Maxwell
equations
applied to Mie
scattering
theory

GONIN Alexis

Maxwell equations applied to Mie scattering theory

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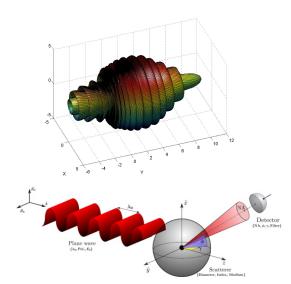
University of Strasbourg

24th of Mars

Mie scattering theory

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Objectives

Maxwell
equations
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theory

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- Learn to use feel++ CFPDE
- Create a simple model to simulate Mie theory.
- improve incrementaly the model

Maxwell equations

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$$\operatorname{div}(\vec{E}) = \frac{\rho}{\epsilon_0} \qquad \operatorname{rot}(\vec{E}) = -\frac{\partial \vec{B}}{\partial t}$$
 (Maxwell-Gauss) (Maxwell-Faraday)

$$\begin{aligned} \operatorname{div}(\vec{B}) &= 0 & \operatorname{rot}(\vec{B}) &= \mu_0 \vec{J} + \frac{1}{c^2} \frac{\partial \vec{E}}{\partial t} \\ \text{(Maxwell-Flux)} & \text{(Maxwell-Ampère)} \end{aligned}$$

Modeling incrementation

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- 1 wave 1 particle
- 2D / 3D
- non spherical particle
- multiple particles/waves

- Feel++
 - Coefficient forms in PDE (Partial Differential Equation)
 - •

$$\frac{\partial \textbf{\textit{u}}}{\partial \textbf{\textit{t}}} + \nabla \cdot \left(-c \nabla \textbf{\textit{u}} - \alpha \textbf{\textit{u}} + \gamma \right) + \beta \cdot \nabla \textbf{\textit{u}} + \textbf{\textit{a}} \textbf{\textit{u}} = \textbf{\textit{f}} \text{ dans } \Omega$$

- gmsh
- Paraview

Biblio

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