

# **Parallel implementation of Huffman Code using native C++ threads and FastFlow library**

Parallel and Distributed Systems: Paradigms and Models

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Project Report

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# 1 Introduction

The Huffman code is an efficient lossless compression code based on the probability of each character.

To build the optimal code for a specific text we have to:

1. count the number of occurrences of each character in the text;
2. build the binary tree that represents the code;
3. encode the file.

## 2 Theoretical analysis

We are facing a problem that can be divided in three stages. In particular it is a *data parallel* task, since we have all input available at the beginning of the computation.

### 2.1 Counting the number of occurrences

As stated above, the first stage is a counting one. This is clearly a *map-reduce* operation.

**Map** The *map* part can be execute in parallel dividing the file into chunks, the workers count the occurrences in a chunk of the file. The asymptotic sequential complexity of this part is  $\theta(m)$  where  $m$  is the number of characters in the file.

This operation has to deal with the disk. Under the following assumptions:

- the reading of a chunk from the disk is slower than the counting operation of that chunk;
- the readings are sequential;

it seems useless to parallelize this phase, since the disk is the bottleneck of the operation. The minimum completion time could be achieved with two workers in pipeline, one reading and one counting.

Nevertheless, the tests that i did mapping the file in main memory and reading it with multiple threads, showed that the parallelization actually improves the performance. This is probably due to how the SSD works and the caching syestems. Quantitative results are shown in section 4 .

**Reduce** The *reduce* operation can again be executed in parallel, this time each reducer takes a subset of the alphabet and sums the occurrences of each character in that subset. The sequential asymptotic complexity is constant since depends only of the number of different character. However, from a parallel point of view, this operation has a complexity that depends on the number of chunks the file was divided into in the *map* phase (that can be different from the number of mapper workers), because the reducers have to sum the assigned characters along all the chunks. So if  $c$  is the number of chunks and  $A$  the number of different symbols (128), the complexity of the *reduce* phase is  $\theta(c \times A)$ .

## 2.2 Building the binary tree

The second stage is the building of the binary tree. This is a more difficult operation to parallelize since most of the operations are sequential. Furthermore, the complexity of this stage is  $\theta(A \times \log(A))$  where  $A$  is the number of different symbols (128), so basically it is a constant in our case.

## 2.3 Encoding the file

The last stage is the encoding of the file. This is a *map* operation, since each character has to be replaced with its code. Unfortunately, the length of the final text can only be known after each character has been encoded (because the encoding of each character has a different length), so the actual writing needs a step of synchronization. The sequential complexity of this stage is  $\theta(m)$  where  $m$  is the number of characters in the file.

We can make a similar reasoning as the one made for the *map* phase of the counting stage. The disk could be the bottleneck of the operation. If we divide the file in chunks and we encode in parallel each of them, we end up with a set of encoded chunks that have to be sorted and summed to get the total length before writing (if we want to write them in parallel). This operation has a complexity of  $\theta(c \times \log(c))$  where  $c$  is the number of chunks.

# 3 Implementation

# 4 Results