
def get_line_params(self):
    W = self.W
    A, B, C = W[1], W[2], -W[0]
    m = -A/B
    b = C/B
    return m, b
```

```
j in range(3):
filenames = os.listdir(dirs[j])
for i,f in enumerate(filenames):
    if i == 50:
    fruit_img = cv.imread(dirs[j] + f)
   fruit_img_gray = cv.cvtColor(fruit_img, cv.COLOR_BGR2GRAY)
    threshold, out = cv.threshold(fruit_img_gray, 127, 255, cv.THRESH_OTSI
   out = (fruit_img_gray < threshold).astype(float)</pre>
    fruit_img_label = meas.label(out)
   props = meas.regionprops(fruit_img_label)
   ecc = props[0]['eccentricity']
    img_cielab = cv.cvtColor(img, cv.COLOR_BGR2Lab).astype(float)
    img_cieab /= img_cielab[:,:,0].max()
    fruit_img_L, fruit_img_a, fruit_img_b = cv.split(img_cielab)
    a_fruit[j].append(fruit_img_a.mean())
   b_fruit[j].append(fruit_img_b.mean())
    eccentricity[j].append(ecc)
```

Feature Space

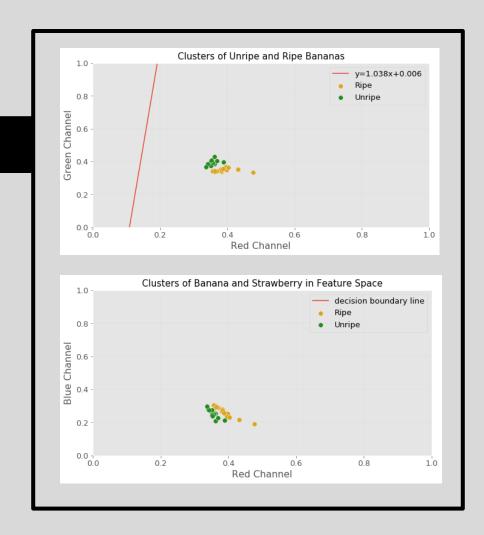


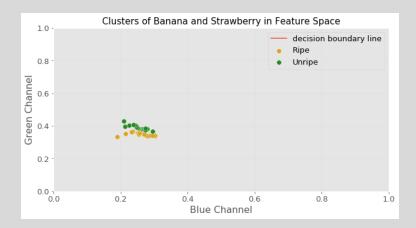


```
for file in glob.glob(Location_rp):
    im_rp = cv2.cvtColor(cv2.imread(file), cv2.COLOR_BGR2RGB).astype(float)
    c_rp = NCC(im_rp)
    r2_ave = c_rp[0].mean()
    g2_ave =c_rp[1].mean()
    b2_ave = c_rp[2].mean()
    r_rp.append(r2_ave)
    g_rp.append(g2_ave)
    b_rp.append(b2_ave)
```

The code was to determine the placement of rgb channels on the feature space.

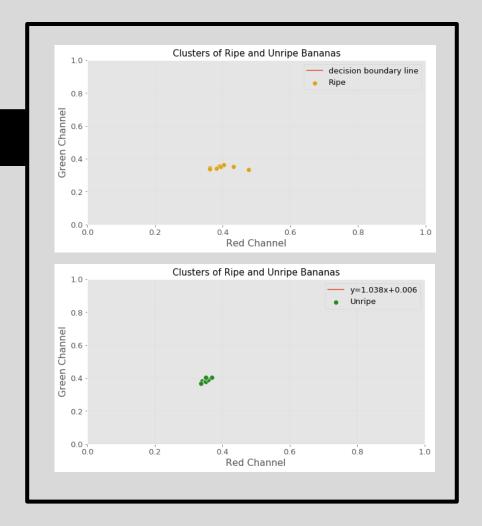
Banana and Mango





For some apparent reason, my code doesn't work for small dataset. I had 15 ripe and 15 unripe bananas which will lead to a series of errors.

Test



[0.9999626400297533, 0.9999716362042899, 0.9999693863572039, 0.9999680607145639, 0.99995929 56251065, 0.9999630745274062, 0.9999704056664867, 0.999971959235563, 0.9851517695252546, 0. 9866926114216733, 0.9830868929748109, 0.9792854465851869, 0.9704838868608351, 0.96836563581 88235, 0.9667339411561624, 0.9645620215615867, 0.9998709247200426, 0.9998868584016485, 0.99 98859451574921, 0.9998814826890247, 0.9998615181137961, 0.9998687295165699, 0.9998756427034 015, 0.9998920654862348, 0.950498442368622, 0.9492184892831561, 0.9404345238275545, 0.92848 97893830587, 0.9083794327531882, 0.8992409795281012, 0.8793718773142573, 0.883082539972070 2, 0.9995863455740098, 0.9995850578380449, 0.9996077578686317, 0.9995940126091697, 0.999562 8547119133, 0.9995682180394052, 0.9995214968116993, 0.9996175700913862, 0.8569095588418462, 0.8380156960980905, 0.8260275933053609, 0.7997961572150091, 0.7708998561621097, 0.748415724 0228095, 0.66834346193393052, 0.7143031620364338]

z = 0.945339241376003

Red, Green: $y = 0.468654240868982 \times + -1.3220588919990255$

[0.9993895546132961, 0.999453711869632, 0.9994081183652175, 0.9994086647464419, 0.999429922 7259582, 0.9994258502742863, 0.9994264449748124, 0.9993781761538548, 0.8024156842437368, 0. 7985936070072541, 0.7628491393843133, 0.7402127356790297, 0.7213848737140367, 0.69386095951 31633, 0.6669843020822003, 0.636904376247212, 0.9984524008276864, 0.9985185476792544, 0.998 4817449735499, 0.9984876475978337, 0.9985058219100189, 0.9984873288028757, 0.99848016473587 86, 0.9984651302376565, 0.615061106898019, 0.6006432282819174, 0.570964713050884, 0.5491913 234358653, 0.5275636085958064, 0.5012547625173844, 0.4779069716978181, 0.46579375041214494, 0.9969428478030267, 0.9969264870531218, 0.99697868573876, 0.99699886375877, 0.9969827588477 359, 0.9969357580021124, 0.9969173397572708, 0.9970403251195246, 0.44547374573546633, 0.425 28057793111257, 0.412223156396733, 0.397435815504345, 0.37879910787696675, 0.35929162628130 12, 0.34308655405907557, 0.34568072757000045]

z = 0.7749536864725911

Red, Green: $y = 0.10450975393728158 \times + 2.8999228253164264$

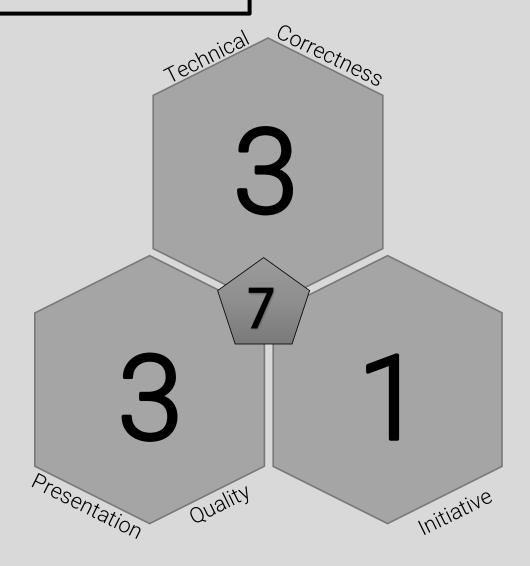
Now we test. Images were taken from the internet. These images were not yet seen by the neuron. Surprisingly, if we check the previous graphs, the location of the points where along the expected location.

Summary

The hardest of all. I'm not really sure if I was able to make it right. Though, I kind of made it possible to cluster them by testing them with new photos.

All in all, it was hard and confusing.

Self-Evaluation



References

• Soriano, M., "Logistic Regression". 2019