Modyfikacje/hybrydyzacje algorytmu PSO w zadaniu optymalizacji globalnej wielowymiarowej funkcji ciÄĚgÅĆej Testbed

PSO-DE Hybrid *

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ABSTRACT

Dokumentacja uzyskanych wynik Asw hybrydy PSO-DE

Categories and Subject Descriptors

G.1.6 [Numerical Analysis]: Optimization—global optimization, unconstrained optimization; F.2.1 [Analysis of Algorithms and Problem Complexity]: Numerical Algorithms and Problems

General Terms

Algorithms

Keywords

Benchmarking, Black-box optimization

CPU TIMING 1.

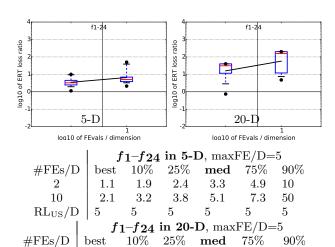
In order to evaluate the CPU timing of the algorithm, we have run the PSO-DE Hybrid on the function f_8 with restarts for at least 30 seconds and until a maximum budget equal to 400(D+2) is reached. The code was run on a Mac Intel(R) Core(TM) i5-2400S CPU @ 2.50GHz with 1 processor and 4 cores. The time per function evaluation for dimensions 2, 3, 5, 10, 20, 40 equals x.x, x.x, x.x, x.x, xx, xxx, and xxx milliseconds respectively.

RESULTS 2.

Data 1 from experiments according to [?] on the benchmark functions given in [?, ?] are presented in Figures 1, 2, 3, and 4 and in Tables 1.

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11

12

5

31

5

1.5e2

0.74

4.8

| 5

10

 RL_{US}/D

2.3

7.4

40

2.0e2

40

2.0e2

Figure 3: ERT loss ratio versus the budget in number of f-evaluations divided by dimension. For each given budget FEvals, the target value f_t is computed Results of C:/Users/Mateusz/Desktop/PSO DE/bbobjava/bbobjava/bbobjava/file2/jest/fargetmf-rvalue reached within the budget by the given algorithm. Shown is then the ERT to reach f_t for the given algorithm or the budget, if the GECCO-BBOB-2009 best algorithm reached a better target within the budget, divided by the best ERT seen in GECCO-BBOB-2009 to reach f_t . Line: geometric mean. Box-Whisker error bar: 25-75%-ile with median (box), 10-90%-ile (caps), and minimum and maximum ERT loss ratio (points). The vertical line gives the maximal number of function evaluations in a single trial in this function subset. See also Figure 4 for results on each function subgroup.

^{*}Submission deadline: March 28th.

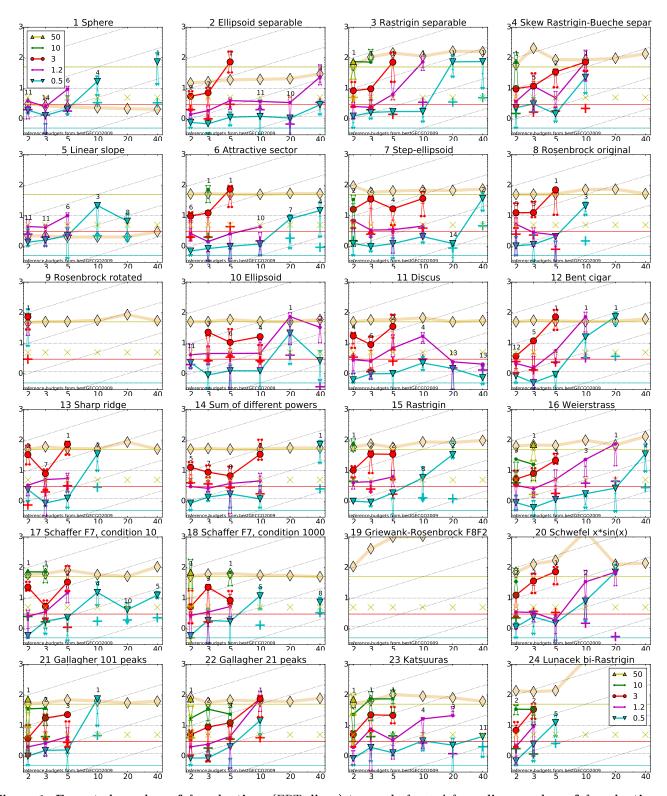


Figure 1: Expected number of f-evaluations (ERT, lines) to reach $f_{\rm opt}+\Delta f$; median number of f-evaluations (+) to reach the most difficult target that was reached not always but at least once; maximum number of f-evaluations in any trial (\times); interquartile range with median (notched boxes) of simulated runlengths to reach $f_{\rm opt}+\Delta f$; all values are divided by dimension and plotted as \log_{10} values versus dimension. Shown is the ERT for targets just not reached by the artificial GECCO-BBOB-2009 best algorithm within the given budget $k \times {\rm DIM}$, where k is shown in the legend. Numbers above ERT-symbols indicate the number of trials reaching the respective target. The light thick line with diamonds indicates the respective best result from BBOB-2009 for the most difficult target. Slanted grid lines indicate a scaling with $\mathcal{O}({\rm DIM})$ compared to $\mathcal{O}(1)$ when using the respective 2009 best algorithm.

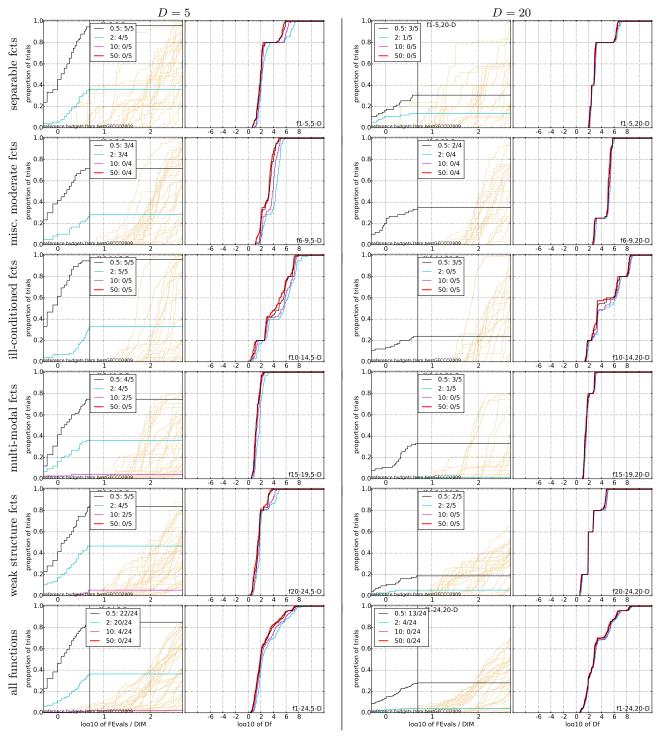


Figure 2: Empirical cumulative distribution functions (ECDF), plotting the fraction of trials with an outcome not larger than the respective value on the x-axis. Left subplots: ECDF of number of function evaluations (FEvals) divided by search space dimension D, to fall below $f_{\rm opt} + \Delta f$ where Δf is the target just not reached by the GECCO-BBOB-2009 best algorithm within a budget of $k \times {\rm DIM}$ evaluations, where k is the first value in the legend. Legends indicate for each target the number of functions that were solved in at least one trial within the displayed budget. Right subplots: ECDF of the best achieved Δf for running times of $0.5D, 1.2D, 3D, 10D, 100D, 1000D, \ldots$ function evaluations (from right to left cycling cyan-magenta-black...) and final Δf -value (red), where Δf and Df denote the difference to the optimal function value. Light brown lines in the background show ECDFs for the most difficult target of all algorithms benchmarked during BBOB-2009.

			5-D			
#FEs/D	0.5	1.2	3	10	50	#succ
f ₁		1.6e+1:7.6	1.0e-8:12	1.0e-8:12	1.0e-8:12	15/15
	2.2(0.9)	6.1(8)	∞	∞	$\infty 25$	0/15
$\mathbf{f_2}$	1.6e+6:2.9		4.0e+4:15	6.3e+2:58	1.0e-8:95	15/15
	2.0(2)	1.8(0.8)	24(13)	∞	$\infty 25$	0/15
f_3	1.6e+2:4.1	1.0e+2:15		2.5e+1:73	1.0e+1:716	
	2.1(2)	2.2(2)	15(16)	∞	$\infty 25$	0/15
f_4	2.5e+2:2.6	1.6e+2:10	1.0e+2:19	4.0e+1:65	1.6e+1:434	
	2.8(4)	2.5(3)	9.1(10)	∞	$\infty 25$	0/15
f ₅	6.3e+1:4.0		1.0e-8:10	1.0e-8:10	1.0e-8:10	15/15
	2.8(4)	5.1(3)	∞	∞	$\infty 25$	0/15
f_6	1.0e+5:3.0	2.5e+4:8.4	1.0e+2:16	2.5e+1:54	2.5e-1:254	15/15
	1.7(3)	1.5(1)	23(25)	∞	$\infty 25$	0/15
f ₇		1.0e+2:6.2		4.0e+0:54	1.0e+0:324	
	1.5(1)	2.8(2)	4.2(6)	∞	$\infty 25$	0/15
f_8		6.3e+3:6.8	1.0e+3:18	6.3e+1:54	1.6e+0:258	
	2.3(4)	1.7(1)	20(25)	∞	∞ 25	0/15
f ₉	2.5e+1:20	1.6e+1:26	1.0e+1:35	4.0e+0:62	1.6e-2:256	15/15
	∞	∞	∞	∞	∞ 25	0/15
f ₁₀		6.3e+5:7.0		6.3e+3:54	2.5e+1:297	
-	2.2(3)	3.3(5)	3.2(4)	∞	∞ 25	0/15
f ₁₁	1.0e+6:3.0			6.3e+1:74	6.3e-1:298	15/15
	1.7(1)	5.6(3)	11(8)	0.6e+4:52	0.025 1.0e+0:268	0/15
f ₁₂	1.3(0.5)	1.6e+7:7.6 $3.7(3)$	4.0e+6:19 19(15)		1.0e+0:268 ∞25	0/15
			4.0e+2:17	6.3e+1:52	6.3e-2:264	15/15
f ₁₃	2.2(3)	3.3(4)	22(31)		0.3e-2:264 ∞25	0/15
		1.0e+1:10		2.5e-1:53	1.0e-5:251	15/15
f ₁₄	2.9(2)	1.0e + 1.10 1.9(2)	2.2(2)	2.5€-1:55	1.0e-5:251 ∞25	0/15
f ₁₅		1.0e+2:13	6.3e+1:24	4.0e+1:55	1.6e+1:289	5/5
115	3.1(6)	2.4(2)	7.0(4)	∞	∞25	0/15
f ₁₆	4.0e+1:4.8		1.6e+1:46	1.0e+1:120	4.0e+0:334	
-10	1.2(0.9)	1.6(3)	2.3(2)	∞	∞25	0/15
f ₁₇	1.0e+1:5.2	6.3e+0:26	4.0e+0:57	2.5e+0:110	6.3e-1:412	15/15
	2.3(2)	2.9(4)	3.0(5)	∞	$\infty 25$	0/15
f ₁₈	6.3e+1:3.4	4.0e+1:7.2	2.5e+1:20	1.6e+1:58	1.6e+0:318	15/15
10	2.5(6)	3.7(6)	2.1(3)	6.0(8)	$\infty 25$	0/15
f ₁₉		1.0e-1:242		4.0e-2:3078	2.5e-2:4946	15/15
10	∞	∞	∞	. ∞	$\infty 25$	0/15
f ₂₀	6.3e+3:5.1	4.0e+3:8.4	4.0e+1:15	2.5e+0:69	1.0e+0:851	15/15
	1.5(2)	1.1(1)	24(18)	∞	$\infty 25$	0/15
f ₂₁	4.0e+1:3.9	2.5e+1:11	1.6e+1:31	6.3e+0:73	1.6e+0:347	5/5
	2.0(2)	2.0(3)	3.7(3)	∞	$\infty 25$	0/15
f ₂₂	6.3e+1:3.6		2.5e+1:32	1.0e+1:71	1.6e+0:341	5/5
	2.8(0.6)	1.5(2)	1.9(2)	1.7(2)	$\infty 25$	0/15
	1.0e+1:3.0			2.5e+0:84	1.0e+0:518	
	2.1(3)	1.8(1)	3.2(3)	4.5(4)	$\infty 25$	0/15
f ₂₄	6.3e+1:15	4.0e+1:37	4.0e+1:37	2.5e+1:118	1.6e+1:692	
	4.3(4)	∞	∞	∞	$\infty 25$	0/15

			20-D			
#FEs/D	0.5	1.2	3	10	50	#succ
f ₁	6.3e+1:24	4.0e+1:42	1.0e-8:43	1.0e-8:43	1.0e-8:43	15/15
	∞	∞	∞	∞	$\infty 100$	0/15
$\mathbf{f_2}$	4.0e+6:29	2.5e+6:42	1.0e + 5:65	1.0e+4:207	1.0e-8:412	15/15
	0.74(1)	1.6(3)	∞	∞	$\infty 100$	0/15
f_3	6.3e+2:33	4.0e+2:44	1.6e+2:109	1.0e+2:255	2.5e+1:3277	15/15
	45(23)	∞	∞	∞	$\infty 100$	0/15
f_4	6.3e+2:22	4.0e+2:91	2.5e+2:250	1.6e+2:332	6.3e+1:1927	15/15
	∞	∞	∞	∞	$\infty 100$	0/15
f_5	2.5e+2:19	1.6e+2:34	1.0e-8:41	1.0e-8:41	1.0e-8:41	15/15
	7.0(6)	∞	∞	∞	$\infty 100$	0/15
f_6	2.5e+5:16	6.3e+4:43	1.6e+4:62	1.6e+2:353	1.6e+1:1078	
	10(14)	∞	∞	∞	$\infty 100$	0/15
f ₇	1.0e+3:11	4.0e+2:39	2.5e+2:74	6.3e+1:319	1.0e+1:1351	15/15
	2.3(3)	∞	∞	∞	$\infty 100$	0/15
f ₈	4.0e+4:19	2.5e+4:35	4.0e + 3:67	2.5e+2:231	1.6e+1:1470	15/15
	∞	∞	∞	∞	$\infty 100$	0/15
f ₉	1.0e+2:357	6.3e+1:560	4.0e+1:684	2.5e+1:756	1.0e+1:1716	15/15
	∞	∞	∞	∞	$\infty 100$	0/15
f ₁₀	1.6e+6:15	1.0e+6:27	4.0e + 5:70	6.3e+4:231	4.0e+3:1015	15/15
	29(67)	54(53)	∞	∞	$\infty 100$	0/15
f ₁₁	4.0e+4:11	2.5e+3:27	1.6e+2:313	1.0e+2:481	1.0e+1:1002	15/15
	2.6(1)	1.8(2)	∞	∞	$\infty 100$	0/15
f ₁₂	1.0e+8:23	6.3e+7:39	2.5e+7:76	4.0e+6:209	1.0e+1:1042	15/15
	64(59)	∞	∞	∞	$\infty 100$	0/15
f ₁₃	1.6e+3:28	1.0e + 3:64	6.3e+2:79	4.0e+1:211	2.5e+0:1724	15/15
		∞	∞	∞	$\infty 100$	0/15
f ₁₄	2.5e+1:15	1.6e+1:42	1.0e+1:75	1.6e+0:219	6.3e-4:1106	15/15
	∞	∞	∞	∞	∞ 100	0/15
f ₁₅	6.3e+2:15	4.0e+2:67	2.5e+2:292	1.6e + 2:846	1.0e+2:1671	15/15
	44(53)	∞	∞	∞	∞ 100	0/15
f ₁₆	4.0e+1:26	2.5e+1:127	1.6e+1:540	1.6e+1:540	1.0e+1:1384	
	2.0(2)	12(24)	∞ 	∞	∞100	0/15
f ₁₇	1.6e+1:11	1.0e+1:63	6.3e+0:305	4.0e+0:468	1.0e+0:1030	15/15
	7.8(10)	∞	∞	∞	∞ 100	0/15
f ₁₈	4.0e+1:116	2.5e+1:252	1.6e+1:430	1.0e+1:621	4.0e+0:1090	15/15
	0.000 0.000 0.000		∞ 	00	∞ 100	0/15
f ₁₉		1.0e-1:3.4e5		4.0e-2:3.4e5	2.5e-2:3.4e5	3/15
	∞	∞	0.5 (0.00	2.5e+0:250	∞100	0/15
f_{20}	1.6e+4:38 37(36)	1.0e+4:42 $33(28)$	2.5e+2:62		1.6e+0:2536 $\infty 100$	0/15
	6.3e+1:36	4.0e+1:77	∞ / 0- / 1.77	0.6e+1:456		
f_{21}	0.5€+1:50	4.0€+1:11	4.0e+1:77 ∞	1.0€+1:450	4.0e+0:1094 $\infty 100$	0/15
-	6.3e+1:45	4.0e+1:68	4.0e+1:68	1.6e+1:231	6.3e+0:1219	
f ₂₂						$\frac{15/15}{0/15}$
-	∞	∞	0.5-10.206	0.5-10.206	∞ 100	
f ₂₃	6.3e+0:29	4.0e+0:118	2.5e+0:306	2.5e+0:306		15/15
-	1.6(2)	3.6(2)	0-10-600	∞ 69-11-0995	∞ 100	0/15
$\mathbf{f_{24}}$	2.5e+2:208	1.6e+2:918		6.3e+1:9885	4.0e+1:31629	0/15
	∞	∞	∞	∞	$\infty 100$	0/15

Table 1: Expected running time (ERT in number of function evaluations) divided by the best ERT measured during BBOB-2009. The ERT and in braces, as dispersion measure, the half difference between 90 and 10%-tile of bootstrapped run lengths appear in the second row of each cell, the best ERT (preceded by the target Δf -value in *italics*) in the first. #succ is the number of trials that reached the target value of the last column. The median number of conducted function evaluations is additionally given in *italics*, if the target in the last column was never reached. Bold entries are statistically significantly better (according to the rank-sum test) compared to the best algorithm in BBOB-2009, with p = 0.05 or $p = 10^{-k}$ when the number k > 1 is following the \downarrow symbol, with Bonferroni correction by the number of functions.

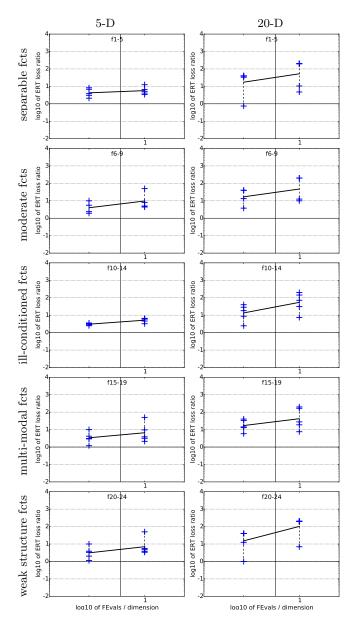


Figure 4: ERT loss ratios (see Figure 3 for details). Each cross (+) represents a single function, the line is the geometric mean.