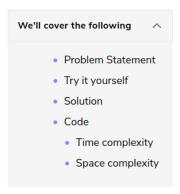
Subsets (easy)



Problem Statement

Given a set with distinct elements, find all of its distinct subsets.

Example 1:

```
Input: [1, 3]
Output: [], [1], [3], [1,3]
```

Example 2:

```
Input: [1, 5, 3]
Output: [], [1], [5], [3], [1,5], [1,3], [5,3], [1,5,3]
```

Try it yourself

Try solving this question here:

Solution

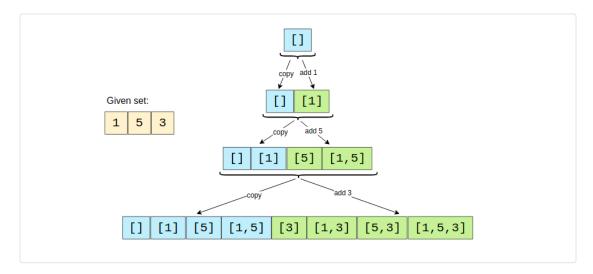
To generate all subsets of the given set, we can use the **Breadth First Search (BFS)** approach. We can start with an empty set, iterate through all numbers one-by-one, and add them to existing sets to create new subsets.

Let's take the example-2 mentioned above to go through each step of our algorithm:

Given set: [1, 5, 3]

- 1. Start with an empty set: [[]]
- 2. Add the first number (1) to all the existing subsets to create new subsets: [[], [1]];
- 3. Add the second number (5) to all the existing subsets: [[], [1], [5], [1,5]];
- 4. Add the third number (3) to all the existing subsets: [[], [1], [5], [1,5], [3], [1,3], [5,3], [1,5,3]].

Here is the visual representation of the above steps:



Since the input set has distinct elements, the above steps will ensure that we will not have any duplicate subsets.

Code 1

Here is what our algorithm will look like:

Time complexity

Since, in each step, the number of subsets doubles as we add each element to all the existing subsets, therefore we will have a total of $O(2^N)$ subsets where 'N' is the total number of elements in the input set

And since we construct a new subset from an existing set, therefore, the time complexity of the above algorithm will be $O(N*2^N)$.

Space complexity

All the additional space used by our algorithm is for the output list. Since we will have a total of $O(2^N)$ subsets, and each subset can take up to O(N) space, therefore, the space complexity of our algorithm will be $O(N*2^N)$.

