

## Attendance Quiz on April 25, 18

	To sort an array $A[0..N-1]$ :	Primitive Operations
(1)	for (int last = $N-1$ ; last $\geq 1$ ; last --) {	(1) $2N$
	// Move the largest entry in $A[0...last]$ to $A[last]$	
(2)	for (int index = 0; index $\leq$ last-1; index++) {	(2) $(2N) (3(N-1))$
	//swap adjacent elements if necessary	
(3)	if ( $A[index] > A[index+1]$ ) {	(3) $3 [(2N) (3(N-1))]$
(4)	int temp = $A[index]$ ;	(4) $2[(2N) (3(N-1))]$
(5)	$A[index] = A[index+1]$ ;	(5) $3[(2N) (3(N-1))]$
(6)	$A[index + 1] = temp$ ;	(6) $2[(2N) (3(N-1))]$
(7)	} // index++	(7) $2(2N) (N-1)$
(8)	} // last--	(8) $2(2N)$
	}	

### (1) $2N$

1 Fetch Last + 1 Comparison = 2 Steps

Do these 2 steps for  $N$  times

### (2) $(2N) (3(N-1))$

3 Ops = 1 fetch index + 1 fetch last + 1 comparison, do this for  $N-1$  times

Do this  $2N$  times (Nested loop)

### (3) $3 [(2N) (3(N-1))]$

3 Ops = 2 Fetches  $A[]$  + 1 Compare, do this for  $(2N) (3(N-1))$

(4)  $2[(2N) (3(N-1))]$

2 Ops = Fetch A[] + 1 assignment, do this for  $[(2N) (3(N-1))]$

(5)  $3[(2N) (3(N-1))]$

2 Ops = Fetch A[] + 1 assignment, do this for  $[(2N) (3(N-1))]$

(6)  $2[(2N) (3(N-1))]$

2 Ops = Fetch A[] + 1 assignment, do this for  $[(2N) (3(N-1))]$

(7)  $2(2N) (N-1)$

2 Ops = Fetch index + 1 assignment, do this for  $[(2N) (N-1)]$

(8)  $2(2N)$

2 Ops = Fetch last + 1 assignment, do this for  $(2N)$

**Total Primitive Operations:**

$$2N + (2N) (3(N-1)) + 2(3 [(2N) (3(N-1))]) + 4[(2N) (3(N-1))] + 2(2N) (N-1) + 2(2N) = 70 N^2 - 64 N$$

(Computed from Wolframalpha)

**Asymptotic Algorithm Analysis :  $O(N^2)$**