Neipia and Pai number of relation of equations

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Under equations are circle element of step with neipa number represent from antigravity equation of global integral manifold quate with dalanversian equation, this system neipia number of step with circle element also represent with among zeta function and squart of g function.

$$\int e^{-x^2-y^2}dxdy=\pi$$

$$\pi^e=(\int e^{-(cos\theta+i\sin\theta)}d\theta)^e$$

$$(\int e^{i\theta}d\theta)^e$$

This system use with Jone manifold and shanon entropy equation.

$$e^f\to f=1, x\log x=1, \int e^{-i\theta}d\theta=\pi^e$$

Antigravity equation also represet circle function.

$$\not\Box=2(\sin(ix\log x)+\cos(ix\log x))$$

Dalanversian ewquation also represent circle function.

$$\Box=\cos(ix\log x)-i\sin(ix\log x)$$

These function recicle with circle element of neipia number step function.

$$\int e^{-\Box}d\Box=\pi^e$$

$$x=\frac{C}{\log x}, C=\int\frac{1}{x^s}dx-\log x$$

Euler product represent with reverse of zeta function.

$$x^y=\frac{1}{y^x},\pi^e=\int e^{-\Box}d\Box=e^{\pi}\int e^{\not\Box}d\not\Box$$

These equations quaote with being represented with being emerged from beta function.

$$\Box=\not\Box\boxtimes\Phi\to\Box=\Phi\boxtimes\not\Box$$

$$\frac{d}{dl}\Box(H\Psi)^{\nabla},\Box\frac{d}{dl}(H\Psi)^{\nabla}$$

These function also emerge from global differential equation.

$$\beta^{\Box-\frac{\Box}{\log x}} = \beta^{\Box-\cancel{\Box}}$$

$$^{t}\!\!\not\!\!\!\iiint \frac{\nabla}{\nabla l}\Box(H\Psi)^{\nabla} d\nabla$$

Varint equation estimate with fundament function.

$$= \int \pi(\chi, \Box)^{\nabla} d\nabla$$

$$^{\vee}\!\!\not\!\!\!\iint \pi^{'}(\Box) d\nabla_m$$

These system recicle with this under enviroment of equation.

$$e^{\pi} = e^{\int e^{-x^2-y^2}} dxdy = x^y = \frac{1}{y^x} = \pi^e = \frac{1}{e^{\pi}} = \frac{1}{\int e^{-\Box} d\Box}$$

$$e^{\pi} = \frac{\int e^{-\Box} d\Box}{\int e^{\cancel{\Box}} d\cancel{\Box}}$$

$$\pi^e = e^{\pi} \int e^{\cancel{\Box}} d\cancel{\Box}$$

$$e^{\pi} = \frac{\pi^e}{\int e^{\cancel{\Box}} d\cancel{\Box}}$$

$$\pi^e = (\int e^{-(cos\theta + i\sin\theta)} d\theta)^e$$

$$\pi^e = \frac{1}{e^{\pi}} = \frac{1}{\int e^{-\Box} d\Box}$$

$$\cancel{\Box} = 2(\sin(ix\log x) + \cos(ix\log x))$$

$$\Box = \cos(ix\log x) - i\sin(ix\log x)$$

$$\int e^{-\Box} d\Box = \pi^e$$

This result with computation escourt with neipia number of step function, and circle element of pai also zeta function from logment system.

$$\log e^{\pi} = \log\left(\frac{\pi^e}{\int e^{\cancel{\Box}} d\cancel{\Box}}\right)$$

This section of equation also represent with pai number comment with dalanversian quato with anti-gravity equation.

$$\pi = \frac{\Box}{\not\Box}$$

And this result also represent with pai number represent with beta function of global integral manifold.

$$\pi = e^{\beta} \int \beta dx_m$$

And, spectium focus of pai number represent with logment function into being emerged from g of squart function, and this express with function escourt into rout of g conclude with zeta function, and universe of formula is pai of circle of reverse of formation. These system of idea estiy call neipia and circle element to resolve from being under computation.

$$\pi = \frac{1}{\log x} = \sqrt{g}$$

$$= 1 = \pi r^2, r = \frac{1}{\sqrt{\pi}}$$

$$\frac{1}{\sqrt{\pi}} = \sqrt{g}$$

$$\pi r^2 = \sqrt{g} r^2$$

After all, this system of neipia and pai number of step function represent with colmogoloph function.

$$\frac{1}{\sqrt{\pi}} = \int \frac{1}{\log x} dx, \sqrt{\pi} = \int \log x dx$$

This equation of facility estimate with fundamantal group of zeta function of being reverse of function, this function equal with antigravity and gravity equation from relate of global differential manifold escout into non-communitation of equation in pandle of pond system.

$$\pi(\chi, x) = [i\pi(\chi), f(x)]$$

$$i\pi(\chi, x) \circ f(x) = i \int x \log x dx, f(x) \circ \pi(\chi, x) = \int \frac{1}{(x \log x)} dx$$

This enter of facility equal with non-communitative equation.

$$\pi(\chi, x) = [i\pi(\chi), f(x)]$$

$$\pi(\chi, x) = \int x \log x dx$$

$$\pi(\chi, x) = \int \frac{1}{x \log x} dx$$

This of being up equation equal with same energy of entropy in imaginary and reality formula. And this system of feed enter with shanon entropy in pond of function. Moreover, this energy use imaginary pole to equal with integral of shanon entropy and integral of colmogloph entropy.

$$\pi(\chi, x) = i\pi(\chi, x), i \int x \log x dx \cong \int \frac{1}{(x \log x)} dx$$

$$\int \frac{1}{(x\log x)}dx = i\int x\log x dx - \int \frac{1}{(x\log x)}dx$$

This equation computative enter into being antigravity equation.

$$\int\int \frac{1}{(x\log x)^2}dx_m = \frac{1}{2}i$$

This system encall with global integral and differential manifold.

$$\frac{d}{df}F(x,y) = \frac{d}{df}\int\int \frac{1}{(x\log x)^2}dx_m + \frac{d}{df}\int\int \frac{1}{(y\log y)^{\frac{1}{2}}}dy_m$$

This result equation express imaginary number with degree of light element of formula.

$$i = x^{90^\circ}, x\sin 90^\circ = i$$

$$i = x^{\frac{1}{2}}, x = -1$$

This imaginary number of reverse is reverse of imaginary result with

$$\pi(\chi, x)^{f(x)} = i\int \frac{1}{(x\log x)} \circ f(x)dx$$

$$= i\int x\log x dx$$

$$^{f(x)}\pi(\chi, x) = {}^{f(x)}\int \frac{1}{(x\log x)}dx$$

$$= \int \frac{1}{(x\log x)}dx$$

$$iy = x\sin 90^\circ$$

This equation is

$$y = i, x = 1, ix = y$$

Imaginary pole resolve with Euler of equation. And, caltan idea enter with Imaginary rotationn and rout of system.

$$i\sin 90^\circ = -1$$

$$1\sin 90^\circ = i$$

This number system express imaginary of reverse pole in circle function with dalanversian and alearletter of relate equation.