Integrate of theorem

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Laplace equation is constructed with zeta function, zeta function also vector element of singularity.

$$\frac{d}{df}F = \frac{d}{df}\int\int \frac{1}{(x\log x)^2}dx_m + \frac{d}{df}\int\int \frac{1}{(y\log y)^{\frac{1}{2}}}dy_m$$

Seifert manifold is built with fourth of power to integrate element of singularity.

$$\log(x\log x) \geq 2(y\log y)^{\frac{1}{2}}, \frac{d}{df}F_t^m = 2\int \frac{(R+\nabla_i\nabla_j f)^2}{-(R+\Delta f)}dm$$

Fourth of power is one of geometry in inclusived with integrate of fields theorem.

$$= \frac{1}{4}g_{ij}^2, 4V_\tau = g_{ij}^2$$

Fifth dimension of equation called to estimate with abel manifold of component in seifert manifold.

$$||ds^2|| = e^{-2\pi T|\psi|}[\eta_{\mu\nu} + \bar{h}_{\mu\nu}]dx^\mu dx^\nu + T^2 d^2\psi$$

Norm liner is fermander of manifold, is one of rout in non-relativity thoerm.

$$\delta(x)\cdot\mathcal{O}(x) = ||ds^2||, \eta_{\mu\nu} = [\nabla_i\nabla_j\int \nabla f(x)d\eta]^{\frac{1}{2}}$$

Imaginary of pole is zeta function of component.

$$\bar{h}_{\mu\nu} = [\nabla_i\nabla_j\int \nabla g(x)dx_i dx_j]^{iy}$$

Minkofsky of dimension of different in fifth dimension of element.

$$\eta_{\mu\nu} + \bar{h}_{\mu\nu} = \int [D^2\psi \otimes h_{\mu\nu}]dm$$

Volume of surface is open set group.

$$\int\int\int \frac{V}{S^2}dm = \mathcal{O}(x)$$

$$= \int\int e^{\int x\log x dx + O(N^{-1})}d\psi$$

$$\left(\frac{\nabla\psi}{\Box\psi}\right)' = \left(\frac{1}{2}\right)'$$

$$= 0$$

Accesarilty of gravity of formula is harf of vector in this norm space.

$$\left(\frac{\eta_{\mu\nu}}{\bar{h}_{\mu\nu}}\right) = \frac{1}{i}$$

$$\hbar\psi = \frac{1}{i}H\Psi$$

Kaluze-Klein theorem is deduce of dimension in minus of zone, and this zone is imagnary of pole in this element.

$$8\pi G\left(\frac{p}{c^3} + \frac{V}{S}\right) = ||ds^2||$$

Three of manifold in entropy of equation is oneselves in norm space.

$$\lim_{x\to 1}\sum_{k=0}^{\infty} a_k f^k = T^2 d^2\psi$$

This element is fifth dimension of abel manifold.

$$H_3(x) = 0, \chi(3) = 2, \pi(\chi, x) = \int\int \frac{1}{(x\log x)^2}dx_m$$

$$= \frac{1}{2}i$$

$$\eta_{\mu\nu} = \nabla_i\nabla_j \int \nabla f(x)d\eta, \bar{h}_{\mu\nu} = \nabla_i\nabla_j \int \nabla g(x)dx_i dx_j$$

Rout of helmander in zeta function of element is Own of stimulate in seifert manifold. Fifth dimension in seifert manifold is oneselves in rout of equation in imaginary of pole.

$$\eta_{\mu\nu} = [\nabla_i\nabla_j \int \nabla f(x)d\eta]^{\frac{1}{2}}, \bar{h}_{\mu\nu} = [\nabla_i\nabla_j \int \nabla g(x)dx_i dx_j]^{iy}$$

Sheap of element have with zeta function.

$$||ds^2|| = e^{-2\pi T|\psi|}[\eta_{\mu\nu} + \bar{h}_{\mu\nu}(x)]dx^\mu dx^\nu + T^2 d^2\psi$$

$$= \delta\mathcal{O}(x)[f(x)\circ g(x)]dx^\mu dx^\nu + \lim_{x\to\infty}\sum_{k=0}^{\infty} a_k f^k$$

Open set group in seifert manifold is constructed with abel manifold.

$$(\Box\psi)' = \nabla_i\nabla_j(\delta(x)\circ G(x))^{\mu\nu}\left(\frac{p}{c^3}\circ\frac{V}{S}\right)$$

Gravity of power in three manifold of entropy of power expire of around of universe.

$$\Box\psi = 8\pi G T^{\mu\nu}, \mathcal{O}(x) = [\nabla_i\nabla_j f(x)]'$$

This gravity of power is component with open set group in differential equation.

$$\cong {}_nC_r f(x)^n f(y)^{n-r}\delta(x,y), V(\tau) = \int [f(x)]dm/\partial f_{xy}$$

And this equation developed with summuate of manifold is built.

$$\frac{p}{c^3} \circ \frac{V}{S} = [\nabla_i \nabla_j \int \nabla f(x) d\eta \circ \nabla_i \nabla_j \int \nabla g(x) dx_i dx_j]$$

This also equation is sheap of manifold in zeta function in frobenius theorem.

$$||ds^2|| = (\delta(x) \circ G(x))^{\mu\nu} \rightarrow \nabla_i \nabla_j (\delta(x) \circ G(x))^{\mu\nu}$$

$$\frac{d}{df} F(v_{ij}, h) = [-\Delta v + \nabla_i \nabla_j v_{ij} - R_{ij} v_{ij} - v_{ij} \nabla_i \nabla_j + 2 < \nabla f, \nabla h > +(R + \nabla f^2)(\frac{v}{2} - h)]$$

$$e^{-f} \circ e^{-f} \rightarrow -2R_{ij}, e^{-f} \rightarrow e^{-2\pi T|\psi|} = [\nabla_i \nabla_j \int \nabla f(x) d\eta \circ \nabla_i \nabla_j \int \nabla g(x) dx_i dx_j]$$

$$\frac{x+y}{2} \geq \sqrt{xy}$$

$$\frac{x^{\frac{1}{2}+iy}}{e^{x \log x}} = 1$$

Zeta function is steady in imaginary of pole.