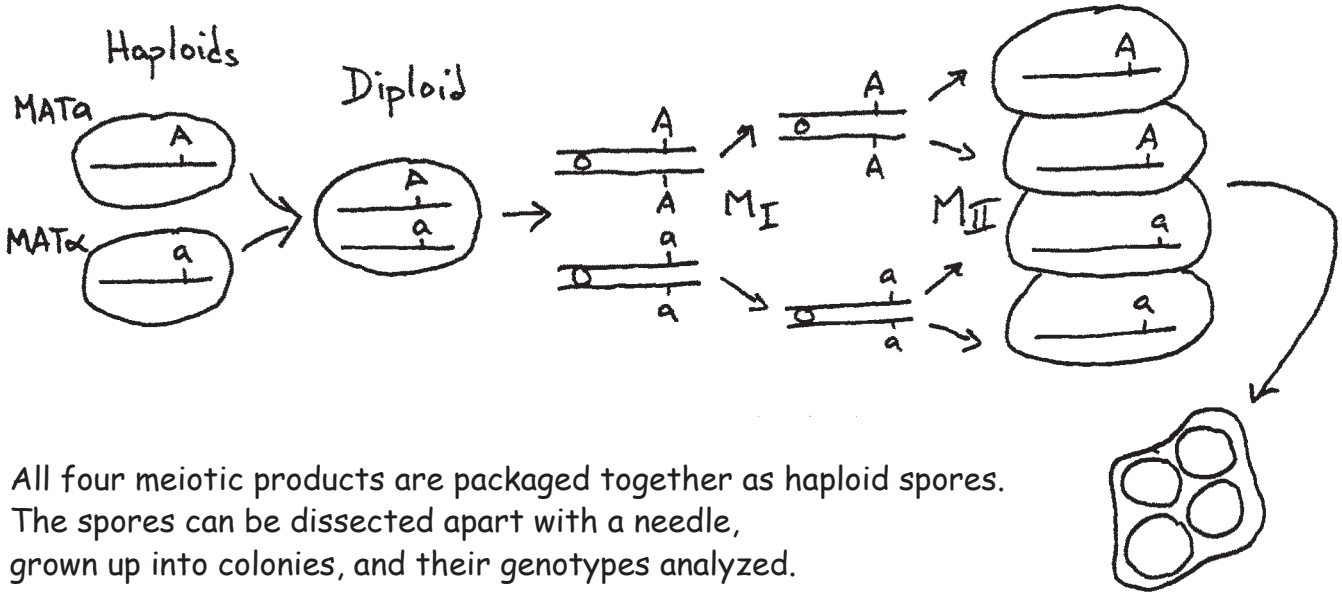
Lecture 9

Meiosis in yeast is particularly easy to study.



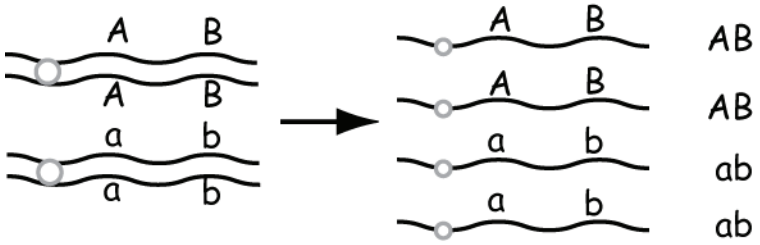
All four meiotic products are packaged together as haploid spores.
The spores can be dissected apart with a needle,
grown up into colonies, and their genotypes analyzed.

4 spores = tetrad

The ability to look at the genotypes of all four gametes gives us extra information about the meiosis that is not obtainable in diploid organisms (eg. mice, flies and peas) where only one of the meiotic products is selected at random.

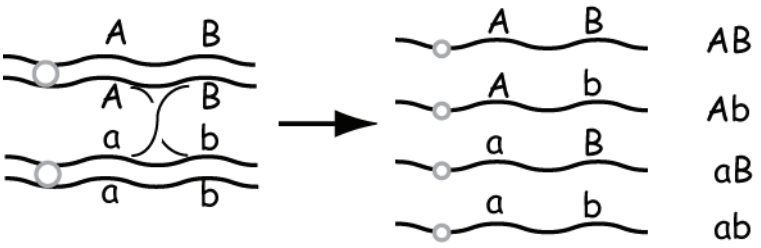
Consider two linked genes in a cross: A B x a b $\xrightarrow{\text{mate}}$ $\frac{A\ B}{a\ b}$ (diploid) $\xrightarrow{\text{sporulate}}$ Tetrad

Meiosis with no crossovers



PD
(Parental ditype)

Meiosis with one crossover



T
(Tetratype)

If the genes are close together multiple crossovers in this region will be very rare and only PD and T type tetrads will be seen.

The overall aim of tetrad analysis is to express distance as a function of tetrad types.

First, we apply the formula for genetic distance:

$$\text{Distance in cM} = 100 \times \frac{\text{crossover gametes}}{\text{total gametes}}$$

There are two crossover gametes in each T tetrad.

Σ = number of tetrads

$$\text{Distance in cM} = 100 \times \frac{2\,T}{4\,\Sigma} = 100 \times \frac{T}{2\,\Sigma}$$

(this holds true only for tightly linked genes i.e. no double crossovers)

For genes that are far apart association of A with B is random.
There are six equally likely arrangements of B alleles with A alleles.

A	B	b	B	b	b	B
A	B	b	b	B	B	b
a	b	B	B	b	B	b
a	b	B	b	B	b	B

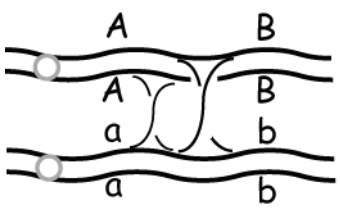
PD T T T T

NPD

(Nonparental ditype)

Thus for unlinked loci: PD : T : NPD = 1 : 4 : 1

Now we will see how to use tetrad analysis to make a more accurate mapping function that will take the hidden double crossovers into account.



Ab
AB
aB
ab

First crossover	Second crossover	Type
2,3	2,3	PD
2,3	1,4	NPD
2,3	1,3	T
2,3	2,4	T

NPD is unique designator of double crossovers that we can use to keep track of other double crossovers that look like single crossovers or no crossovers.

All four classes are equally likely, therefore:

Total double crossovers = 4 NPD, T tetrads that are doubles not singles = 2 NPD

To make a better mapping function we will take into account both single and double crossovers.

	number of tetrads	"crossover gametes"	
double crossovers	4 NPD	4	(By counting all of the spores in these tetrads as crossover gametes we have a more accurate mapping function)
single crossovers	T– 2 NPD	2	

$$\text{Distance in cM} = 100 \times \frac{2(T - 2NPD) + 4(4NPD)}{4\Sigma} \qquad \Sigma = \text{number of tetrads}$$

$$= 100 \times \frac{T - 2NPD + 8\,NPD}{2\Sigma}$$

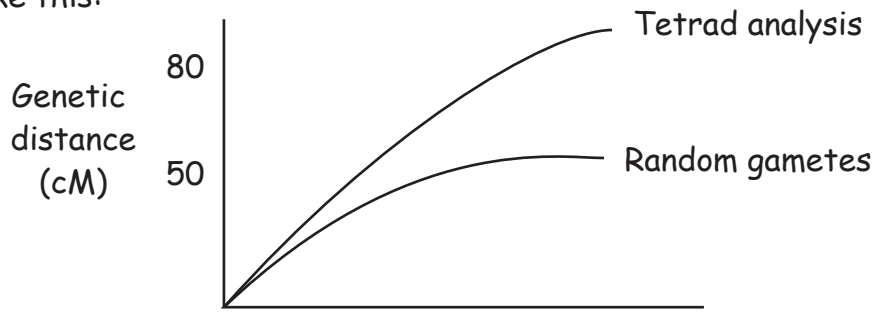
$$= 100 \times \frac{T + 6\,NPD}{2\Sigma}$$

Example: 100 tetrads give: 75 PD, 20 T, 5 NPD

Applying the formula for linkage in tetrads we get: $100 \times \frac{20 + 6 \cdot 5}{200} = 25$ cM

If we were just to count random gametes: $100 \times \frac{40 + 4 \cdot 5}{400} = 15$ cM

A comparison of the mapping functions for tetrad analysis and random gametes looks something like this:



The mapping function for tetrad analysis is pretty accurate for distances ≤ 40 cM

One of the powerful aspects of tetrad analysis is that it is possible to distinguish the three tetrad types even when it is one is studying segregation of two mutations with the same phenotype. Consider a cross of two different temperature sensitive mutations:

MATalpha $Ts1^-$ x MATa $Ts2^-$

Three kinds of tetrads will be seen: 4 Ts^- , 3 Ts^-: 1 Ts^+, : 2 Ts^- : 2 Ts^+ .

Knowing that each tetrad must include 2 $Ts1^-$ alleles and 2 $Ts1^+$ alleles as well as 2 $Ts2^-$ alleles and 2 $Ts2^+$ alleles we can make the following deductions:

Type with 2 Ts^-: 2 Ts^+	Type with 3 Ts^-: 1 Ts^+	Type with 4 Ts^-
Ts^+ — must be $Ts1^+$ and $Ts2^+$	Ts^+ — must be $Ts1^+$ and $Ts2^+$	Ts^- — may be $Ts1^+$ and $Ts2^-$
Ts^+ — must be $Ts1^+$ and $Ts2^+$	Ts^- — may be $Ts1^+$ and $Ts2^-$	Ts^- — may be $Ts1^+$ and $Ts2^-$
Ts^- — must be $Ts1^-$ and $Ts2^-$	Ts^- — may be $Ts1^-$ and $Ts2^+$	Ts^- — may be $Ts1^-$ and $Ts2^+$
Ts^- — must be $Ts1^-$ and $Ts2^-$	Ts^- — may be $Ts1^-$ and $Ts2^-$	Ts^- — may be $Ts1^-$ and $Ts2^-$
This is a NPD	This is a TT	This is a PD