

#2. SAS code:

```
proc glm data = trout;
    title "Problem 2 Analysis: Hemoglobin & Code";
    class code;
    model hemoglobin = code;
    lsmeans code / cl;
    contrast "Contrast 1" Code 1 -1 0 0;
    contrast "Contrast 2" Code 0 -1 1 0;
run;
```

Output (exercepted):

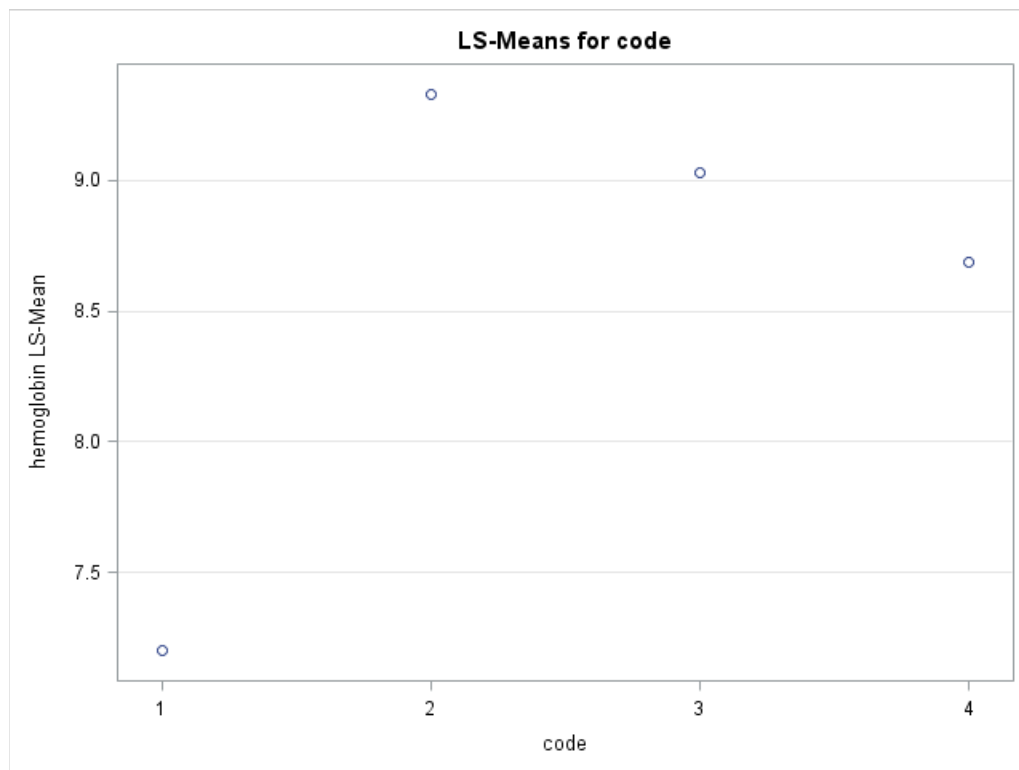
Problem 2 Analysis: Hemoglobin & Code

The GLM Procedure

Dependent Variable: hemoglobin

Source	DF	Sum of Squares	Mean Square	F Value	Pr > F
Model	3	26.80275000	8.93425000	5.70	0.0027
Error	36	56.47100000	1.56863889		
Corrected Total	39	83.27375000			

code	hemoglobin LSMEAN	95% Confidence Limits	
1	7.200000	6.396752	8.003248
2	9.330000	8.526752	10.133248
3	9.030000	8.226752	9.833248
4	8.690000	7.886752	9.493248



Problem 2 Analysis: Hemoglobin & Code

The GLM Procedure

Dependent Variable: hemoglobin

Contrast	DF	Contrast SS	Mean Square	F Value	Pr > F
Contrast 1	1	22.68450000	22.68450000	14.46	0.0005
Contrast 2	1	0.45000000	0.45000000	0.29	0.5955

#3. SAS code:

```
proc glm data = batteries;  
  title "Problem 3 Analysis: Battery life and brand and temperature";  
  class brand temperature;  
  model life = brand|temperature;  
  lsmeans brand|temperature / cl;  
  contrast "Redundant contrast?" brand*temperature 1 -1 -1 1;  
  contrast "Contrast 3" brand 1 -1;  
  contrast "Contrast 4" temperature 1 -1;  
run;
```

Output (excerpted):

Problem 3 Analysis: Battery life and brand and temperature

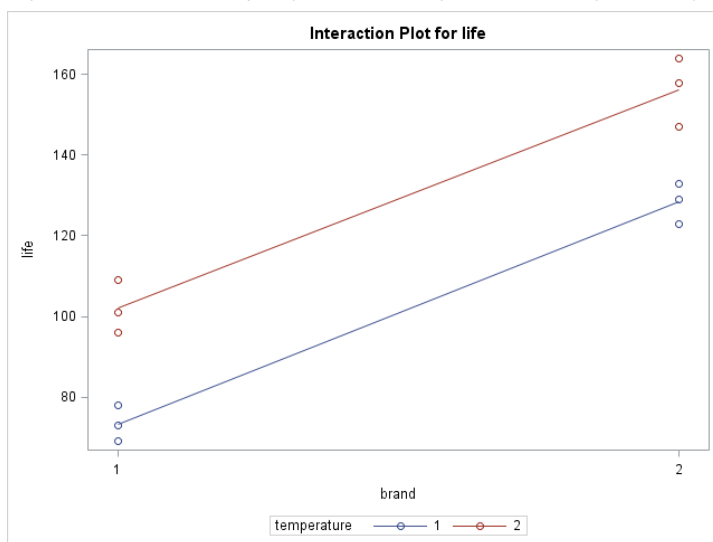
The GLM Procedure

Dependent Variable: life

Source	DF	Sum of Squares	Mean Square	F Value	Pr > F
Model	3	11374.00000	3791.33333	93.04	<.0001
Error	8	326.00000	40.75000		
Corrected Total	11	11700.00000			

R-Square	Coeff Var	Root MSE	life Mean
0.972137	5.550933	6.383573	115.0000

Source	DF	Type I SS	Mean Square	F Value	Pr > F
brand	1	8965.333333	8965.333333	220.01	<.0001
temperature	1	2408.333333	2408.333333	59.10	<.0001
brand*temperature	1	0.333333	0.333333	0.01	0.9302



Problem 3 Analysis: Battery life and brand and temperature

The GLM Procedure
Least Squares Means

brand	life LSMEAN
1	87.666667
2	142.333333

temperature	life LSMEAN
1	100.833333
2	129.166667

...

Problem 3 Analysis: Battery life and brand and temperature

The GLM Procedure
Dependent Variable: life

Contrast	DF	Contrast SS	Mean Square	F Value	Pr > F
Test contrast	1	0.333333	0.333333	0.01	0.9302
Contrast 3	1	8965.333333	8965.333333	220.01	<.0001
Contrast 4	1	2408.333333	2408.333333	59.10	<.0001

R Code and Output

#2

Problem 2

```
> setwd("C:/Users/Melissa/Dropbox (Personal)/STA 674/exam 2") #Path
> library(multcomp)
> library(emmeans)
> hemoglobin = read.csv("hemoglobin.csv", header = T)
>
> Code = as.factor(hemoglobin$Code)
> Hemoglobin = hemoglobin$Hemoglobin
> Hemoglobin = data.frame(Code, Hemoglobin)
>
> #Part b
> model_2 = lm(Hemoglobin~Code-1, data = Hemoglobin)
> anova(model_2)
```

Analysis of Variance Table

Response: Hemoglobin

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Code	4	2959.46	739.86	471.66	< 2.2e-16 ***
Residuals	36	56.47	1.57		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```
>
> #Part c
> model_2c = lm(Hemoglobin~Code, data = Hemoglobin)
> code_ls = lsmeans(model_2c, ~(Code))
>
> code_ls
  Code lsmean      SE df lower.CL upper.CL
1     7.20 0.396 36     6.40     8.00
2     9.33 0.396 36     8.53    10.13
3     9.03 0.396 36     8.23     9.83
4     8.69 0.396 36     7.89     9.49
```

Confidence level used: 0.95

```
>
> #Contrast 1
> L1 <- matrix(c(1,-1,0,0),1)
> L.1 <- glht(model_2, linfct=mcp(Code=L1))
> summary(L.1)
```

Simultaneous Tests for General Linear Hypotheses

Multiple Comparisons of Means: User-defined Contrasts

Fit: lm(formula = Hemoglobin ~ Code - 1, data = Hemoglobin)

Linear Hypotheses:

	Estimate	Std. Error	t value	Pr(> t)
1 == 0	-2.1300	0.5601	-3.803	0.000534 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
(Adjusted p values reported -- single-step method)

```
>
> #Contrast 2
> L2 <- matrix(c(0,-1,1,0),1)
> L.2 <- glht(model_2, linfct=mcp(Code=L2))
> summary(L.2)
```

Simultaneous Tests for General Linear Hypotheses

Multiple Comparisons of Means: User-defined Contrasts

Fit: `lm(formula = Hemoglobin ~ Code - 1, data = Hemoglobin)`

Linear Hypotheses:

	Estimate	Std. Error	t value	Pr(> t)
1 == 0	-0.3000	0.5601	-0.536	0.596

(Adjusted p values reported -- single-step method)

#3

Problem 3

```
> batterytemp = read.csv("batterytemp.csv", header = T)
>
> Brand = as.factor(batterytemp$Brand)
> Temp = as.factor(batterytemp$Temp)
> Minutes = batterytemp$Minutes
> Batterytemp = data.frame(Brand,Temp,Minutes)
>
>
> model_3 = lm(Minutes~Brand + Temp + Brand*Temp, data = Batterytemp)
> anova(model_3)
```

Analysis of Variance Table

Response: Minutes

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
Brand	1	8965.3	8965.3	220.0082	4.203e-07 ***
Temp	1	2408.3	2408.3	59.1002	5.810e-05 ***
Brand:Temp	1	0.3	0.3	0.0082	0.9302
Residuals	8	326.0	40.7		

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```
>
> #Brand
> batt_brand = lsmeans(model_3, 'Brand')
```

```
> batt_brand
  Brand lsmean    SE df lower.CL upper.CL
1      87.7 2.61  8    81.7    93.7
2     142.3 2.61  8   136.3   148.3
```

Results are averaged over the levels of: Temp
Confidence level used: 0.95

```
>
> #Temp
> batt_temp = lsmeans(model_3, 'Temp')
```

```
> batt_temp
  Temp lsmean    SE df lower.CL upper.CL
1     101 2.61  8    94.8    107
2     129 2.61  8   123.2    135
```

Results are averaged over the levels of: Brand
Confidence level used: 0.95

```
>
> #Contrast3
> pairs(batt_brand)
  contrast estimate    SE df t.ratio p.value
```

```
1 - 2      -54.7 3.69  8 -14.833 <.0001
```

Results are averaged over the levels of: Temp

```
> #Contrast4
```

```
> pairs(batt_temp)
```

contrast	estimate	SE	df	t.ratio	p.value
1 - 2	-28.3	3.69	8	-7.688	0.0001

Results are averaged over the levels of: Brand