Fundemental group theory and gravity formula

Masaaki Yamaguchi

Open integral have belong with open integral fundement gravity in delanversian element own deprivation.

$$\boldsymbol{\nabla}\!\!\!\!\Delta = \oint_D M(\Box)d\Box$$

And, this gravity equal with fundemental group.

$$\oint_M \pi(\chi, x) = \oint_M [i\pi(\chi, x), f(x)]$$

$$M(\Box) = x^y + y^x + z^a + u^b + v^c = 0$$

Kalavi-Yau manifold.

$$\frac{1}{y} + \frac{1}{x} + \frac{1}{a} + \frac{1}{b} + \frac{1}{c} = 1$$

$$\boldsymbol{\nabla}\!\!\!\!\Delta = \oint_D M(\Box)dm, T = \Gamma^{'}(\gamma)dx_m$$

$$\Box = 2(\sin(ix\log x) + i\cos(ix\log x))$$

Circumstance have with gravity equation.

$$= \frac{d}{d\gamma}\Gamma$$

$$M = [i\pi(\chi, x), f(x)]$$

$$\Box = -\frac{16\pi G}{c^4}T^{\mu\nu}$$

Gamma function in partial gravity of deprivation.

$$= \kappa T^{\mu\nu}$$

These equation is concluded with general relativity theory.

D-brane are also constructed from Thurston Perelman manifold. More also, this equation is constructed with quantum formula.

$$\int E^{'}(\sigma)d\sigma = \nabla_i\nabla_j \bigoplus (H(\sigma) \otimes K(\sigma))\nabla\eta d\eta$$

$$\sigma = \int (h\nu)^{\nabla^{\oplus L}} d\Psi$$

Secure product is own have with quantum level of gravity equation.

$$\nabla\!\!\!\!\dashv (\Box(\nabla\psi)^{\nabla^{\oplus L}} = \int \Box^{'}(\nabla\psi)dx_m = \boxplus\Psi$$

$$x \boxtimes y = \bigoplus \nabla w$$
$$= (\boxtimes x)^{x+y}$$

Projection of equation have with box element and category theory.

$$(\bigoplus \nabla w) \boxtimes (\bigoplus \nabla w)$$
$$= \bigoplus (i\hbar^{\nabla})^{\oplus L}$$

Quantum level of space ideality equation also have with factor equation.

$$(\bigoplus (i\hbar^{\nabla})^{\oplus L} + m)(\bigoplus (i\hbar^{\nabla})^{\oplus L} + n) = \frac{L^{m+1}}{m+1} = \int (x-1)^{t-1} \cdot t^{x-1} dt$$
$$= \beta(p, q)$$

And these equation conclude with beta function.

$$\square^{\frac{x+y}{2} - \sqrt{x \cdot y}} = \square^{\ll o}$$
$$\square\Psi \boxtimes \square\Psi$$

Dalanversian equation of zeta function own have with average equation.

$$\boxtimes = \boxed{\top}, \boxed{\top}^{\frac{1}{2}} = \nabla\!\!\!\!+$$

Tunnel daiord of equation is belog with Jones manifold, and this equation also have belong with zeta function of value in deprivation of element.

$$\oint_{\square} \frac{Z(\zeta)}{h\nu} dx_{\zeta}$$

Under equations comment with Euler function of circumstance formula

$$= \oint_{\square} \frac{Z(\zeta)}{\log x} dx_{\zeta}$$
$$S = \pi \oint ||r^2|| dr$$
$$= \int e^{-x^2-y^2} dx dy \cdot \oint ||r^2|| dr$$
$$= 2\pi S$$
$$e^{2\pi r} = 1$$

After all, zeta function also mention to build with quantum element in circle function resolved from Gauss function.

$$\Gamma| : r \to \chi = \boldsymbol{\nabla}\!\!\!\!\mathrm{Y} \to \boxed{\mathrm{Y}} \to [\Delta, \nabla, d, \partial, \delta, dx_m]$$

$$\to Y| : m \to n$$

Gamma function also construct with deprivation of element.

$$\frac{d}{df}F(x,y) = \bigoplus[\frac{\pi(\chi,x)}{x\log x}dx_m + i\frac{\pi(\chi,x)}{x\log x}dy_m][I_m]$$

Higgs function of average equation equal with Cauchy function of Euler equation.

$$\forall[\int \pi(\chi,x)dx_m + \int^N \pi(\chi,x)dy_m][dI_m]$$

$$\int d⧖ = \int f(x)d(x\log x)$$

$$= F$$

$$⧖ = \frac{f}{x\log x}$$

After all, time of deprivate value is logment element.

Jones manifold estimate with space ideality from partial gamma function of integral formula to Higgs field dependent with quata equation.

$$\frac{e^f + e^{-f}}{e^f - e^{-f}} = \frac{\int \Gamma'(\gamma)dx_m}{m(x)}$$

$$\frac{d}{df}F(x,y) = m(x,y)$$

This equation also constructed with fundamental group of time scale value.

$$\Box_{k=prime}^{\infty} Z^{\ll D⧖}(\zeta)[I_m]$$

$$= \pi(⧖ \cdot ⧖, m)$$

Mebius formula is included with triple varint integral equation project with seed of pole annouce.

$${}^{t}\!\iiint_{D\chi}[\pi(\chi,x)| : x \to 2, | : y \to \infty][dI_m]$$

$$= \iiint[\frac{⧖_x \cdot \bar{⧖}_m - ⧖_y \cdot ⧖_n}{t - t_1}]d⧖_m$$

These equation equal with beta function.

$$\beta(p,q) = \forall[⧖_m|_{x,y} \cdot ⧖|_{x,y}] \times [\sigma(⧖)]$$

Thuston Perelman manifold are endeavor with being constructed from being stuggled to being mixin with mebius dimension.

$$E = K(\sigma) \otimes H(\sigma) = \beta^{-1}(x)x\beta(x)$$

Under equations are projection of fundament group from cross of operate to dalanversian equation being inervibled with gamma function of partial deprivation being deconstructed a gamma value into cauchy of zeta integral equation.

$$\boldsymbol{\nabla}| : \chi \to \nabla_i \nabla_j \Gamma^{'}(\gamma) d\gamma_{r_m}$$

$$\to \boldsymbol{\nabla} \Box \Psi$$

$$\Join (H \Psi_{D\chi})^{\ll D\psi}$$

$$= \oint \frac{Z^{'}(\zeta)}{2\pi i}[dN]$$

$$= \frac{[f(x)g^{'}(x) - g(x)f^{'}(x)] - [F(x)G(x)]}{x \log x}$$

$$= \frac{i\pi(\chi, x)}{\log x} = \Delta f - \nabla g$$

$$= (\frac{d}{dfFg}) \cdot (g(f))$$

$$\frac{\partial}{\partial f} F(x, y) = (F^f(x, y) f^{'}(x, y)$$

$$= \frac{\partial}{\partial f} F(g(x, y))$$

Under equation is constructed with time scale value of pair from star of quantum level to Jone manifold being explained with flow of time from universe to other dimension.

$$\oiint^N (\Join \cdot \overline{\Join})_D = \boldsymbol{\Delta}\ _{D\chi}(*^{\nabla})^{\ll D}$$

Particle operate emelite with fundament group of varint integral of quantum equation.

$$^t\!\!\iint_D \pi(\chi, x)_m = \ll |\emptyset| \cancel{\Box}| \gg$$

$$y = e^n, \text{if n select with prime number, then y is productivity number,}$$

neipia number times n is shanon entropy belong with. moreover, this times escourt into even number.

$$u = \frac{e^n}{\log 2}, \text{if } e^n \text{ select with } n = x \log x \text{ , then u sensevility have with zeta function}$$

After all, $x^{\frac{1}{2}+iy} = e^{x \log x}$ is zeta function. Zeta function also have with cauchy law equation.

$$\bowtie_{x=0}^{\infty} \Psi d\bowtie = {}^{t}\overline{\iint}_{D\chi}(f,g) \cdot (g^{-1}f^{-1}) d \bowtie$$

$$\square_{x=\phi}^{\infty}(i\hbar\psi) = \frac{\partial}{\partial\square}\cancel{\square}(H\Psi)^{\ll D\chi} = \Psi_x + \Psi_y \geq 2\sqrt{H\Psi_{xy}}$$

$$= \frac{d}{df}F(x,y)$$

$$\lim_{\bowtie \to \infty} \delta(x)[\oint\!\!\oint h d\bowtie] = \iint \text{cohom} D\chi[I_m]$$

$$\square(D\chi \cdot H\Psi) = \bigoplus(\pi(x,y),x)[I_m]$$