periodični

neperiodični

$$c_{k} = \frac{1}{\tau_{0}} \int_{-\tau_{0}/2}^{\tau_{0}/2} x(t) e^{-jk \, \omega_{0} t} dt = |c_{k}| e^{-j\theta_{k}} = \frac{A\tau}{T} \frac{\sin \frac{k\omega_{0}\tau}{2}}{\frac{k\omega_{0}\tau}{2}}$$

$$c = \frac{A}{2} \sin/\cos \operatorname{signal}$$

$$X(f) = \int_{-\infty}^{\infty} x(t) e^{-j2\pi ft} dt \text{ ili } X(\omega) = \int_{-\infty}^{\infty} x(t) e^{-j\omega t} dt, \quad \omega = 2\pi ft$$

$$X(f) = |X(f)| e^{j\theta(f)}$$

$$X(f) = A\tau * \frac{\sin(\frac{2\pi f\tau}{2})}{\frac{2\pi f\tau}{2}}$$

$$x(t) = \sum_{-\infty}^{\infty} c_{k} e^{jk \, \omega_{0}t}$$

$$P = \lim_{k \to \infty} \left[ \frac{1}{kT_{0}} k \int_{0}^{\tau_{0}} |x(t)|^{2} dt \right] = \frac{1}{T_{0}} \int_{0}^{\tau_{0}} |x(t)|^{2} dt = \sum_{k = -\infty}^{\infty} |c_{k}|^{2}$$

$$E = \int_{-\infty}^{\infty} |x(t)|^{2} dt = \int_{-\infty}^{\infty} |x(t)|^{2} df = \frac{1}{2\pi} \int_{-\infty}^{\infty} |x(\omega)|^{2} d\omega$$

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$$E = \lim_{T \to \infty} \int_{-T}^{T} |x(\omega)|^{2} dt = \int_{-\infty}^{\infty} |x(\omega)|^{2} d\omega$$

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npr.Gaussov bijeli šum(64) Slučani signali (63)

srednja vrijednost slučajnog procesa  $\mu_X(t) = E[X(t)] = \int_{-\infty}^{\infty} x f_X(x,t) dx$  $\mu_{\rm v} = \mu_{\rm v} H(0)$ n(t)=signal šuma

N0=spektralna gustoća gaussovog bijelog šuma

 $S_X(f) = \int_{-\infty}^{\infty} R_X(\tau) e^{-j2\pi f \tau} d\tau \left[ W/Hz \right]$  $S_{Y}(f)=S_{X}(f)|H(f)|^{2}$ Sn(f)=spektralna gustoća snage,  $S_{W}(f) = \sigma^{2} \int_{-\infty}^{\infty} \delta(t) e^{-j2\pi f t} dt = \sigma^{2} \qquad i \qquad S_{N}(f) = \frac{N_{0}}{2}, \forall f \in \square$  za bijeli šum  $R_{X}(\tau) = \int_{-\infty}^{\infty} S_{X}(f) e^{j2\pi f \tau} df \qquad R_{W}(\tau) = \sigma^{2} \delta(\tau)$  za bijeli šum  $P = E\left[X^{2}(t)\right] = R_{X}(0) = \int_{-\infty}^{\infty} S_{X}(f) df$  LTI (67) Rn(t)=autokorelacijska funkcija P(t)=srednja snaga šuma

NPK:  $|X(f)| \approx 0$  za | f | > fg, B = fg

PPK: |X(f)| > 0 samo ako je fg > |f| > fd, B = fg - fdA/D pretvorba (79)

## 1. UZORKOVANJE (79)

R = fu \* r = brzina prijenosa bitafu = 2B Nyquist

## **KVANTIZACIJA PCM (95)**

Kvantizacijske razine  $L = 2^{r}$ 

Kvantizacisjki šum (S/N) =  $\frac{3}{2} * 2^{2r}$   $(S/N) = \frac{S}{\sigma_0^2} = \left(\frac{3S}{m_{max}^2}\right) 2^{2r}$  amplitude ulaznog signala (-mmax mmax) amplitude ulaznog signala (-mmax, mmax)

korak kvantizacije  $\Delta = \frac{2mmax}{L}$ 

kvantizacijski šum je ograničen:  $-\frac{\Delta}{2} \le q \le \frac{\Delta}{2}$ funkcija vjerojatnosti razine u(t): p(u)

srednja kvadratna greška  $0q^2 = \frac{1}{2}mmax^2 * 2^{-2r}$ 

KAPACITET (101)

$$N = BN_0$$
 $R = C = B \log \left(1 + \frac{S}{N_0 B}\right) \left[\text{bit/s}\right] = 2BD \ (D = dinamika)$ 
 $S_N(f) = \frac{N_0}{2}, \ \forall f \in \square \text{ za bijeli šum}$ 
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