### Part 1

1.

```
[] 1 print("Gini of data is ", gini(data))
Gini of data is 0.4628099173553719

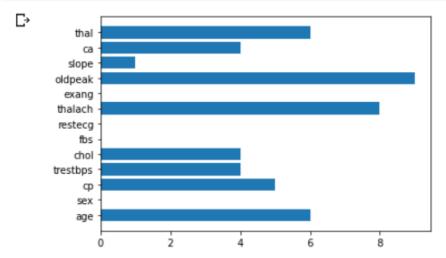
1 print("Entropy of data is ", entropy(data))
Entropy of data is 0.9456603046006401
```

### 2-1.

# Depth 10 suffers from overfitting.

# 2-2.

0.78 0.76



# 4.

```
[ ] 1 es_ten = AdaBoost(10)
2 es_hun = AdaBoost(100)
```

#### ▼ Question 4.1

Show the accuracy score of test data by n\_estimators=10 and n\_estimators=100, respectively.

```
[ ] 1 print(es_ten.accuracy, es_hun.accuracy)
0.78 0.78
```

# 5-1.

# 5-2.

```
[26] 1 clf_random_features = RandomForest(10, np. sqrt(x_train. shape[1]), True, 'gini',

None ,x_train, y_train, x_test, y_test)

3 clf_all_features = RandomForest(10, x_train. shape[1], True, 'gini',

None ,x_train, y_train, x_test, y_test)
```

• Note: Use majority votes to get the final prediction, you may get slightly different results when re-building the random forest model

```
1 print(clf_random_features.accuracy, clf_all_features.accuracy)

0.82 0.77
```

# 6.

```
1 best_result = RandomForest(20, np. sqrt(x_train. shape[1]), True, 'entropy',
2 3 ,x_train, y_train, x_test, y_test)
3 print(best_result.accuracy)

C> 0.86
```

## Part 2

```
/. A: (300, 100) \rightarrow class /
            (100, 300) -> class 2
       mis classification = 100 x 400 + 100 x 400 = 1
      cross-entropy =- 1 (4/0924+ 3/0924)-1 (3/09.3+ 4/094)=0.811
      B= (200, 400) -> class 2
           (200, 0) -> class 1
     mis dassification: \frac{200}{600} \times \frac{600}{200} + \frac{0}{200} \times \frac{200}{200} = \frac{1}{4}
    cross-entropy: -\frac{3}{4}(\frac{1}{3}\log_{\frac{1}{3}}+\frac{2}{3}\log_{\frac{2}{3}})-\frac{1}{4}(1\log_{\frac{1}{3}})=0.689
   Gini-index: \frac{3}{4}(1-\frac{1}{9}-\frac{4}{9})+\frac{1}{4}(1-1)=\frac{1}{3}
     0.689 < 0.811 and \frac{1}{3} < \frac{3}{8} = > both criteria are lower
```

2. 
$$E_{x,t}[e^{-tyx}] = \int_{t}^{t} \int_{e^{-tyx}}^{e^{-tyx}} p(t|x) p(x) dx$$

$$= \int_{t}^{t} \left[e^{-tyx}\right] p(t|x) + e^{y(x)} p(t|x) \int_{t}^{t} p(x) dx$$

Let 
$$e^{y(x)} = M$$
,  $p(t=1|x) = E = p(t=-1|x) = 1-E$ 

To minimize the function,  $\frac{\mathcal{E}}{\mathcal{M}} + \mathcal{M}(1-\mathcal{E})$  should be minimal

$$=) \int_{-\infty}^{\infty} \frac{\left[\frac{\varepsilon}{m} + \mu(1-\varepsilon)\right]}{\int_{-\infty}^{\infty}} = -\varepsilon \cdot \mu^{-2} + (1-\varepsilon) = 0$$

$$= 7 M = \left(\frac{\xi}{1-\xi}\right)^{\frac{1}{2}}$$

$$= y(x) = \ln\left(\frac{\varepsilon}{1-\varepsilon}\right)^{\frac{1}{2}}$$

$$= \frac{1}{2}\ln\left(\frac{\varepsilon}{1-\varepsilon}\right)$$

$$= \frac{1}{2}\ln\frac{p(t=1|x)}{p(t=1|x)}$$
#