

CISC440: Artificial Intelligence and Robotics

Quiz 3: Constraint Satisfaction Problem

Instruction:

1. Work with you team member and solve the quiz.
2. You both can submit one solution.
3. Please write names of both team members.

Names: SOLUTION

Total points: 20

You are scheduling five lower-level CISC courses for the spring that have three professors available to teach them. A professor can teach more than one course, but only if the times don't overlap. The courses and the times when they meet are:

Course 1: CISC130, 8:00-9:00am

Course 2: CISC230, 8:30-9:30am

Course 3: CISC231, 9:00-10:00am

Course 4: CISC440, 9:00-10:00am

Course 5: CISC450, 9:30-10:30am

The professors are:

Prof. A, who is available to teach Courses 3 and 4

Prof. B, who is available to teach Courses 2, 3, 4 and 5

Prof. C, who is available to teach Courses 1, 2, 3, 4 and 5.

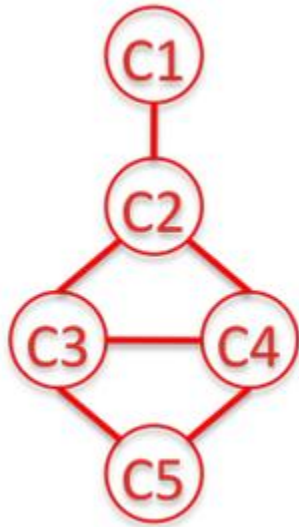
- a. (3 points) Formulate this as a CSP problem with one variable per course and give the initial domain (i.e., set of possible values) after applying the unary constraints (i.e., which Courses a professor can teach).

Variable	Initial domain after applying unary constraints
C1	{C}
C2	{B,C}
C3	{A,B,C}
C4	{A,B,C}
C5	{B,C}

- b. List all the constraints between the variables

$C1 \neq C2, C2 \neq C3, C3 \neq C4, C4 \neq C5, C2 \neq C4, C3 \neq C5$

- c. Draw the constraint graph associated with your CSP.



- d. Show the domains of the variables after $C3=B$ assignment on this graph (after having already enforced any unary constraints). Consider this as your first assignment.

$C1: \{C\}, C2: \{C\}, C3: \{B\}, C4: \{A,C\}, C5: \{C\}$

- e. Show the domains of the variables after running arc-consistency on this initial graph (after having already enforced any unary constraints).

$C1: \{C\}, C2: \{B\}, C3: \{A,C\}, C4: \{A,C\}, C5: \{B,C\}$

Note that while $C5$ can't be C , arc consistency doesn't rule it out.

- f. Give one solution to this CSP.

Two solutions are possible:

- $C1 = C, C2 = B, C3 = C, C4 = A, C5 = B$
- $C1 = C, C2 = B, C3 = A, C4 = C, C5 = B$

- g. What could a reasonable minimum cut-set? And what could be a possible solution?

$C3$ could be considered as minimum cut-set.

Now we will assign $C3 = A$ and take it from all the other variables domain who have constraint with $C3$. Now using the unary constraints for $C1$ and follow the tree we will assign the values.

$C1 = C$

$C2 = B$

$C3 = A$

$C4 = C$

$C5 = B$