

A child teaches an adult three things :-
to be happy for no reason, to be always
busy with something, and know how to
demand with all his might what he wants !

Happy Children's Day

Q1) Given an array of 1 and 0. We can replace one of the 0s with a 1. Return the count of max consecutive 1's in the array.

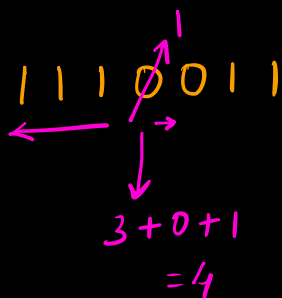
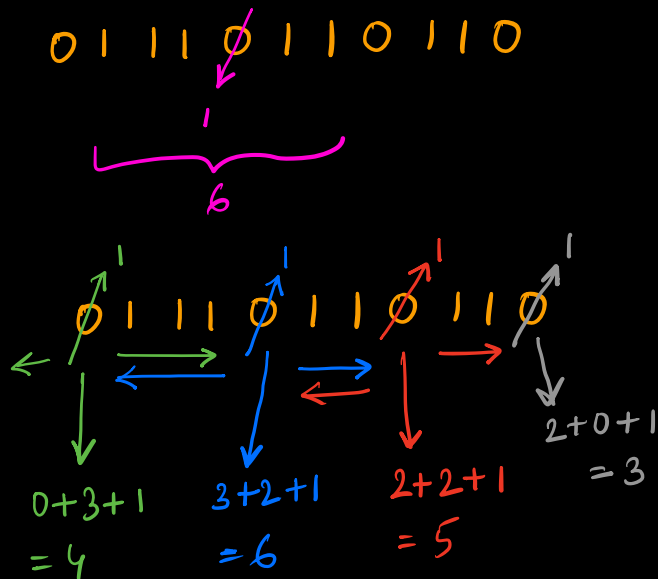
Amazon
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Ex:

	0	1	2	3	4	5	6	7	8
	1	1	0	1	1	0	1	1	1

1 1 0 1 1 1 1 1 1 $\Rightarrow 6$

Ex: 0 1 1 1 0 1 1 0 1 1 0



$\xleftarrow{\text{how many 1's } x}$ 0 $\xrightarrow{\text{how many 1's } y}$ $\Rightarrow x+1+y$

For every 0 in the array:-

→ count number of consecutive 1's to the left l

→ count number of consecutive 1's to the right r

$O(n)$ TC.

$O(1)$ S-C

→ if $(l+r+1 > ans)$ {

$ans = l+r+1;$

}

Edge case :- all elements are 1 \Rightarrow ans is n .

0 0 0 0 1 0 0 0
↓ ↓ ↓ ↓
1 1 1 0+1+1
= 2

1 1 1 1 1 ... 1 $\Rightarrow n$.

0 1 1 1 0 1 1 0 1 1 1 1 0 0 1 1 0 1 1
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each element \rightarrow visited max 3 times

→ by the 0 on the left

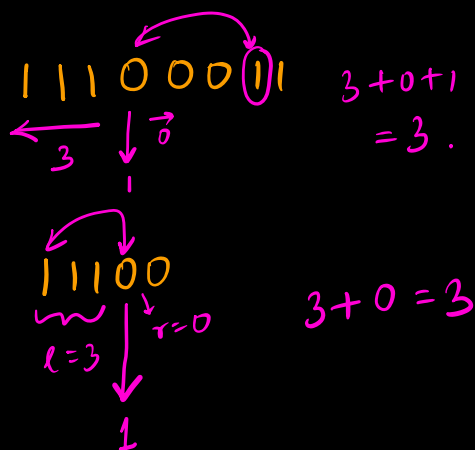
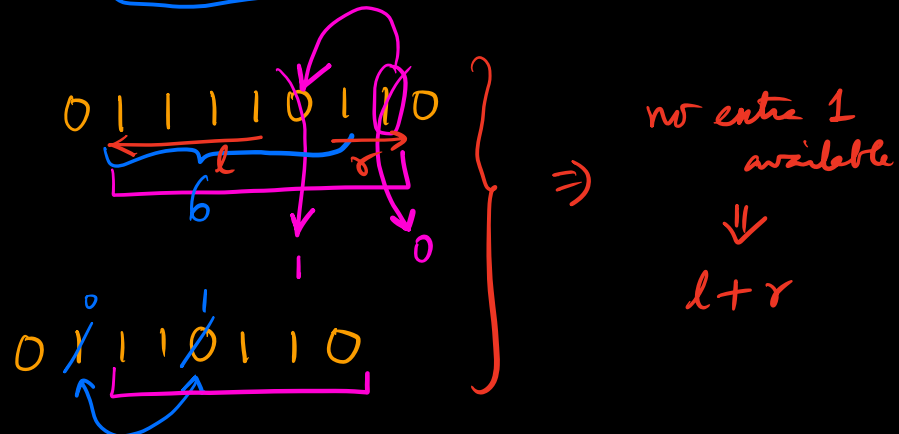
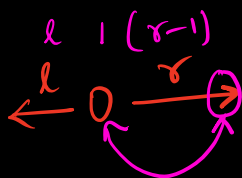
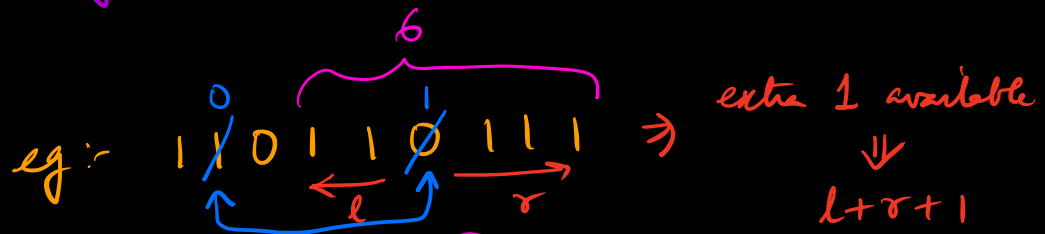
→ by the 0 on the right

→ initial iteration.

Total no. of iterations $\Rightarrow \leq 3n$
 $= O(n)$.

Q2) Given an array of 1 and 0. We can swap one of the 0s with a 1. Return the count of max consecutive 1's in the array.

Direct I



- Count no. of 1's in the array $\Rightarrow k$.
- For every 0 in the array :-
 - \rightarrow count no. of consecutive 1's to the left (l)
 - \rightarrow count no. of consecutive 1's to the right (r)
 - \rightarrow if $l+r == k$:
 $ans = \max(ans, l+r)$ // no extra 1
 - else:
 $ans = \max(ans, l+r+1)$ // extra 1.

$O(n)$ T.C.
$O(1)$ S.C.

[Break till 10:33 PM]

Q3) No. of triplets

Given an array, count the no. of triplets (i, j, k)

s.t. $i < j < k$

and

$arr[i] < arr[j] < arr[k]$

$arr: \begin{matrix} 0 & 1 & 2 & 3 & 4 \\ 2 & 6 & 9 & 4 & 10 \end{matrix}$

$\begin{matrix} i & j & k & arr[i] & arr[j] & arr[k] \\ (0, 1, 2) & \rightarrow & 2 < 6 < 9 \\ (0, 1, 4) & \rightarrow & 2 < 6 < 10 \\ (0, 2, 4) & \rightarrow & 2 < 9 < 10 \\ (0, 3, 4) & \rightarrow & 2 < 4 < 10 \\ (1, 2, 4) & \rightarrow & 6 < 9 < 10 \end{matrix}$

idea :- Iterate over all possible triplets.

$O(n^3)$ T.C.
 $O(1)$ S.C.

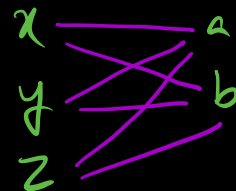
```
for(i=0; i<n; i++){
    for(j=i+1; j<n; j++){
        for(k=j+1; k<n; k++){
            if(arr[i] < arr[j] && arr[j] < arr[k])
                count++;
        }
    }
}
```

arr: 2 6 9 4 10

<u>x</u>	<u>No. of elements to the left of x that are < x</u>	<u>No. of elements right of x that are > x</u>	<u>No. of triplets with x at center</u>
9	2 (2, 6)	1 (10)	$2 * 1 = 2$
6	1 (2)	2 (9, 10)	$1 * 2 = 2$
2	0	4	$0 * 4 = 0$
4	1 (1)	1 (10)	$1 * 1 = 1$
10	4	0	$4 * 0 = 0$

$\frac{x \ y \ z}{3}$
 $arr[j]$
 $\frac{a \ b}{2}$

$\left. \begin{array}{l} x \ h \ a \\ x \ h \ b \\ y \ h \ a \\ y \ h \ b \\ z \ h \ a \\ z \ h \ b \end{array} \right\}$



$$3 * 2 = 6$$

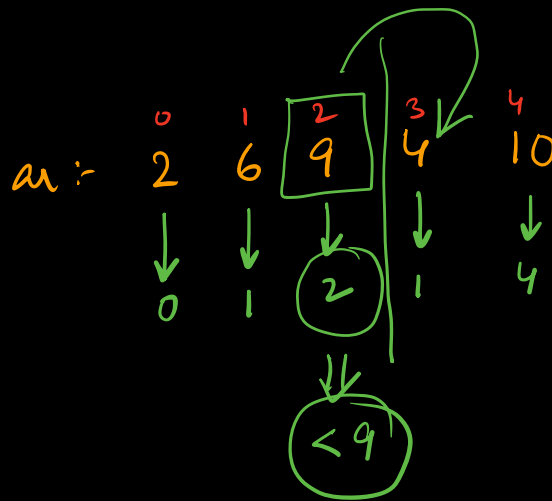
ans = 0

for every element $A[i]$:- // iterating over the center elements

- iterate from 0 to $i-1$, and count the no. of elements less than $A[i] \Rightarrow l$
- iterate from $i+1$ to $n-1$, and count the no. of elements more than $A[i] \Rightarrow r$
- add $(l * r)$ to the ans

$O(n^2)$ T.C.

$O(1)$ S.C.

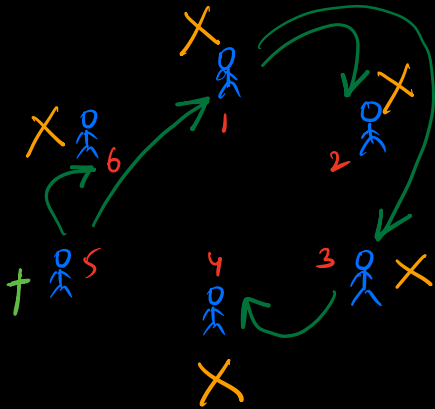


-2 -9 -3 -400000
 $\min = -32767$

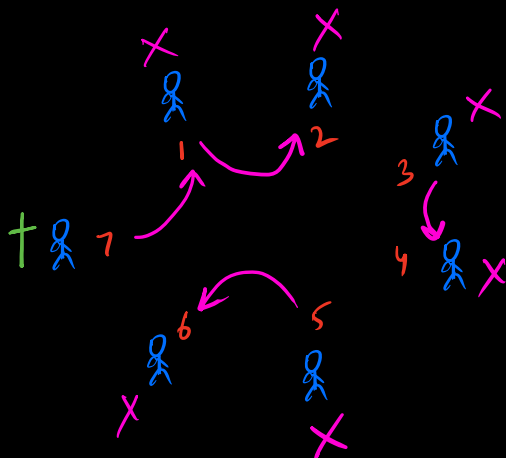
-2^{31} :- integer Integer.MIN-VALUE

-2^{63} :- long Long.MIN-VALUE

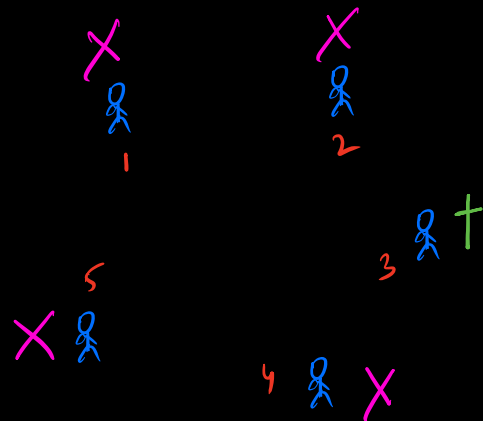
Q4) Josephus Problem



5 survives!



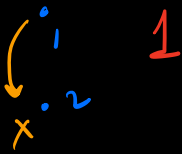
7 survives.



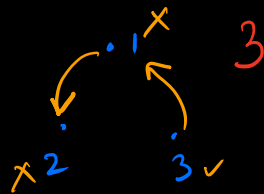
3 survives.

$n=1 \Rightarrow 1$

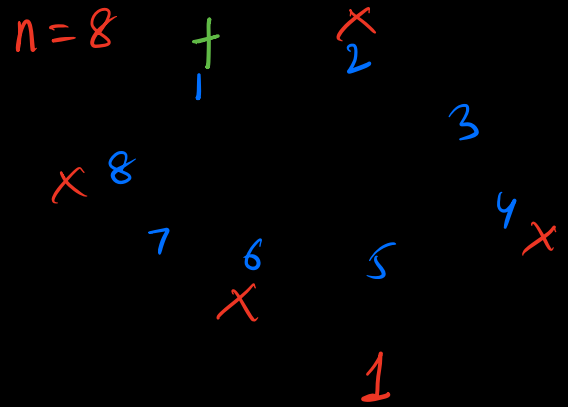
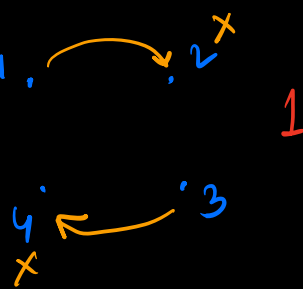
$n=2 \Rightarrow$



$n=3 \Rightarrow$



$n=4 \Rightarrow$

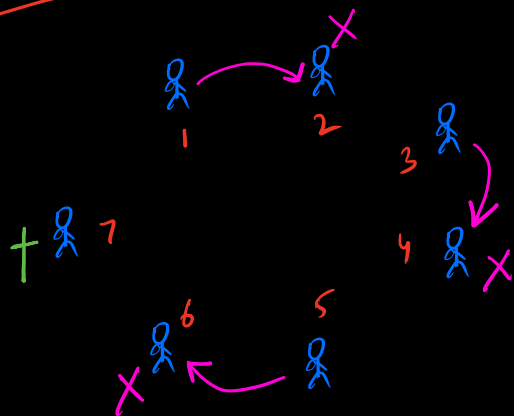


$$2^n \longrightarrow 2^{n-1} \longrightarrow \dots \longrightarrow 2^1$$

$1^s \quad 1^s \quad 1^s$

Any power of 2 \Rightarrow Soldier who starts will survive.

$n=7$



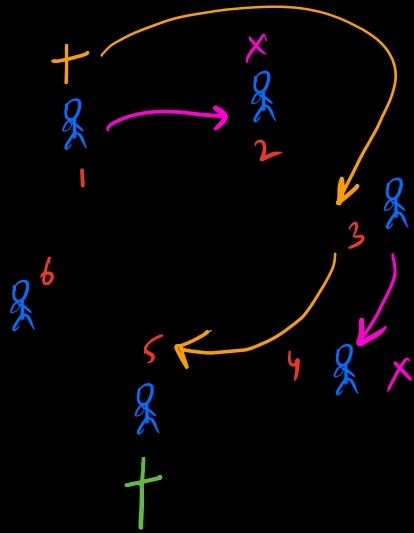
4 people left
7 has the sword.

Ans $\rightarrow 7$.

$$7 \xrightarrow{-3} 4$$

$$1 + 3 * 2 = 7$$

$n=6$



4 people left

5 has the sword

5 wins

$$\text{pos}^n \text{ of sword} = 1 + 2 * 2 = 5$$

$$n=100 \xrightarrow{-36} 64$$

$$36 \text{ hits} \Rightarrow 1 + 2 * 36$$

$$= 1 + 72 = 73$$

person who gets sword = $1 + 2 * (\text{no. of hits})$