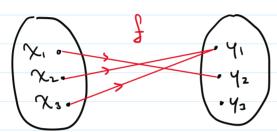
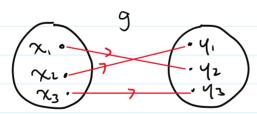
(Functions)

An injective function, also known as a one-to-one function is a function that maps distinct elements of its domain to distinct elements in the codomain



not an injective function because y, is the output of x2 and x3. In other wards it isn't

Renember: A function maps values of x in the domain to a single value in the codomain, so f here is still a function



g is an injective function because each output value is associated to an individual input.

An example of a non-injective function $f(x) = x^2$ because $f(-1) = (-1)^2 = 1$ $f(1) = 1^2 = 1$

$$\int (1) = 1^2 = 1$$

f(-1) = f(1) = 1

Here we have the same output for two

different imputs.

An example of on injective function would be

 $f(x) = x^3$ We can also write this as $y = x^3$ if y is our output value.

If a y value is equal to 8 then

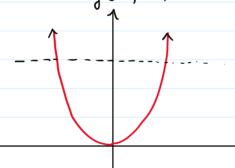
8 = 23

 $\chi = 3\sqrt{8}$

 $\chi = 2$

x cont also be equal to -2 or anything else so $f(x)=x^3$ is one-to-one (injective).

The graph test for injectivity is a horizontal line test $f(x) = x^{2}$



If any horizontal line cuts
the graph more than once
the function count

one to one

f(x)=y

There is no hosizantal line that will cut our function at two points. So it must be injective

X

If <u>ony</u> horizontal line cuts a given function at most once it is injective

X

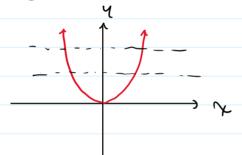
It any horizontal line cuts a given function at most once it is injective

Surjective functions

A surjective function is a function such that for every y in the codoman there is at least one corresponding x in the domain

Graphical test for surjective functions

Any horizontal line in the codomain cuts the graph at least once



The volues of y in the codonan for f(x)=x2 one the positive rest numbers, including O

And any horizated line in this codomain will cut the graph at least once

Bijective functions one functions that one both injective and surjective

Injective: distinct elements in the codomain correspond to distinct elements in

the domain

Surjective: Every y in the codornan has at least one one one corresponding to it.

Bijective: Every y in the codonous has one and only one corresponding & in the domain.

The graphical test for a bijective function is that every horizontal line in the codomain cuts the graph once and only once.

