

## Automated Classification using Decision Trees

### Specification

The basic idea is to write a program that, given a collection of training data for a classification problem, generates a Decision Tree via the ID3 algorithm.

### Background

Decision trees are hierarchical data structures functioning as classifier systems. They are constructed based on a set of training data for which the value of the target function is known (i.e. a form of Supervised Learning). ID3 is a greedy algorithm that generates shortest-path decision trees.

### Resources

- Your text contains a psuedocode presentation of the ID3 algorithm (Figure 9.3).
- A tutorial describing the operation of the ID3 algorithm has been posted on the course web page (see Decision Tree Generation).
- The course web page also includes a link to the UCI Machine Learning Repository, a good source of databases culled from many different domains.

### Implementation

Implement the basic ID3 algorithm to create a decision tree classifier.

ID3 ( $S$ )

```
if all examples in  $S$  are of the same class
    return a leaf with that class label
else if there are no more attributes to test
    return a leaf with the most common class label
else
    choose the attribute  $a$  that maximizes the Information Gain of  $S$ 
    let attribute  $a$  be the decision for the current node
    add a branch from the current node for each possible value  $v$  of attribute  $a$ 
    for each branch
        "sort" examples down the branches based on their value  $v$  of attribute  $a$ 
        recursively call ID3( $S_v$ ) on the set of examples in each branch
```

To implement the algorithm, you will need:

- A measure of purity (e.g. Entropy):

$$\text{Entropy}(S) \equiv -\sum_{i=1}^k p_i \log_2 p_i$$

where  $S$  is the collection of examples,  $k$  is the number of categories, and  $p_i$  is the ratio of the cardinality of category  $i$  to the cardinality of  $S$ , as in  $p_i = N_i/N$

- The formula for Information Gain:

$$\text{Gain}(S, a) = \text{Entropy}(S) - \sum_{v=\text{values}(a)} \frac{|S_v|}{|S|} \text{Entropy}(S_v)$$

where  $\text{values}(a)$  is the set of all possible values for attribute  $a$ , and  $S_v$  is the subset of set  $S$  for which attribute  $a$  has value  $v$ .

### Data Sets

Sample datasets have been posted on the course Web page. Datafile format is:

NumTargets

*targetNames*

NumAttributes

*attributeName* numValues *attributeValues* // each attribute takes multiple values

*attributeName* "real" // continuous-valued attribute

NumExamples

*attributeValues targetValue* // one example per line

You may assume there will be discrete (nominal) attribute values for all training data. A continuous-valued dataset is posted (Iris.data). The datasets contain a "header" containing metadata – you may modify them in any way you choose. You may of course use any language/platform.

### Requirements

Submit a written report and be prepared to present your solution to the class.

- ☐ Include complete documentation of your code.
- ☐ Describe your approach, choice of metric, any interesting problems encountered or experiments performed, packages used, etc.
- ☐ Demonstrate/test the effectiveness of your classifier.
- ☐ Extract the *rule-base* (IF-THEN) or diagram your decision tree.
- ☐ Include a discussion/analysis of your results.

### Further Investigation (extra credit)

- Extensions
  - Find/create/use a different problem domain and dataset
  - Add “*Classification* mode” to your program (i.e. input an unseen example and use the decision tree to output a prediction/classification)
- Alternate implementations
  - Experiment with alternate splitting functions
  - Experiment with weighted training data
- Structural Enhancements
  - Implement pruning
- Usability
  - Incorporate numeric-valued training data
- Visualization
  - Create a visualization of your growing/final tree
- Ensemble Learning
  - Implement Random Forests and investigate their performance