Bias in AI Scientific Report

I. Project proposal

In this course project, we will be analysing the humancentric German-Credit dataset for assessing credit risk, which is one of the suggested projects¹. We intend to implement one of the two methods of modifying data, called Combinatorial repair and Geometric repair, proposed by [3]. The motivation for this project is to assess the paper's claim that the repair performs favourably in terms of training classifiers that are both accurate and unbiased.

We believe the intention suits this submodule as bias in artificial intelligence (AI) because we will be developing a fair machine learning (ML) ecosystem to detect, reduce, and eventually mitigate different types of bias that may exist in the final outcome of the algorithm in various ways. The concrete tasks we plan to do are as follows:

- 1) perform any 'cleaning', binning, or discrete-tocontinuous feature transformations on the dataset;
- split the dataset into different demographic groups, and compute and report information for each feature for each demographic subgroup;
- observe any interesting differences between the different subgroups' statistics, and describe any bias observed and explain the reasons why this bias has happened from our point of view;
- 4) choose a conventional algorithm to implement on the biased dataset, and describe the algorithm and the justification for selection;
- naively split the dataset into training and testing sets, then train the model and see how it generalises to the testing dataset, as well as explain our approach and findings;
- 6) subsample a new testing dataset in an unbiased way, then retrain the model and see how it generalises to these new testing conditions;
- compare our findings with the previous results and explain our approach, as well as describe any sort of bias we observed and explain the reasons why this bias has happened from our point of view;
- 8) implement one of Combinatorial repair or Geometric repair and describe the algorithm, then test the performance of the model for the repaired datasets, compare it with the performance of the model over the unrepaired dataset, and describe any reduction in algorithmic bias we observe; and,
- 9) state whether we get roughly the same results as the project paper and justify the reasons, and describe from

¹kaggle.com/janiobachmann/german-credit-analysis-a-risk-perspective

our point of view any sort of reduction in accuracy we observe.

The final work product of these tasks will be appropriate and proper plots and graphs that demonstrate any reduction in algorithmic bias and any sort of reduction in accuracy we observe after the fair machine learning implementation.

As we formulate this project, the particular context we are thinking about is applying for credit loans. The dataset might exhibit a greater proportion of good risk for applicants from specific demographic groups (such as age groups) over another. Biases such as this, termed *disparate impact*, should be avoided by classifiers, as it is unethical and unlawful [1].

The technologies we plan to use in our implementation are the Python programming language, the Pandas package for data analysis, and the Scikit-learn package for the implementation of the AI algorithm.

II. PROJECT PROGRESS REPORT

A. Data analysis

Out of 'cleaning', binning, or discrete-to-continuous feature transformations we did on the dataset, we did 'cleaning' and binning. We did 'cleaning' by dropping the *Checking account* and *Saving accounts* features because they had instances with missing values. And, we did binning by replacing the *Age* feature, which has integer values, with the *Age_Group* feature, which has categorical values. The four categorical values of *Age_Group* and the range of integer values, inclusive, of *Age* that they correspond to are as follows: *Young*, 19-29; *Young Adults*, 30-40; *Senior*, 41-55; and, *Elder*, 55+.

Then, we split the dataset into different demographic groups by writing down the size of the groups, the average value for each numeric feature, the variance of each numeric feature, the mode for each categorical feature, and the three most frequent values for each categorical feature, each computed on the different demographic subgroups. The two different demographic groups are Age_Group and Sex, and their different demographic subgroups, respectively, are *Young*, *Young Adults*, *Senior*, or *Elder*, and *male* or *female*. The different subgroups' statistics are presented in Tables I, II, and III.

 $\label{table I} \mbox{TABLE I}$ $\mbox{Table of the size of each demographic subgroup.}$

	male	female	Young	Young Adults	Senior	Elder
Siz	e 690	310	371	355	203	71

The interesting differences between the different subgroups' statistics we observe are as follows: there is more than twice as many *male* than *female*; and, the sizes of the *Young* and

TABLE II
TABLE OF THE AVERAGE VALUE AND VARIANCE OF EACH NUMERIC
FEATURE FOR EACH DEMOGRAPHIC SUBGROUP.

		Job	Credit amount	Duration
male	average	1.9	3448.0	21.6
maie	variance	0.4	8412806.3	154.7
female	average	1.8	2877.8	19.4
Temale	variance	0.5	6776346.3	122.1
Young	average	1.8	3089.0	20.8
Toung	variance	0.3	7261837.7	142.6
Young	average	2.0	3375.5	21.5
Adults	variance	0.4	7646336.1	139.2
Senior	average	1.9	3366.4	20.2
Scinoi	variance	0.4	7986564.4	146.1
Elder	average	1.8	3430.4	20.5
Eluci	variance	0.7	13329819.2	192.5

TABLE III
TABLE OF THE THREE MOST FREQUENT VALUES FOR EACH CATEGORICAL
FEATURE FOR EACH DEMOGRAPHIC SUBGROUP.

		Hansina	Dumaga	Risk	
		Housing	Purpose		
	mode	own (517)	car (243)	good (499)	
male	2nd	free (89)	radio/TV (195)	bad (191)	
	3rd	rent (84)	furniture/equipment (107)	-	
	mode	own (196)	car (94)	good(201)	
female	2nd	rent (95)	radio/TV (85)	bad (109)	
	3rd	free (19)	furniture/equipment (74)	-	
	mode	own (248)	radio/TV (117)	good(234)	
Young	2nd	rent (113)	car (102)	bad (137)	
	3rd	free (10)	furniture/equipment (84)	-	
Young	mode	own (278)	car (128)	good(264)	
Adults	2nd	free (39)	radio/TV (93)	bad (91)	
Adults	3rd	rent (38)	furniture/equipment (58)	-	
	mode	own (143)	car (79)	good (150)	
Senior	2nd	free (40)	radio/TV (51)	bad (53)	
	3rd	rent (20)	furniture/equipment (36)	-	
	mode	own (44)	car (28)	good (52)	
Elder	2nd	free (19)	radio/TV (19)	bad (19)	
	3rd	rent (8)	business (9)	-	

Young Adults subgroups are each larger than the Senior and Elder subgroups combined.

By using the demographic parity group fairness metric [4], we observe there to be bias in both the *Sex* and *Age_Group* demographic groups: a greater proportion of *female* than *male* was assigned (credit) *Risk* as *bad*; while, a greater proportion of *Young* was assigned (credit) *Risk* as *bad* compared to other age groups. The probability of *bad* predictions for each subgroup is presented in Table IV.

TABLE IV
TABLE OF THE PROBABILITY OF 'RISK' ASSIGNED AS 'BAD' FOR EACH DEMOGRAPHIC SUBGROUP DURING DATA ANALYSIS.

	male	female	Young	Young Adults	Senior	Elder
%bad	27.7	35.2	36.9	25.6	26.1	26.8

From our point of view, the reason why this bias happened is because there is lower representation of minority subgroups in the dataset, such as *female* or *Elder*, compared to majority subgroups, such as *male* or *Young*.

B. Conventional implementation

At this stage of the project, we have a biased dataset. We implement a conventional ML algorithm that is widely used, to solve the classification problem of predicting an instance as having *good* or *bad* credit risk.

The algorithm we choose to implement is the support-vector machine (SVM) [2]. An SVM is a classification algorithm which finds the curve (in two dimensions) or manifold (in multiple dimensions) that divides classes of data from each other with the maximum margin. In two dimensions, the margin is the width of the separating line or curve, which can be the perpendicular distance to the nearest data point when plotted on a graph. The justification for selecting this algorithm is that it is the same conventional ML model used by the suggested paper [3].

Our first approach was to do the following:

- 1) naively split the dataset into training and testing sets by randomly sampling some of the data, with $\frac{2}{3}$ for training and $\frac{1}{3}$ for testing;
- 2) perform feature scaling on numerical data by standardisation, so the values have zero-mean and unit-variance;
- 3) encode categorical features using a one-hot scheme, and target labels with values 1 for *good* and 0 for *bad*;
- 4) consider different parameter combinations to find the best for the SVM with L_2 regularisation;
- 5) train the model on the training dataset and make sure the model is not over-fitting by cross-validation; and,
- 6) see how the model generalises to the testing dataset, by calculating an accuracy score.

Our findings from the first approach were as follows: the best parameter combination for the classifier was a regularisation parameter C of value 0.75 and a polynomial kernel function of degree 4; the mean accuracy on the training data was 80.2%; the mean accuracy after cross-validation was 72.4%; and, the accuracy on the testing data was 69.2%.

Our second approach was to subsample a new testing dataset in an unbiased way, followed by retraining the model on the training dataset as before, and then seeing how it generalises to the testing dataset with new conditions. We chose to ensure gender diversity by employing uniform sampling [5] based on the expected probabilities to meet demographic parity. By doing so, we made the number of female (deprived community) with good (positive class) labels (DP), the number of female with bad (negative class) labels (DN), the number of male (favoured community) with good labels (FP), and the number of male with bad labels (FN) all equal. We did this by drawing 109 samples uniformly from each of DP, DN, FP, and FN, respectively — 109 was the largest size we could use to get an equal number of samples. When splitting this subsampled dataset into training and testing sets, we applied stratified sampling to preserve the expected probabilities.

Our findings from the second approach were as follows: the best parameter combination for the classifier was a C of value 0.75 and a sigmoid kernel function; the mean accuracy on the training data was 74.8%; the mean accuracy after cross-

validation was 62.1%; and, the accuracy on the testing data was 55.5%.

Compared to the previous results, these new results have worse accuracy scores at each stage. This suggests there was discrimination against the *female* demographic subgroup in the first approach. From our point of view, the reason why this bias has happened is because, in the first approach, the classifier used the *Sex* feature to help classify the target, *Risk*.

C. Fair machine learning implementation

In this step, we implement one of the fair ML methods of mitigating bias. We chose only one algorithm to implement: Geometric repair. The justification for this choice is that this method of modifying data seems easier to implement than Combinatorial repair, and we are limited on time due to other course commitments.

The Geometric repair algorithm is as follows:

- 1) Given a biased dataset D, with unprotected features Y and stratifying (protected) features S, make all stratified groups (all possible combinations of protected features), and let these be the values of S.
- 2) Store the size of each stratified group; if a group has size 0, ignore it.
- 3) Pick a number of quantiles, with the maximum number equal to the size of the smallest stratified group, so that there will be at least one entry per quantile.
- 4) For each Y feature with orderable values, over its unique values, for each stratified group, find the median value at the 1^{st} quantile.
- 5) For each Y feature, find the median value of the median values, preferring the smaller item in the case of evenlength lists, and call this the *target* value for all values of the feature in the 1^{st} quantile of each stratified group.
- 6) For each Y feature, for each original value in the 1st quantile, update the original value to the repair value

$$rv = ((1 - \lambda) * original) + (\lambda * target),$$

where λ is the repair amount we set.

7) Proceed similarly for each remaining quantile.

Using this algorithm, we generate 11 datasets, for $\lambda = 0.0, 0.1, 0.2, \ldots, 1.0$, where $\lambda = 0.0$ gives no repair, $\lambda = 1.0$ gives a full repair, and any value of λ in between gives a partial repair. We chose to stratify by Sex, so that Age_group was a protected feature and Sex was a protected stratifying feature. The stratified groups were male-Young, female-Young, male-Elder, female-Elder, and so on. The Y features with orderable values affected by the repair were Job, Credit amount, and Duration. Then, we retrain and test the model for each dataset, by the first approach. We plot results for the accuracy and Disparate Impact (DI) score in Figures 1 and 2, with

$$DI = \frac{Pr\left[C = + \mid X = x\right]}{Pr\left[C = + \mid X = \bar{x}\right]},$$

where + is a good outcome of class C and \bar{x} is a privileged group of protected attribute X, as defined in [3]. In our case,

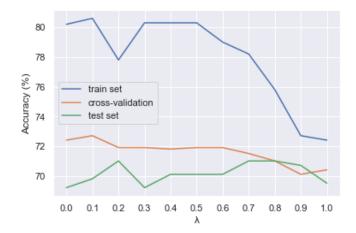


Fig. 1. Plots of accuracy against values of λ .

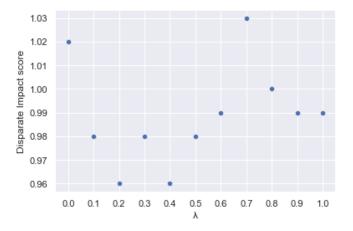


Fig. 2. Plot of Disparate Impact score against values of λ .

+ is good, C is Risk, X is Sex, x is female, and \bar{x} is male. The lower the DI score is, the fairer the algorithm.

Comparing the performance of the model on the biased dataset ($\lambda=0$) against the model on the repaired datasets ($\lambda>0$), we see that accuracy generally decreases as λ increases. Also, the DI score is less for every repaired dataset except for $\lambda=0.7$, which may be an outlier. We observe from these results that there is a reduction in algorithm bias in exchange for a reduction in accuracy, which is the same observation made by [3]. Therefore, we confirm the paper's claim that the repair performs favourably.

REFERENCES

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