# Wacaha

## Pricing and Retail Analytics

Natalie Kvochak, Maryclare Leonard, Sean O'Grady

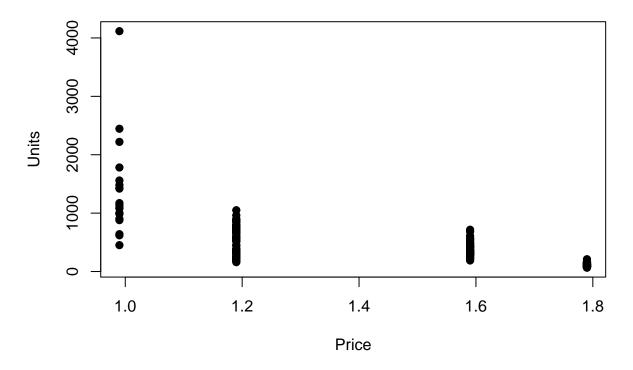
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#### 1 Technical section

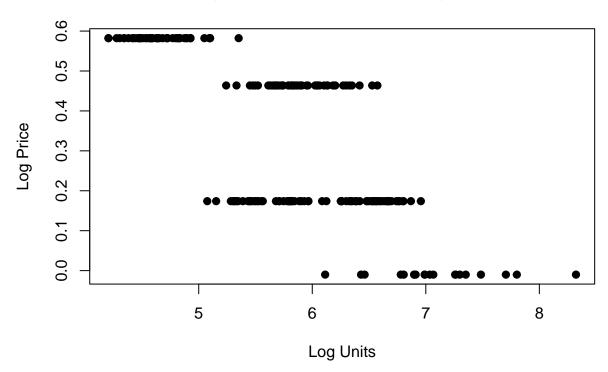
## 1.1 Data setup

## 1.2 Data Exploration

# Units as a function of price



## Log price as a function of log units



#### 1.3 Correlation

```
corr.test(df %>% select(price, pop, units, holiday))
Call:corr.test(x = df %>% select(price, pop, units, holiday))
Correlation matrix
        price
                pop units holiday
         1.00 -0.17 -0.61
                            -0.50
price
        -0.17 1.00 0.45
                             0.00
pop
        -0.61
              0.45
                    1.00
                             0.67
units
holiday -0.50
              0.00 0.67
                             1.00
Sample Size
[1] 200
Probability values (Entries above the diagonal are adjusted for multiple tests.)
        price pop units holiday
         0.00 0.03
price
                       0
                               0
         0.02 0.00
                               1
                       0
pop
units
         0.00 0.00
                       0
                               0
holiday 0.00 1.00
                       0
                               0
```

To see confidence intervals of the correlations, print with the short=FALSE option

#### 1.4 Regression

```
reg1 <- lm(ln q ~ ln p + Dzone + Dholiday, data=df)</pre>
summary(reg1)
Call:
lm(formula = ln_q ~ ln_p + Dzone + Dholiday, data = df)
Residuals:
    Min
              1Q
                  Median
                               30
                                      Max
-0.63263 -0.19428 -0.02146 0.18465 0.76698
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
                      0.04703 148.058 < 2e-16 ***
(Intercept) 6.96265
           -2.34677
ln p
                      0.11293 -20.780 < 2e-16 ***
Dzone2
           -0.92446 0.03835 -24.108 < 2e-16 ***
          Dholiday1
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.267 on 196 degrees of freedom
Multiple R-squared: 0.8998,
                             Adjusted R-squared: 0.8983
F-statistic: 586.9 on 3 and 196 DF, p-value: < 2.2e-16
```

### 1.5 Regression Calculation for Zone 1

The regression indicates that the price elasticity is -2.347.

```
reg2 <- lm(ln_q ~ ln_p + Dholiday, data=df %>% filter(Dzone==1))
summary(reg2)

Call:
lm(formula = ln_q ~ ln_p + Dholiday, data = df %>% filter(Dzone == 1))

Residuals:
```

```
Min
             1Q
                 Median
                            ЗQ
                                   Max
-0.65367 -0.18896 -0.01899 0.15606 0.87123
Coefficients:
          Estimate Std. Error t value Pr(>|t|)
                    0.07245 95.926 < 2e-16 ***
(Intercept) 6.94964
          -2.27334
                    0.19871 -11.440 < 2e-16 ***
ln_p
Dholiday1
           Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.2715 on 97 degrees of freedom
                           Adjusted R-squared: 0.7658
Multiple R-squared: 0.7706,
F-statistic: 162.9 on 2 and 97 DF, p-value: < 2.2e-16
```

The regression indicates that the price elasticity for Zone 1 is -2.273.

#### 1.6 Regression Calculation for Zone 2

```
reg3 <- lm(ln_q ~ ln_p + Dholiday, data=df %>% filter(Dzone==2))
summary(reg3)
Call:
lm(formula = ln_q ~ ln_p + Dholiday, data = df %>% filter(Dzone ==
   2))
Residuals:
             1Q
                  Median
                              3Q
                                     Max
-0.62176 -0.17960 -0.01737 0.18030 0.69492
Coefficients:
          Estimate Std. Error t value Pr(>|t|)
                     0.06075 99.325 < 2e-16 ***
(Intercept) 6.03401
                     0.13525 -17.488 < 2e-16 ***
          -2.36523
ln p
Dholiday1
          Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.2603 on 97 degrees of freedom
Multiple R-squared: 0.8731,
                            Adjusted R-squared: 0.8705
F-statistic: 333.6 on 2 and 97 DF, p-value: < 2.2e-16
```

The regression indicates that the price elasticity for Zone 2 is -2.365.

#### 1.7 Population Regression Calculation for Zone 1

```
reg4 <- lm(ln q ~ ln p + pop, data=df %>% filter(Dzone==1))
summary(reg4)
Call:
lm(formula = ln q ~ ln p + pop, data = df %>% filter(Dzone ==
Residuals:
    Min
             1Q Median
                             3Q
                                    Max
-0.6605 -0.1797 -0.0380 0.1585
                                 1.0998
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)
              5.5930
                         0.8907
                                  6.279 9.61e-09 ***
                         0.1696 -16.385
ln_p
             -2.7796
                                         < 2e-16 ***
              0.2224
                         0.1270
                                  1.751
                                           0.083 .
pop
Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.2907 on 97 degrees of freedom
Multiple R-squared: 0.7368,
                                Adjusted R-squared: 0.7314
F-statistic: 135.8 on 2 and 97 DF, p-value: < 2.2e-16
```

The regression indicates that the price elasticity for Zone 1 is -2.78.

## 2 Managerial Discussion

In Scenario 1, the promotion price of £1.19, Tesco's trade budget is £1540 in zone 1 and £599 in zone 2 during an average week. This equates to a total weekly trade budget of £2139. If the promotion price is changed to £1.09 in scenario 2, the trade budget increases to £1880 in zone 1 and £736 in zone 2. The new total weekly trade budget increases to £2616. While scenario 2 require Wahaca to pay more money to Tesco in the scanbacks, it ends up being the more profitable option for Wahaca. The high elasticity of the salsa leads to large increases in quantity demanded with decreased prices. This increase in demand is sufficient to offset the decrease in price, as shown by the increase in total gross profit from £6009 to £6105. The issue with scenario 2, though, is Tesco is making less money than they did with the original promotion price. In the original promotion, Wahaca covered £0.21 of the £0.40 decrease with their scanback. In covering the majority of the scanback, Wahaca makes less money in promoted weeks under scenario 1 than they do during regular weeks. In the switch to a price of £1.09, Wahaca still pays £0.21 per item, but the price decrease is

now £0.50. This means that Tesco is stuck absorbing a larger percentage of the promotion, making the price change less profitable for them. If the scanback price were changed to £0.24 in scenario 2, Wahaca would still be making more money during a promotion week than a regular week, making it preferable to scenario 1 from their perspective. Additionally, the increase in the scanback would make the price change more profitable for Tesco as well. Given the fact that this salsa is new to the market, scenario 2 may also make more sense to push volume and increase market penetration.