

## Solution Review: Problem Challenge 1

### We'll cover the following ^

- Search Bitonic Array (medium)
- Solution
- Code
  - Time complexity
  - Space complexity

## Search Bitonic Array (medium) #

Given a Bitonic array, find if a given 'key' is present in it. An array is considered bitonic if it is monotonically increasing and then monotonically decreasing. Monotonically increasing or decreasing means that for any index `i` in the array `arr[i] != arr[i+1]`.

Write a function to return the index of the 'key'. If the 'key' is not present, return -1.

### Example 1:

```
Input: [1, 3, 8, 4, 3], key=4
Output: 3
```

### Example 2:

```
Input: [3, 8, 3, 1], key=8
Output: 1
```

### Example 3:

```
Input: [1, 3, 8, 12], key=12
Output: 3
```

### Example 4:

```
Input: [10, 9, 8], key=10
Output: 0
```

## Solution #

The problem follows the **Binary Search** pattern. Since Binary Search helps us efficiently find a number in a sorted array we can use a modified version of the Binary Search to find the 'key' in the bitonic array.

Here is how we can search in a bitonic array:

1. First, we can find the index of the maximum value of the bitonic array, similar to [Bitonic Array Maximum](#). Let's call the index of the maximum number `maxIndex`.
2. Now, we can break the array into two sub-arrays:
  - Array from index '0' to `maxIndex`, sorted in ascending order.
  - Array from index `maxIndex+1` to `array_length-1`, sorted in descending order.
3. We can then call **Binary Search** separately in these two arrays to search the 'key'. We can use the same [Order-agnostic Binary Search](#) for searching.

## Code #

Here is what our algorithm will look like:

Java Python3 C++ JS

```
1 def search_bitonic_array(arr, key):
2     maxIndex = find_max(arr)
3     keyIndex = binary_search(arr, key, 0, maxIndex)
4     if keyIndex != -1:
5         return keyIndex
6     return binary_search(arr, key, maxIndex + 1, len(arr) - 1)
7
8
9 # find index of the maximum value in a bitonic array
10 def find_max(arr):
11     start, end = 0, len(arr) - 1
12     while start < end:
13         mid = start + (end - start) // 2
14         if arr[mid] > arr[mid + 1]:
15             end = mid
16         else:
17             start = mid + 1
18
19     # at the end of the while loop, 'start == end'
20     return start
21
22
23 # order-agnostic binary search
24 def binary_search(arr, key, start, end):
25     while start <= end:
26         mid = int(start + (end - start) / 2)
27
28         if key == arr[mid]:
29             return mid
30
31         if arr[start] < arr[end]: # ascending order
32             if key < arr[mid]:
33                 end = mid - 1
34             else: # key > arr[mid]
35                 start = mid + 1
36         else: # descending order
37             if key > arr[mid]:
38                 end = mid - 1
39             else: # key < arr[mid]
40                 start = mid + 1
41
42     return -1 # element is not found
43
44
45 def main():
46     print(search_bitonic_array([1, 3, 8, 4, 3], 4))
47     print(search_bitonic_array([3, 8, 3, 1], 8))
48     print(search_bitonic_array([1, 3, 8, 12], 12))
49     print(search_bitonic_array([10, 9, 8], 10))
50
51
52 main()
53
```

Run Save Reset

## Time complexity #

Since we are reducing the search range by half at every step, this means that the time complexity of our algorithm will be  $O(\log N)$  where 'N' is the total elements in the given array.

## Space complexity #

The algorithm runs in constant space  $O(1)$ .

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Problem Challenge 2

✓ Completed

