

CS-150 Concepts of Computer Science Worksheets

CS-150 Worksheet 2

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This worksheet is about getting familiar with representation methods for different number types, including the use of negative numbers, real numbers, and calculations on them.

□ Task 2.1

This task is about conversion of numbers to Two's Complement binary representation.

1. Convert the following numbers to an 8-bit Two's Complement binary representation:

- $34 = \mathbf{00100010}$
- $-50 = \mathbf{11001110}$
- $-120 = \mathbf{10001000}$
- $109 = \mathbf{01101101}$

2. Convert the following numbers from an 8-bit Two's Complement binary representation to decimal:

- $10111011 = \mathbf{-69}$
- $00100101 = \mathbf{37}$
- $11110111 = \mathbf{-9}$
- $01111111 = \mathbf{127}$

□ Task 2.2

This task is about performing calculations on Two's Complement binary representations.

1. Perform the following additions on numbers which are in 8-bit Two's Complement binary representation:

- $00010101 + 00101110 = \mathbf{01000011}$
- $10010110 + 00010111 = \mathbf{10101101}$

2. Perform the following subtractions on numbers which are in 8-bit Two's Complement binary representation:

- $00110111 - 00001101 = \mathbf{00110111 + 11110011 = 00101010}$
- $01011010 - 11101111 = \mathbf{01011010 + 00010001 = 01101011}$

□ Task 2.3

This task is about converting floating point numbers from base x to base y.

1. Convert the following from decimal to binary
 - $10.125 = 1010.001$
 - $223.25 = 11011111.01$
2. Convert the following from binary to hexadecimal:
 - $10010111100.0111 = 4BC.7$
 - $1100.0010101 = C.2A$

□ Task 2.4

This task is about representation of real numbers using the **sign** × **mantissa** × **base**^{**exp**} scheme.

1. Convert each of the following decimal real numbers, identifying the **sign**, **mantissa**, **base** and **exp**. For example: 3.14 would be Sign: +1, Mantissa: 314, Base: 10, Exponent: -2.
 - $4138.12 = \text{Sign: } +1, \text{ Mantissa: } 413812, \text{ Base: } 10, \text{ Exponent: } -2$
 - $141402.1112 = \text{Sign: } +1, \text{ Mantissa: } 1414021112, \text{ Base: } 10, \text{ Exponent: } -4$
 - $0.002323 = \text{Sign: } +1, \text{ Mantissa: } 2323, \text{ Base: } 10, \text{ Exponent: } -6$
2. Convert each of the following decimal real numbers, identifying the **sign**, **mantissa**, **base** and **exp**, however this time we can only store 5 significant digits. For example: 3.141592 would be Sign: +1, Mantissa: 31415, Base: 10, Exponent: -4. Note that we can't store the "92".
 - $23.451 = \text{Sign: } +1, \text{ Mantissa: } 23451, \text{ Base: } 10, \text{ Exponent: } -3$
 - $0.123141 = \text{Sign: } +1, \text{ Mantissa: } 12314, \text{ Base: } 10, \text{ Exponent: } -5$
 - $12000.23222 = \text{Sign: } +1, \text{ Mantissa: } 12000, \text{ Base: } 10, \text{ Exponent: } 0$
3. Convert each of the following to their true decimal value.
 - Sign: -1, Mantissa: 57231, Base: 10, Exponent: 5 = **-5723100000**
 - Sign: +1, Mantissa: 29320, Base: 10, Exponent: -2 = **293.20**
 - Sign: +1, Mantissa: 13123, Base: 10, Exponent: -7 = **0.0013123**

□ Task 2.5

This task is about representation of real numbers using Scientific Notation.

1. Convert each of the following decimal real numbers into Scientific Notation. For example: 11102019 would be 1.1102019E7.
 - $5240.82 = 5.24082E3$
 - $249232.23 = 2.4923223E5$
 - $0.0014210 = 1.4210E-3$