





### Neural Nets 3

**Performance & Optimization** 







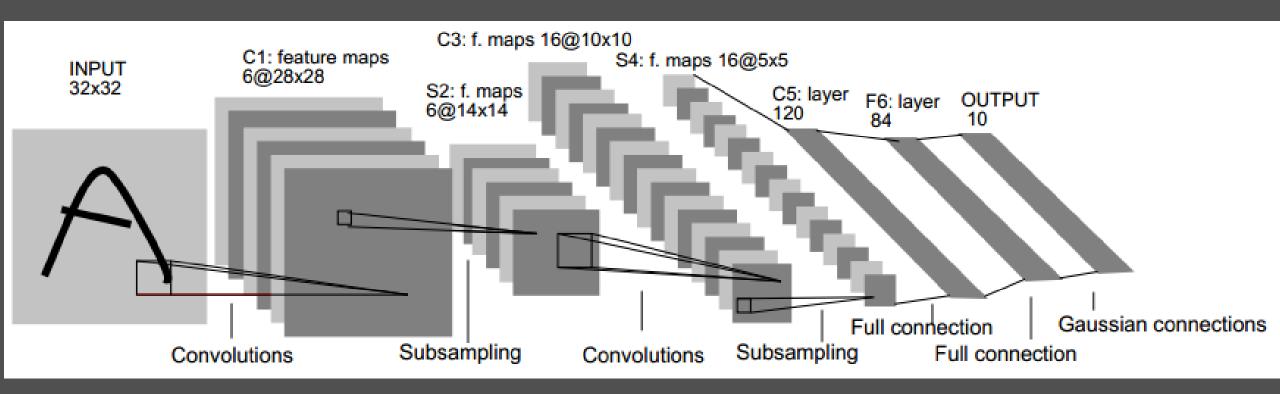
#### Overview:

- CNN Visualization
- Performance Metrics
- Batch, Mini-Batch and Stochastic Learning
- K-Fold-Cross Validation
- Momentum
- Dropout
- Plot while Training in tensorflow















# Visualizing the process within a CNN: https://cs.stanford.edu/people/karpathy/convnetjs/demo/cifar10.html









# Improve generalization of CNN through augmentation of dataset:

- Rotate
- Add Noise
- Mirror

•







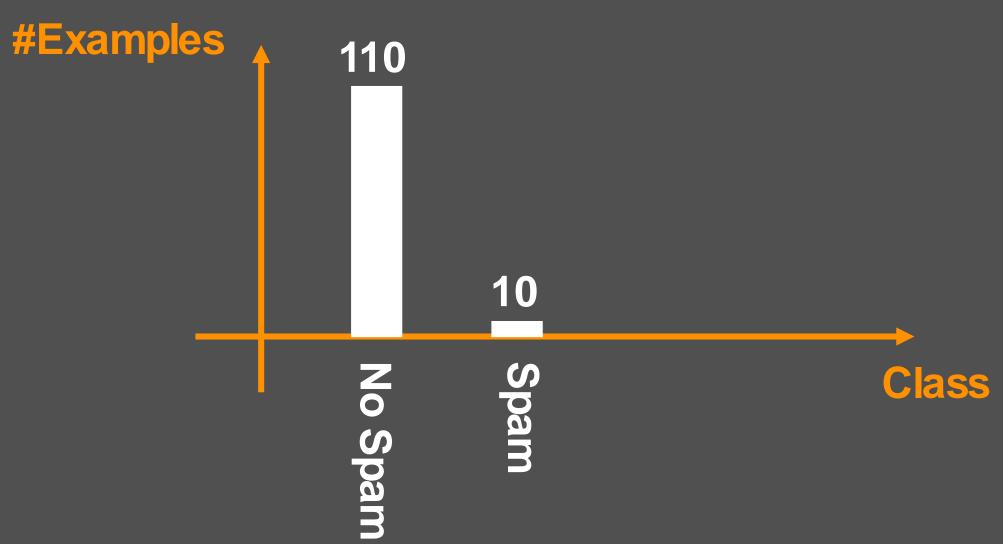
# In which situations is the accuracy of a classifier not an appropriate metric?







#### **Test-Set**

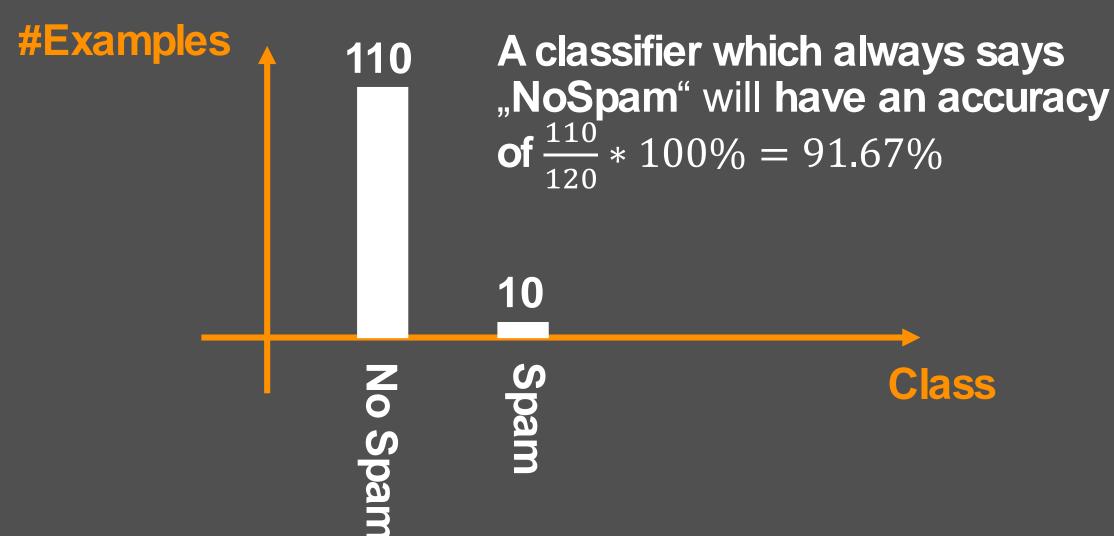








#### Test-Set









## More Metrics







#### **Binary Classification**

True Class	<b>Predicted Class</b>	Туре
0	0	True Positive
0	1	False Negative
1	0	False Positive
1	1	True Negative







#### **Confusion Matrix**

(#True Positive

#False Negative (#False Positive #True Negative )

True Class	<b>Predicted Class</b>	Туре
0	0	True Positive
0	1	False Negative
1	0	False Positive
1	1	True Negative







(#True Positive (#False Positive

#False Negative\ #True Negative)

Accuracy =

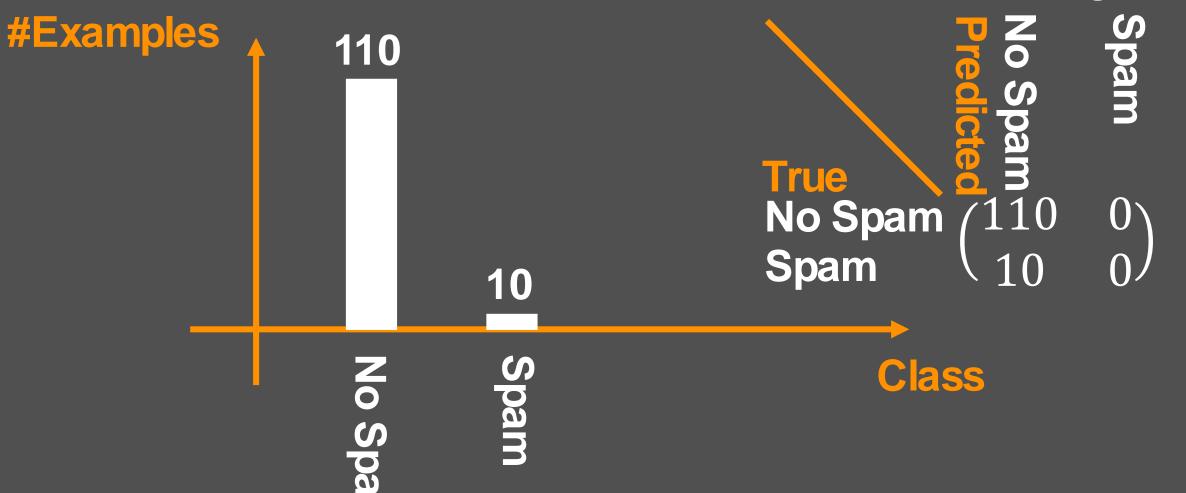
#True Positive + #True Negative #Examples







(#True Positive |#False Positive #False Negative \
#True Negative )









$$Accuracy = \frac{\#True\ Positive + \#True\ Negative}{\#Examples}$$

$$Accuracy * 100\% = \frac{110 + 0}{120} * 100\% = 91.67\%$$







(#True Positive (#False Positive

#False Negative \
#True Negative )

Precision =

#True Positive

#True Positive + #False Positive







$$Precision = \frac{\#True\ Positive}{\#True\ Positive + False\ Positive}$$

$$Precision * 100\% = \frac{110}{110 + 10} * 100\% = 91.67\%$$







(#True Positive (#False Positive

#False Negative \
#True Negative )

Recall =

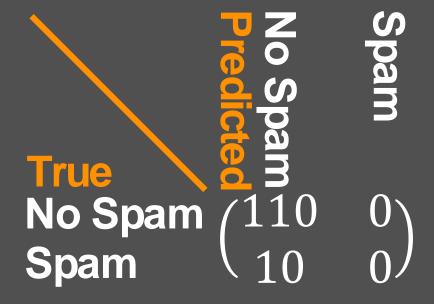
#True Positive

#True Positive + #False Negative









$$Recall = \frac{\#True\ Positive}{\#True\ Positive + \#False\ Negative}$$

$$Precision * 100\% = \frac{110}{110 + 0} * 100\% = 100\%$$







Precision =

#True Positive

#True Positive + #False Positive

Recall =

#True Positive

#True Positive + #False Negative

F1Score =

2 \* Precision \* Recall

Precision + Recall







$$Precision = 1 Recall = 1 F1Score = \frac{2 * 0.9167 * 1}{1 + 0.9167} \sim 0.957$$

$$F1Score = \frac{2 * Precision * Recall}{Precision + Recall}$$







	predicted condition				
	total population	prediction positive	prediction negative	$= \frac{\Sigma \text{ condition positive}}{\Sigma \text{ total population}}$	
true condition	condition positive	True Positive (TP)	False Negative (FN) (type II error)	True Positive Rate (TPR), Sensitivity, Recall, Probability of Detection $= \frac{\sum TP}{\sum condition positive}$	False Negative Rate (FNR),  Miss Rate $= \frac{\Sigma \text{ FN}}{\Sigma \text{ condition positive}}$
	condition negative	False Positive (FP) (Type I error)	True Negative (TN)	False Positive Rate (FPR), Fall-out, Probability of False Alarm $= \frac{\sum FP}{\sum \text{ condition negative}}$	True Negative Rate (TNR),
	$= \frac{\sum TP + \sum TN}{\sum \text{total population}}$	Positive Predictive Value (PPV), $= \frac{\text{Precision}}{\sum \text{TP}}$ $= \frac{\sum \text{TP}}{\sum \text{prediction positive}}$	False Omission Rate (FOR) $= \frac{\Sigma \text{ FN}}{\Sigma \text{ prediction negative}}$	Positive Likelihood Ratio (LR+) $= \frac{TPR}{FPR}$	Diagnostic Odds Ratio (DOR) $= \frac{LR+}{LR-}$
		False Discovery Rate (FDR) $= \frac{\Sigma \text{ FP}}{\Sigma \text{ prediction positive}}$	$\begin{aligned} & \text{Negative Predictive Value (NPV)} \\ &= \frac{\Sigma \text{ TN}}{\Sigma \text{ prediction negative}} \end{aligned}$	Negative Likelihood Ratio (LR-) $= \frac{FNR}{TNR}$	- LR-

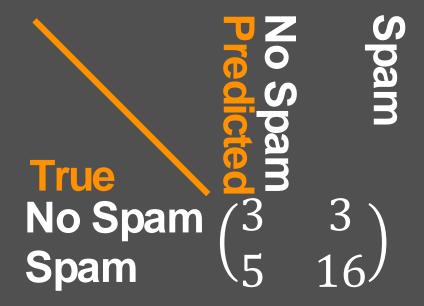






(#True Positive #False I (#False Positive #True N

#False Negative\ #True Negative)



#Examples

= #True Positive + #False Negative + #False Positive + #True Negative

$$#Examples = 3 + 3 + 5 + 16 = 27$$



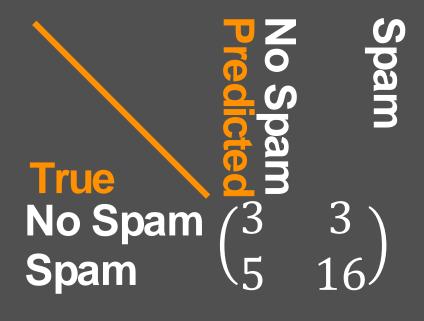




$$#Examples = 27$$

$$Accuracy = \frac{\#True\ Positive + \#True\ Negative}{\#Examples}$$

$$Accuracy = \frac{3+16}{27} \sim 0.7$$





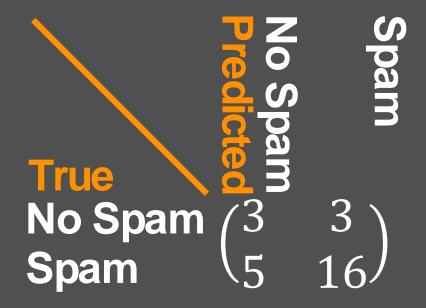




$$Precision = \frac{\#True\ Positive}{}$$

#True Positive + #False Positive

$$Precision = \frac{3}{3+5} \sim 0.375$$





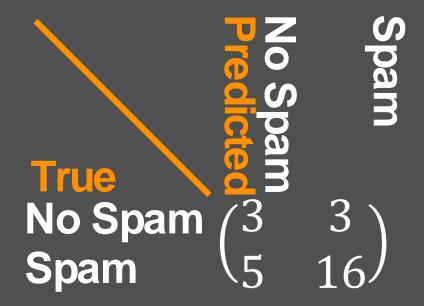




$$Recall = \frac{\#True\ Positive}{\#True\ Positive}$$

#True Positive + #False Negative

$$Recall = \frac{3}{3+3} = 0.5$$







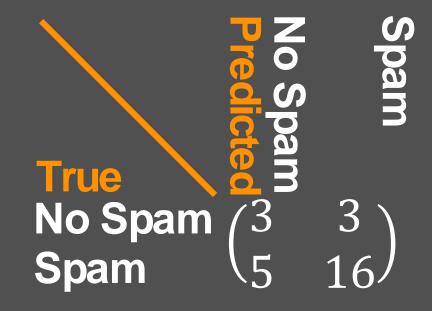


$$F1Score = \frac{2*Precision*Recall}{Precision+Recall}$$

$$Precision = 0.375$$

$$Recall = 0.5$$

$$F1Score = \frac{2 * 0.375 * 0.5}{0.375 + 0.5} \sim 0.429$$







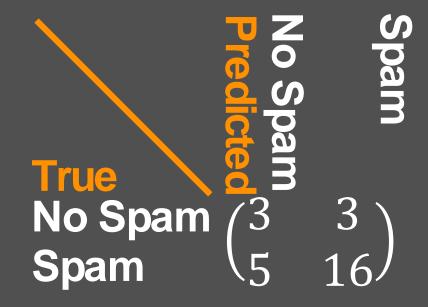


$$Accuracy = 0.7$$

$$Precision = 0.375$$

$$Recall = 0.5$$

$$F1Score = 0.429$$



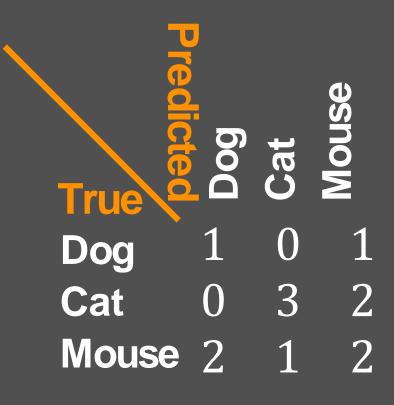






## Given the following Confusion Matrix – calculate:

- Accuracy
- Average Precision
- Average Recall
- F1Score of averaged Precision and Recall





Recall =





$$Accuracy = \frac{\#True\ Positive + \#True\ Negative}{\#Examples}$$

$$Precision = \frac{\#True\ Positive}{\#True\ Positive + \#False\ Positive}$$

$$F1Score = \frac{2 * Precision * Recall}{Precision + Recall}$$

#True Positive

#True Positive + #False Negative

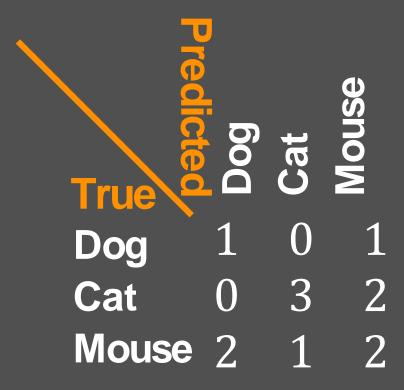








• #Example = 12









- #Example = 12
- Accuracy = 0.5









- #Example = 12
- Accuracy = 0.5
- $Precision(Dog) \sim 0.3$
- Precision(Cat) = 0.75
- Precision(Mouse) = 0.4
- $\overline{Precision} = 0.48$

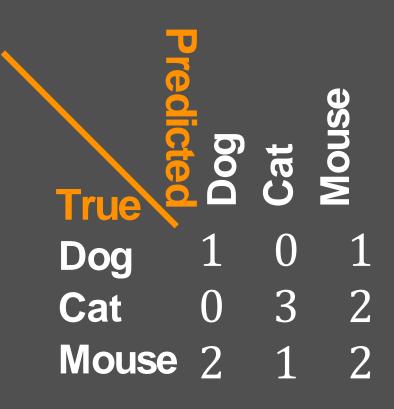








- #Example = 12
- Accuracy = 0.5
- $Precision(Dog) \sim 0.3$
- Precision(Cat) = 0.75
- Precision(Mouse) = 0.4
- $\overline{Precision} = 0.48$
- Recall(Dog) = 0.5
- Recall(Cat) = 0.6
- Recall(Mouse) = 0.4
- $\overline{Recall} = 0.5$

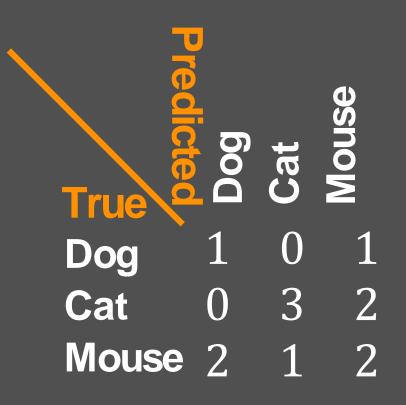








- #Example = 12
- Accuracy = 0.5
- $Precision(Dog) \sim 0.3$
- Precision(Cat) = 0.75
- Precision(Mouse) = 0.4
- $\overline{Precision} = 0.48$
- Recall(Dog) = 0.5
- Recall(Cat) = 0.6
- Recall(Mouse) = 0.4
- $\overline{Recall} = 0.5$
- *F1Score*~0.49









#### **Full-Batch Learning**

# $E = \frac{1}{2m} \sum_{i=1}^{m} (\hat{y}_i - y_i)^2$

#### repeat until convergence{

$$\theta_1 \coloneqq \theta_1 - \alpha * \frac{\partial E(\theta_1)}{\partial \theta_1}$$

}

#### **Full Dataset Length**







#### **Stochastic Gradient Descent**

#### One Example

$$E = \frac{1}{2m} \sum_{i=1}^{m} (\hat{y}_i - y_i)^2 = \frac{1}{2} (\hat{y}_i - y_i)^2$$

#### repeat until convergence{

$$\theta_1 \coloneqq \theta_1 - \alpha * \frac{\partial E(\theta_1)}{\partial \theta_1}$$

}







#### **Minibatch**

# $E = \frac{1}{2m} \sum_{i=1}^{m} (\hat{y}_i - y_i)^2$

# repeat until convergence{

$$\theta_1 \coloneqq \theta_1 - \alpha * \frac{\partial E(\theta_1)}{\partial \theta_1}$$

}

# **Length of Minibatch**







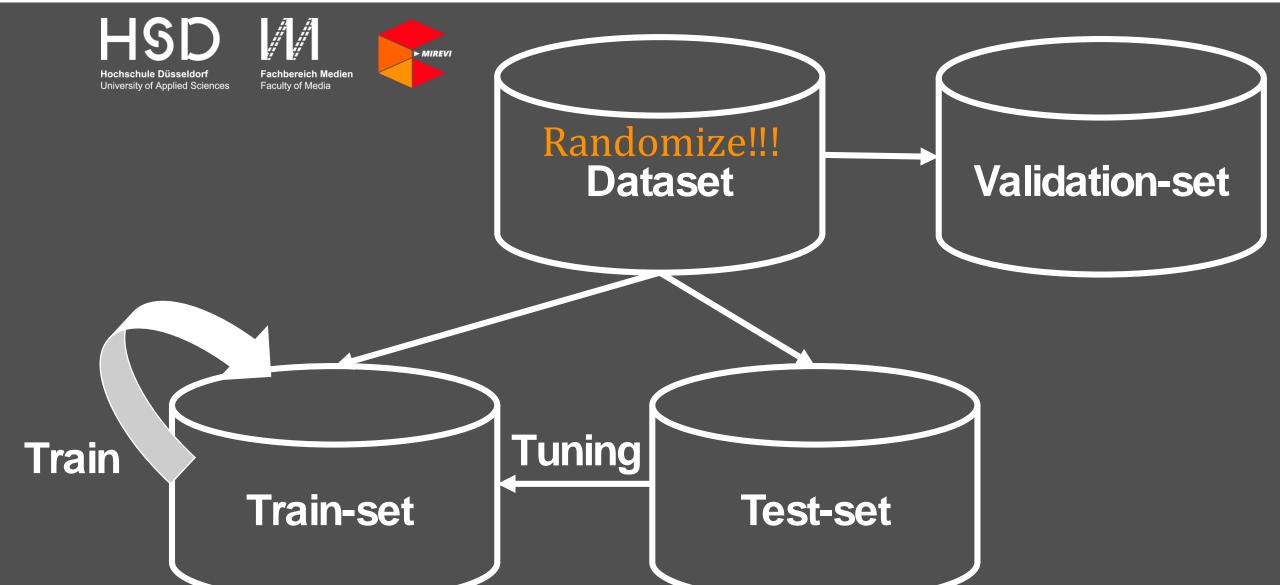
	Stochastic GD	Full-Batch	Mini-Batch
Online- Learning	Yes	No	Yes
Variance of Gradients	High	Low	Middle
Fit in Memory	Yes	Depends on dataset length	Depends on batch-size
Speed of Convergence	High	Slow	Medium







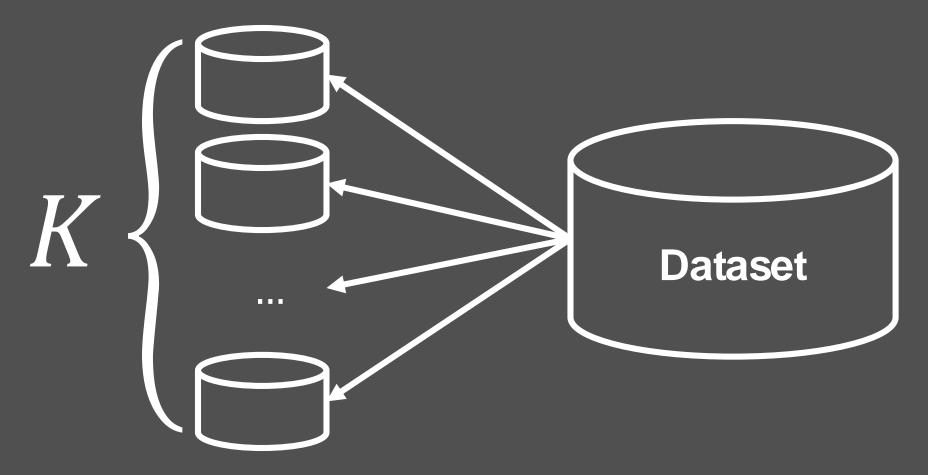
# Validation







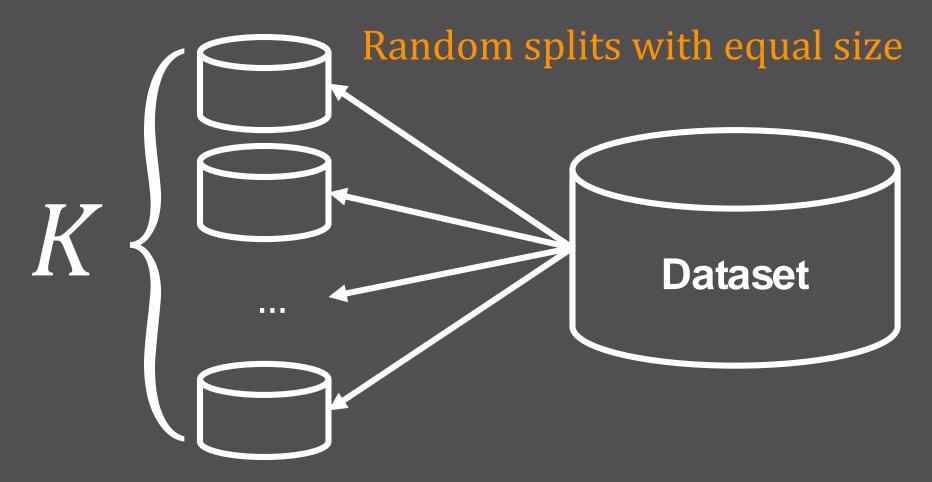








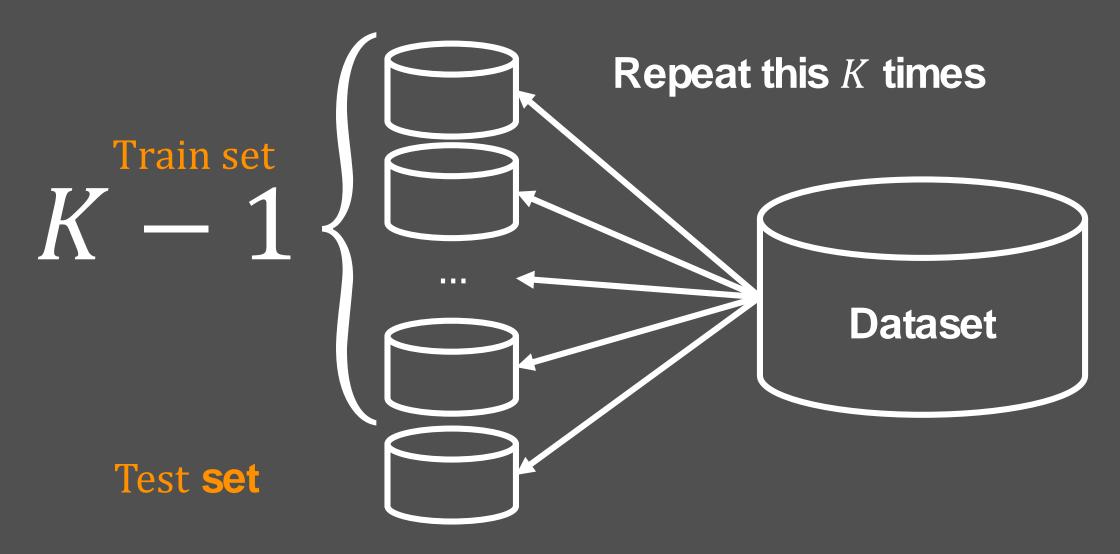


















```
Randomize dataset
Split whole dataset into K datasets (folds)
sum performance = 0
for i = 0 in range(K){
     testset = fold(i)
     trainset=fold(i \neq 0)
     train(trainset)
     perfomance = test(testset)
     sum performance+=performance
sum_performance /= K
```







#### Randomize dataset







# Randomize dataset Split whole dataset into *K* datasets (folds)







Randomize dataset Split whole dataset into K datasets (folds) sum\_performance = 0 for i = 0 in range(K){

}







Randomize dataset Split whole dataset into K datasets (folds) sum\_performance = 0 for i = 0 in range(K){ testset = fold(i)







Randomize dataset Split whole dataset into K datasets (folds) sum\_performance = 0 for i = 0 in range(K){ testset = fold(i) trainset=fold( $i \neq 0$ )

}







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     sum performance+=performance
sum_performance /= K
```







Recommendation:

K=10 (Gold Standard)

• Special Case K = #Examples:

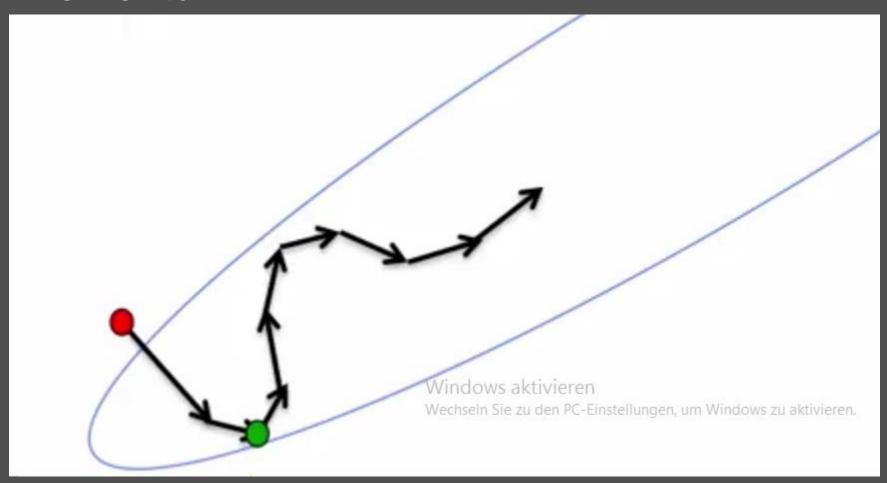
Leave One Out Cross Validation (LOOCV)







# Momentum









#### **Momentum**

# **Usual Weight Update:**

$$\theta \coloneqq \theta - \alpha \frac{\partial E(\theta)}{\partial \theta}$$
,  $\Delta \theta = -\alpha \frac{\partial E(\theta)}{\partial \theta}$ 

$$\theta \coloneqq \theta + \Delta \theta$$







# **Usual Weight Update:**

$$\theta \coloneqq \theta - \alpha \frac{\partial E(\theta)}{\partial \theta}, \Delta \theta = -\alpha \frac{\partial E(\theta)}{\partial \theta}$$

$$\theta \coloneqq \theta + \Delta \theta$$

#### Momentum:

$$\Delta \theta_t \coloneqq -\alpha \frac{\partial E(\theta)}{\partial \theta} + \varepsilon * \Delta \theta_{t-1}, 0 < \varepsilon \le 1$$
  
$$\theta_{t+1} = \theta_t + \Delta \theta_t$$







#### Momentum:

- Faster convergence
- Smooth out variance of gradients
- Use Decay for Momentum  $\varepsilon$
- Find good value and decay through cross validation

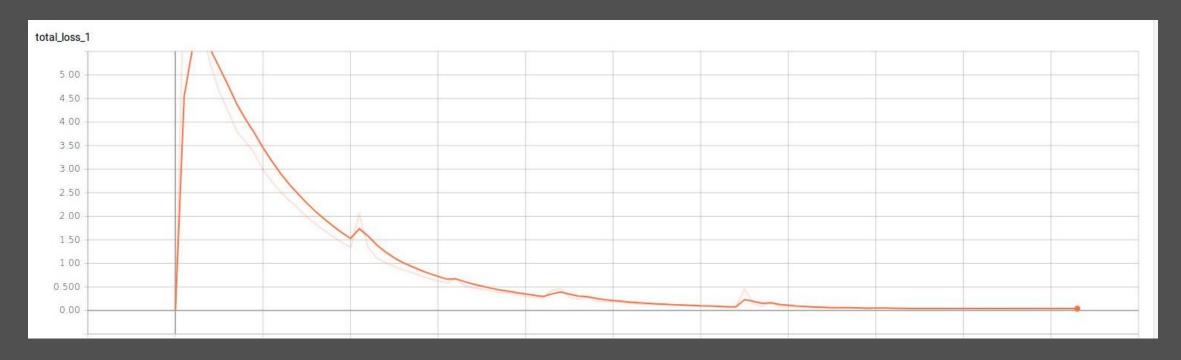






# Rate performance of neural net

- High bias / Underfitting
- High variance / Overfitting









# **Dropout**

- Strategy to avoid overfitting
- Randomly exclude some neurons from training process
  - Exclude from forward pass
  - Excude from backward pass







#### tensorboard

- Create a tf.summary
  - Store important variables (Scalars, Histograms, Images, ...)
- Write tf.summary to file
- Open tensorboard with events-file as target







# tensorboard examples:

- Tensorflow documentation
- Internet
- Star Recognition (Repository)
- DQN (Repository)









**Neural Nets 3 / M.Sc. Marcel Tiator** 







# **CNN** example

- Start tensorboard to debug the training process
- Implement Momentum
- Use a data augmentation technique to make generalization more robust
- Implement train, test, validation split
- Download weights and image of one of the five stars to test prediction







# Start tensorboard to debug the training process

- Start the training process
- Start tensorboard in directory with event-file







# **Hints: Implement Momentum**

- Implement tf.train.MomentumOptimizer
- Search for "optimizer" in cnn.py







# Use a data augmentation technique to make generalization more robust

- Change .tfrecord writing to save RGB-Images
- Implement RGB to Grayscale in training process
- Normalize data before the training process!!!
- Use tf.image.random... operations to augment the input data







# Implement train, test, validation split

- Create a new python script
- Count the number of examples
- Randomize the examples
- Create variables for the train, test and validation proportion
- Write .tfrecord files
  - Have a look at write\_tfrecord.py







# Download weights and image of one of the five stars to test prediction

- Works only if RGB to Grayscale conversion is implemented
- Solution will be pushed at the end of the lesson







- Data (if not yet downloaded): https://nextcloud.mirevi.medien.hsduesseldorf.de/index.php/s/kPXwJiac7vTQVeu
- Pretrained Weights: <u>https://nextcloud.mirevi.medien.hs-</u> duesseldorf.de/index.php/s/L6Y6tnD3PpANKmr
- Repository: <a href="https://github.com/mati3230/modalg181">https://github.com/mati3230/modalg181</a>
- Read: <a href="https://www.tensorflow.org/tutorials/deep\_cnn">https://www.tensorflow.org/tutorials/deep\_cnn</a>