

Part 5.1 Answers

1. Margin of Error: $\frac{1}{\sqrt{n}} = \frac{1}{\sqrt{1000}} = 0.0316$ (3sf) = 3.16%

Construct the confidence interval: $65\% \pm 3.16\% = (61.8\%, 68.2\%)$

Interpret what this Means: We can say, with 95% confidence, that the percentage of kiwi school students who bring their own device to school is somewhere between 61.8% and 68.2%

Make a Judgement: The percentage of kiwi school students who bring their own device to school could be as low as 61.8% and so this confidence interval does support a claim of over 50% as implied by the "majority" statement.

2. Margin of Error: $\frac{1}{\sqrt{n}} = \frac{1}{\sqrt{300}} = 0.0577$ (3sf) = 5.77%

Construct the confidence interval: $54\% \pm 5.77\% = (48.2\%, 59.8\%)$

Interpret what this Means: It is a fairly safe bet that the percentage of people who support the new law is somewhere between 48.2% and 59.8%.

Make a Judgement: The percentage of that the percentage of people who support the new law could be as low as 48.2% and so this confidence interval does support a claim of over 50% as implied by the "over half" statement.

3. Margin of Error: $\frac{1}{\sqrt{n}} = \frac{1}{\sqrt{100}} = 0.1 = 10\%$

Construct the confidence interval: $36\% \pm 10\% = (26\%, 46\%)$

Interpret what this Means: I am fairly sure that the percentage of New Zealanders that have an iPhone is somewhere between 26% and 46%.

Make a Judgement: The percentage of New Zealanders who own an iPhone could be as high as 46% and so this confidence interval does support a claim of under 50% as implied by the "less than half" statement.

4. Margin of Error: $\frac{1}{\sqrt{n}} = \frac{1}{\sqrt{1000}} = 0.0316$ (3sf) = 3.16% Construct the confidence interval: $51\% \pm 3.16\% = (48.8\%, 54.2\%)$

Interpret what this Means: We can say, with 95% confidence, that the percentage of kiwi school students who have a Facebook account is somewhere between 47.8% and 54.2%.

Make a Judgement: The percentage of kiwi school students who have a Facebook account could be as **low** as **47.8%**, and so this confidence interval **doesn't** support a claim of **over** 50% as implied by the "majority" statement.