

Syntax Analysis- III

Predictive Parsers Design

Introduction:

Predictive Parsers use a predictive parsing table to determine which production rule is to be used to expand a non-terminal depending on the input symbol. It has to be **LL(1) grammar** that its *left most derivation* can be found by scanning *1 symbol* at a time.

A predictive parser is constituted of four parts:

- i) An input string ending with \$
- ii) A stack
- iii) a predictive parsing table
- iv) An output

- Stack-

The stack contains the input that has been scanned but not yet processed. The stack contains a \$ at the end to demark the end of stack pointer. The stack is initialized by the start symbol.

- Predictive Parsing Table:

It is a 2-D array which has columns corresponding to all terminals of the grammar and rows corresponding to all non-terminals of the grammar. A cell in the table is denoted as **M[A , a]** and contains either a production rule or an error entry.

Algorithm for Predictive Parsing :-

Let a be the current input symbol scanned and X be the top element of stack. A Predictive Parser technique works in the following way:

- 1) If $X=a=\$$ (string is valid and accepted)
- 2) If $X=a\neq\$$ (if a is terminal, pop it from stack and add to output)
- 3) If $X=$ non-terminal (Go to entry in parsing table $M[X,a]$ if a production rule exists, pop X , Push elements of production rule into stack otherwise call error handler routine)

How to generate Predictive Parsing Table

Compute value of two functions for all terminals and non-terminals of the grammar:

- 1) FIRST()
- 2) FOLLOW()

Algorithm:

1) FIRST():-

FIRST(n) returns the set of all terminals which can be the start of grammar symbol 'n' (n can be a terminal or non-terminal)

1. If n is a terminal, **First(n) = {n}**
2. If n is a non-terminal, **First(n)** is determined as follows:-
 - a) If $n \rightarrow a\alpha | b\beta | c\gamma$ where a, b, c are terminals,
First(n) = {a, b, c}
 - b) If $n \rightarrow A\alpha | B\alpha$ where $\alpha \neq \epsilon$
First(n) = First(A) \cup First(B) except ϵ
 - c) If $n \rightarrow \epsilon$ or $n \rightarrow A\alpha$ where $\alpha = \epsilon$ and First(A) contains ϵ
First(n) = { ϵ } ; add ϵ to First(n)

2) Follow():-

Follow(n) returns the set of all terminals that can follow the non-terminal 'n'. Follow() can only be computed for non- terminals.

- 1) Add \$ to follow of start symbol
- 2) For production rule $A \rightarrow \alpha B \beta$
add **First(β)** to **Follow(B)** except ϵ
- 3) For rule $A \rightarrow \alpha B$ or $A \rightarrow \alpha B \beta$ where First(β) = ϵ
add **Follow(A)** to **Follow(B)**

Construction of Predictive Parsing Table

INPUT: Grammar G .

OUTPUT: Parsing table M .

METHOD: For each production $A \rightarrow \alpha$ of the grammar, do the following:

1. For each terminal a in FIRST(A), add $A \rightarrow \alpha$ to $M[A, a]$.
2. If ϵ is in FIRST(α), then for each terminal b in FOLLOW(A), add $A \rightarrow \alpha$ to $M[A, b]$. If ϵ is in FIRST(α) and \$ is in FOLLOW(A), add $A \rightarrow \alpha$ to $M[A, \$]$ as well.

Ex: Create the predictive parsing table for the following grammar. Also write stack contents and draw syntax tree for given input string.

$E \rightarrow TE'$

$E' \rightarrow +TE' \mid \epsilon$

$T \rightarrow FT'$

$T' \rightarrow *FT' \mid \epsilon$

$F \rightarrow id \mid (\epsilon)$

Solution:

Step 1: Compute First() and Follow():

$\text{First}(+) = \{+\}$

$\text{First}(*) = \{*\}$

$\text{First}(id) = \{id\}$

$\text{First}(() = \{ (\}$

$\text{First}()) = \{) \}$

$\text{First}(E) = \{ (, id \}$

$\text{First}(E') = \{ +, \epsilon \}$

$\text{First}(T) = \{ (, id \}$

$\text{First}(T') = \{ * , \epsilon \}$

$\text{First}(F) = \{ (, id \}$

$\text{Follow}(E) = \{ \$,) \}$

$\text{Follow}(E') = \{ \$,) \}$

$\text{Follow}(T) = \{ \$, +, (\}$

$\text{Follow}(T') = \{ \$, +, (\}$

$\text{Follow}(F) = \{ * , +, (, \$ \}$

Step 2: Construction of parsing table

M	Id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow id$			$F \rightarrow (E)$		