

MAE 200 Final project

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Step 1

Step 2

Step 3

Step 4: State Estimation based on α -horizon

I began with constructing my model of my system based on the linearized model around equation 22.34 of Numerical Renaissance. This resulted in the following code:

```
E = [  
    mc+m1+m2  -m1*l1      -m2*l1;  
    -m1*l1     I1+m1*l1^2    0  ;  
    -m2*l2      0          (I2 + m2*l2^2);  
];  
  
E = [  
    eye(3) zeros(3)  
    zeros(3) E  
];  
  
A_bar = [  
    0  0  0  
    0 m1*g*l2  0  
    0  0  m2*g*l2  
];  
  
A_bar = [  
    zeros(3) eye(3)  
    A_bar zeros(3)  
];  
  
B_bar = [  
    0  
    0  
    0  
    1  
    0  
    0  
];
```

Since E is invertible around $\vec{q} = \vec{0}$, we can solve for the A and B matrices from the standard form,

$$\dot{q} = Aq + Bu,$$

by inverting the E matrix. Thus, we create the following code

```
A = inv(E)*A_bar;  
B = inv(E)*B_bar;  
  
C = eye(3, 6);  
D = 0;  
  
sys = ss(A,B,C,D);
```

Step 5