jax.lax package

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jax.lax is a library of primitives operations that underpins libraries such as jax.numpy.
Transformation rules, such as JVP and batching rules, are typically defined as transformations on jax.lax primitives.

Many of the primitives are thin wrappers around equivalent XLA operations, described by the <u>XLA operation semantics</u> documentation. In a few cases JAX diverges from XLA, usually to ensure that the set of operations is closed under the operation of JVP and transpose rules.

Where possible, prefer to use libraries such as <u>jax.numpy</u> instead of using <u>jax.lax</u> directly. The <u>jax.numpy</u> API follows NumPy, and is therefore more stable and less likely to change than the <u>jax.lax</u> API.

Operators

<u>abs</u> (x)	Elementwise absolute value: $ x $.
add(x, y)	Elementwise addition: $x+y$.
acos(x)	Elementwise arc cosine: $acos(x)$.
approx max k(operand, k[,])	Returns max k values and their indices of the operand in an approximate manner.
approx min k(operand, k[,])	Returns min k values and their indices of the operand in an approximate manner.
<pre>argmax(operand, axis, index_dtype)</pre>	Computes the index of the maximum element along axis.
<pre>argmin(operand, axis, index_dtype)</pre>	Computes the index of the minimum element along axis.
<u>asin(x)</u>	Elementwise arc sine: $asin(x)$.
<pre>atan(x)</pre>	Elementwise arc tangent: $\operatorname{atan}(x)$.
<pre>atan2(x, y)</pre>	Elementwise arc tangent of two variables: $\operatorname{atan}(\frac{x}{y}).$
<pre>batch_matmul(lhs, rhs[, precision])</pre>	Batch matrix multiplication.
<pre>bessel i0e(x)</pre>	Exponentially scaled modified Bessel function of order 0: $\mathrm{i}0\mathrm{e}(x)=e^{- x }\mathrm{i}0(x)$
<pre>bessel i1e(x)</pre>	Exponentially scaled modified Bessel function of order 1: $\mathrm{i} 1\mathrm{e}(x) = e^{- x }\mathrm{i} 1(x)$
<pre>betainc(a, b, x)</pre>	Elementwise regularized incomplete beta integral.
<u>bitcast convert type</u> (operand, new_dtype)	Elementwise bitcast.
<pre>bitwise not(x)</pre>	Elementwise NOT: $\neg x$.
<pre>bitwise and(x, y)</pre>	Elementwise AND: $x \wedge y$.
<pre>bitwise or(x, y)</pre>	Elementwise OR: $x \lor y$.
<pre>bitwise xor(x, y)</pre>	Elementwise exclusive OR: $x \oplus y$.
<pre>population count(x)</pre>	Elementwise popcount, count the number of set bits in each element.
<u>broadcast</u> (operand, sizes)	Broadcasts an array, adding new leading dimensions
<u>broadcasted_iota</u> (dtype, shape, dimension)	Convenience wrapper around iota.
<pre>broadcast in dim(operand, shape,)</pre>	Wraps XLA's <u>BroadcastInDim</u> operator.
<u>cbrt</u> (x)	Elementwise cube root: $\sqrt[3]{x}$.
<pre>ceil(x)</pre>	Elementwise ceiling: $\lceil x \rceil$.

<pre>clamp(min, x, max)</pre>	Elementwise clamp.
<u>collapse</u> (operand, start_dimension,)	Collapses dimensions of an array into a single dimension.
<pre>complex(x, y)</pre>	Elementwise make complex number: $x+jy$.
concatenate(operands, dimension)	Concatenates a sequence of arrays along dimension.
conj(x)	Elementwise complex conjugate function: \overline{x} .
conv(lhs, rhs, window_strides, padding[,])	Convenience wrapper around conv_general_dilated.
<pre>convert element type(operand, new_dtype)</pre>	Elementwise cast.
<pre>conv dimension numbers(lhs_shape, rhs_shape,)</pre>	Converts convolution dimension_numbers to a ConvDimensionNumbers.
<pre>conv general dilated(lhs, rhs,[,])</pre>	General n-dimensional convolution operator, with optional dilation.
<pre>conv general dilated local(lhs, rhs,[,])</pre>	General n-dimensional unshared convolution operator with optional dilation.
<pre>conv general dilated patches(lhs,[,])</pre>	Extract patches subject to the receptive field of conv_general_dilated.
<pre>conv with general padding(lhs, rhs,[,])</pre>	Convenience wrapper around conv_general_dilated.
<pre>conv transpose(lhs, rhs, strides, padding[,])</pre>	Convenience wrapper for calculating the N-d convolution "transpose".
<u>cos</u> (x)	Elementwise cosine: $\cos(x)$.
<u>cosh</u> (x)	Elementwise hyperbolic cosine: $\cosh(x)$.
<pre>cummax(operand[, axis, reverse])</pre>	Computes a cumulative maximum along axis.
<pre>cummin(operand[, axis, reverse])</pre>	Computes a cumulative minimum along axis.
<pre>cumprod(operand[, axis, reverse])</pre>	Computes a cumulative product along axis.
<pre>cumsum(operand[, axis, reverse])</pre>	Computes a cumulative sum along axis.
<u>digamma</u> (x)	Elementwise digamma: $\psi(x)$.
<pre>div(x, y)</pre>	Elementwise division: $\frac{x}{y}$.
dot(lhs, rhs[, precision,])	Vector/vector, matrix/vector, and matrix/matrix multiplication.
<pre>dot_general(lhs, rhs, dimension_numbers[,])</pre>	More general contraction operator.

<pre>dynamic index in dim(operand, index[, axis,])</pre>	Convenience wrapper around dynamic_slice to perform int indexing.
<pre>dynamic slice(operand, start_indices,)</pre>	Wraps XLA's <u>DynamicSlice</u> operator.
<pre>dynamic slice in dim(operand, start_index,)</pre>	Convenience wrapper around dynamic_slice applying to one dimension.
<pre>dynamic update slice(operand, update,)</pre>	Wraps XLA's <u>DynamicUpdateSlice</u> operator.
<pre>dynamic update index in dim(operand, update,)</pre>	Convenience wrapper around dynamic update slice() to update a slice of size 1 in a single axis.
<pre>dynamic update slice in dim(operand, update,)</pre>	Convenience wrapper around dynamic update slice() to update a slice in a single axis.
eq(x, y)	Elementwise equals: $x=y$.
<u>erf</u> (x)	Elementwise error function: $\operatorname{erf}(x)$.
<pre>erfc(x)</pre>	Elementwise complementary error function: $\mathrm{erfc}(x) = 1 - \mathrm{erf}(x)$.
<pre>erf inv(x)</pre>	Elementwise inverse error function: $\operatorname{erf}^{-1}(x)$.
<u>exp</u> (x)	Elementwise exponential: e^x .
expand dims(array, dimensions)	Insert any number of size 1 dimensions into an array.
<u>expm1</u> (x)	Elementwise e^x-1 .
<pre>fft(x, fft_type, fft_lengths)</pre>	param fft_type:
<pre>fft(x, fft_type, fft_lengths) floor(x)</pre>	param
	param fft_type:
floor(x)	param
floor(x) full(shape, fill_value[, dtype])	param $fft_type:$ Elementwise floor: $\lfloor x \rfloor$. Returns an array of $shape$ filled with $fill_value$. Create a full array like np.full based on the
<pre>floor(x) full(shape, fill_value[, dtype]) full like(x, fill_value[, dtype, shape])</pre>	param fft_{type} : Elementwise floor: $\lfloor x \rfloor$. Returns an array of $shape$ filled with $fill_{value}$. Create a full array like np.full based on the example array x .
<pre>floor(x) full(shape, fill_value[, dtype]) full like(x, fill_value[, dtype, shape]) gather(operand, start_indices,[,])</pre>	param fft_type : Elementwise floor: $\lfloor x \rfloor$. Returns an array of $shape$ filled with $fill_value$. Create a full array like np.full based on the example array x . Gather operator.
<pre>floor(x) full(shape, fill_value[, dtype]) full like(x, fill_value[, dtype, shape]) gather(operand, start_indices,[,]) ge(x, y)</pre>	param

<u>imag(</u> x)	Elementwise extract imaginary part: ${ m Im}(x)$.
<pre>index in dim(operand, index[, axis, keepdims])</pre>	Convenience wrapper around slice to perform int indexing.
<pre>index take(src, idxs, axes)</pre>	param src:
<u>iota</u> (dtype, size)	Wraps XLA's <u>lota</u> operator.
<u>is finite(</u> x)	Elementwise isfinite.
<u>le</u> (x, y)	Elementwise less-than-or-equals: $x \leq y$.
<u>lt(</u> x, y)	Elementwise less-than: $x < y$.
lgamma(x)	Elementwise log gamma: $\log(\Gamma(x))$.
<u>log</u> (x)	Elementwise natural logarithm: $\log(x)$.
<u>log1p(x)</u>	Elementwise $\log(1+x)$.
<pre>logistic(x)</pre>	Elementwise logistic (sigmoid) function: $\frac{1}{1+e^{-x}}.$
$\max(x, y)$	Elementwise maximum: $\max(x,y)$
min(x, y)	Elementwise minimum: $\min(x,y)$
mul(x, y)	Elementwise multiplication: $x imes y$.
<u>ne</u> (x, y)	Elementwise not-equals: $x eq y$.
neg(x)	Elementwise negation: $-x$.
<pre>nextafter(x1, x2)</pre>	Returns the next representable value after <i>x1</i> in the direction of <i>x2</i> .
<pre>pad(operand, padding_value, padding_config)</pre>	Applies low, high, and/or interior padding to an array.
<u>роw</u> (х, у)	Elementwise power: x^y .
real(x)	Elementwise extract real part: $\mathrm{Re}(x)$.
reciprocal(x)	Elementwise reciprocal: $\frac{1}{x}$.
<u>reduce(operands, init_values, computation,)</u>	Wraps XLA's <u>Reduce</u> operator.
reduce precision(operand, exponent_bits,)	Wraps XLA's <u>ReducePrecision</u> operator.
reduce window(operand, init_value,[,])	Wraps XLA's <u>ReduceWindowWithGeneralPadding</u> operator.
reshape(operand, new_sizes[, dimensions])	Wraps XLA's <u>Reshape</u> operator.
rem(x, y)	Elementwise remainder: $x \mod y$.

<u>rev</u> (operand, dimensions)	Wraps XLA's <u>Rev</u> operator.
<pre>round(x[, rounding_method])</pre>	Elementwise round.
<u>rsqrt</u> (x)	Elementwise reciprocal square root: $\frac{1}{\sqrt{x}}$.
<pre>scatter(operand, scatter_indices, updates,)</pre>	Scatter-update operator.
<pre>scatter_add(operand, scatter_indices,[,])</pre>	Scatter-add operator.
<pre>scatter_max(operand, scatter_indices,[,])</pre>	Scatter-max operator.
<pre>scatter_min(operand, scatter_indices,[,])</pre>	Scatter-min operator.
<pre>scatter_mul(operand, scatter_indices,[,])</pre>	Scatter-multiply operator.
<pre>select(pred, on_true, on_false)</pre>	Selects between two branches based on a boolean predicate.
<pre>shift left(x, y)</pre>	Elementwise left shift: $x \ll y$.
<pre>shift right arithmetic(x, y)</pre>	Elementwise arithmetic right shift: $x\gg y$.
<pre>shift right logical(x, y)</pre>	Elementwise logical right shift: $x\gg y$.
<pre>slice(operand, start_indices, limit_indices)</pre>	Wraps XLA's <u>Slice</u> operator.
<pre>slice in dim(operand, start_index, limit_index)</pre>	Convenience wrapper around slice applying to only one dimension.
<u>sign(x)</u>	Elementwise sign.
<u>sin</u> (x)	Elementwise sine: $\sin(x)$.
<u>sinh(</u> x)	Elementwise hyperbolic sine: $\sinh(x)$.
sort()	Wraps XLA's <u>Sort</u> operator.
sort key val(keys, values[, dimension,])	Sorts keys along dimension and applies
	the same permutation to values.
<pre>sqrt(x)</pre>	-
<pre>sqrt(x) square(x)</pre>	the same permutation to values.
	the same permutation to values. Elementwise square root: \sqrt{x} .
<u>square(</u> x)	the same permutation to values. Elementwise square root: \sqrt{x} . Elementwise square: x^2 . Squeeze any number of size 1 dimensions
<pre>square(x) squeeze(array, dimensions)</pre>	the same permutation to values. Elementwise square root: \sqrt{x} . Elementwise square: x^2 . Squeeze any number of size 1 dimensions from an array.
<pre>square(x) squeeze(array, dimensions) sub(x, y)</pre>	the same permutation to values. Elementwise square root: \sqrt{x} . Elementwise square: x^2 . Squeeze any number of size 1 dimensions from an array. Elementwise subtraction: $x-y$.
<pre>square(x) squeeze(array, dimensions) sub(x, y) tan(x)</pre>	the same permutation to values. Elementwise square root: \sqrt{x} . Elementwise square: x^2 . Squeeze any number of size 1 dimensions from an array. Elementwise subtraction: $x-y$. Elementwise tangent: $\tan(x)$.

Control flow operators

<pre>associative scan(fn, elems[, reverse, axis])</pre>	Performs a scan with an associative binary operation, in parallel.
<pre>cond(pred, true_fun, false_fun, *operands[,])</pre>	Conditionally apply true_fun or false_fun.
<pre>fori loop(lower, upper, body_fun, init_val)</pre>	Loop from lower to upper by reduction to <pre>jax.lax.while loop()</pre> .
$\underline{map}(f,xs)$	Map a function over leading array axes.
<pre>scan(f, init, xs[, length, reverse, unroll])</pre>	Scan a function over leading array axes while carrying along state.
<pre>switch(index, branches, *operands[, operand])</pre>	Apply exactly one of branches given by index.
<pre>while loop(cond_fun, body_fun, init_val)</pre>	Call body_fun repeatedly in a loop while cond_fun is True.

Custom gradient operators

<pre>stop gradient(x)</pre>	Stops gradient computation.
<pre>custom linear solve(matvec, b, solve[,])</pre>	Perform a matrix-free linear solve with implicitly defined gradients.
custom root(f. initial guess. solve[])	Differentiably solve for a roots of a function.

Parallel operators

Parallelism support is experimental.

all_gather(x, axis_name, *[,])	Gather values of x across all replicas.
all to all(x, axis_name, split_axis,[,])	Materialize the mapped axis and map a different axis.
psum(x, axis_name, *[, axis_index_groups])	Compute an all-reduce sum on \times over the pmapped axis axis_name.
<pre>pmax(x, axis_name, *[, axis_index_groups])</pre>	Compute an all-reduce max on \times over the pmapped axis axis_name.
<u>pmin(</u> x, axis_name, *[, axis_index_groups])	Compute an all-reduce min on \times over the pmapped axis axis_name.
<pre>pmean(x, axis_name, *[, axis_index_groups])</pre>	Compute an all-reduce mean on \boldsymbol{x} over the pmapped axis axis_name.
<u>ppermute(</u> x, axis_name, perm)	Perform a collective permutation according to the permutation perm.
<u>pshuffle(</u> x, axis_name, perm)	Convenience wrapper of jax.lax.ppermute with alternate permutation encoding
pswapaxes(x, axis_name, axis, *[,])	Swap the pmapped axis axis_name with the unmapped axis axis.
	Return the index along the mapped axis axis_name. TS (jax.lax.linalg)
axis index(axis_name) Linear algebra operator Cholesky(x, *[, symmetrize_input])	
_inear algebra operator	rs (jax.lax.linalg)
_inear algebra operator cholesky(x, *[, symmetrize_input])	rs (jax.lax.linalg) Cholesky decomposition.
_inear algebra operator cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,])	Cholesky decomposition. Eigendecomposition of a general matrix.
_inear algebra operator _cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,])	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix.
_inear algebra operator _cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,]) hessenberg(a)	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form.
_inear algebra operator cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) lu(x)	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting.
_inear algebra operator _cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) lu(x) householder_product(a, taus)	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting. Product of elementary Householder reflectors. QR-based dynamically weighted Halley iteration for
_inear algebra operator _cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) lu(x) householder_product(a, taus) qdwh(x, *[, is_hermitian, max_iterations,])	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting. Product of elementary Householder reflectors. QR-based dynamically weighted Halley iteration for polar decomposition.
_inear algebra operator _cholesky(x, *[, symmetrize_input]) _eig(x, *[, compute_left_eigenvectors,]) _eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) _lu(x) householder_product(a, taus) _gdwh(x, *[, is_hermitian, max_iterations,]) _gr(x, *[, full_matrices])	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting. Product of elementary Householder reflectors. QR-based dynamically weighted Halley iteration for polar decomposition. QR decomposition.
_inear algebra operator _cholesky(x, *[, symmetrize_input]) eig(x, *[, compute_left_eigenvectors,]) eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) lu(x) householder_product(a, taus) qdwh(x, *[, is_hermitian, max_iterations,]) gr(x, *[, full_matrices]) schur(x, *[, compute_schur_vectors,])	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting. Product of elementary Householder reflectors. QR-based dynamically weighted Halley iteration for polar decomposition. QR decomposition. param x:
_inear algebra operator _cholesky(x, *[, symmetrize_input]) _eig(x, *[, compute_left_eigenvectors,]) _eigh(x, *[, lower, symmetrize_input,]) hessenberg(a) _lu(x) householder_product(a, taus) _gdwh(x, *[, is_hermitian, max_iterations,]) _gr(x, *[, full_matrices]) _schur(x, *[, compute_schur_vectors,]) _svd()	Cholesky decomposition. Eigendecomposition of a general matrix. Eigendecomposition of a Hermitian matrix. Reduces a square matrix to upper Hessenberg form. LU decomposition with partial pivoting. Product of elementary Householder reflectors. QR-based dynamically weighted Halley iteration for polar decomposition. QR decomposition. param x: Singular value decomposition.

Argument classes

class jax.lax.ConvDimensionNumbers(1hs_spec: Sequence[int], rhs_spec:

Sequence[int], out_spec: Sequence[int])

[source]

Describes batch, spatial, and feature dimensions of a convolution.

Parameters:

- **Ihs_spec** a tuple of nonnegative integer dimension numbers containing (batch dimension, feature dimension, spatial dimensions...).
- **rhs_spec** a tuple of nonnegative integer dimension numbers containing (out feature dimension, in feature dimension, spatial dimensions...).
- out_spec a tuple of nonnegative integer dimension numbers containing (batch dimension, feature dimension, spatial dimensions...).

jax.lax.ConvGeneralDilatedDimensionNumbers

alias of Union[None, jax._src.lax.convolution.ConvDimensionNumbers, Tuple[str, str, str]

```
class jax.lax.GatherDimensionNumbers(offset_dims: Tuple[int, ...],
collapsed_slice_dims: Tuple[int, ...], start_index_map: Tuple[int, ...])
```

Describes the dimension number arguments to an XLA's Gather operator. See the XLA **[source]** documentation for more details of what the dimension numbers mean.

Parameters:

- **offset_dims** the set of dimensions in the *gather* output that offset into an array sliced from *operand*. Must be a tuple of integers in ascending order, each representing a dimension number of the output.
- collapsed_slice_dims the set of dimensions i in operand that have
 slice_sizes[i] == 1 and that should not have a corresponding dimension in the
 output of the gather. Must be a tuple of integers in ascending order.
- start_index_map for each dimension in start_indices, gives the
 corresponding dimension in operand that is to be sliced. Must be a tuple of
 integers with size equal to start_indices.shape[-1].

Unlike XLA's *GatherDimensionNumbers* structure, *index_vector_dim* is implicit; there is always an index vector dimension and it must always be the last dimension. To gather scalar indices, add a trailing dimension of size 1.

class jax.lax.GatherScatterMode(value)

[source]

Describes how to handle out-of-bounds indices in a gather or scatter.

Possible values are:

CLIP:

Indices will be clamped to the nearest in-range value, i.e., such that the entire window to be gathered is in-range.

FILL_OR_DROP:

If any part of a gathered window is out of bounds, the entire window that is returned, even those elements that were otherwise in-bounds, will be filled with a constant. If any part of a scattered window is out of bounds, the entire window will be discarded.

PROMISE_IN_BOUNDS:

The user promises that indices are in bounds. No additional checking will be performed. In practice, with the current XLA implementation this means that, out-of-bounds gathers will be clamped but out-of-bounds scatters will be discarded. Gradients will not be correct if indices are out-of-bounds.

class jax.lax.Precision(arg0)

[source]

Precision enum for lax functions

The *precision* argument to JAX functions generally controls the tradeoff between speed and accuracy for array computations on accelerator backends, (i.e. TPU and GPU). Members are:

DEFAULT:

Fastest mode, but least accurate. Performs computations in bfloat16. Aliases: 'default', 'fastest', 'bfloat16'.

HIGH:

Slower but more accurate. Performs float32 computations in 3 bfloat16 passes, or using tensorfloat32 where available. Aliases: 'high', 'bfloat16_3x', 'tensorfloat32'.

HIGHEST:

Slowest but most accurate. Performs computations in float32 or float64 as applicable. Aliases: 'highest', 'float32'.

class jax.lax.RoundingMethod(value)

[source]

An enumeration.

class jax.lax.ScatterDimensionNumbers(update_window_dims: Sequence[int],
inserted_window_dims: Sequence[int], scatter_dims_to_operand_dims:
Sequence[int]) [source]

Describes the dimension number arguments to an <u>XLA's Scatter operator</u>. See the XLA documentation for more details of what the dimension numbers mean.

Parameters:

- update_window_dims the set of dimensions in the updates that are window dimensions. Must be a tuple of integers in ascending order, each representing a dimension number.
- inserted_window_dims the set of size 1 window dimensions that must be
 inserted into the shape of updates. Must be a tuple of integers in ascending
 order, each representing a dimension number of the output. These are the
 mirror image of collapsed_slice_dims in the case of gather.
- scatter_dims_to_operand_dims for each dimension in scatter_indices, gives
 the corresponding dimension in operand. Must be a sequence of integers with
 size equal to indices.shape[-1].

Unlike XLA's *ScatterDimensionNumbers* structure, *index_vector_dim* is implicit; there is always an index vector dimension and it must always be the last dimension. To scatter scalar indices, add a trailing dimension of size 1.

e JAX authors

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