

1. Problem 1

- Mate a M1 (♀) fly with a Wildtype Male (♂)

	M	WT
♀	0	13
♂	0	11

- ➔ The mutation is recessive

- Mate a M1 (♀) fly with a F1 (♂)

	M	WT
♀	13	13
♂	8	14

- ➔ The trait is autosomal

- Mate a M2 (♀) fly with a Wildtype Male (♂)

	M	WT
♀	14	0
♂	10	0

- ➔ The mutation is dominant

- Mate a F1 (♀) fly with a WT (♂)

	M	WT
♀	60	49
♂	58	52

- ➔ The trait is autosomal

- Mate a Homozygote Mutant ($\frac{M1}{M1}$) (♀) fly with an F1 Heterozygote ($\frac{M2}{+}$) Male (♂)

	M	WT
♀	4	7
♂	8	5

- Mate a resultant Heterozygote Mutant ($\frac{M1}{+}$) ($\frac{+}{M2}$) (♀) fly with an M1 Mutant ($\frac{M1}{M1}$) ($\frac{+}{+}$) (♂)
10x (240 offspring)

	M	WT
♀	120	5
♂	112	3

P	($\frac{M1}{+}$) ($\frac{+}{M2}$)	M
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P	$(\frac{+}{M1})(\frac{M2+}{+})$	M
R	$(\frac{M1}{+})(\frac{M2}{+})$	M
R	$(\frac{+}{M1})(\frac{+}{+})$	WT

- We can only recognize (see) one class or recombinants = 8.
- Total Recombinants = $8 \times 2 = 16$
- Distance = $6cM \pm 2.4$

2. Problem 2

- Mate a Mutant Female (♀) fly with a Wildtype Male (♂)

F1= All Heterozygous ($\frac{M}{+}$)

- Mate an F1 Heterozygous Male with a Mutant Female

	M	WT
♀	47	48
♂	53	52

- When looking at the DNA Marker Summary, it is clear that Markers 1,2,3 are linked with the chromosome which carries the wingless. This is apparent because the wingless phenotypes (mutants) show a homozygous genotype for markers 1,2,3 whereas the winged heterozygotes show a heterozygous genotype for markers 1,2,3. Further, about half of the wingless mutants show a heterozygous genotype for markers 4,5,6 and the other half do not. We expect a complete linkage between the markers on the gene and the wingless because there is no recombination in the heterozygous male. Thus, we can determine that the wingless gene is on the same chromosome as markers 1,2, and 3, which is chromosome 2.
- To determine map distances, we must now allow for meiotic crossing over. Thus we must use a heterozygous female with a mutant male.

	M	WT
♀	57	50
♂	54	39

- Marker 1

P	85	wg-	One band
P	66	wg+	Two bands
R	26	wg-	Two bands
R	23	wg+	One band

i. $\frac{49}{200} = 24.5cM \pm 7$

- Marker 2

P	108	wg-	One band
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P	86	wg+	Two bands
R	3	wg-	Two bands
R	3	wg+	One band

i. $\frac{6}{200} = 3cM \pm 1.7$

- Marker 3

P	97	wg-	One band
P	77	wg+	Two bands
R	14	wg-	Two bands
R	12	wg+	One band

i. $\frac{26}{200} = 13cM \pm 3.6$

- Marker 1,3

			M1	M3
DR	4	wg-	Two bands	Two bands
DR	2	wg+	One band	One band

i. Order → M1, wg-, M3

- Marker 2,3 (increased total offspring number to 400)

			M1	M3
DR	1	wg-	Two bands	Two bands
DR	1	wg+	One band	One band

i. Order → M3, wg-, M2

- Marker 1,2 (increased total offspring number to 400)

			M1	M2
DR	1	wg-	one bands	Two bands
DR	1	wg+	two band	One band

i. Order → wg-, M2, M1

- Overall Order → M3, wg-, M2, M1

Map



3

Strains 1-4 x MAT α on -Lys -Leu
none grow

Strains 1-4 x MAT α on -Lys -Leu
all grow

Strains 1-4 are MAT α ✓

Strains 1-4 x MAT δ on -Lys -Leu 37°
Strains 1, 3, 4 grow

1, 3, 4 are recessive
2 is dominant ✓

To find Strains 1, 3, 4 MAT δ

Cross strain x MAT δ

Also - plate haploid on YPD 37° to ensure
strains 1, 3, 4 MAT α are temp sensitive.

↓

Tetrads → Haploid on -Leu does not grow
x MAT α on -Leu-Lys 37°C grows

↓

Strain MAT α

group ✓

To find Strain 2 MAT δ

Cross strain x MAT δ

↓

Tetrads → Haploid on -Leu does not grow

x MAT α on -Leu-Lys grows

x MAT α on -Leu-Lys 37° does not grow ✓

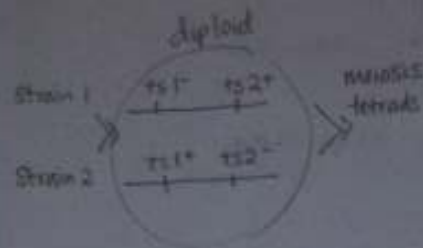
	MAT δ			
	1	2	3	4
1	-	-	+	+
2	-	-	-	-
3	+	-	-	-
4	+	-	-	-

3, 4 in same group ✓

1

2 can be in any group (dominant, can + test)

on YPD 57°C

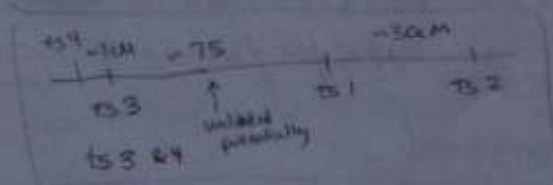


doesn't matter
if dominant/
recessive
(haploids!)

Similarly for all $ts1/2/3/4$
crosses

PD	$ts1^- \quad ts2^+$ $ts1^- \quad ts2^+$ $ts1^+ \quad ts2^-$ $ts1^+ \quad ts2^-$	4 ts^-
T	$ts1^- \quad ts2^+$ $ts1^- \quad ts2^-$ $ts1^+ \quad ts2^+$ $ts1^+ \quad ts2^-$	1 ts^+ 3 ts^-
NPD	$ts1^- \quad ts2^-$ $ts1^+ \quad ts2^-$ $ts1^+ \quad ts2^+$ $ts1^- \quad ts2^+$	2 ts^+ 2 ts^-

cross	PD	T	NPD	Total	Linkage
linked ✓ $ts1/ts2$	86	59	5	150	$100 \times \frac{59+6(5)}{2(150)} = 29.6cM$
linked $ts1/ts3$	29	100	21	150	$100 \times \frac{100+6(21)}{2(150)} = 75.3cM$
or unlinked					
linked $ts1/ts4$	34	92	24	150	$100 \times \frac{92+6(24)}{2(150)} = 78.7cM$
or unlinked					
unlinked $ts2/ts3$	20	105	25	150	$100 \times \frac{105+20(20)}{2(150)} > 100cM$
unlinked $ts2/ts4$	21	94	35	150	$100 \times \frac{94+6(35)}{2(150)} > 100cM$
triple linked ✓ $ts3/ts4$	148	2	0	150	$100 \times \frac{2}{2(150)} = 0.6cM$



great

4 continued

Individual 3 and Individual 4 parents

If phase 1 $\frac{DA}{+B} \times \frac{+B}{+B}$

If phase 2 $\frac{DB}{+A} \times \frac{+B}{+B}$

P (data given that completely linked) = $\frac{1}{2}$ (Probability of phase 1 for 3 & 4) + $\frac{1}{2}$ (probability of phase 2)

$P = \frac{1}{2} * \frac{1}{2} * \frac{1}{2}$

$P = 1/8$

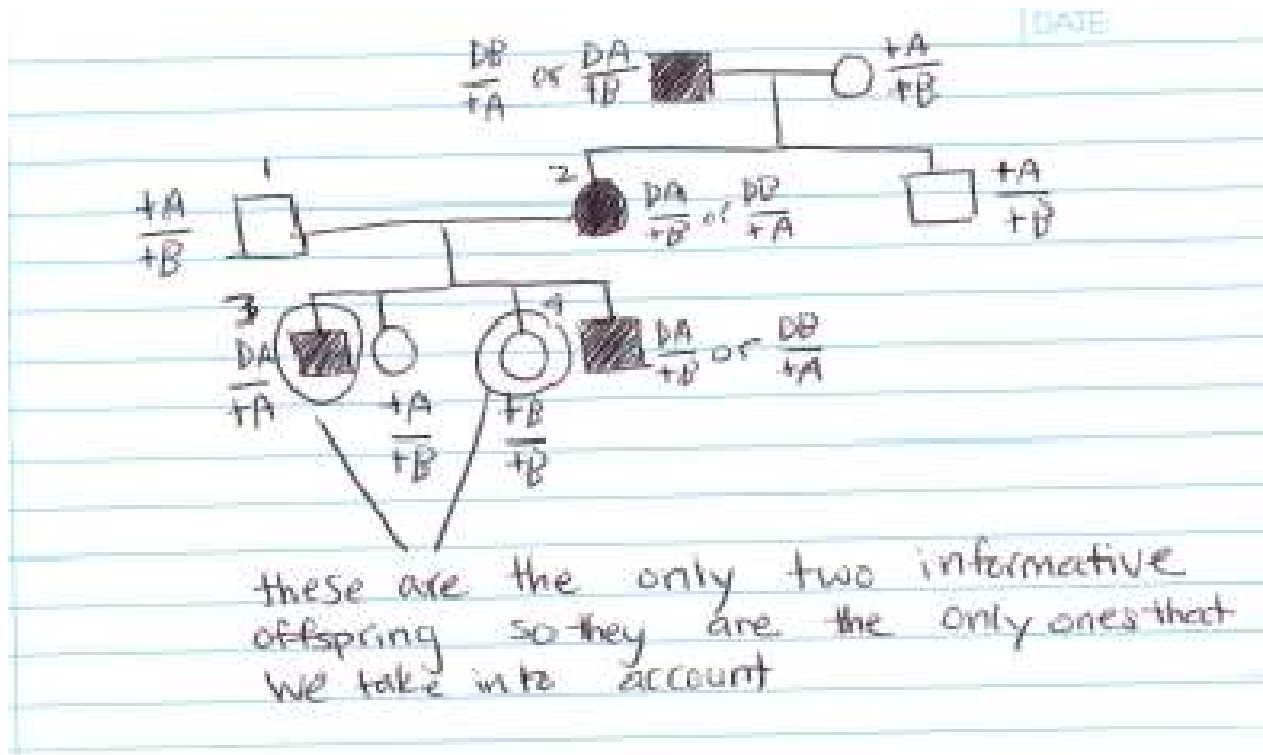
P (data given unlinked) = $\frac{1}{4} * \frac{1}{4}$

$P = [(1/8)/(1/16)] = 2$

LOD 2 = .3

Overall answer for part a = $1.2 + .3 = 1.5$

4b.



Individual 3 and Individual 4 parents

If phase 1 $\frac{+A}{+B} \times \frac{DA}{+B}$

If phase 2 $\frac{+A}{+B} \times \frac{DB}{+A}$

$P(\text{data given that completely linked}) = \frac{1}{2} (\text{Probability of phase 1 for 3 \& 4}) + \frac{1}{2} (\text{probability of phase 2})$

$P = \frac{1}{2} * \frac{1}{4} * \frac{1}{4} + 0$

$P = \frac{1}{16}$

$P(\text{data given unlinked}) = \frac{1}{2} * \frac{1}{4}$

$P = \left[\frac{(1/16)}{(1/8)} \right] = 2$

$\text{LOD } 2 = .3$

Overall Answer for Part B = .3