

Inertial + Floorplan Localization Using CRF

Paper

This implementation is based on the researches done on the following papers,

[1] Z. Xiao, H. Wen, A. Markham, και N. Trigoni, 'Lightweight map matching for indoor localisation using conditional random fields', στο IPSN-14 proceedings of the 13th international symposium on information processing in sensor networks, 2014, σσ. 131–142.

[2] J. Zhang, M. Ren, P. Wang, J. Meng, και Y. Mu, 'Indoor localization based on VIO system and three-dimensional map matching', Sensors, τ. 20, τχ. 10, σ. 2790, 2020.

Note that due to unavailability of exact dataset used for above researchers, I had to use following dataset and convert that accordingly.

[3] S. Herath, S. Irandoost, B. Chen, Y. Qian, P. Kim, και Y. Furukawa, 'Fusion-DHL: WiFi, IMU, and Floorplan Fusion for Dense History of Locations in Indoor Environments', στο 2021 IEEE International Conference on Robotics and Automation (ICRA), 2021, σσ. 5677–5683.

Theory

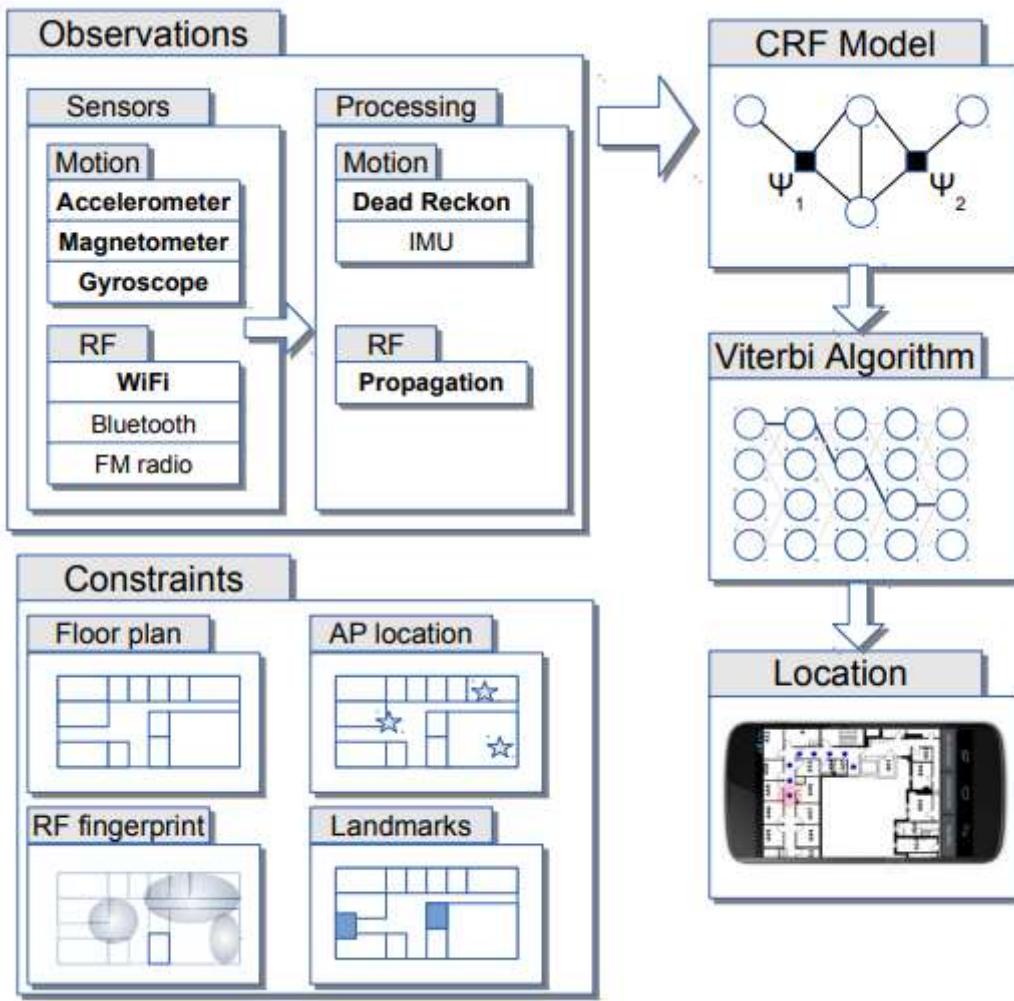
In this notebook, I am going to implement indoor localization mechanism using Linear Chain Conditional Random Fields. By using this model we can predict location of a user when starting position, IMU observations (velocity vectors) and floorplan of the building is given.

Inputs,

- Starting Position - (Meters In X direction(TopLeft|LeftRight), Meters In Y direction(TopLeft|TopBottom))
- Sequence of Velocity Vectors Captured In Small Time Range (20 seconds) : Velocity_Values(ms-1), Velocity_Angles(radian)
- Graph of Floorplan

Overall Architecture

Here is the overall system architecture



The input is a velocity vector observed using IMU data $Z = \{Z_0, \dots, Z_T\}$, and the task is to predict a sequence of states $S = \{S_0, \dots, S_T\}$ given input Z .

Viterbi Algorithm

We use Viterbi algorithm, which can dynamically solve the optimal state points sequence that is most likely to produce the currently given observation value sequence. The solution steps of Viterbi algorithm are as follows:

- (1) Initialization: Compute the non-normalized probability of the first position for all states, where m is the number of states.

$$\delta_1(j) = w \cdot F_1(y_0 = \text{start}, y_1 = j, x) \quad j = 1, 2, \dots, m,$$

- (2) Recursion: Iterate through each state from front to back, find the maximum value of the non-normalized probability of each state $i = 1, 2, \dots, m$ at position $i = 2, 3, \dots, n$, and record the state sequence label $\Psi_i(i)$ with the highest probability.

$$\delta_i(l) = \max_{1 \leq j \leq m} \{\delta_{i-1}(j) + w \cdot F_i(y_{i-1} = j, y_i = l, x)\} \quad l = 1, 2, \dots, m,$$

$$\Psi_i(l) = \operatorname{argmax}_{1 \leq j \leq m} \{\delta_{i-1}(j) + w \cdot F_i(y_{i-1} = j, y_i = l, x)\} \quad l = 1, 2, \dots, m,$$

(3) When $i = n$, we obtain the maximum value of the non-normalized probability and the terminal of the optimal state points sequence

$$\max_y (w \cdot F(y, x)) = \max_{1 \leq j \leq m} \delta_n(j),$$

$$y_n^* = \operatorname{argmax}_{1 \leq j \leq m} \delta_n(j),$$

(4) Calculate the final state points output sequence

$$y_i^* = \Psi_{i+1}(y_{i+1}^*) \quad i = n-1, n-2, \dots, 1,$$

(5) Finally, the optimal sequence of state points is as follows:

$$y^* = (y_1^*, y_2^*, \dots, y_n^*)^T.$$

Defined F and W

We can use w and $F(y, x)$ to represent the weight vector and the global state transfer function vector.

$$w = (w_1, w_2, \dots, w_K)^T$$

$$F(y, x) = (f_1(y, x), f_2(y, x), \dots, f_K(y, x))^T I(Y_{t-1}, Y_t)$$

where $I(Y_{t-1}, Y_t)$ is an indicator function equal to 1 when states Y_{t-1} and Y_t are connected and 0 otherwise.

We use two functions f1 and f2

$$f_1(y_t, y_{t-1}, x_t^d) = \ln \frac{1}{\sigma_d \sqrt{2\pi}} - \frac{(x_t^d - d(y_{t-1}, y_t))^2}{2\sigma_d^2}$$

where x_{dt} is the Euclidean distance between two consecutive observations, $d(y_{t-1}, y_t)$ is the Euclidean distance between two consecutive state points, and σ_d^2 is the variance of the distance in the observation data.

$$f_2(y_t, y_{t-1}, x_t^\theta) = \ln \frac{1}{\sigma_\theta \sqrt{2\pi}} - \frac{(x_t^\theta - \theta(y_{t-1}, y_t))^2}{2\sigma_\theta^2}$$

where $x_{\theta t}$ is the orientation of two consecutive observations, $\theta(y_{t-1}, y_t)$ is the orientation between two consecutive state points, and σ_θ^2 is the variance of the orientation in the observation data.

Load Libraries

```
In [1]: import pandas as pd
from matplotlib import image
from matplotlib import pyplot as plt
from math import cos, asin, sqrt, pi, atan2
```

Data Preprocessing

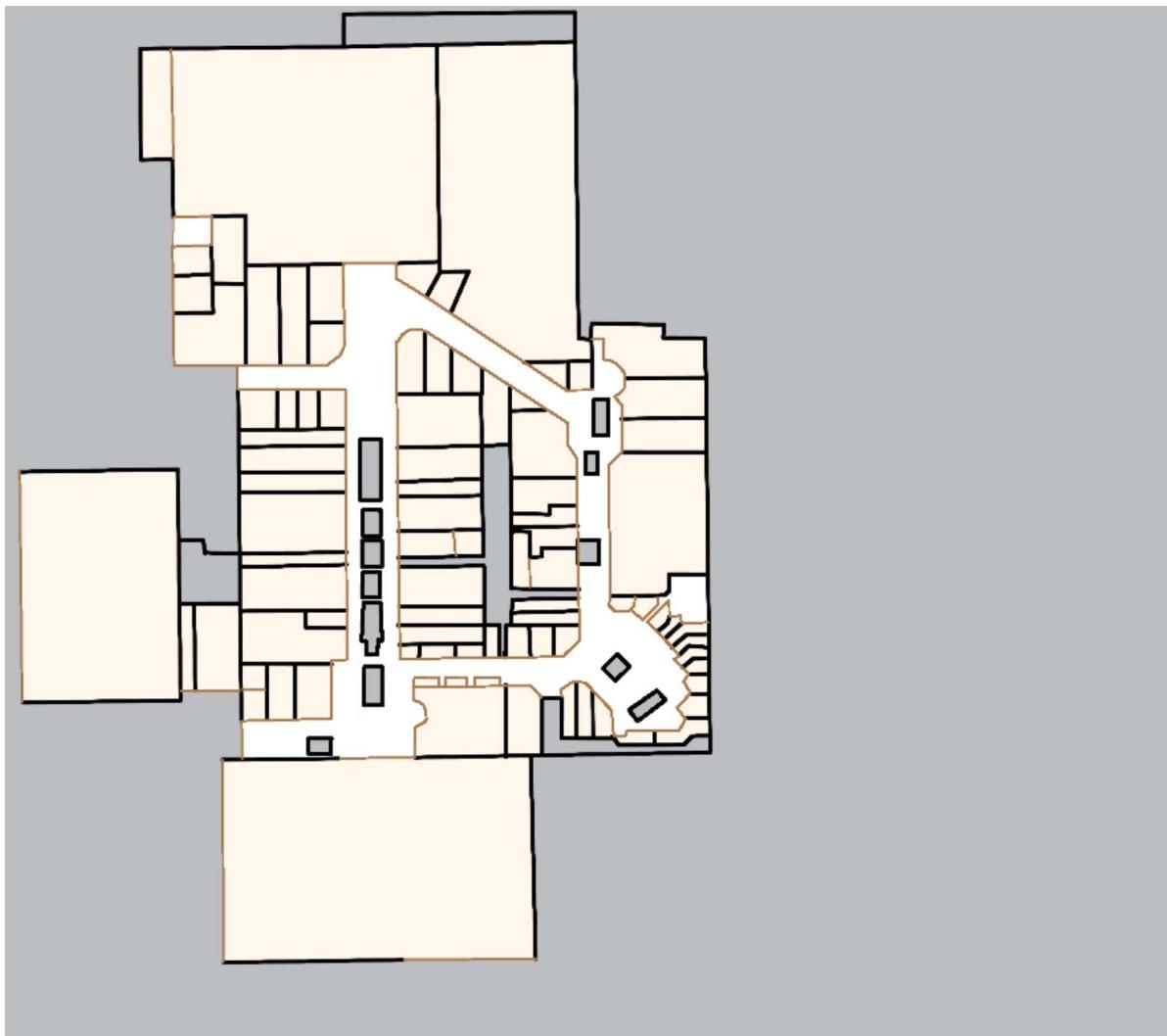
Here are units we use,

- location coordinates (x,y) : In pixels
- angle : radian
- distance - meter
- velocity - meter per second

Prepare Floorplan

For this we use Lougheed Floorplan

2.5 Pixels = 1 m



Here are the constraints,

Coordinate Center - (TOP LEFT, LR-> X+, TB -> Y+)

- Top Left (TL) - (0,0) in pixels, (49.252463,-122.897553) in Lat,Lon
- Bottom Left (BL) - (0,776) in pixels, (49.249681,-122.897553) in Lat,Lon
- Top Right (TR) - (887,0) in pixels, (49.252463,-122.892735) in Lat,Lon
- Bottom Right (BR) - (887,776) in pixels, (49.249681,-122.892735) in Lat,Lon

Now Let's load data we have. For this we use Fusion Location Provider's Data. (Which is in file FLP)

Load Data Set 1

```
In [2]: dataset1 = pd.read_csv("dataset1.csv")
df1=pd.DataFrame(dataset1)
df1.head()
```

Out[2]:	Column1	Column2	Column3	Column4	Column5	Column6	Column7	Column8	Column9
0	422.225000	49.250524	-122.896379	21.393999	35.099998	4.599998	150.599854	0.0	0.21425
1	423.342410	49.250518	-122.896356	20.046000	35.099998	4.599998	121.818413	0.0	0.62112
2	424.343861	49.250517	-122.896350	19.625999	35.099998	4.599998	114.648056	0.0	0.52525
3	425.345205	49.250519	-122.896352	18.134001	35.099998	4.599998	105.172920	0.0	0.26757
4	426.340767	49.250519	-122.896351	17.996000	35.099998	4.599998	101.856239	0.0	0.19438

Load Data Set 2

```
In [3]: dataset2 = pd.read_csv("dataset2.csv")
df2=pd.DataFrame(dataset2)
df2.head()
```

Out[3]:	Column1	Column2	Column3	Column4	Column5	Column6	Column7	Column8	Column9
0	4214.342792	49.251212	-122.896010	8.834	39.699997	4.700001	97.656136	0	0.0009
1	4215.344235	49.251207	-122.896008	8.408	39.699997	4.700001	95.627380	0	0.0012
2	4216.343776	49.251202	-122.896005	7.797	39.699997	4.700001	96.607895	0	0.0013
3	4216.973000	49.251198	-122.896002	7.536	35.099998	4.700001	95.984741	0	0.0020
4	4218.344638	49.251190	-122.896000	7.042	35.099998	4.700001	130.190704	0	0.0003

Concat Two Datasets

```
In [4]: df_merged=pd.concat([df1,df2])
df_merged.reset_index(inplace=True, drop=True)
df_merged.head()
```

Out[4]:	Column1	Column2	Column3	Column4	Column5	Column6	Column7	Column8	Column9
0	422.225000	49.250524	-122.896379	21.393999	35.099998	4.599998	150.599854	0.0	0.21425
1	423.342410	49.250518	-122.896356	20.046000	35.099998	4.599998	121.818413	0.0	0.62112
2	424.343861	49.250517	-122.896350	19.625999	35.099998	4.599998	114.648056	0.0	0.52525
3	425.345205	49.250519	-122.896352	18.134001	35.099998	4.599998	105.172920	0.0	0.26757
4	426.340767	49.250519	-122.896351	17.996000	35.099998	4.599998	101.856239	0.0	0.19438

Get Dataframe Informations

```
In [5]: print(df1.shape[0])
print(df2.shape[0])
print(df_merged.shape[0])
```

986

747

1733

Select Only required data

```
In [6]: sub_df=df_merged[['Column1','Column2','Column3']]
sub_df = sub_df.rename(columns={'Column1': 'TimeStamp', 'Column2': 'Latitude','Column3': 'Longitude'})
print(sub_df.shape[0])
sub_df.head()
```

1733

	TimeStamp	Latitude	Longitude
0	422.225000	49.250524	-122.896379
1	423.342410	49.250518	-122.896356
2	424.343861	49.250517	-122.896350
3	425.345205	49.250519	-122.896352
4	426.340767	49.250519	-122.896351

However we can't deal with Latitude and Longitude, We have to convert it to pixels or meters.

```
In [7]: # Calculate X direction,
# X direction -- Longitude
# X's Plus direction = Longitude's Plus Direction

# Calculate Y direction,
# Y direction -- Latitude
# Y's Plus direction = Latitude's Negative Direction

X_0_in_longitude=-122.897553
Y_0_in_latitude=49.252463
pixelspermeter=2.5
number_of_node_in_graph=30

# Distance between Two Lat,Lon

def distanceLatLonInMeters(lat1, lon1, lat2, lon2):
    p = pi/180
    a = 0.5 - cos((lat2-lat1)*p)/2 + cos(lat1*p) * cos(lat2*p) * (1-cos((lon2-lon1)*p))
    return 12742000 * asin(sqrt(a))

x_dir_pixels=[]
y_dir_pixels=[]
x_dir_meters=[]
y_dir_meters=[]

for tuple in sub_df.itertuples():
    meters_in_x_direction=abs(distanceLatLonInMeters(Y_0_in_latitude,X_0_in_longitude,tuple[2],tuple[3]))
    meters_in_y_direction=abs(distanceLatLonInMeters(Y_0_in_latitude,X_0_in_longitude,tuple[1],tuple[3]))

    pixels_in_x_direction=round(meters_in_x_direction*2.5)
    pixels_in_y_direction=round(meters_in_y_direction*2.5)
```

```

x_dir_pixels.append(pixels_in_x_direction)
y_dir_pixels.append(pixels_in_y_direction)

x_dir_meters.append(meters_in_x_direction)
y_dir_meters.append(meters_in_y_direction)

##print(pixels_in_x_direction,pixels_in_y_direction,meters_in_x_direction,meters_i

updated_df=sub_df.copy()
updated_df["Pixels In X Direction"] = x_dir_pixels
updated_df["Pixels In Y Direction"] = y_dir_pixels
updated_df["Meters In X Direction"] = x_dir_meters
updated_df["Meters In Y Direction"] = y_dir_meters

```

Let's see updated dataframe

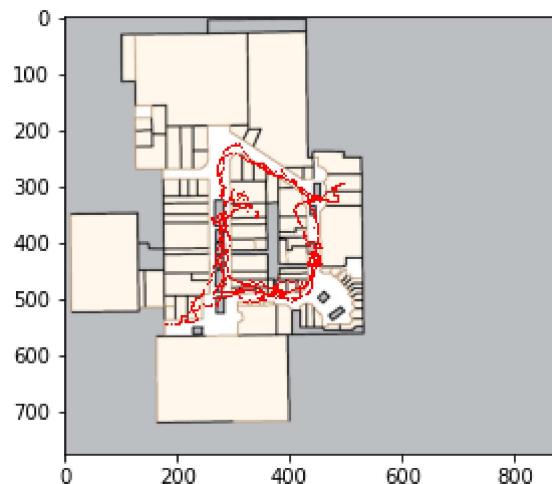
In [8]: `updated_df.head()`

Out[8]:

	TimeStamp	Latitude	Longitude	Pixels In X Direction	Pixels In Y Direction	Meters In X Direction	Meters In Y Direction
0	422.225000	49.250524	-122.896379	213	539	85.208858	215.606966
1	423.342410	49.250518	-122.896356	217	541	86.878209	216.274132
2	424.343861	49.250517	-122.896350	218	541	87.313688	216.385327
3	425.345205	49.250519	-122.896352	218	540	87.168528	216.162941
4	426.340767	49.250519	-122.896351	218	540	87.241094	216.162941

Load Image and Mark Visited Areas

In [9]: `floorplan0 = image.imread('lougeed_00 - Copy.png')
plt.imshow(floorplan0)
for row in updated_df.itertuples():
 plt.plot(row[4],row[5] , marker='.', color="red")
plt.savefig('visited_areas.png', bbox_inches='tight')
plt.show()`



Now We can see that the area where measurements are taken

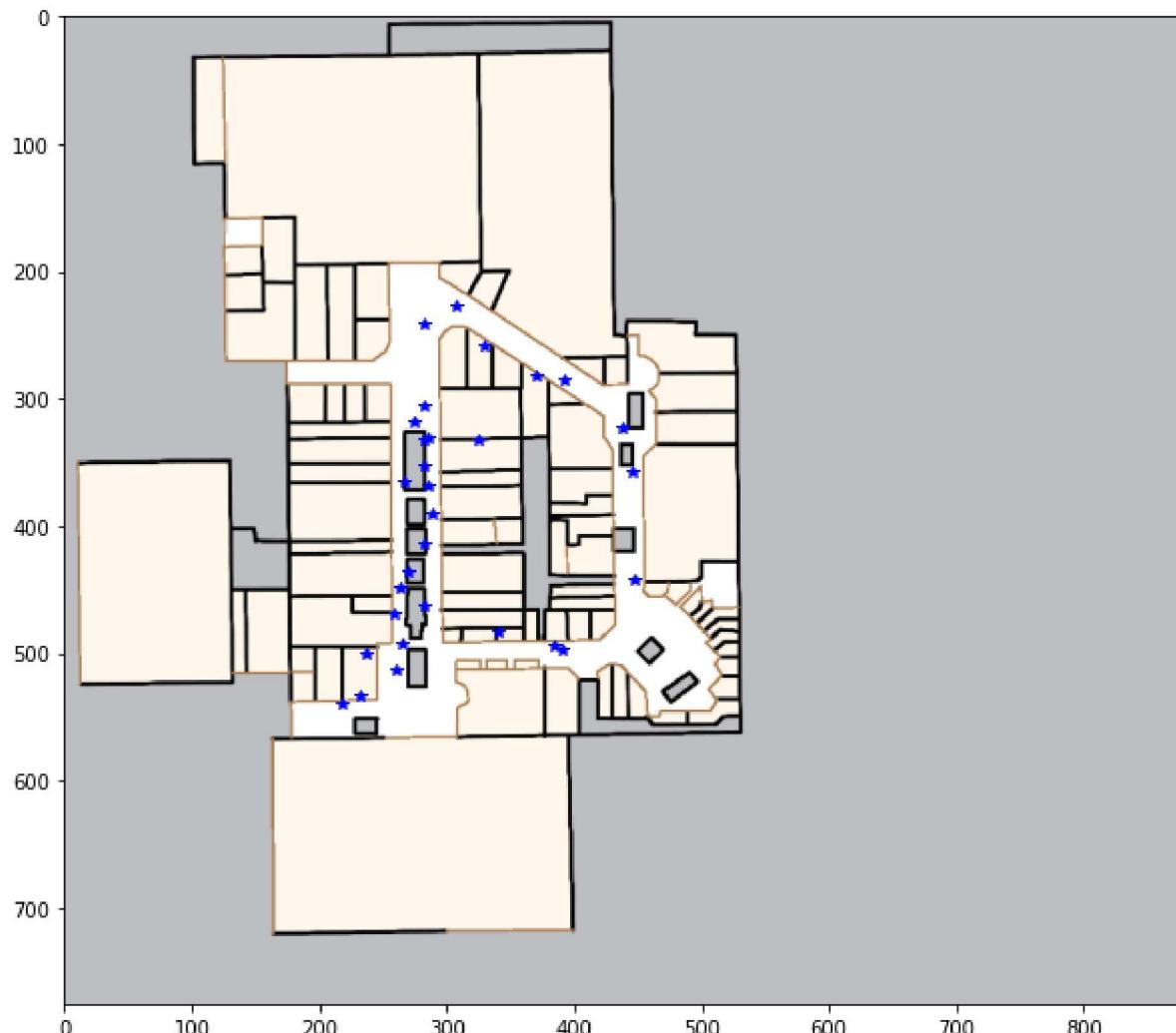
Now let's select random points to create graphs. In here we should **create several connected graph and give them unique graph ids**. However, the map we selected contains only one connected graph.

After drawing several map graphs found that random state 31 gives best graph, but need some adjustments.

```
In [10]: graph=[] # contains list of dictionaries which has fields namely -> "nodeid", "x_dir_pixels", "y_dir_pixels", "connected_graph_id"
randomly_selected_subset=updated_df.sample(n = number_of_node_in_graph, random_state = 31)
i=0
for row in randomly_selected_subset.itertuples():
    graph.append({"nodeid":i,"x_dir_pixels":row[4],"y_dir_pixels":row[5],"connected_graph_id":i})
    i+=1
```

Let's draw graph,

```
In [11]: floorplan1 = image.imread('lougeed_00 - Copy.png')
plt.figure(figsize = (10,10))
plt.imshow(floorplan1)
for row in graph:
    plt.plot(row["x_dir_pixels"],row["y_dir_pixels"] , marker='*', color="blue")
plt.show()
```



Doing Adjustments

```
In [12]: graphtable=pd.DataFrame(graph)
graphtable
```

```
Out[12]:   nodeid  x_dir_pixels  y_dir_pixels  connected_graph_id
```

	nodeid	x_dir_pixels	y_dir_pixels	connected_graph_id
0	0	392	285	G1
1	1	283	353	G1
2	2	445	357	G1
3	3	447	442	G1
4	4	325	333	G1
5	5	308	228	G1
6	6	283	415	G1
7	7	237	500	G1
8	8	265	493	G1
9	9	269	436	G1
10	10	261	513	G1
11	11	258	470	G1
12	12	390	498	G1
13	13	341	483	G1
14	14	263	449	G1
15	15	266	366	G1
16	16	275	319	G1
17	17	282	463	G1
18	18	282	306	G1
19	19	384	494	G1
20	20	286	331	G1
21	21	283	332	G1
22	22	285	369	G1
23	23	218	540	G1
24	24	438	323	G1
25	25	289	390	G1
26	26	329	259	G1
27	27	232	534	G1
28	28	371	283	G1
29	29	282	242	G1

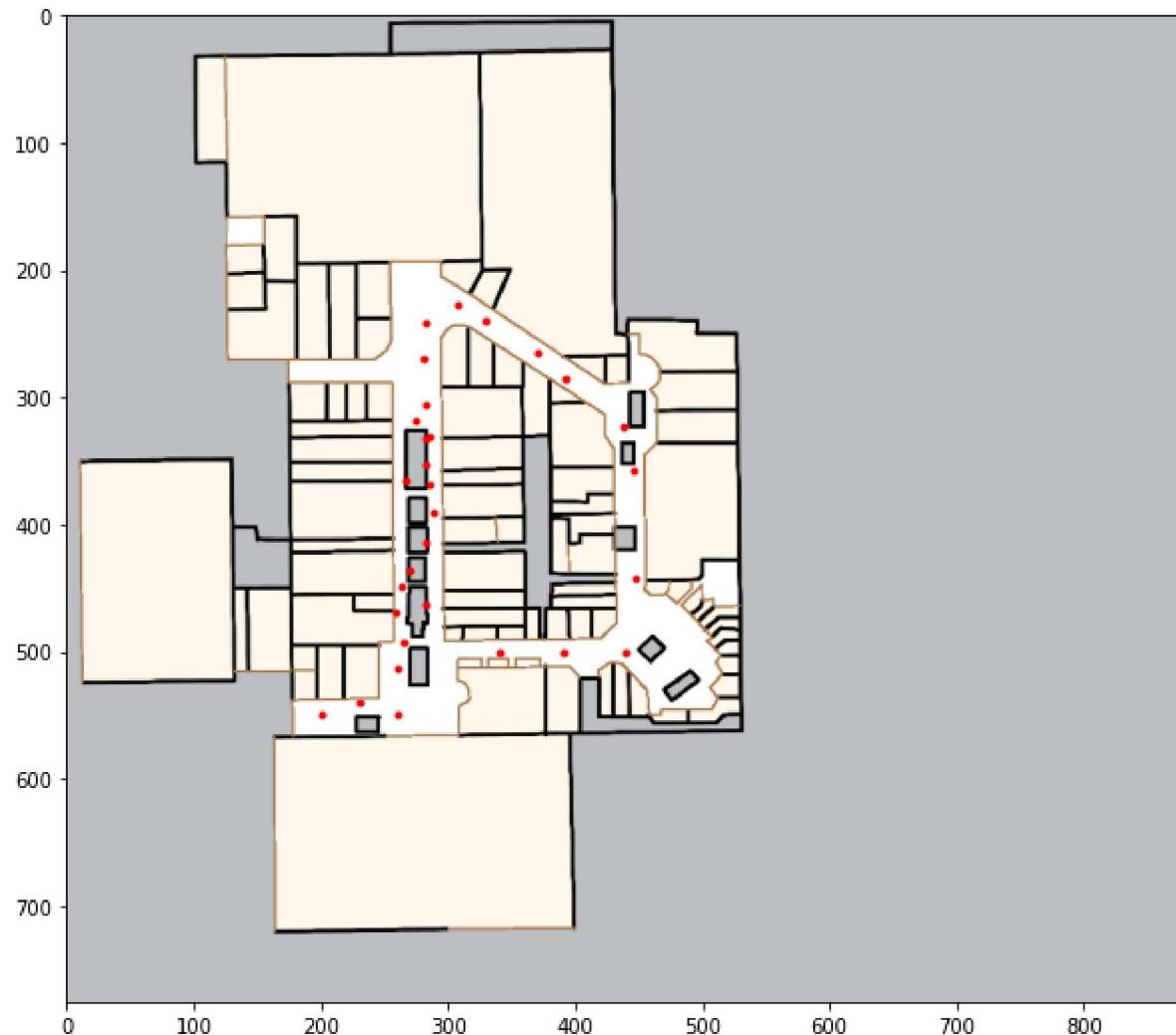
```
In [13]: graph=[{'nodeid': 0, 'x_dir_pixels': 392, 'y_dir_pixels': 285, 'connected_graph_id': 'G1'}]
graphtable=pd.DataFrame(graph)
graphtable
```

Out[13]:

	nodeid	x_dir_pixels	y_dir_pixels	connected_graph_id
0	0	392	285	G1
1	1	283	353	G1
2	2	445	357	G1
3	3	447	442	G1
4	4	280	270	G1
5	5	308	228	G1
6	6	283	415	G1
7	7	260	550	G1
8	8	265	493	G1
9	9	269	436	G1
10	10	261	513	G1
11	11	258	470	G1
12	12	390	500	G1
13	13	341	500	G1
14	14	263	449	G1
15	15	266	366	G1
16	16	275	319	G1
17	17	282	463	G1
18	18	282	306	G1
19	19	440	500	G1
20	20	286	331	G1
21	21	283	332	G1
22	22	285	369	G1
23	23	230	540	G1
24	24	438	323	G1
25	25	289	390	G1
26	26	329	240	G1
27	27	200	550	G1
28	28	371	265	G1
29	29	282	242	G1

Draw Updated Graph

```
In [14]: floorplan1 = image.imread('louheed_00 - Copy.png')
plt.figure(figsize = (10,10))
plt.imshow(floorplan1)
for row in graph:
    plt.plot(row["x_dir_pixels"],row["y_dir_pixels"] , marker='.', color="red")
plt.savefig('floor_plan_graph.png', bbox_inches='tight')
plt.show()
```



Now we have successfully created a graph for the floor plan

Prepare DataSet

Let's revisit updated_df

```
In [15]: updated_df
```

Out[15]:

	TimeStamp	Latitude	Longitude	Pixels In X Direction	Pixels In Y Direction	Meters In X Direction	Meters In Y Direction
0	422.225000	49.250524	-122.896379	213	539	85.208858	215.606966
1	423.342410	49.250518	-122.896356	217	541	86.878209	216.274132
2	424.343861	49.250517	-122.896350	218	541	87.313688	216.385327
3	425.345205	49.250519	-122.896352	218	540	87.168528	216.162941
4	426.340767	49.250519	-122.896351	218	540	87.241094	216.162941
...
1728	5139.091000	49.250493	-122.896482	194	548	77.733134	219.053999
1729	5139.592000	49.250492	-122.896509	189	548	75.773474	219.165203
1730	5140.198000	49.250492	-122.896525	187	548	74.612179	219.165203
1731	5140.773000	49.250491	-122.896546	183	548	73.088002	219.276392
1732	5141.852000	49.250491	-122.896573	178	548	71.128362	219.276392

1733 rows × 7 columns

Define Helper Functions

In [16]:

```
def calcVelocityVal(prev_row, row):
    distance=sqrt((row[6]-prev_row[6])**2+(row[7]-prev_row[7])**2)
    timediff=row[1]-prev_row[1]
    return distance/timediff

def calcVelocityAngle(prev_row, row):
    return atan2(row[7]-prev_row[7], row[6]-prev_row[6])

def calcNearestState(row):

    currentNearestStateID=None
    minDistance=float('inf')

    for points in graph:

        stateid=points["nodeid"]
        distanceToState=sqrt((points['y_dir_pixels']-row[5])**2+(points['x_dir_pixels']

        if distanceToState<=minDistance:
            minDistance=distanceToState
            currentNearestStateID=stateid
    return currentNearestStateID
```

Now let's calculate velocities and nearest states

In [17]:

```
velocity_value=["N/A"]
velocity_angle=["N/A"]
nearest_state=["N/A"]
isValid=[]
prev_row=None
```

```

for row in updated_df.itertuples():

    # Process First Value
    if row[0]==0:
        prev_row=row
        isValid.append(0)
        continue

    timediff=row[1]-prev_row[1]
    if timediff>2:
        isValid.append(0)
    else:
        isValid.append(1)

    velocity_value.append(calcVelocityVal(prev_row,row))
    velocity_angle.append(calcVelocityAngle(prev_row,row))
    nearest_state.append(calcNearestState(row))
    prev_row=row

updated_df["Velocity_Value"]=velocity_value
updated_df["Velocity_Angle"]=velocity_angle
updated_df["Nearest_State"]=nearest_state
updated_df["isValid"]=isValid

```

Let's check new dataframe

In [18]: updated_df

Out[18]:

	TimeStamp	Latitude	Longitude	Pixels In X Direction	Pixels In Y Direction	Meters In X Direction	Meters In Y Direction	Velocity_Value
0	422.225000	49.250524	-122.896379	213	539	85.208858	215.606966	N/A
1	423.342410	49.250518	-122.896356	217	541	86.878209	216.274132	1.608839
2	424.343861	49.250517	-122.896350	218	541	87.313688	216.385327	0.448801
3	425.345205	49.250519	-122.896352	218	540	87.168528	216.162941	0.265213
4	426.340767	49.250519	-122.896351	218	540	87.241094	216.162941	0.07289
...
1728	5139.091000	49.250493	-122.896482	194	548	77.733134	219.053999	1.150133
1729	5139.592000	49.250492	-122.896509	189	548	75.773474	219.165203	3.917791
1730	5140.198000	49.250492	-122.896525	187	548	74.612179	219.165203	1.916328
1731	5140.773000	49.250491	-122.896546	183	548	73.088002	219.276392	2.657787
1732	5141.852000	49.250491	-122.896573	178	548	71.128362	219.276392	1.816163

1733 rows × 11 columns

Now lets created filtered dataframe which only contains, required columns and valid values

```
In [19]: filtered_df=updated_df.copy()
filtered_df=filtered_df[filtered_df['isValid'] == 1]
filtered_df=filtered_df[['TimeStamp","Meters In X Direction","Meters In Y Direction",'Velocity_Value','Velocity_Angle','Nearest_State']]
filtered_df.reset_index(inplace=True, drop=True)
filtered_df.head()
```

Out[19]:

	TimeStamp	Meters In X Direction	Meters In Y Direction	Velocity_Value	Velocity_Angle	Nearest_State
0	423.342410	86.878209	216.274132	1.608839	0.38021	23
1	424.343861	87.313688	216.385327	0.448801	0.249999	23
2	425.345205	87.168528	216.162941	0.265213	-2.149096	23
3	426.340767	87.241094	216.162941	0.07289	0.0	23
4	427.343544	87.241094	216.162941	0.0	0.0	23

Let's check first index of second data set

```
In [20]: print(filtered_df.loc[873:877])
```

	TimeStamp	Meters In X Direction	Meters In Y Direction	Velocity_Value	Velocity_Angle	Nearest_State
873	1724.342825	104.732868	145.887755	0.494914		
874	1725.344916	105.531256	146.888500	1.277529		
875	4215.344235	112.136031	139.660827	0.573771		
876	4216.343776	112.353760	140.216800	0.597361		
877	4216.973000	112.571511	140.661598	0.787062		

```
In [21]: first_index_of_second_set=875
```

Now Let's create a dataset

```
In [22]: data=[]
for row in filtered_df.loc[19:first_index_of_second_set-1].itertuples():
    datadict={}
    start_x = filtered_df.loc[row[0]-19][1]
    start_y = filtered_df.loc[row[0]-19][2]
    state = row[6]
    datadict["startX"]=start_x
    datadict["startY"]=start_y
    i=0
    for subrow in filtered_df.loc[row[0]-19:row[0]].itertuples():
        datadict["velocity_value_"+str(i+1)]=subrow[4]
        i+=1
    j=0
    for subrow in filtered_df.loc[row[0]-19:row[0]].itertuples():
        datadict["velocity_angle_"+str(j+1)]=subrow[5]
        j+=1
```

```

        datadict["currentState"] = state
        data.append(datadict)

prepared_dataset1 = pd.DataFrame(data)
prepared_dataset1

```

Out[22]:

	startX	startY	velocity_value_1	velocity_value_2	velocity_value_3	velocity_value_4	velc
0	86.878209	216.274132	1.608839	0.448801	0.265213	0.072890	
1	87.313688	216.385327	0.448801	0.265213	0.072890	0.000000	
2	87.168528	216.162941	0.265213	0.072890	0.000000	0.072421	
3	87.241094	216.162941	0.072890	0.000000	0.072421	2.113376	
4	87.241094	216.162941	0.000000	0.072421	2.113376	0.826399	
...
851	108.869936	146.999699	0.716452	1.070863	0.316556	0.332816	
852	108.507033	146.443721	1.070863	0.316556	0.332816	0.379091	
853	108.361861	146.221317	0.316556	0.332816	0.379091	0.717360	
854	107.998976	146.221317	0.332816	0.379091	0.717360	0.866805	
855	107.636062	146.110143	0.379091	0.717360	0.866805	0.687368	

856 rows × 43 columns

In [23]:

```

data = []
for row in filtered_df.loc[first_index_of_second_set: ].itertuples():
    datadict = {}
    start_x = filtered_df.loc[row[0]-19][1]
    start_y = filtered_df.loc[row[0]-19][2]
    state = row[6]
    datadict["startX"] = start_x
    datadict["startY"] = start_y
    i = 0
    for subrow in filtered_df.loc[row[0]-19:row[0]].itertuples():
        datadict["velocity_value_" + str(i+1)] = subrow[4]
        i += 1
    j = 0
    for subrow in filtered_df.loc[row[0]-19:row[0]].itertuples():
        datadict["velocity_angle_" + str(j+1)] = subrow[5]
        j += 1

    datadict["currentState"] = state
    data.append(datadict)

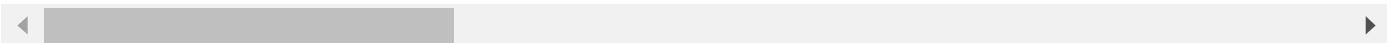
prepared_dataset2 = pd.DataFrame(data)
prepared_dataset2

```

Out[23]:

	startX	startY	velocity_value_1	velocity_value_2	velocity_value_3	velocity_value_4	velc
0	107.055423	146.110143	0.717360	0.866805	0.687368	0.868035	
1	106.547363	146.554919	0.866805	0.687368	0.868035	1.374921	
2	106.039313	147.222090	0.687368	0.868035	1.374921	1.548056	
3	105.894149	146.777309	0.868035	1.374921	1.548056	1.219290	
4	106.039313	145.887755	1.374921	1.548056	1.219290	0.698860	
...
673	82.450823	214.050235	0.263278	0.427974	0.170369	0.143115	
674	82.305671	214.272627	0.427974	0.170369	0.143115	0.106922	
675	82.233092	214.495019	0.170369	0.143115	0.106922	0.286135	
676	82.160495	214.606212	0.143115	0.106922	0.286135	0.841608	
677	82.160495	214.717411	0.106922	0.286135	0.841608	0.420555	

678 rows × 43 columns



In [24]:

```
final_prepared_dataset=pd.concat([prepared_dataset1,prepared_dataset2])
final_prepared_dataset.reset_index(inplace=True, drop=True)
final_prepared_dataset
```

Out[24]:

	startX	startY	velocity_value_1	velocity_value_2	velocity_value_3	velocity_value_4	velc
0	86.878209	216.274132	1.608839	0.448801	0.265213	0.072890	
1	87.313688	216.385327	0.448801	0.265213	0.072890	0.000000	
2	87.168528	216.162941	0.265213	0.072890	0.000000	0.072421	
3	87.241094	216.162941	0.072890	0.000000	0.072421	2.113376	
4	87.241094	216.162941	0.000000	0.072421	2.113376	0.826399	
...
1529	82.450823	214.050235	0.263278	0.427974	0.170369	0.143115	
1530	82.305671	214.272627	0.427974	0.170369	0.143115	0.106922	
1531	82.233092	214.495019	0.170369	0.143115	0.106922	0.286135	
1532	82.160495	214.606212	0.143115	0.106922	0.286135	0.841608	
1533	82.160495	214.717411	0.106922	0.286135	0.841608	0.420555	

1534 rows × 43 columns



Save Outcomes

Now let's save our results

```
In [25]: graphtable.to_csv("floor_plan_graph.csv", encoding='utf-8', index=False)
final_prepared_dataset.to_csv("final_prepared_dataset.csv", encoding='utf-8', index=False)
```