

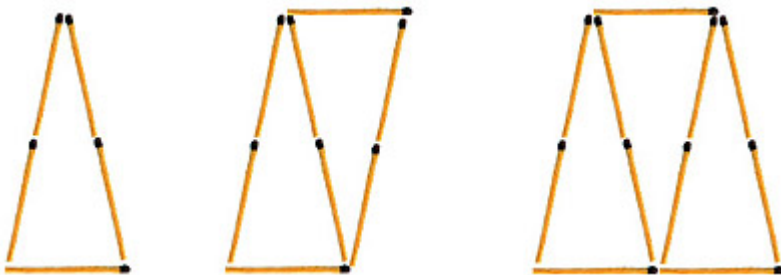
Matching up

Annotation

Frances can interpret a spatial sequential pattern, explain and write an equation to describe a linear relationship and move flexibly between representations.

Problem: Matching up

Room 2 are investigating patterns using a range of materials. The student has made this pattern and has begun making a table.



Number of Triangles (t)	Total number or Matches (m)
1	5
2	8
3	11
4	14
5	17
6	20
7	23
8	26

The teacher poses this problem:

Can you work out how many matches you need for a pattern with " t " triangles?

Student Response

Frances adds to the table and then writes an equation:

Number of Triangles (t)	Total number or matches (m)
1	5
2	8
3	11
4	14
70	212

$$m = 3t + 2$$

Teacher: Tell me about your thinking.

Well I've called the number of triangles " t " and the total number of matches " m ". Except for the first triangle, every triangle needs three matches. So, except for the first triangle, three times t will give m , which is the total number of matches. The first triangle uses five

Frances: matches, two more than all the others, so we have to add those two on. That's the $+ 2$. So the equation is $m = 3t + 2$.

I included that last number in the table just to show how this equation works when there are 70 triangles. So it would work for any number.