

Problem

We can use the Ford-Fulkerson algorithm in almost the same way, except we modify the way that the algorithm augments paths in order to account for node capacity. To do this, we let the $\text{bottleneck}(P, f)$ = the minimum amount of flow that can pass through an edge or node along our path. An s - t cut in this node capacitated network is the same – it is a partition of the graph into subgraphs A and B such that $s \in A$ and $t \in B$. The difference is that the capacity of this cut is constrained by the capacity of the nodes in each partition.