Beta function equal with Abel manifold and AdS5 manifold equal with global varint manifold

Masaaki Yamaguchi

AdS5 manifold equation have with energy of universe splute of being from quark into universe of being the other dimension in gravity and anti-gravity around of beta function equal with abel manifold energy.

$$||ds^2|| = e^{-2\pi T||\psi||}[\eta + \bar{h}]dx^{\mu}dx^{\nu} + T^2d^2\Psi$$

$$||ds^2|| = {}^{t}\iiiint[\Box + \not\Box]\nabla\Box_m[I_m] + \beta(p,q)$$

This energy have with being step function system with gravity of beta function.

$$\beta^{\Box+\not\Box} = (e^{\Box} + e^{\not\Box})\int e^{\beta - \frac{1}{\log x}}dx_m$$

This global topology equal with Rich tesor of dammy of step function of darvergency formula with global differential manifold.

$$\frac{d}{dt}(\kappa T^{\mu\nu})^{\nabla} = \frac{d}{d\mathcal{R}}(R_{ij}^{\nabla})^{\oplus L}$$

$$\bigoplus(\frac{d}{dt}\kappa T^{\mu\nu\nabla})^{\oplus L} = \int \nabla r(R_{ij})^{\nabla}d\nabla_m$$

This result of equation equal colmogoloph manifold.

$$\frac{\Box}{\not\Box} = \int x\log x dx$$

$$\int \nabla\left(\frac{\Box}{\not\Box}\right)\mathrm{dvol} = \int x\log x dx_m$$

This also result of colomogloph manifold escout with global integral manifold.