Encoding (Representation)

Cards in a deck are numbered 0 - 51

Card Suit	
0	Clubs
1	Diamonds
2	Hearts
3	Spades

Card Rank		
0	Deuce	
1	Three	
2	Four	
3	Five	
4	Six	
5	Seven	
6	Eight	
7	Nine	
8	Ten	
9	Jack	
10	Queen	
11	King	
12	Ace	



How can we convert to & from a card# and a specific suit and rank?

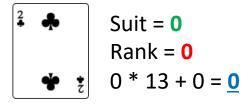
Encoding (Representation)

Cards in a deck are numbered 0 – 51

Card Suit	
0	Clubs
1	Diamonds
2	Hearts
3	Spades

Card Rank	
0	Deuce
1	Three
2	Four
3	Five
4	Six
5	Seven
6	Eight
7	Nine
8	Ten
9	Jack
10	Queen
11	King
12	Ace

Card# = Suit * 13 + Rank







Decoding (Representation)

Cards in a deck are numbered 0 - 51

Card Suit	
0	Clubs
1	Diamonds
2	Hearts
3	Spades

Card Rank	
0	Deuce
1	Three
2	Four
3	Five
4	Six
5	Seven
6	Eight
7	Nine
8	Ten
9	Jack
10	Queen
11	King
12	Ace

Decoding (Representation)

Cards in a deck are numbered 0 – 51

Card Suit	
0	Clubs
1	Diamonds
2	Hearts
3	Spades

Card Rank		
0	Deuce	
1	Three	
2	Four	
3	Five	
4	Six	
5	Seven	
6	Eight	
7	Nine	
8	Ten	
9	Jack	
10	Queen	
11	King	
12	Ace	

Card # = 11
Suit = 11 // 13 =
$$\underline{0}$$

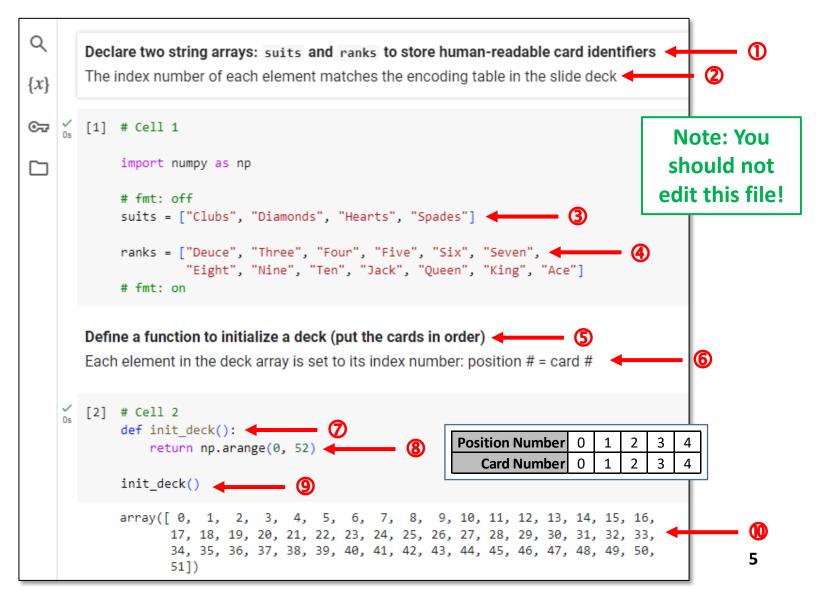
Rank = 11 % 13 = $\underline{11}$



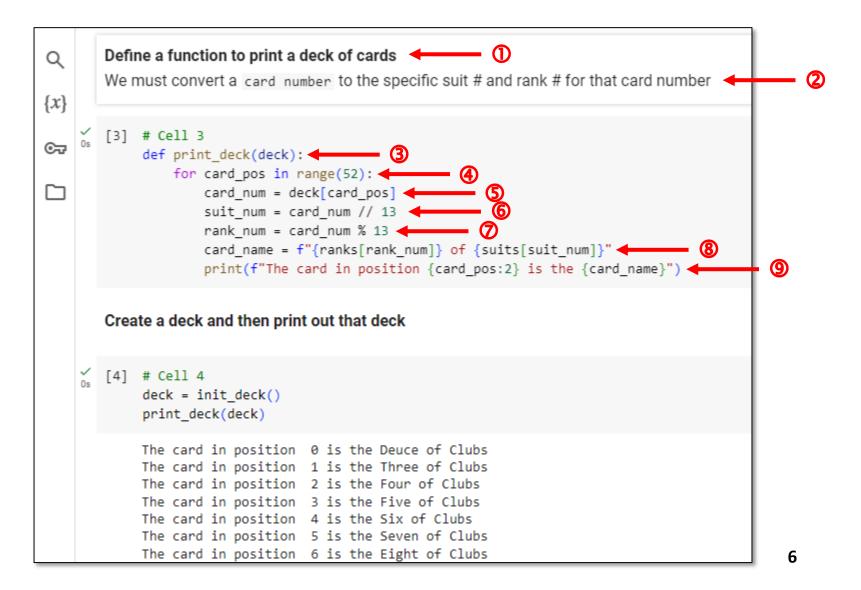




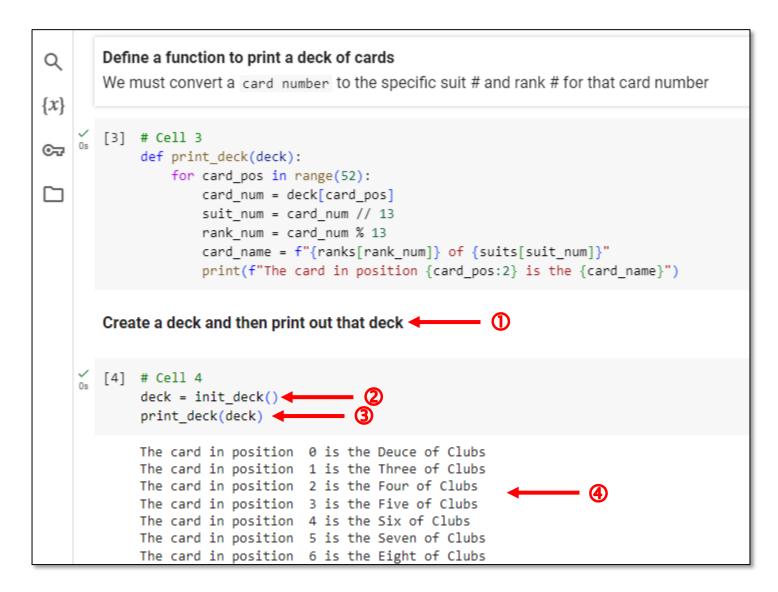
Run list_cards.ipynb – Cells 1...2



Run list_cards.ipynb – Cell 3



Run list_cards.ipynb - Cell 4



Initializing a Deck of Cards

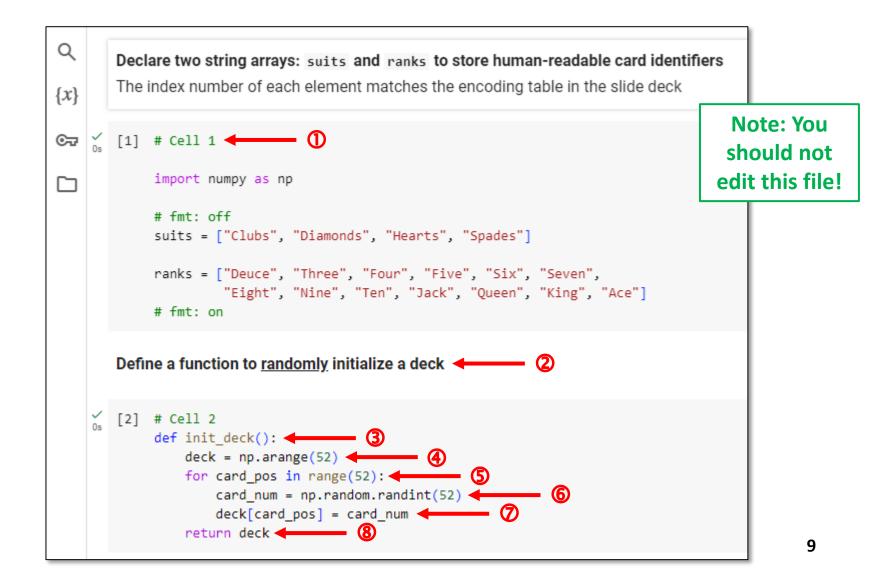
```
The card in position 0 is the Deuce of Clubs
The card in position 1 is the Three of Clubs
The card in position 2 is the Four of Clubs
The card in position 3 is the Five of Clubs
The card in position 4 is the Six of Clubs
The card in position 5 is the Seven of Clubs
The card in position 6 is the Eight of Clubs
The card in position 7 is the Nine of Clubs
The card in position 8 is the Ten of Clubs
The card in position 9 is the Jack of Clubs
The card in position 10 is the Queen of Clubs
The card in position 11 is the King of Clubs
The card in position 12 is the Ace of Clubs
The card in position 13 is the Deuce of Diamonds
The card in position 14 is the Three of Diamonds
The card in position 15 is the Four of Diamonds
The card in position 16 is the Five of Diamonds
The card in position 17 is the Six of Diamonds
The card in position 18 is the Seven of Diamonds
The card in position 19 is the Eight of Diamonds
The card in position 20 is the Nine of Diamonds
The card in position 21 is the Ten of Diamonds
The card in position 22 is the Jack of Diamonds
The card in position 23 is the Queen of Diamonds
The card in position 24 is the King of Diamonds
The card in position 25 is the Ace of Diamonds
The card in position 26 is the Deuce of Hearts
The card in position 27 is the Three of Hearts
```

Position Number	0	1	2	3	4
Card Number	0	1	2	3	4

Card Suit	
0	Clubs
1	Diamonds
2	Hearts
3	Spades

Card Rank		
0	Deuce	
1	Three	
2	Four	
3	Five	
4	Six	
5	Seven	
6	Eight	
7	Nine	
8	Ten	
9	Jack	
10	Queen	
11	King	
12	Ace	

Run dealer_bogus.ipynb – Cells 1...2



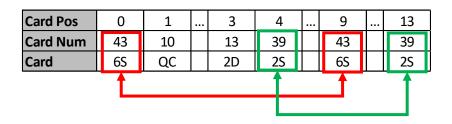
Run dealer_bogus.ipynb – Cells 3...4

```
[3] # Cell 3 (1)
           def print deck(deck):
               for card_pos in range(52):
\{x\}
                   card num = deck[card pos]
                   suit num = card num // 13
☞
                   rank num = card num % 13
                   card_name = f"{ranks[rank_num]} of {suits[suit_num]}"
                   print(f"The card in position {card pos:2} is the {card name}")
       Create a deck and then print out that deck (2)
       Initialize the numpy random number generator so we get the same deal
    √ [4] # Cell 4 ← ④
           np.random.seed(2016)
           deck = init_deck()
            print deck(deck)
           The card in position 0 is the Six of Spades
           The card in position 1 is the Queen of Clubs
           The card in position 2 is the Eight of Diamonds
           The card in position 3 is the Deuce of Diamonds
           The card in position 4 is the Deuce of Spades
           The card in position 5 is the Ten of Hearts
           The card in position 6 is the King of Clubs
```

Randomizing a Deck of Cards?

```
The card in position 0 is the Six of Spades
The card in position 1 is the Queen of Clubs
The card in position 2 is the Eight of Diamonds
The card in position 3 is the Deuce of Diamonds
The card in position 4 is the Deuce of Spades
The card in position 5 is the Ten of Hearts
The card in position 6 is the King of Clubs
The card in position 7 is the Jack of Hearts
The card in position 8 is the Three of Spades
The card in position 9 is the Six of Spades
The card in position 10 is the Seven of Spades
The card in position 11 is the King of Clubs
The card in position 12 is the Three of Spades
The card in position 13 is the Deuce of Spades
The card in position 14 is the Four of Spades
The card in position 15 is the Ten of Hearts
The card in position 16 is the Jack of Diamonds
The card in position 17 is the Ace of Spades
The card in position 18 is the Queen of Hearts
The card in position 19 is the Nine of Spades
The card in position 20 is the Nine of Hearts
The card in position 21 is the Jack of Clubs
The card in position 22 is the Nine of Hearts
The card in position 23 is the Seven of Diamonds
The card in position 24 is the Five of Hearts
The card in position 25 is the Ten of Hearts
The card in position 26 is the Ten of Clubs
The card in position 27 is the Three of Hearts
```

The card in position 8 is the Three of Spades
The card in position 12 is the Three of Spades
The card in position 35 is the Three of Spades



```
def init_deck():
    deck = np.arange(52)
    for card_pos in range(52):
        card_num = np.random.randint(52)
        deck[card_pos] = card_num
    return deck
```



Random... but no repeats?

- How can we get a set of random numbers where no number is repeated until all numbers are picked at least once?
- Can we flag that a particular card # has already been dealt, and therefore not deal that card again?







Random... but no repeats?

- We need a *helper* array to store a True or False flag to record if a random trial card number has already been dealt
- Then we need to keep picking random trial card numbers until a card number is found that has yet to be dealt
- When that card is found, we update the helper array to record the fact that the card number has been dealt so it cannot be picked again
- Essentially, we equip the algorithm with a "memory" so it can avoid picking **duplicate** random card numbers

Instrumenting Your Code

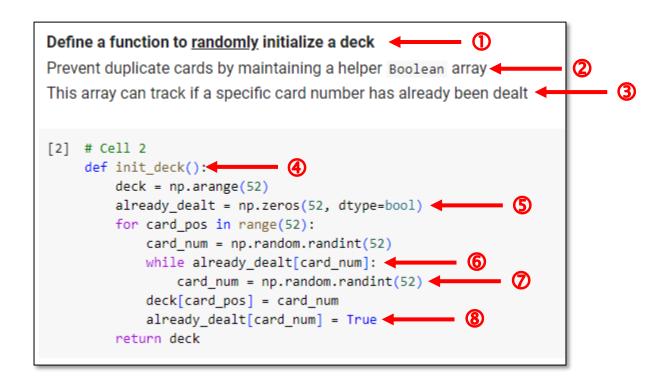


- Instrumenting code is the process of taking accurate timings of the runtime performance of key algorithms within the program
- Python provides a time object that can measure the current CPU time of a running process to the nearest millisecond (1/1000th of a second) which is sufficient in most situations
- We bracket the code under analysis by measuring the clock immediately *before* the start and again *after* the end of the algorithm to calculate the elapsed time
- Careful tracking of code timings will provide objective empirical evidence if changes to algorithms and/or data structures are indeed making the program more efficient

Run dealer_slow.ipynb - Cell 1

Note: You should not edit this file!

Run dealer_slow.ipynb – Cell 2



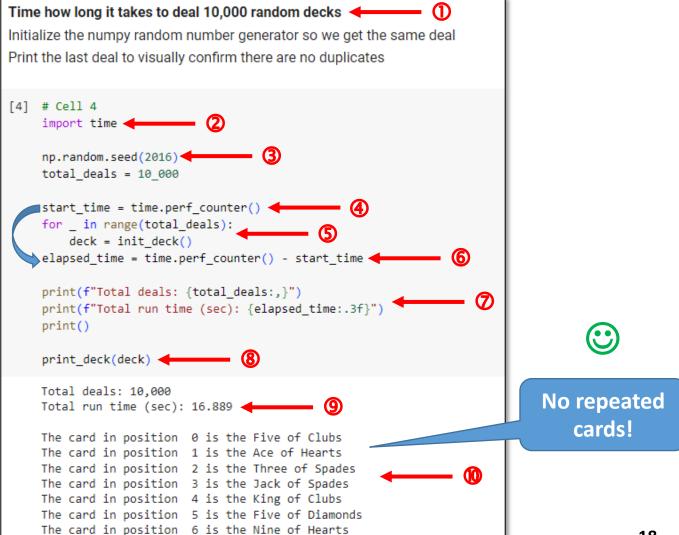
Run dealer_slow.ipynb - Cell 3

Define a function to print a deck of cards

We must convert a card number to the specific suit # and rank # for that card number

```
[3] # Cell 3
  def print_deck(deck):
    for card_pos in range(52):
        card_num = deck[card_pos]
        suit_num = card_num // 13
        rank_num = card_num % 13
        card_name = f"{ranks[rank_num]} of {suits[suit_num]}"
        print(f"The card in position {card_pos:2} is the {card_name}")
```

Run dealer slow.ipynb – Cell 4





Correct but inefficient...

dealer_bogus.ipynb

```
def init_deck():
    deck = np.arange(52)
    for card_pos in range(52):
        card_num = np.random.randint(52)
        deck[card_pos] = card_num
    return deck
```

dealer_slow.ipynb

```
def init_deck():
    deck = np.arange(52)
    already_dealt = np.zeros(52, dtype=bool)
    for card_pos in range(52):
        card_num = np.random.randint(52)
        while already_dealt[card_num]:
            card_num = np.random.randint(52)
        deck[card_pos] = card_num
            already_dealt[card_num] = True
    return deck
```

A Fast Dealer

- There is an inherent inefficiency in the naïve algorithm employed in the current init_deck() function
- It takes longer and longer, as more cards are dealt, to randomly pick (find) a card that has not yet been dealt
- We need to discover an algorithm that, while ensuring every card is dealt only <u>once</u>, doesn't lose time at the end of the deal searching for that one remaining card that has not yet been dealt
- The improved algorithm doesn't need an already_dealt helper array, and a 7th grader discovered it!

Run dealer fast.ipynb – Cells 1...2

Declare two string arrays: suits and ranks to store human-readable card identifiers The index number of each element matches the encoding table in the slide deck [1] # Cell 1 import numpy as np should not # fmt: off edit this file! suits = ["Clubs", "Diamonds", "Hearts", "Spades"] ranks = ["Deuce", "Three", "Four", "Five", "Six", "Seven", "Eight", "Nine", "Ten", "Jack", "Queen", "King", "Ace"] # fmt: on Define a function to <u>randomly</u> initialize a deck How does this approach avoid duplicates without a helper array? [2] # Cell 2 def init_deck(): deck = np.arange(52) for card pos in range(52): (5) new card pos = np.random.randint(52) < swap card = deck[card pos] (7) deck[card pos] = deck[new card pos] deck[new card pos] = swap card (9) return deck

Note: You

Run dealer_fast.ipynb - Cell 3

Define a function to print a deck of cards

We must convert a card number to the specific suit # and rank # for that card number

```
[3] # Cell 3
  def print_deck(deck):
    for card_pos in range(52):
        card_num = deck[card_pos]
        suit_num = card_num // 13
        rank_num = card_num % 13
        card_name = f"{ranks[rank_num]} of {suits[suit_num]}"
        print(f"The card in position {card_pos:2} is the {card_name}")
```

Run dealer_fast.ipynb - Cell 4

Time how long it takes to deal 10,000 random decks

Total run time (sec): 2.223

The card in position 0 is the Jack of Clubs
The card in position 1 is the Deuce of Hearts
The card in position 2 is the Nine of Hearts
The card in position 3 is the Four of Diamonds
The card in position 4 is the Nine of Clubs
The card in position 5 is the Eight of Hearts
The card in position 6 is the Seven of Spades

Initialize the numpy random number generator so we get the same deal Print the last deal to visually confirm there are no duplicates

```
[8] # Cell 4
   import time

np.random.seed(2016)
   total_deals = 10_000

start_time = time.perf_counter()
for _ in range(total_deals):
        deck = init_deck()
   elapsed_time = time.perf_counter() - start_time

print(f"Total deals: {total_deals:,}")
   print(f"Total run time (sec): {elapsed_time:.3f}")
   print_deck(deck)

Total deals: 10,000
```



No repeated cards!



A Fast Dealer

Consider the revised init_deck() function:

```
def init_deck():
    deck = np.arange(52)
    for card_pos in range(52):
        new_card_pos = np.random.randint(52)
        swap_card = deck[card_pos]
        deck[card_pos] = deck[new_card_pos]
        deck[new_card_pos] = swap_card
        return deck
```

 What is going on in this function that ensures no duplicate cards are dealt and doesn't waste time trying to find the cards at the end that have not yet been dealt?

Slow vs. Fast Dealer

dealer_slow.ipynb

```
def init_deck():
    deck = np.arange(52)
    already_dealt = np.zeros(52, dtype=bool)
    for card_pos in range(52):
        card_num = np.random.randint(52)
        while already_dealt[card_num]:
            card_num = np.random.randint(52)
        deck[card_pos] = card_num
            already_dealt[card_num] = True
    return deck
```

```
Total deals: 10,000
Total run time (sec): 16.889
```

dealer_fast.ipynb

```
def init_deck():
    deck = np.arange(52)
    for card_pos in range(52):
        new_card_pos = np.random.randint(52)
        swap_card = deck[card_pos]
        deck[card_pos] = deck[new_card_pos]
        deck[new_card_pos] = swap_card
    return deck
```

```
Total deals: 10,000
Total run time (sec): 2.223
```

- Fewer lines of code
- No helper list needed
- ~ 600% faster
- Discovered by a 7th grader

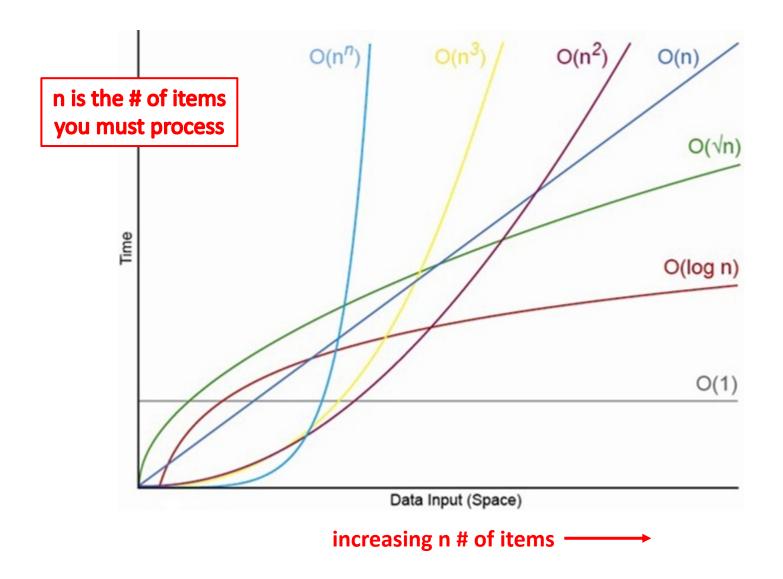
Computing is a **New** Science

- The <u>best</u> algorithms are the ones that leave you scratching your head thinking "...that was so obvious – why didn't I think of that?"
 - They are often the shortest algorithms in terms of source code length (but not always)
 - They are also normally the fastest algorithms to execute
- For many algorithms, we have yet to discover the provably optimal approach – there is still so much unknown
- Even students taking an initial computer science course can get a flash of inspiration and see something in a new way!

Algorithmic Efficiency

- Scientific computing often involves analyzing large data sets or running large-scale simulations
- It is essential to have code that runs as fast as possible while returning the correct results
- We measure algorithm efficiency by estimating the impact on the total run time as the size of the input data increases
- We are only interested in the principal (highest exponent) term, which describes the overall "order" of the algorithm, as we are not trying to calculate the exact run time
- The order of an algorithm is expressed in "Big O" notation
- The optimal algorithms have the smallest possible order

Algorithmic Efficiency



Session **06** – Now You Know...

- The <u>art</u> of computer *science* is finding an efficient way to represent everything as a number
- An encoding must be unambiguous to support proper decoding
- Decoding multiple things from a single number often requires the use of the modulus % operator
- We can instrument (time) code by measuring the elapsed time between when it starts and ends
- Algorithm design remains an area of very active research and even new programmers can make a novel contribution

Capstone Project 1

Create your own "game" in Python. The game can be about anything, but it should utilize a minimum of two of the concepts we've covered so far.

The "main character" in the game can either choose their actions based on user input, or can follow some "strategy" (for instance, the character might be a gambler, and chooses random actions, or they might be more conservative, and choose safe actions 90% of the time).

For example, your game might include many if/else statements, and also write a log of the "character's" actions to disk in a log.txt file or something along those lines.