

# RELATION BETWEEN DAILY AVERAGE TEMPERATURE AND DAILY NUMBER OF CYCLISTS IN FARIA LIMA'S CYCLE PATH IN THE CITY OF SAO PAULO IN BRAZIL

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**Abstract** – The objective of this paper is to show how is the relation of the average temperature of the day and the daily number of cyclists riding on the Faria Lima's cycle path in Sao Paulo city in Brazil in this day, testing whether there is a linear relation between the two variables and using Pearson's correlation coefficient for this.

**Keywords** – Cyclists, Cycle paths, Data analysis

## I. INTRODUCTION

The big cities, such as city of Sao Paulo in Brazil have been constantly faced with problems related to the number of cars on the streets [1]. This shows the needs in encourage other modes of transport. In the last ten years, the number of cyclist in Sao Paulo city has increased sharply [2]. This increase has several reasons, such as public policies to encourage the use of alternatives ways of locomotion, for example, the bike.

The results obtained from this research are intended to provide more data for those who want to try to predict the behavior of the population in large cities.

## II. ORGANIZATION OF THE PAPER

This paper will be organized like follows:

- **How to obtain datasets:** will be described how to obtain in the internet the datasets used in the experiment;
- **Pre-processing of the data:** it is common that a dataset has some issues in its data, such as data missing and outliers. Will be described which issues were found in the datasets and how they were treated;
- **Analysis and presentation of the data:** What results were obtained in the analysis of the data, shown through graphs and tables;
- **Conclusion:** possibles inferences from the data and its interference as well as possible futures studies.

## III. EXPERIMENT

### A. Obtaining the data

The data used in this experiment are all public and were obtained in the website of responsible institution. They are composed of two datasets. One containing the daily number of cyclists passing in the counter installed on the cycle path of Faria Lima Avenue in the city of Sao Paulo and other, containing among other data, the daily average temperature of

the city. Both datasets are in .csv extension, that it is a tabular form of organise the data.

The following are the steps to get the datasets:

1) *Dataset of the number of cyclists:* The dataset of the number of cyclists in the Faria Lima's cycle path it is available on the page <https://data.eco-counter.com/public2/?id=100027495>. In this page it is possible select the desired period, since the start of counting on 18 January of 2016 to the current day. After select the period just click in button "export to csv" to download the .csv file. In this experiment the period chosen was from 18 January 2016 to 01 January 2020.

2) *Dataset of the temperature:* The dataset of temperature of the city of Sao Paulo it is available on the page <https://bdmep.inmet.gov.br/>. On the page it is necessary click in the "prosseguir", on the next page it is asked to enter an email address which one the dataset will be sent. After this, some settings must be made to set which variables will be included in the file as well as the desired period. Once all the settings have been set, the file will be sent to the email. In this experiment the period of the data which was from 1 January 2016 to 01 January 2022.

3) *Both Datasets:* Other way to obtain the datasets used in this experiment is through the link <https://www.github.com/mascarenhasav/master/tree/main/courses/experimental-design-in-computer-science/report-1>, where the files of number of cyclists and temperature were named respectively as "faria-lima.csv" and "temperature-sp.csv".

### B. Pre-processing

Before effectively starting the data analysis, it was made a pre-processing of the data. This is important, because allows to identify some issues with the dataset, such as, missing data, input error, incompatibility. For the purpose of this article, the period considered in data analysis was from 18 January 2018 to 1 January 2020. This choice was made mainly to avoid abrupt behavior caused by the Covid 19. It was noticed that there is two days missing in dataset of number of cyclists, the day 10 march 2016 and 15 November 2017. The approach to this missing data was remove this two days in the dataset of the temperature, so that the number of days in both dataset would be the same. Once the data period is selected and there is no more issues with then, it becomes possible to analyse the data.

### C. Analysis and presentation

There are a number of possible approaches to do the relation of average daily temperature and the daily number of cyclists. Naturally, many factors can influence the numbers, such as the day of the week, if it is a weekend, a holiday, and if it is raining or not. As a first analysis, will be make a relation without any of this considerations, which would allow to see if the temperature is one of the major factor. The Figure 1 shows the daily number of cyclists vs daily average temperature. As it is possible notice, visually, there is no clear linear relation between the two variables.

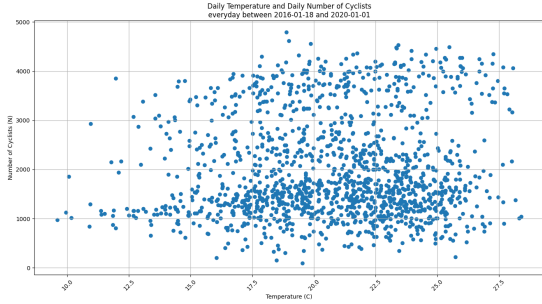


Fig. 1. Daily number of cyclists vs Daily average temperature everyday between 18 January 2016 and 01 January 2020.

The idea is evaluate the Pearson's correlation coefficient of daily number of cyclists and daily average temperature. This coefficient measure a statistical relation between two continuous variables [3]. It can be a range of values which goes from -1 to +1, in this scale, a zero value indicates no association between the variables, as well a positive value indicates a positive relation, which means that if one variable grows, the other grows too. On the other hand, if the coefficient turns out to be a negative value, means that if one variable decreases the other also decreases. Then, calculate the confidence interval of this coefficient with 95% of confidence, which represents a level of certainty about our estimate [4]. The Table 1 shows an interpretation about the values which correlation coefficient can assume.

**TABLE I**  
**Interpretation of Correlation coefficient**

Correlation coefficient	Correlation strength	Correlation type
-.7 to -1	Very strong	Negative
-.5 to -.7	Strong	Negative
-.3 to -.5	Moderate	Negative
0 to -.3	Weak	Negative
0	None	Zero
0 to .3	Weak	Positive
.3 to .5	Moderate	Positive
.5 to .7	Strong	Positive
.7 to 1	Very strong	Positive

Firstly, was considered the data representing all days between 18 January 2016 and 01 January 2022, so the number of samples (n) is 1443. Following are the steps to calculate the Pearson's correlation coefficient and its Confidence interval.

- Correlation coefficient:

It will be used the following formula:

$$r_{xy} = \frac{n \sum xy - \sum x \sum y}{\sqrt{[n \sum x^2 - (\sum x)^2][n \sum y^2 - (\sum y)^2]}} \quad (1)$$

where:

- $r_{xy}$  - correlation coefficient;
- $n$  - number of samples;
- $x$  - number of cyclists;
- $y$  - temperature.

And the value found was  $r_{xy} = 0.064$ .

- Confidence interval:

To calculate the confidence interval, It starts with the Fisher transformation:

$$z_r = \frac{1}{2} \log \frac{1+r}{1-r} \quad (2)$$

Then calculates the lower and upper confidence limits with:

$$r_L = \frac{\exp(2z_L) - 1}{\exp(2z_L) + 1} \quad (3)$$

and

$$r_U = \frac{\exp(2z_U) - 1}{\exp(2z_U) + 1} \quad (4)$$

where:

$$z_L = z_r - z_{1-\alpha/2} \sqrt{\frac{1}{n-3}} \quad (5)$$

and

$$z_U = z_r + z_{1-\alpha/2} \sqrt{\frac{1}{n-3}} \quad (6)$$

with  $\alpha = 0.05$ . This value of  $\alpha$  represents a 95% of confidence interval.

And the values found was  $r_L = 0.006$  and  $r_U = 0.121$ .

As the value of the correlation coefficient was close to zero, it reinforces the visual idea that there is no strong linear relation between this two variables and taking a look at Table I it is possible to see that the value of correlation coefficient implies in a weak correlation of type positive.

In order to mitigate some influences, as a natural variation according to the day of the week, the same graph and calculations were made but considering only specific day of the week, in this case, the Wednesdays. And following are the results:

- Correlation coefficient:

The value found was  $r_{xy} = 0.130$ .

- Confidence interval:

The values found was  $r_L = -0.023$  and  $r_U = 0.277$ .

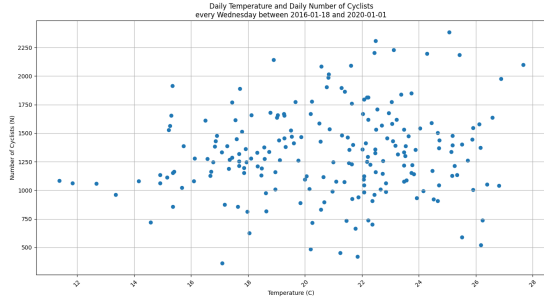


Fig. 2. Daily number of cyclists vs Daily average temperature every Wednesday between 18 January 2016 and 01 January 2020.

The value of the correlation coefficient is higher than the previous one, but still close to zero which implies a low linear correlation between the two variables, this value according to Table I it is considered a weak relation of the type positive. In Table II it is possible to see the correlation coefficient as well the confidence interval and number of samples to each day of the week, where it is possible to see that none of them have a strong or even moderate value for the linear correlation coefficient.

**TABLE II**  
Correlation coefficient per the day of the week

Day of the week	Correlation coefficient	Confidence interval	N Samples
Mondays	0.060	[-0.093;0.210]	207
Tuesdays	0.047	[-0.106;0.197]	206
Wednesdays	0.130	[-0.023;0.277]	206
Thursdays	0.192	[0.041;0.334]	206
Fridays	0.014	[-0.139;0.165]	206
Saturdays	0.036	[-0.117;0.187]	206
Sundays	0.091	[-0.062;0.240]	206

#### D. Other representations

In possession of the data, it is possible to do some other graphs, which allow to see others way that the variables are related to each other and can help interpret the data in another way. In the following will be showed line graphs and bar graphs of everyday and all Wednesdays between 18 January 2016 and 01 January 2020. First, in Figure 3 a line graph of all data with two y-axes, along the time.

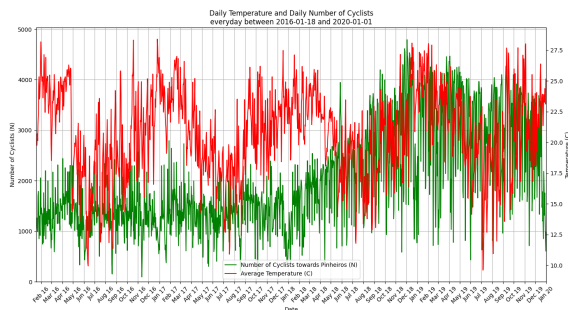


Fig. 3. Daily number of cyclists and Daily average temperature vs Time everyday between 18 January 2016 and 01 January 2020.

It is not so easy realize some relation of the variables in this type of graph. An easily observed characteristic is the temperature variation according to the seasons.

Now a bar graph of this same conditions:

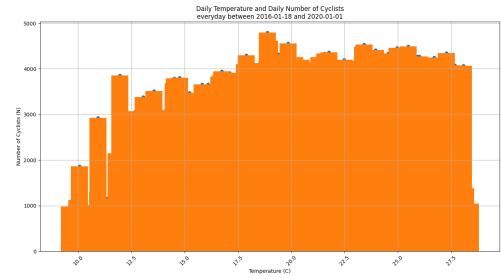


Fig. 4. Daily number of cyclists vs Daily average temperature everyday between 18 January 2016 and 01 January 2020.

In this graph it is possible notice some interesting things, such as the behavior of the bars for temperatures lower than 20°C. This behavior is much closer to a linear relation than for temperatures greater than 20°C. Here, the same two graph but considering only the Wednesdays:

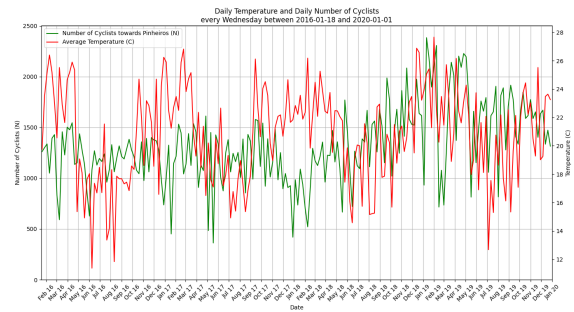


Fig. 5. Daily number of cyclists and Daily average temperature vs Time every Wednesday between 18 January 2016 and 01 January 2020.

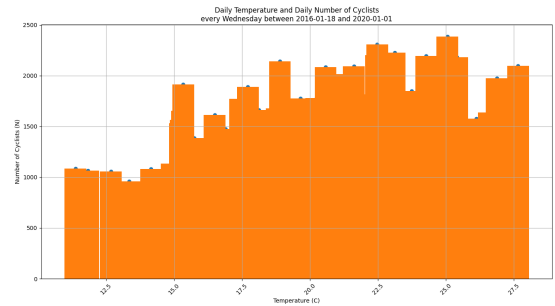


Fig. 6. Daily number of cyclists vs Daily average temperature every Wednesday between 18 January 2016 and 01 January 2020.

#### IV. OTHER INSTRUCTIONS

All these graphs and calculations were made by a python script. This script is available in the same link to access the datasets <https://github.com/mascarenhasav/master/tree/main/courses/experimental-design-in-computer-science/report-1> named code.py. This script allows to choice the time period which the data will be considered, if it will be everyday in this period or only one day of the week and a

cut-off temperature which will be taken into account only the data with temperature lower than that.

## V. CONCLUSIONS

The values obtained in the analysis, it is suggests that there is not a linear relation between the daily average temperature and daily number of cyclists in Faria Limas's Cycle path. Given that the parameter used, the Pearson's correlation coefficient, had a value close to zero, which implies that there is a weak, practically null, linear relation between the considered variables.

However, considerations must be taken into account, because it can have a considerable influence in the results. Some of the main ones that would be interesting to be considered in future studies are:

- **Average Temperature:** It was considered the average temperature of the day, and it can vary greatly throughout the day, not reflecting very well the temperature in the moment when the cyclist is leaving home, a moment that could possibly influence the cyclist's decision.
- **Rain:** Rain is a factor that is likely to have a great influence in the cyclist's decision. So, even the temperature is high, if it is raining, there is a big chance that the cyclist will not leaving home by bike.

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