## STA 4320 CHAP 3.1.3

He Jiang

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## Sec 3.1.3

```
Advertising dataset
```

```
fpath = getwd()
Advertising = read.csv(paste0(fpath, "/Advertising.csv"))
x = Advertising$TV
y = Advertising$sales
n = nrow(Advertising)
res = summary( lm(y ~ x) )
res
##
## Call:
## lm(formula = y \sim x)
##
## Residuals:
##
                1Q Median
## -8.3860 -1.9545 -0.1913 2.0671 7.2124
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 7.032594
                          0.457843
                                     15.36
                                              <2e-16 ***
               0.047537
                          0.002691
                                     17.67
                                              <2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 3.259 on 198 degrees of freedom
## Multiple R-squared: 0.6119, Adjusted R-squared: 0.6099
## F-statistic: 312.1 on 1 and 198 DF, p-value: < 2.2e-16
Computation of residual squared error
rse = sqrt(1 / (n-2) * sum( (y - predict(lm(y ~ x), new_obs = x) )^2))
Computation of r squared
r_{sq} = 1 - (sum((y - predict(lm(y ~ x), new_obs = x))^2) / sum((y - mean(y))^2))
Simple point estimate
# note that the new value needs to be provided in data.frame
new_obs = data.frame(x = 200)
as.numeric( predict(lm(y ~ x), new_obs) )
```

```
## [1] 16.53992
```

Confidence interval (on the expectation of all locations' sales with a certain amount of TV spending)

```
## fit lwr upr
## 1 16.53992 16.00567 17.07418
```

Prediction interval (on one location's sale with a certain amount of TV spending)

```
## fit lwr upr
## 1 16.53992 10.09162 22.98822
```