Thurston Perelman manifold construct with eternal space

Masaaki Yamaguchi

$$\overset{t}{\iint} \Delta(\pi(\chi, x))[I_m]$$

Under equation is average of add and squart formula, dazanier equation is also Rich formula equation.

$$\overset{\mu\nu}{[\not\square/\nabla]} \quad , \ \nabla\!\!\!/ \otimes \Delta$$

$$\coprod, \sum(\sigma(H(\delta) \times K(\delta)))$$

Under equation also Fuck formula and D-brane, gravity and anti-gravity involved with D-brane, regular matrix of equation is also D-brane, variiint cut integral of quantum equation project with lang-chain system.

$$\nabla_i \nabla_j (\square \times \not\square) d\tau, \sqrt{x_m y_m}$$

$$\overline{\iint} \mathrm{cohomD}_\chi [I_m]$$

$$\bigotimes [S_{D\chi} \otimes h\nu]$$

Quantum physics of equation also construct with zeta function of small deprivation of minimal function, and daia formula of integral manifold also represent with quantum level of geometry function.

$$\ll i\hbar\psi || * ||H\Psi \gg$$

$$\int \Delta(\zeta) d\zeta$$

$$\oint\!\!\!\!\bigcirc (I_m)^{\nabla L}$$

$$-2 \int \frac{\nabla_i \nabla_j (R + \nabla_i \nabla_j f)}{\Delta(R + \Delta)} dm$$

And, these equation is Rich flow formula, and Sum and Cup of cap summative equation.

$$\Delta(F(\Delta) \times \Delta(G(\Delta))) = -(F(\Delta) \cup F(\Delta)) + (F(\Delta) \cap F(\Delta))$$

$$\sum \square(\nabla)[I_m] \not\nabla, [\nabla/\square], (\not\nabla +), \chi(x)$$

Therefore, these equation involved with secure product formula.

$$\pi || \int \nabla_i \nabla_j \int \nabla f d\eta||^2 = S^m \times S^{m-1}$$

Jones manifold revealed with these equation into being knot theory, beta and gamma function are means to mention of Fucks function.

$$\pi r^2 dr_m, (at - t^n + a) = e^f, \to \frac{\partial^{df}}{d} \frac{(e^f + e^{-f})}{(e^{-f} - e^f)}$$

$$e^f = at^n - t^{n-1} + {}_nC_r x^n y^{n-1}$$

This equation is fuck function from gamma function of global manifold.

$$\frac{1}{2} m t^2 - \in x^n y^{n-1} dx_m dy_m$$

Quantum level equation is between gravity and quantum equation with projection of regular matrix equation.

$$\ll i\hbar\psi| * |H\Psi \gg = \oint \not\square(\square\Psi) dm$$

$$\times([\pi(\chi, x), \downarrow]) = \chi(y| :\to x)$$

$$= \chi^{-1}(x) x \chi(y), \square\Psi = \not\nabla\pi|| \int [\times| : x \to y]||^2 d\tau$$

$$\square| : x \to f(x), \Psi([\pi(\chi, x), \uparrow]) = (\uparrow, \downarrow, \to, \leftarrow)$$

Gravity and anti-gravity conclude with projection of D-brane result.

$$\sigma(H(\delta) \times K(\delta)) = \not\iint d\not\boxtimes$$

After all, These equation based with Thurston Perelman manifold stand with eternal space from general relativity theory.