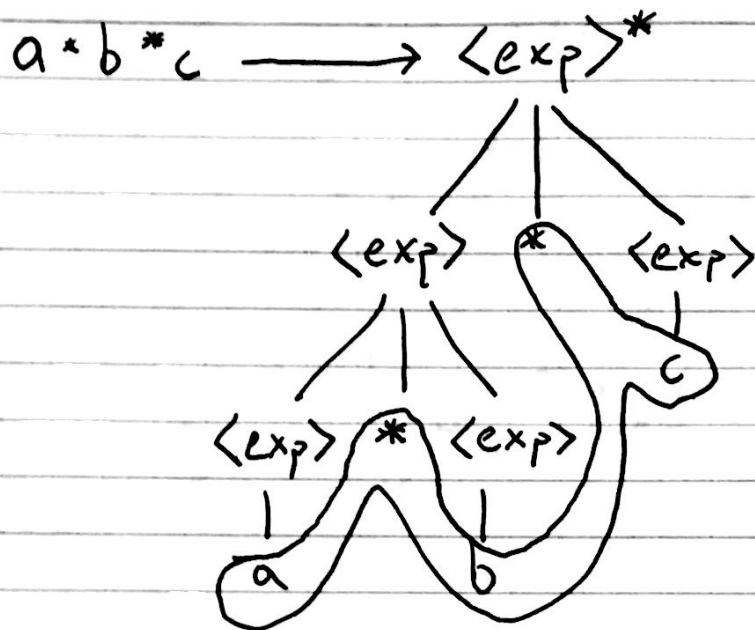


Matthew Silva

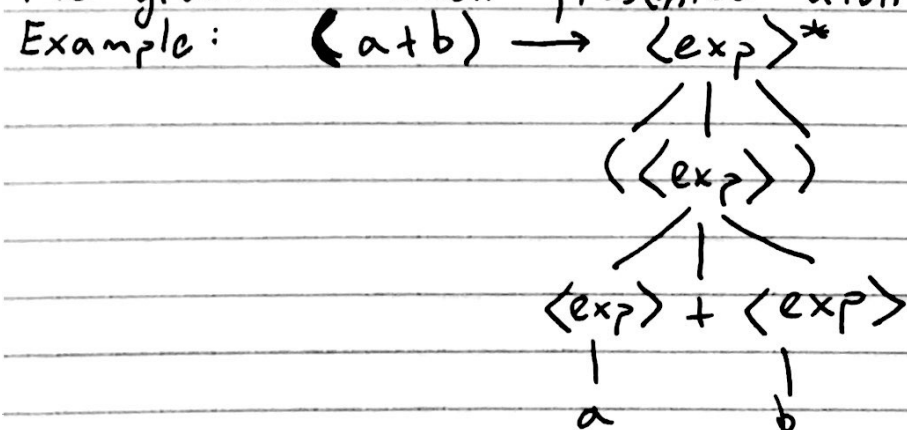
CSC 301

Lab 2

9/21/17



$(a+b)(a+b)$  is not in the language because there can't be adjacent expressions.  $(a+b)(a+b)$  does not belong to the grammar ~~there~~ because there is no production allowing a non-terminal to produce two adjacent sets of parentheses-enclosed expressions. The grammar could produce two parentheses-enclosed expressions with a plus or multiplication symbol between them, but not directly adjacent. The individual parentheses-enclosed expressions are legal expressions in the grammar when presented alone.



$(a+b)(a+b)$  would belong to the grammar if the grammar had the production  $\langle \text{exp} \rangle ::= (\langle \text{exp} \rangle) (\langle \text{exp} \rangle)$ , or the production  $\langle \text{exp} \rangle ::= \langle \text{exp} \rangle \langle \text{exp} \rangle$ .

## Constructing grammars

$\langle S \rangle^* ::= \langle \text{empty} \rangle \mid a; \langle S \rangle$

The strings generated are either empty, as in "", or one or more "a;", repeated directly after each other. Examples: "", "a;", "a;a;", "a;a;a;", ...

The simplest string the grammar should generate is the empty string, or "".