# Report on Default of Credit Card Clients Dataset

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#### Introduction

Finance is one of fields where machine learning is used. It uses a huge amount of data and is also surrounded by a lot of uncertainties. In this paper, we will deal with a problem many credit card companies have been facing. Can we predict whether a credit user will pay their debt or fail based on objective data? Traditionally, finding a credible borrower have been a kind of know-how, or skill and experience nurtured by financial institutions. Instead, we try to build machine learning models. using a dataset which is open to public.

The dataset we use, "Default of Credit Card Clients Dataset" is stored in Kaggle website. It was collected in Taiwan in 2005. It has 24 variables, such as age, education, and payment condition. Outcome has two results, "0" non-default, "1" default. Each data was anonymously collected and labeled with individual ID.

Our goal is to find a classification model which predicts the most accurate outcome, default or not. We need to bear it in mind that its distribution of these outcomes is imbalanced. Namely, the number of default clients are small compared to non- default clients. To address the issue, we will use other criteria, balanced accuracy.

We will use three machine learning models, logistic regression, decision tree, and random forest. If necessary, we will tune their parameters to find the best solution. Our procedures are as follows:

- 1. Data exploration and data cleansing
- 2. Splitting the dataset into train\_set, validation\_set, and test\_set
- 3. Applying models, logistic regression, decision tree, and random forest
- 4. Considering models performance, and evaluating

This paper is written as a final assignment in "HarvardX PH125.9x Data Science: Capstone."

#### Packages and Dataset

In this paper, we use R packages, "tidyverse<sup>1</sup>", "DataExplorer<sup>2</sup>", "gridExtra<sup>3</sup>", "rpart<sup>4</sup>", "caret<sup>5</sup>", and "ranger<sup>6</sup>".

We use a dataset stored in Kaggle<sup>7</sup>website. In the description, it says, "This dataset contains information on default payments, demographic factors, credit data, history of payment, and bill statements of credit card clients in Taiwan from April 2005 to September 2005." It is CSV file.

 $<sup>{\</sup>rm ^1https://cran.r-project.org/web/packages/tidyverse/index.html}$ 

<sup>&</sup>lt;sup>2</sup>https://cran.r-project.org/web/packages/DataExplorer/index.html

 $<sup>^3 \</sup>rm https://cran.r-project.org/web/packages/gridExtra/index.html$ 

 $<sup>^4 \</sup>rm https://cran.r-project.org/web/packages/rpart/index.html$ 

<sup>&</sup>lt;sup>5</sup>https://cran.r-project.org/web/packages/caret/index.html

<sup>&</sup>lt;sup>6</sup>https://cran.r-project.org/web/packages/ranger/index.html

<sup>&</sup>lt;sup>7</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset

Kaggle requires registration to download the data. For the sake of convenience, the data file is stored in my GitHub repository<sup>8</sup>.

### **Data Exploration**

First, we need to check the downloaded dataset. Columns are as follows.

```
## spec_tbl_df [30,000 x 25] (S3: spec_tbl_df/tbl_df/tbl/data.frame)
    $ ID
                                : num [1:30000] 1 2 3 4 5 6 7 8 9 10 ...
##
    $ LIMIT_BAL
                                 : num [1:30000] 20000 120000 90000 50000 50000 50000 500000 100000 1400
    $ SEX
                                   num [1:30000] 2 2 2 2 1 1 1 2 2 1 ...
##
    $ EDUCATION
                                 : num [1:30000] 2 2 2 2 2 1 1 2 3 3 ...
##
##
  $ MARRIAGE
                                 : num [1:30000] 1 2 2 1 1 2 2 2 1 2 ...
##
    $ AGE
                                 : num [1:30000] 24 26 34 37 57 37 29 23 28 35 ...
##
    $ PAY O
                                  num [1:30000] 2 -1 0 0 -1 0 0 0 0 -2 ...
##
    $ PAY 2
                                : num [1:30000] 2 2 0 0 0 0 0 -1 0 -2 ...
##
   $ PAY 3
                                : num [1:30000] -1 0 0 0 -1 0 0 -1 2 -2 ...
                                 : num [1:30000] -1 0 0 0 0 0 0 0 0 -2 ...
##
   $ PAY 4
##
    $ PAY 5
                                 : num [1:30000] -2 0 0 0 0 0 0 0 0 -1 ...
##
    $ PAY_6
                                 : num [1:30000] -2 2 0 0 0 0 0 -1 0 -1 ...
##
   $ BILL_AMT1
                                 : num [1:30000] 3913 2682 29239 46990 8617 ...
    $ BILL_AMT2
##
                                 : num [1:30000] 3102 1725 14027 48233 5670 ...
##
    $ BILL AMT3
                                 : num [1:30000] 689 2682 13559 49291 35835 ...
    $ BILL_AMT4
##
                                 : num [1:30000] 0 3272 14331 28314 20940 ...
##
   $ BILL AMT5
                                 : num [1:30000] 0 3455 14948 28959 19146 ...
##
   $ BILL_AMT6
                                   num [1:30000] 0 3261 15549 29547 19131 ...
    $ PAY_AMT1
##
                                 : num [1:30000] 0 0 1518 2000 2000 ...
  $ PAY_AMT2
                                 : num [1:30000] 689 1000 1500 2019 36681 ...
##
   $ PAY AMT3
                                 : num [1:30000] 0 1000 1000 1200 10000 657 38000 0 432 0 ...
##
    $ PAY AMT4
##
                                 : num [1:30000] 0 1000 1000 1100 9000 ...
##
    $ PAY AMT5
                                 : num [1:30000] 0 0 1000 1069 689 ...
    $ PAY AMT6
                                 : num [1:30000] 0 2000 5000 1000 679 ...
##
##
    $ default.payment.next.month: num [1:30000] 1 1 0 0 0 0 0 0 0 ...
##
    - attr(*, "spec")=
##
     .. cols(
##
          ID = col double(),
##
         LIMIT_BAL = col_double(),
##
          SEX = col_double(),
     . .
##
          EDUCATION = col_double(),
##
         MARRIAGE = col_double(),
     . .
##
         AGE = col_double(),
##
         PAY_0 = col_double(),
     . .
##
         PAY_2 = col_double(),
##
         PAY_3 = col_double(),
##
         PAY_4 = col_double(),
##
         PAY_5 = col_double(),
     . .
##
         PAY_6 = col_double(),
##
          BILL_AMT1 = col_double(),
          BILL_AMT2 = col_double();
##
##
          BILL_AMT3 = col_double(),
##
          BILL_AMT4 = col_double(),
##
          BILL_AMT5 = col_double(),
```

<sup>&</sup>lt;sup>8</sup>https://github.com/masa951125/Final\_project/raw/main/UCI\_Credit\_Card.csv

```
##
          BILL_AMT6 = col_double(),
##
         PAY_AMT1 = col_double(),
##
         PAY_AMT2 = col_double(),
          PAY_AMT3 = col_double(),
##
##
          PAY_AMT4 = col_double(),
          PAY_AMT5 = col_double(),
##
##
          PAY_AMT6 = col_double(),
          default.payment.next.month = col_double()
##
##
     ..)
```

It has 30000 rows and 25 columns. "Default.payment.next.month" is an outcome . Other features seem to be either numerical or categorical data. "SEX", "EDUCATION", "MARRIAGE", "PAY\_0" -"PAY\_6", and "default.payment.next.month" look like categorical data, as their values are limited number of integers. Other features seem to be numerical.

We know there are no NAs, Nulls in the dataset.

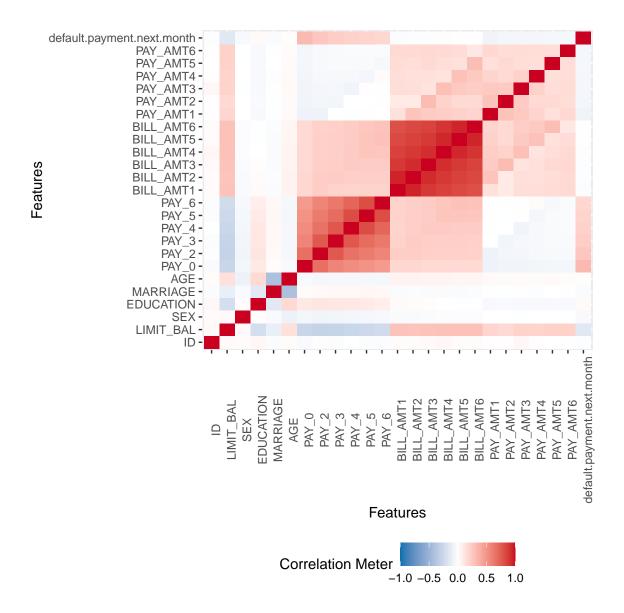
```
#Number of NAs
sum(is.na(original_default))

## [1] 0

#Number of Nulls
sum(is.null(original_default))

## [1] 0
```

How these predictors are correlated? We use "plot\_correlation" function to investigate this.



Takeaways from this are;

- 1. Outcome (default.payment.next.month) has a strong positive correlation with PAY.
- 2. Overall, LIMIT\_BAL has a relatively strong correlation with other factors (except SEX).
- 3. EDUCATION, MARRIAGE, AGE have relatively strong correlation with one another.
- 4. EDUCATION and AGE have a relatively weak correlation with PAY and BILL\_AMT respectively.
- 5. PAY and BILL\_AMT, BILL\_AMT and PAY\_AMT have strong correlation.

Then, we will look into these features further.

#### 1 Outcome

First, we look into the outcome, "default payment next month". The data description says, "Default payment, 1=yes, 0=no.9" We show the proportion of "0","1".

 $<sup>^9 \</sup>rm https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset$ 

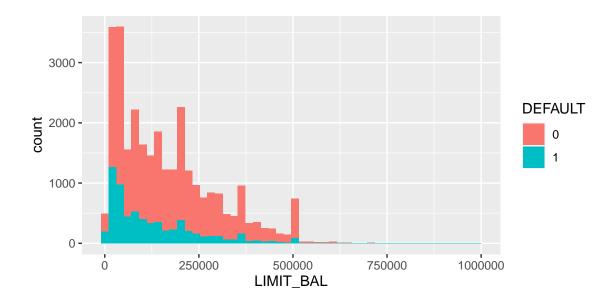
This means that if we predict all the outcome as "0", we will get 77.9% accuracy. We need to take into account this fact. We change the name, "default.payment.next.month", to "DEFAULT" for the sake of convenience. Also, we change this numeric variable into factor.

### 2 "LIMIT\_BAL"

This is an "amount of given credit in NT dollars (includes individual and family/supplementary credit)<sup>10</sup>" It is numerical data.

```
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 10000 50000 140000 167484 240000 1000000
```

We draw its distribution filling the proportion of default.



Distribution is skewed right. Default clients seem to be gathered around lower range of LIMIT\_BAL values.

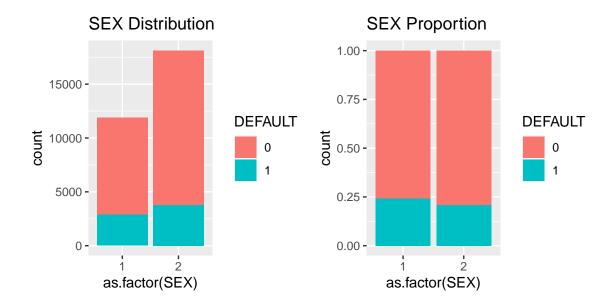
### 3 "SEX"

The values "1", "2" correspond to male and female respectively 11. Male is 40% and female is 60%.

We draw its distribution and its proportion in terms of default rates.

<sup>&</sup>lt;sup>10</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset NT stands for "New Taiwan".

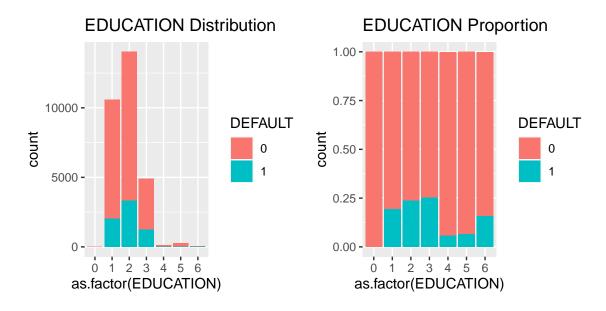
<sup>&</sup>lt;sup>11</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset



There seemed to be little difference between genders. This categorical variable is somewhat irrelevant to the outcome.

### 4 "EDUCATION"

In this variable, values are "1", "2", "3", "4", "5", "6". They are categorical values. The numbers have meanings as follows; 1=graduate school, 2=university, 3=high school, 4=others, 5=unknown, 6=unknown<sup>12</sup>. We plot its distribution and stacked bar graph.



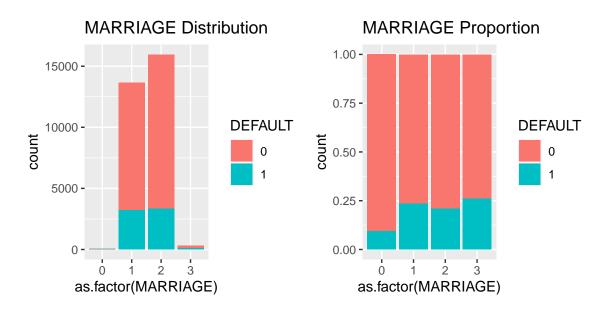
People whose final education is high school have relatively high default rate. On the other hand, people whose final education is graduate school have low default rate.

<sup>&</sup>lt;sup>12</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset

#### 5 "MARRIAGE"

This is also categorical data. The value number means clients' marital status  $^{13}$ . 1=married, 2=single, 3=others. There are 54 individuals whose values are 0.

We draw its distribution graph and stacked bar graph.



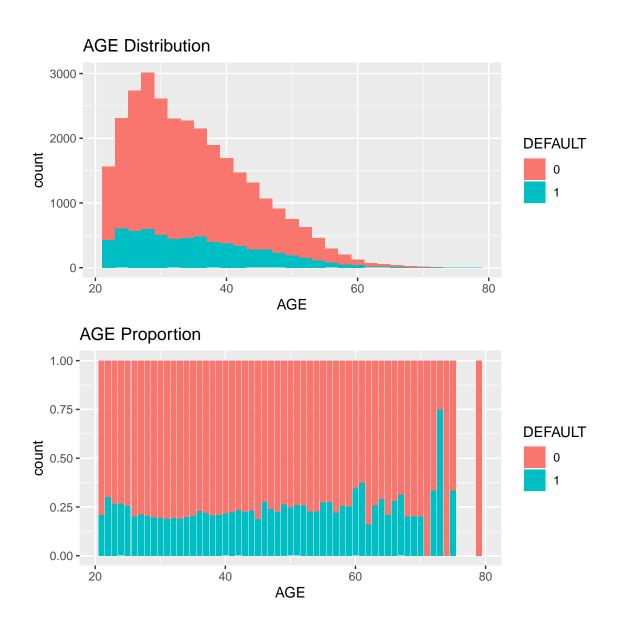
There seems to be little difference among the groups.

### 6 "AGE"

As its name indicates, it is numerical data.

We plots its distribution as well as its default rate.

<sup>&</sup>lt;sup>13</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset



The number of clients are decreasing as they get older. Regarding default clients, younger people in their early 20s and older age groups around 60s show higher proportions than other age groups.

### 7 "PAY"

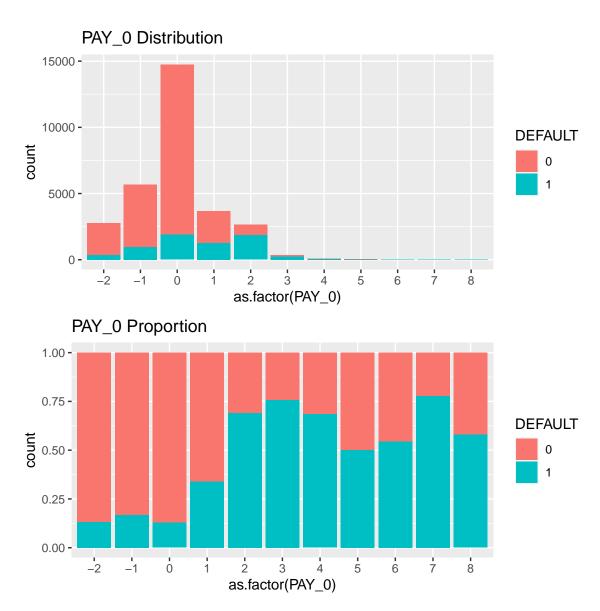
Variable from PAY\_0, PAY\_2 ~PAY\_6 have the same values, as are explained in the description <sup>14</sup>. They are categorical data. PAY\_0 means repayment status in September, 2005. Then go back in time by a month until April, 2005. Values are ;

#### ## [1] 2 -1 0 -2 1 3 4 8 7 5 6

They mean; "-1" = pay duly, "1" = payment delay for 1 month, "2" = payment delay for 2 months, ... 9 = payment delay for 9 months and above. "0" and "-2" are not defined.

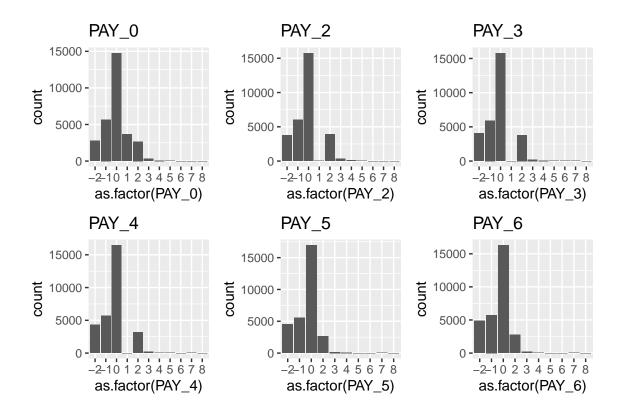
We draw PAY 0 distribution and stacked bar graph.hey are categorical data.

<sup>&</sup>lt;sup>14</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset



We are not sure what "-2" and "0" mean. But from these two graphs we understand that as payment delay becomes longer, clients are more likely to come to a default.

 $PAY_2 \sim PAY_6$  's structures are almost as the same as  $PAY_0$ . We show their distribution.



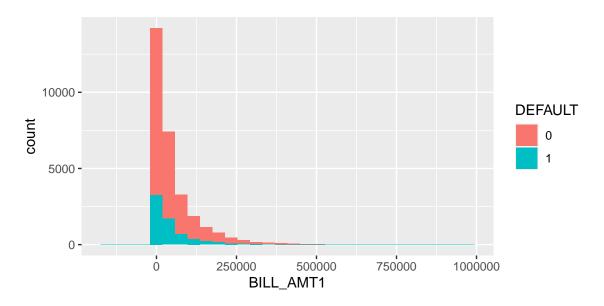
### 8 "BILL\_AMT"

This variable means an amount of bill statement. This is numerical data.

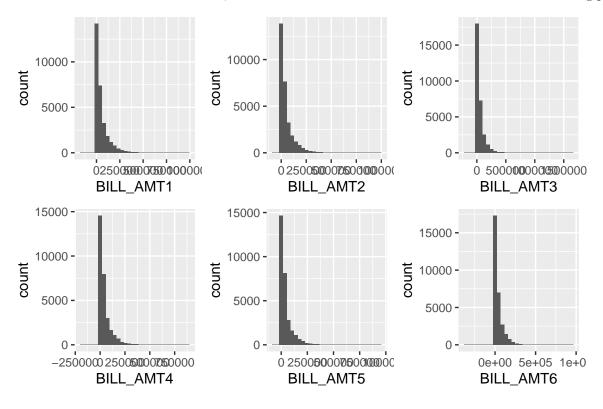
## Min. 1st Qu. Median Mean 3rd Qu. Max. ## -165580 3559 22382 51223 67091 964511

BILL\_AMT1 is a record in September,  $2005^{15}$ . Then go back in time by a month until April, 2005. Likewise previous variables, we plot BILL\_AMT distribution.

<sup>&</sup>lt;sup>15</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset



From BILL\_AMT1 to BILL\_AMT6, their structures are almost the same as are shown in following plots.



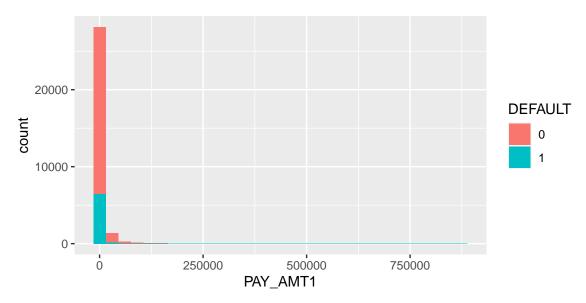
### 9 "PAY\_AMT"

This variable means an amount of previous payment. This is numerical data. This is a summary of PAY\_AMT1.

## Min. 1st Qu. Median Mean 3rd Qu. Max. ## 0 1000 2100 5664 5006 873552

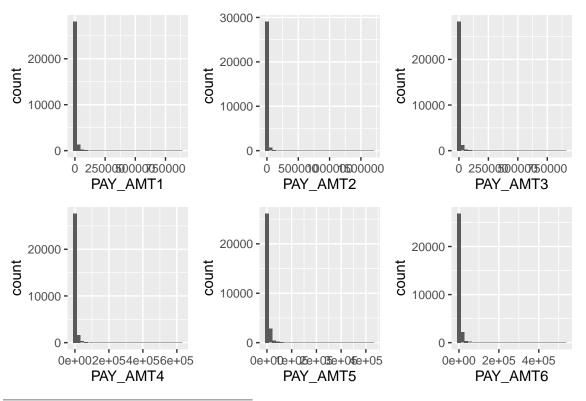
PAY\_AMT1 is an amount of previous payment in September, 2005<sup>16</sup>. Likewise BILL\_AMT, PAY\_AMT goes back in time by a month from August to April, 2005 which is PAY\_AMT6.

Here is PAY\_AMT1's plot.



As we have seen a distribution summary, it is right skewed significantly. Maximum amount is more than 850,000 NT dollars, but its mean and median are 5664 and 2100 respectively.

From PAY\_AMT1 to PAY\_AMT6, their structures are almost the same as are shown in following plots.



<sup>&</sup>lt;sup>16</sup>https://www.kaggle.com/uciml/default-of-credit-card-clients-dataset

### **Data Preparation**

Before going further, we will arrange our dataset to make it easier to investigate. First, we remove ID column, as it is irrelevant to the outcome.

Currently our data is composed of numerical values. Categorical values need to be changed to factors. As we saw in data exploration, SEX,EDUCATION,MARRIAGE, PAY\_0~PAY\_6 are categorical values.

Regarding numerical values, "LIMIT\_BAL" ranges from 10000 to 1000000, but "AGE" from 21 to 79 as we saw in the previous section. When doing regression, these wide varieties of ranges of variables cause inaccuracy. Thus we "scale" these variables, using following formula.

$$Transformed.Values = \frac{Values - Mean}{Standard.Deviation}$$

Then we get variables whose mean is 0, and standard deviation is 1.

Then, we split the data into two. As we have relatively a large amount of data, 30000, the proportion we use is 80% and 20%. The smaller dataset will be used when evaluating a model at the final stage. We call it test\_set.

We are going to use decision tree, and random forest later. They can be tuned to produce improved results by finding hyperparameters. If we tune the model using hyperparameters again and again, this might cause overfitting. To avoid this, we split the larger dataset again and produce two datasets, "train\_set" and "validation set". Split proportion is the same as before, 80% and 20%.

The three datasets have the almost same outcome ratio.

#### Model analysis

### 1 Evaluation metrics

Generally speaking, overall accuracy is used to evaluate a model. But this dataset has imbalanced proportion of outcomes. Guessing all responses are 0, we calculate its confusion matrix, accuracy, sensitivity and specificity.

```
## Confusion Matrix and Statistics
##
             Reference
##
                 0
## Prediction
                       1
##
            0 3739 1062
                 0
                       0
##
##
##
                   Accuracy: 0.7788
                     95% CI: (0.7668, 0.7905)
##
##
       No Information Rate: 0.7788
##
       P-Value [Acc > NIR] : 0.5082
##
                      Kappa: 0
##
```

```
##
    Mcnemar's Test P-Value : <2e-16
##
##
##
               Sensitivity: 1.0000
##
               Specificity: 0.0000
            Pos Pred Value: 0.7788
##
            Neg Pred Value :
##
                Prevalence: 0.7788
##
##
            Detection Rate: 0.7788
      Detection Prevalence: 1.0000
##
##
         Balanced Accuracy: 0.5000
##
          'Positive' Class: 0
##
##
```

Even such a guess produces fairly good results., sensitivity (True Positive / True Positive+ False Negative) is 1.0, in contrast specificity (True Negative / True Negative + False Positive) is 0. Balanced accuracy (arithmetic mean of sensitivity and specificity) is 0.5, which is really a random guess. As such, the credit company falsely give credit to a lot of clients who will fail to repay a debt. The loss for the company would be huge.

Therefore, our goal is to pursue more accurate accuracy than guessing all responses are 0, taking account of improving specificity. We will use both *accuracy* and *balanced accuracy* to evaluate each model.

#### 2 Logistic regression

As this is a classification, we use logistic regression. we use "glm" function. There are 24 predictors in the train\_set. We use "step regression" to find the best logistic regression model.

Stepwise regression explanation. First we make null-model and full-model.

Forward and backward stepwise algorithm.

Predict by using validation\_set. First we predict probabilities and then classify them using cut-off 0.5.

To show accuracy we use confusionMatrix function in caret library.

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                 0
##
            0 3567
                   714
##
            1 172 348
##
##
                  Accuracy: 0.8155
##
                    95% CI: (0.8042, 0.8263)
       No Information Rate: 0.7788
##
       P-Value [Acc > NIR] : 2.329e-10
##
##
##
                     Kappa: 0.3446
##
##
    Mcnemar's Test P-Value : < 2.2e-16
##
               Sensitivity: 0.9540
##
##
               Specificity: 0.3277
```

```
##
            Pos Pred Value: 0.8332
##
           Neg Pred Value: 0.6692
##
                Prevalence: 0.7788
##
           Detection Rate: 0.7430
##
     Detection Prevalence: 0.8917
##
         Balanced Accuracy: 0.6408
##
          'Positive' Class: 0
##
##
```

Make a table.

method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
logistic regresion	0.8154551	0.9539984	0.3276836	0.640841

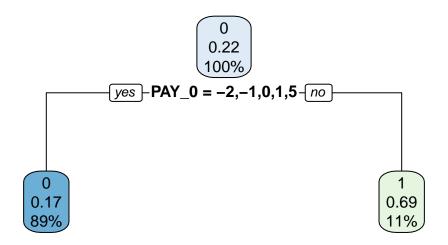
#### 3 Decision tree default model

Use CART classification and regression tree. Rpart  $\sim$  using default minsplit=20, cp=0.01. Predict.

Confusion Matrix.

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                 0
                      1
##
            0 3597
                    736
            1 142 326
##
##
##
                  Accuracy : 0.8171
##
                    95% CI: (0.8059, 0.828)
       No Information Rate : 0.7788
##
       P-Value [Acc > NIR] : 3.487e-11
##
##
##
                     Kappa: 0.3363
##
##
    Mcnemar's Test P-Value : < 2.2e-16
##
##
               Sensitivity: 0.9620
##
               Specificity: 0.3070
            Pos Pred Value : 0.8301
##
##
            Neg Pred Value: 0.6966
##
                Prevalence: 0.7788
##
            Detection Rate: 0.7492
      Detection Prevalence: 0.9025
##
##
         Balanced Accuracy: 0.6345
##
##
          'Positive' Class: 0
##
```

Draw decision tree rpart.plot is good function to show decision tree clearly.



Find used features.

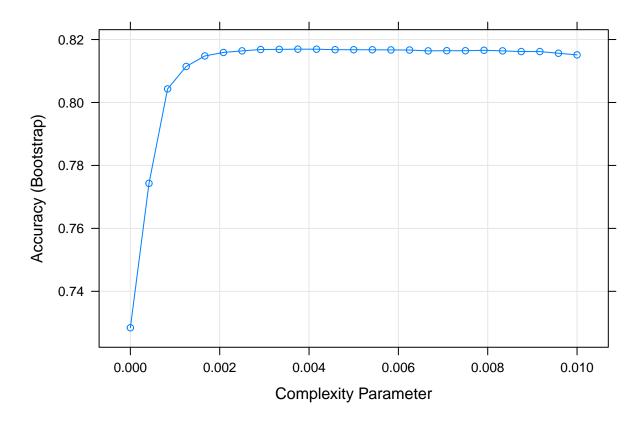
This model illustrates that PAY\_0 is overwhelmingly important.

Make a table

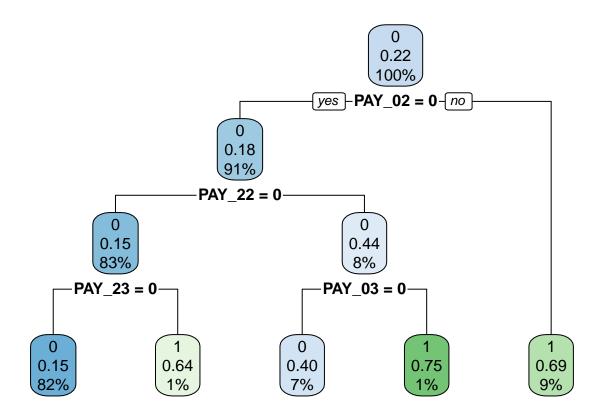
method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
logistic regresion	0.8154551	0.9539984	0.3276836	0.640841
CART default	0.8171214	0.9620219	0.3069680	0.634495

### 4 Decision tree further tuning

We use "train" function in "caret" package. and tune cp. Cross validation rpart ~tuning using smaller cp, less than 0.01 Plot cp.



Draw decision tree. using rpart.plot.



Note: numeric values are scaled

Prediction.

Confusion matrix

```
## Confusion Matrix and Statistics
##
             Reference
##
## Prediction
                 0
                      1
                    730
            0 3587
##
            1 152 332
##
##
##
                  Accuracy : 0.8163
                    95% CI : (0.805, 0.8272)
##
##
       No Information Rate : 0.7788
##
       P-Value [Acc > NIR] : 9.111e-11
##
                     Kappa: 0.3378
##
##
##
    Mcnemar's Test P-Value : < 2.2e-16
##
##
               Sensitivity: 0.9593
               Specificity: 0.3126
##
##
            Pos Pred Value: 0.8309
            Neg Pred Value: 0.6860
##
##
                Prevalence: 0.7788
```

```
## Detection Rate : 0.7471
## Detection Prevalence : 0.8992
## Balanced Accuracy : 0.6360
##
```

## ##

'Positive' Class : 0

##

Make a table.

method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
logistic regresion	0.8154551	0.9539984	0.3276836 $0.3069680$ $0.3126177$	0.6408410
CART default	0.8171214	0.9620219		0.6344950
CART tuned cp	0.8162883	0.9593474		0.6359826

#### 5 Random forest default

Using "ranger".

Model details.

```
## Ranger result
##
## Call:
## ranger(formula = DEFAULT ~ ., data = train_set, probability = F)
##
                                     Classification
## Type:
## Number of trees:
                                     500
                                     19198
## Sample size:
## Number of independent variables: 23
## Mtry:
## Target node size:
## Variable importance mode:
                                     none
## Splitrule:
                                     gini
## 00B prediction error:
                                     18.30 %
```

Prediction.

Confusion matrix

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                0
            0 3564 698
##
##
            1 175 364
##
##
                  Accuracy : 0.8182
                    95% CI: (0.807, 0.829)
##
##
       No Information Rate: 0.7788
##
       P-Value [Acc > NIR] : 1.018e-11
##
##
                     Kappa: 0.3593
```

```
##
##
   Mcnemar's Test P-Value : < 2.2e-16
##
##
               Sensitivity: 0.9532
               Specificity: 0.3427
##
            Pos Pred Value: 0.8362
##
            Neg Pred Value : 0.6753
##
                Prevalence: 0.7788
##
            Detection Rate: 0.7423
##
##
     Detection Prevalence : 0.8877
         Balanced Accuracy: 0.6480
##
##
##
          'Positive' Class : 0
##
```

Make a table.

method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
logistic regresion	0.8154551	0.9539984	0.3276836	0.6408410
CART default	0.8171214	0.9620219	0.3069680	0.6344950
CART tuned cp	0.8162883	0.9593474	0.3126177	0.6359826
random forest default	0.8181629	0.9531960	0.3427495	0.6479728

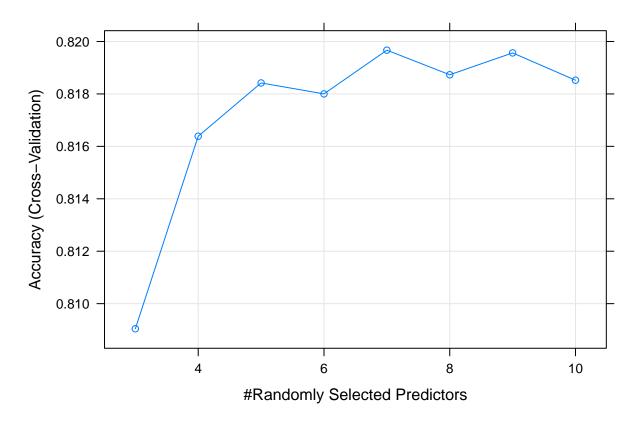
### 6 Random forest cross validation

Grid search

##	model	parameter			]	Label	forReg	${\tt for Class}$	probModel
##	1 ranger	mtry	#Randomly	Selected	Predic	ctors	TRUE	TRUE	TRUE
##	2 ranger	splitrule		Spli	tting	Rule	TRUE	TRUE	TRUE
##	3 ranger	min.node.size		Minimal	Node	Size	TRUE	TRUE	TRUE

Make a model.

Plot.



### Prediction.

#### Confusion Matrix

```
## Confusion Matrix and Statistics
##
             Reference
##
                 0
## Prediction
                      1
            0 3578 726
##
##
            1 161 336
##
##
                  Accuracy : 0.8152
##
                    95% CI : (0.804, 0.8261)
       No Information Rate: 0.7788
##
##
       P-Value [Acc > NIR] : 2.935e-10
##
##
                     Kappa : 0.3376
##
    Mcnemar's Test P-Value : < 2.2e-16
##
##
##
               Sensitivity: 0.9569
               Specificity: 0.3164
##
            Pos Pred Value : 0.8313
##
##
            Neg Pred Value: 0.6761
##
                Prevalence: 0.7788
##
            Detection Rate: 0.7453
      Detection Prevalence: 0.8965
##
```

```
## Balanced Accuracy: 0.6367
```

## ##

'Positive' Class : 0

##

Make a table.

method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
logistic regresion	0.8154551	0.9539984	0.3276836	0.6408410
CART default	0.8171214	0.9620219	0.3069680	0.6344950
CART tuned cp	0.8162883	0.9593474	0.3126177	0.6359826
random forest default	0.8181629	0.9531960	0.3427495	0.6479728
random forest tuned	0.8152468	0.9569404	0.3163842	0.6366623

### **Evaluation**

Best performance in terms of balanced accuracy is "random forest default model" Best performance in terms of accuracy is "CART default model" Then evaluate by using  $test\_set$ .

Make a table.

method	Accuracy	Sensitivity	Specificity	Balanced_Accuracy
CART default	0.8226962	0.9621228	0.3320783	0.6471006
Random forest default	0.8178637	0.9492831	0.3554217	0.6523524

## Conclusion

###