Given an object x,

 $x \in A \triangle B \iff (x \in A) \text{ XOR } (x \in B).$

Yes, there is. Let $A \triangle B$ denote the symmetric difference of the sets A and B.

in logic, e.g.

In general, one has a correspondence between statements in set theory and statements

$$x\in A\cup B\iff (x\in A) \ \mathrm{OR}\ (x\in B)$$

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 $x \in A \cap B \iff (x \in A) \text{ AND } (x \in B)$ $x \in A^c \iff \mathrm{NOT}\ (x \in A)$

So, for example,
$$A\setminus B=A\cap B^c$$
, so

or example,
$$A \setminus D = A \cap D$$
 , so

Lot example,
$$A\setminus D=A\cap D$$
 , so $x\in A\setminus B\iff x\in A\cap B^c\iff (x\in A)\ \mathrm{AND}\ (x\in B^c)\iff$

 $(x \in A) ext{ AND } (ext{NOT } (x \in B))$