



010010101001010101010011001010101000010101010101010100010100100—●

Encryption & Decryption – 1

Sujeet Shenoi

Tandy School of Computer Science
University of Tulsa, Tulsa, OK 74104

sujeet@utulsa.edu



Fundamentals

010010101001010101010011001010101000010101010101010100010100100—●

Message

- Sender, Receiver, Transmission Medium
- Plaintext (P), Ciphertext (C)
- Interceptor/Intruder
 - Block message (Interruption)
 - Access message (Interception)
 - Modify message (Modification)
 - Fabricate message (Fabrication)





Fundamentals (contd.)

010010101001010101010100110010101010100001010101010101010100010100100—●

Cryptography

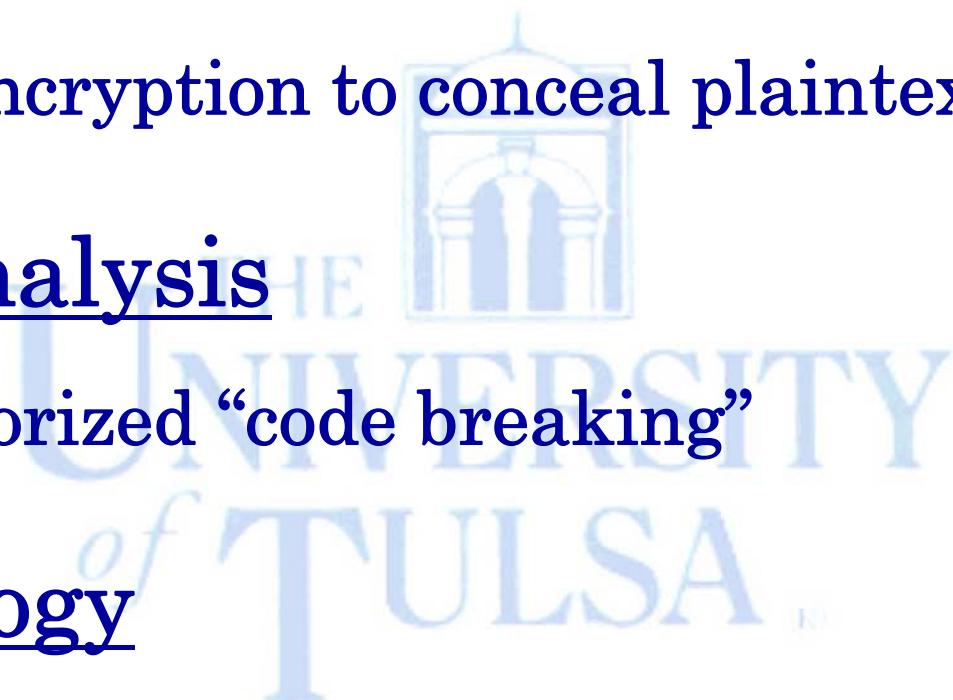
- Using encryption to conceal plaintext

Cryptanalysis

- Unauthorized “code breaking”

Cryptology

- Cryptography and Cryptanalysis



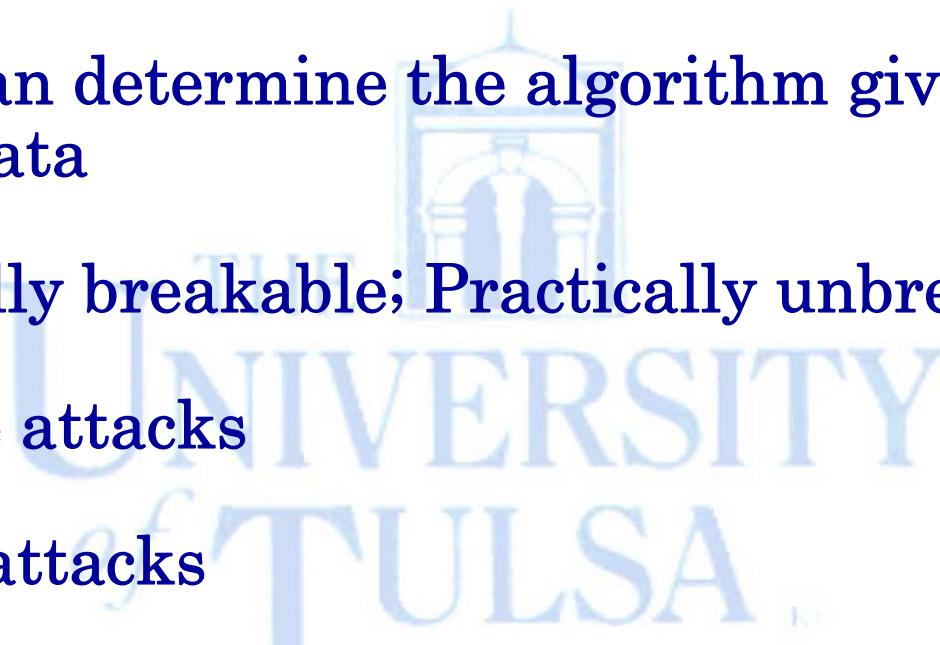


Fundamentals (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Breakable Encryption

- Analysts can determine the algorithm given enough time and data
- Theoretically breakable; Practically unbreakable
- Brute force attacks
- Ingenious attacks
- Estimates of breakability based on current technology
(Moore's Law: Processor speed doubles every 1.5 years)



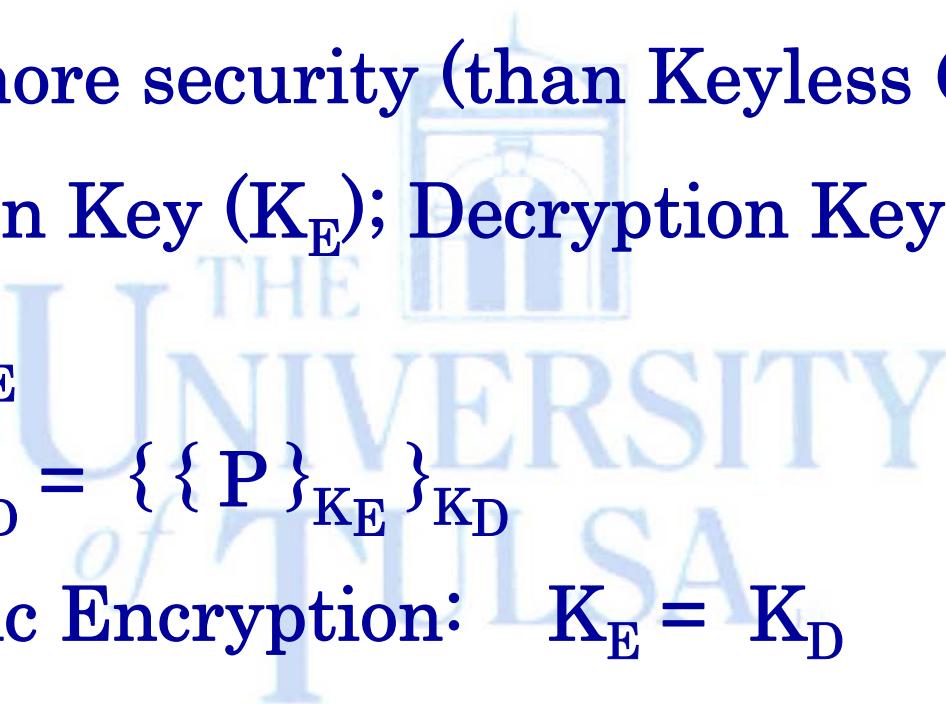


Basic Encryption/Decryption

0100101010010101010100110010101010100001010101010101010100010100100—●

Key-Based Ciphers

- Provide more security (than Keyless Ciphers)
- Encryption Key (K_E); Decryption Key (K_D)
- $C = \{ P \}_{K_E}$
- $P = \{ C \}_{K_D} = \{ \{ P \}_{K_E} \}_{K_D}$
- Symmetric Encryption: $K_E = K_D$
- Asymmetric Encryption: $K_E \neq K_D$

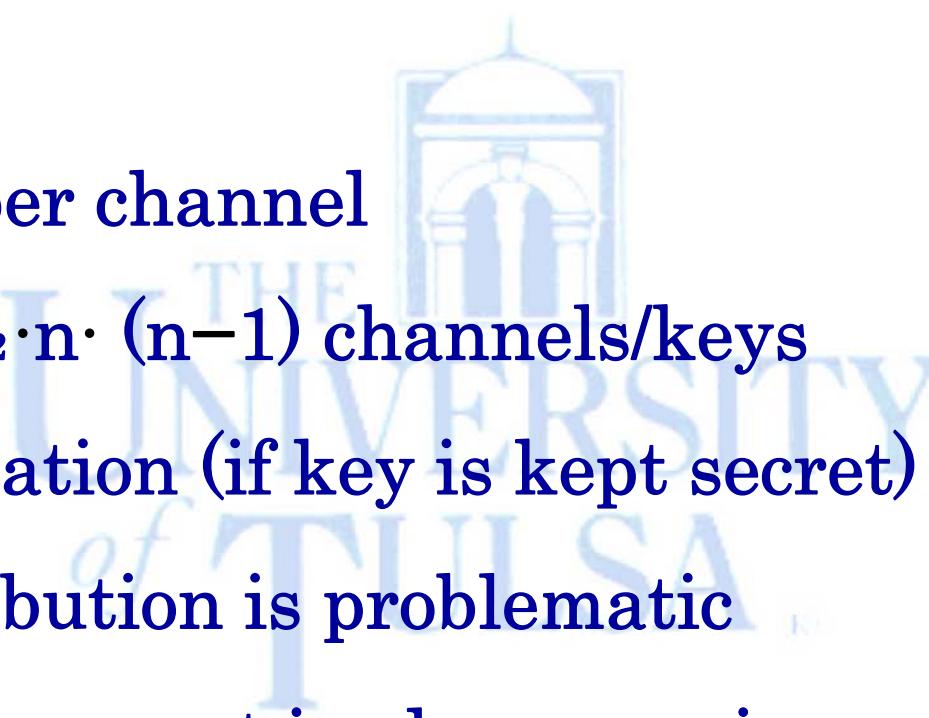


Symmetric Encryption

01001010100101010101001100101010100001010101010101010100010100100—●

Secret Key/Private Key Encryption

- $K_E = K_D$
- One key per channel
- n users: $\frac{1}{2} \cdot n \cdot (n-1)$ channels/keys
- Authentication (if key is kept secret)
- Key distribution is problematic
- Key management is always an issue (storing, safeguarding and activating keys)





Asymmetric Encryption

010010101001010101010011001010101000010101010101010100010100100—●

Private Key Encryption

- $K_E \neq K_D$
- Two keys per user (K_A^{priv} & K_A^{pub})
- n users: $2 \cdot n$ keys
- Authentication (if K_A^{priv} is kept secret)
- Key management is simplified, but is an issue

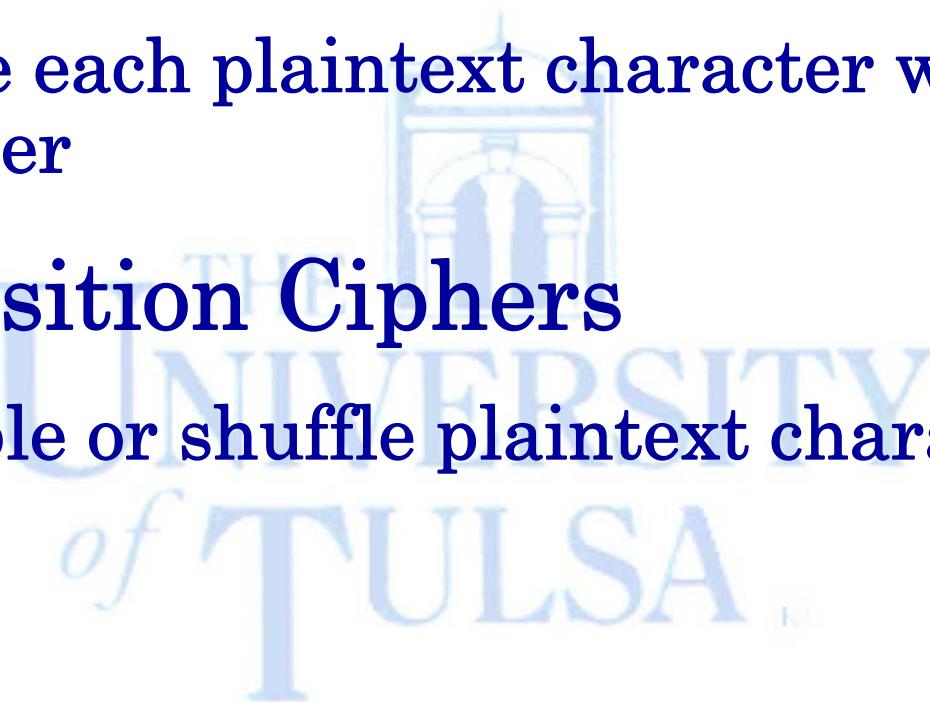




Basic Cipher Types

010010101001010101010100110010101010100001010101010101010100010100100—●

- Substitution Ciphers
 - Replace each plaintext character with another character
- Transposition Ciphers
 - Scramble or shuffle plaintext characters

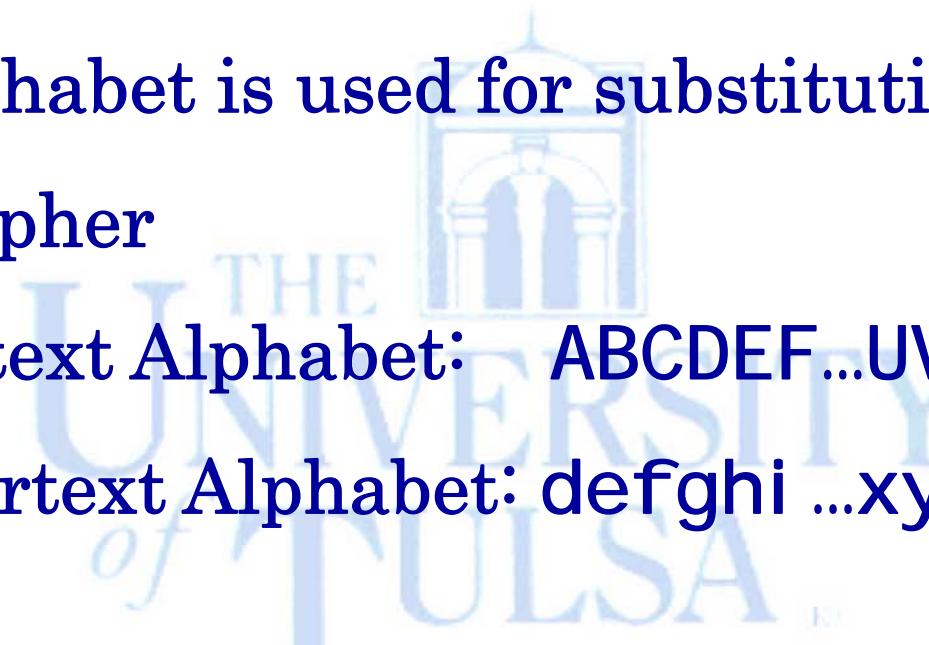


Substitution Ciphers

01001010100101010101001100101010100001010101010101010100010100100—●

Monoalphabetic Ciphers

- Single alphabet is used for substitution
- Caesar Cipher
 - Plaintext Alphabet: ABCDEF...UVWXYZ
 - Ciphertext Alphabet: defghi ...xyzabc
 - Plaintext: WEATT ACKAT DAWNX
 - Ciphertext: zhdww dfndw gdzqa

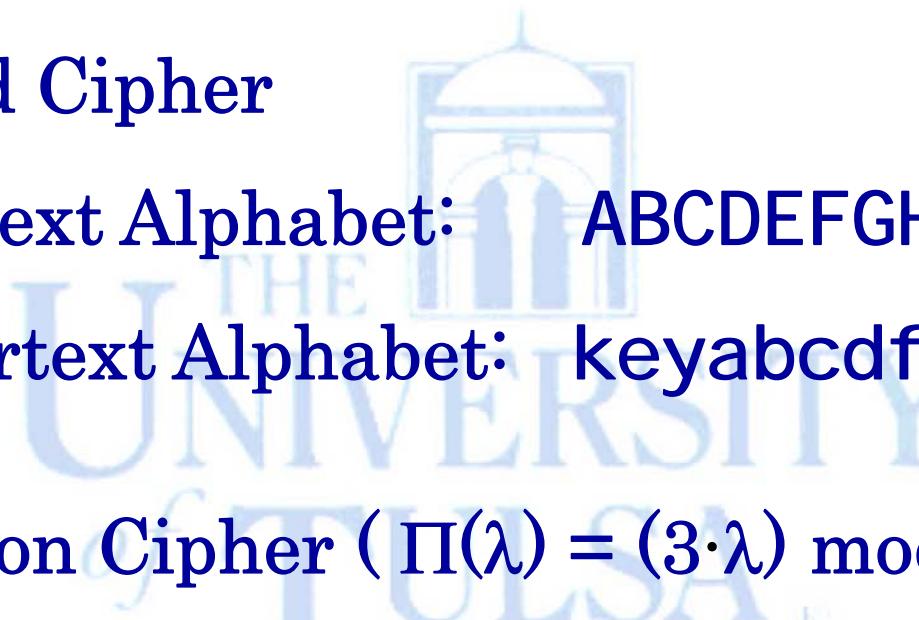


Monoalphabetic Ciphers

01001010100101010101001100101010100001010101010101010100010100100—●

Monoalphabetic Ciphers

- Key-Based Cipher
 - Plaintext Alphabet: ABCDEFGHI ...UVWXYZ
 - Ciphertext Alphabet: keyabcdefghijklmnopqrstuvwxyz
- Substitution Cipher ($\Pi(\lambda) = (3 \cdot \lambda) \bmod 26$)
 - Plaintext Alphabet: ABCDEFGHI ...UVWXYZ
 - Ciphertext Alphabet: adgjmmpsvy...ilorux

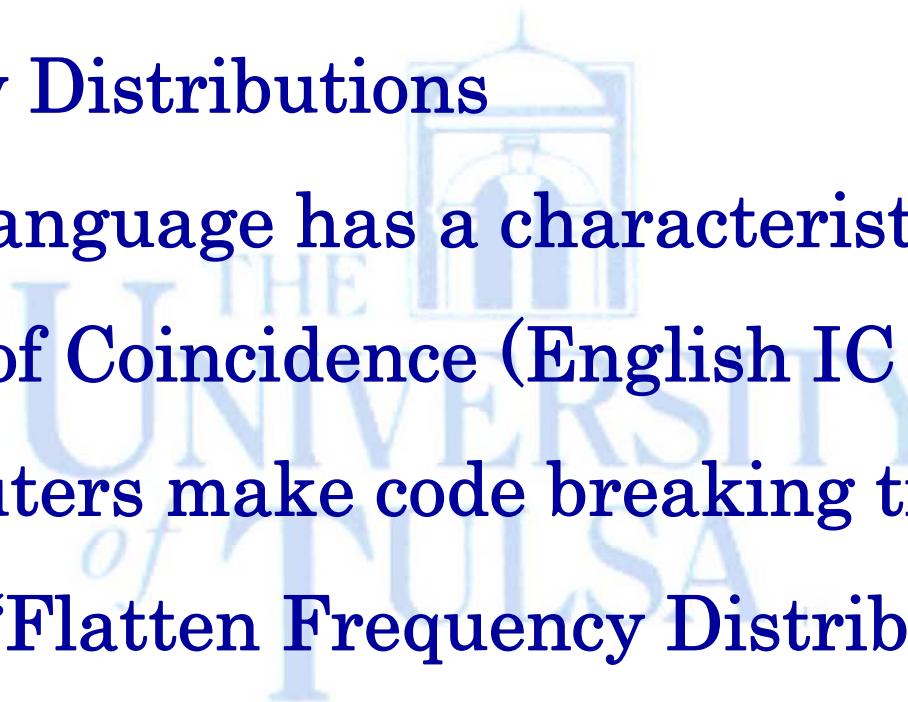


Monoalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Breaking Monoalphabetic Ciphers

- Frequency Distributions
 - Each language has a characteristic distribution
 - Index of Coincidence (English IC = 0.068)
 - Computers make code breaking trivial
- Solution: “Flatten Frequency Distributions”
- Polyalphabetic Ciphers (multiple alphabets)



Monoalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

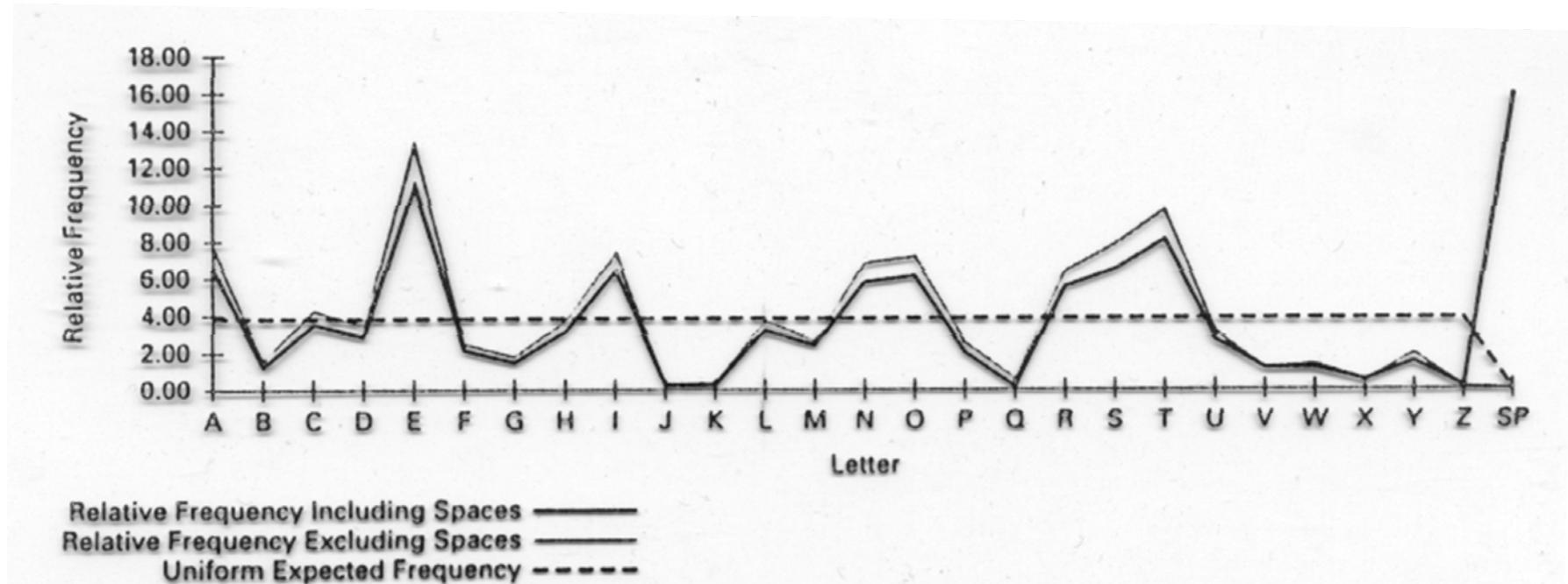


Figure 2-6 Roughness of Distribution of English Text

Polyalphabetic Ciphers

010010101001010101010100110010101010100001010101010101010100010100100—●

Polyalphabetic Ciphers

- Multiple alphabets flatten distributions

- 26! possible alphabets

#Alphabets:	1	2	3	4	5	10	∞
IC	0.068	0.052	0.047	0.044	0.044	0.041	0.038

- Example

- T H I S I S A T E S T X X X X
 - $\pi_1 \pi_2 \pi_3 \pi_1 \pi_2 \pi_3 \pi_1 \pi_2 \pi_3 \pi_1 \pi_2 \pi_3 \pi_1 \pi_2 \pi_3$
 - Choose $\pi_1 \pi_2 \pi_3$ so that frequencies are flat

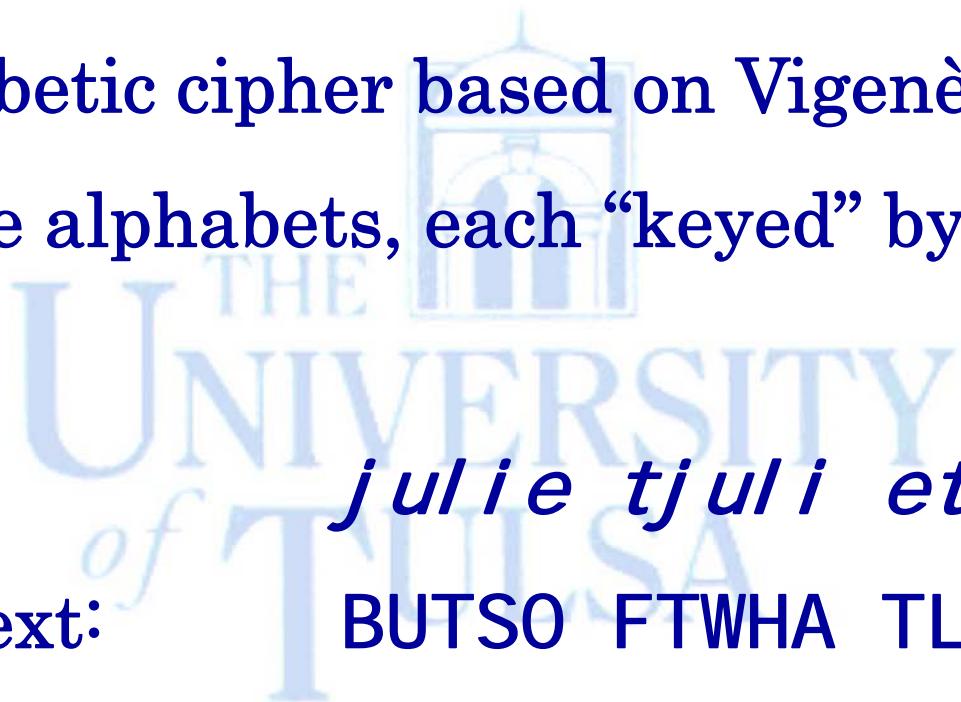


Polyalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Vigenère Cipher

- Polyalphabetic cipher based on Vigenère Tableau
- 26 possible alphabets, each “keyed” by a letter
- Example
 - Key: *julie tjuli et*
 - Plaintext: BUTSO FTWHA TL
 - Ciphertext: koeas ycqsi ...



Polyalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Table 2-5 Vigenère Tableau

	0	5	10	15	20	25	
a	b	c	d	e	f	g	h
A	a	b	c	d	e	f	g
B	b	c	d	e	f	g	h
C	c	d	e	f	g	h	i
D	d	e	f	g	h	i	j
E	e	f	g	h	i	j	k
F	f	g	h	i	j	k	l
G	g	h	i	j	k	l	m
H	h	i	j	k	l	m	n
I	i	j	k	l	m	n	o
J	j	k	l	m	n	o	p
K	k	l	m	n	o	p	q
L	l	m	n	o	p	q	r
M	m	n	o	p	q	r	s
N	n	o	p	q	r	s	t
O	o	p	q	r	s	t	u
P	p	q	r	s	t	u	v
Q	q	r	s	t	u	v	w
R	r	s	t	u	v	w	x
S	s	t	u	v	w	x	y
T	t	u	v	w	x	y	z
U	u	v	w	x	y	z	a
V	v	w	x	y	z	a	b
W	w	x	y	z	a	b	c
X	x	y	z	a	b	c	d
Y	y	z	a	b	c	d	e
Z	z	a	b	c	d	e	f
							g
							h
							i
							j
							k
							l
							m
							n
							o
							p
							q
							r
							s
							t
							u
							v
							w
							x
							y
							z
							g
							h
							i
							j
							k
							m
							n
							o
							p
							q
							r
							s
							t
							u
							v
							w
							x
							y
							z



Polyalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

julie tjuli etjul ietju lietj uliet julie tjuli
BUTSO ETWHA TLIGH TTHRO UGHYO NDERW INDOW BREAK
koeas ycqsi ...

dicke nsdic kensd icken sdick ensdi ckens dicke
ITWAS THEBE STOFT IMESI TWAST HEWOR STOFT IMESI
nsdic kensd icken sdick ensdi ckens dicke nsdic
TWAST HEAGE OFWIS DOMIT WASTH EAGEO FFOOL ISHNE
kensd icken sdick ensdi ckens dicke nsdic kensd
SSITW ASTHE EPOCH OFBEL IEFIT WASTH EEPOC HOFIN

Starting Position	Distance from Previous	Factors
20		
83	63 (83 - 20)	3, 7, 9, 21, 63
104	21 (104 - 83)	3, 7, 21



Polyalphabetic Ciphers (contd.)

Breaking Ciphers (Kasiski's Method):

- K: *di cke nsdi c kensd icken sdick ensdi ckens di cke*
 - P: I TWAS THEBE STOFT I MESI TWAST HEWOR STOFT I MESI
- 20
- K: *nsdi c kensd icken sdick ensdi ckens di cke nsdi c*
 - P: TWAST HEAGE OFWI S DOMI T WASTH EAGEO FFOOL I SHNE
-
- K: *kensd icken sdick ensdi ckens di cke nsdi c kensd*
 - P: SSI TW ASTHE EPOCH OFBEL I EFIT WASTH EEPOC HOFIN
- 83 (dist: 63; factors: 3,7,9,21,63) 104 (dist: 21; factors: 3,7,21)



Polyalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

	<i>a</i>	<i>e</i>	<i>i</i>	<i>n</i>	<i>o</i>	<i>t</i>
A	a	e	i	n	o	t
E	e	l	m	r	s	x
I	i	m	r	w	x	c
N	n	r	w	b	c	h
O	o	s	x	c	d	l
T	t	x	b	g	h	m

This table is more useful “inside out”: a could represent A, b could stand for N or T, and so on.

Searching through this table for possibilities, we transform the cryptogram.

Ciphertext	u	a	o	p	m	k	m	k	v	t	u	n	h	b	l	j	m	e	d
Possible plaintexts	?	A	A	?	E	?	E	?	?	A	?	A	N	N	?	?	E	A	?
	O	I	I			T				T	N	T	T			I	E		
	T															T			



Polyalphabetic Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

V	E	R	N	A	M	C	I	P	H	E	R
21	4	17	13	0	12	2	8	15	7	4	17

Next we need some random numbers to combine with the letter codes. Suppose the following series of random two-digit numbers is generated.

76 48 16 82 44 03 58 11 60 05 48 88

The encoded form of the message is the sum mod 26 of each coded letter with the corresponding random number. The result is then encoded in the usual base-26 alphabet representation.

Plaintext	V	E	R	N	A	M	C	I	P	H	E	R
Numeric Equivalent	21	4	17	13	0	12	2	8	15	7	4	17
+ Random Number	76	48	16	82	44	3	58	11	60	5	48	88
= Sum	97	52	33	95	44	15	60	19	75	12	52	105
= mod 26	19	0	7	17	18	15	8	19	23	12	0	1
Ciphertext	t	a	h	r	s	p	i	t	x	m	a	b

Thus, the message

VERNAME CIPHER

is encoded as

tahrsp itxmab





Perfect Substitution Ciphers

0100101010010101010100110010101010100001010101010101010100010100100—●

Infinite non-repeating sequences of alphabets
(Immunity to Kasiski's Method)

- One-Time Pad
- Long Random Number Sequences
- Vernam Cipher (punched paper tape)
- Book Ciphers (e.g., Telephone Book, Bible)





Perfect Substitution Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

- Dual Message Entrapment

- Key: di sre gardt hi sme ssage
- Message: THI SM ESSAG EI SCR UCI AL



Transposition Ciphers

0100101010010101010100110010101010100001010101010101010100010100100—●

Columnar Transposition

- Example ($c = 10$)

T H I S I S A M E S
S A G E T O S H O W
H O W A T R A N S P
O S I T I O N C I P
H E R W O R K S X X



- Ciphertext

TSHOH HAOSE I GWI R SEATW ITTI O SOROR ASANK
MHNCS EOSIX SWPPX



Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

c_1	c_2	c_3	c_4	c_5
c_6	c_7	c_8	c_9	c_{10}
c_{11}	c_{12}	etc.		

The resulting ciphertext is formed by traversing the columns.

c_1	c_2	c_3	c_4	c_5
c_6	c_7	c_8	c_9	c_{10}
c_{11}	c_{12}	etc.		

As an example, you would write the plaintext message as

T	H	I	S	I
S	A	M	E	S
S	A	G	E	T
O	S	H	O	W
H	O	W	A	C
O	L	U	M	N
A	R	T	R	A
N	S	P	O	S
I	T	I	O	N
W	O	R	K	S

The resulting ciphertext would then be read as

tssoh oaniw haaso lrsto imghw
utpir seeoa mrook istwc nasns





Transposition Ciphers (contd.)

Breaking Transposition Ciphers

- Common Digrams and Trigrams
- Digrams: EN, RE, ER, NT, TH, ON, IN, TE, AN, OR
- Trigrams: ENT, ION, AND, ING, IVE, TIO, FOR, OUR, THI, ONE
- Sliding Window Technique

TSH

OHH

TSHO

HHAO

TSHOH

HAOSE

AOSEI GWI RSEATWI TTI OSORORASANKMHNCSEOSI XSWPPX

SEI GWI RSEATWI TTI OSORORASANKMHNCSEOSI XSWPPX

I GWI RSEATWI TTI OSORORASANKMHNCSEOSI XSWPPX



Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Table 2-7 Most Common Digrams and Trigrams

Digrams	Trigrams
EN	ENT
RE	ION
ER	AND
NT	ING
TH	IVE
ON	TIO
IN	FOR
TF	OUR
AN	THI
OR	ONE



Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Table 2-8 Frequencies per 10,000 Characters of Digrams in English Example

	A	B	C	D	E	F	G	H	I	J	K	L	M
A	0.0	19.2	41.3	11.4	0.1	3.7	10.2	0.6	13.9	0.6	4.7	70.7	19.0
B	5.6	0.0	0.0	0.1	35.7	0.0	0.0	0.0	7.0	13.1	0.0	19.8	0.4
C	42.5	1.6	15.1	0.1	56.1	0.1	0.0	37.1	14.5	0.0	5.9	10.3	0.0
D	11.7	0.1	0.0	3.4	73.6	0.0	0.8	0.0	26.7	0.0	0.0	0.8	0.6
E	39.3	0.5	80.9	70.4	16.1	12.9	8.6	0.6	5.9	0.1	0.3	41.2	37.8
F	8.6	0.0	0.0	0.0	17.7	14.2	0.0	0.0	25.5	0.0	0.0	3.8	0.0
G	6.6	0.0	0.0	0.0	19.2	0.1	0.4	11.4	7.6	0.0	0.0	1.6	0.8
H	50.4	0.0	0.0	0.0	146.4	0.1	0.0	0.1	24.7	0.0	0.0	0.4	0.5
I	16.9	8.4	43.4	17.4	18.6	21.7	32.7	0.0	0.0	0.0	1.3	22.5	27.8
J	0.0	0.0	0.0	0.0	16.1	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
K	0.5	0.0	0.0	0.0	10.5	0.0	0.0	0.0	2.8	0.0	0.0	0.1	0.0
L	32.1	0.1	0.2	7.9	65.7	0.6	0.5	0.0	30.6	0.0	0.1	30.6	0.3
M	33.9	4.8	0.1	0.3	62.3	0.0	0.0	0.0	15.9	0.0	0.0	0.4	7.3
N	20.2	0.2	28.5	67.8	41.4	9.7	58.5	0.5	21.1	0.1	0.9	3.5	2.2
O	1.8	10.3	11.6	21.3	2.0	67.7	8.5	0.1	2.4	2.9	2.3	20.4	35.5
P	19.4	0.1	0.2	0.1	48.4	0.2	0.0	2.7	2.7	0.0	0.0	24.6	1.6
Q	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
R	52.0	0.1	12.4	7.8	132.3	3.0	5.1	0.3	75.2	0.0	2.7	2.4	18.6
S	8.1	0.0	7.8	0.2	97.2	1.8	0.0	10.2	52.5	0.0	1.7	1.4	4.2
T	37.5	0.0	3.8	0.2	101.5	0.3	0.0	196.8	121.0	0.0	0.0	2.7	4.4
U	16.8	8.3	13.5	7.7	9.9	0.5	3.6	0.0	6.9	0.0	0.0	24.4	6.1
V	17.0	0.0	0.0	0.0	51.5	0.0	0.0	0.0	20.3	0.0	0.0	0.0	0.5
W	12.6	0.0	0.1	0.0	19.2	0.0	0.0	16.2	16.7	0.0	0.0	0.2	0.0
X	6.4	0.0	0.3	0.0	1.9	0.0	0.0	0.1	1.8	0.0	0.0	0.0	0.0
Y	0.2	0.1	0.1	0.2	2.6	0.0	0.0	0.0	1.7	0.0	0.0	0.0	0.2
Z	3.2	0.0	0.0	0.0	4.6	0.0	0.0	0.0	0.3	0.0	0.0	0.0	0.0
SP	201.1	60.0	98.4	65.4	63.9	64.0	12.4	27.8	120.7	2.2	7.1	31.4	58.2



Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

	N	O	P	Q	R	S	T	U	V	W	X	Y	Z	SP
A	119.1	0.00	10.9	0.0	65.9	49.8	118.8	6.6	9.8	1.8	0.9	9.6	0.0	55.8
B	0.0	4.5	0.0	0.0	1.9	1.8	0.6	7.5	0.3	0.0	0.0	8.2	0.0	7.4
C	0.0	57.4	0.0	0.1	11.7	2.4	63.2	28.5	0.0	0.0	0.0	3.0	0.0	126.6
D	0.1	11.0	0.0	0.0	2.0	5.8	0.1	12.5	1.1	1.6	0.0	3.0	0.0	126.6
E	99.2	2.0	13.3	8.0	143.0	132.0	26.4	1.8	27.0	3.1	28.9	4.4	0.0	310.9
F	0.0	37.2	0.0	0.0	8.2	0.2	5.3	7.7	0.0	0.0	0.0	1.9	0.0	70.2
G	16.6	3.5	0.0	0.0	12.8	1.0	0.5	8.5	0.0	0.0	0.0	0.5	0.0	50.4
H	3.2	23.4	0.0	0.0	7.3	0.4	5.8	2.3	0.0	0.0	0.0	3.4	0.0	36.3
I	142.3	70.6	4.9	2.6	15.9	64.4	80.6	0.3	15.9	0.0	1.9	0.0	6.9	1.4
J	0.0	1.3	0.0	0.0	0.0	0.0	0.0	1.2	0.0	0.0	0.0	0.0	0.0	0.6
K	3.1	0.1	0.0	0.0	0.0	2.4	0.0	0.2	0.1	0.1	0.0	0.0	0.0	6.8
L	0.4	18.1	1.0	0.0	0.2	11.1	9.2	9.2	2.3	0.5	0.0	24.6	0.0	67.9
M	0.3	20.3	25.2	0.0	0.0	12.9	0.0	8.9	0.6	0.0	0.0	0.5	0.0	32.3
N	4.0	21.2	0.1	0.1	0.7	37.5	83.0	3.6	6.5	0.0	0.0	6.1	0.0	151.5
O	12.1	9.1	23.1	0.0	88.7	14.6	28.3	45.1	8.3	17.6	0.3	0.5	0.0	64.3
P	0.0	20.3	9.7	0.0	46.9	2.2	6.3	4.9	0.0	0.0	0.0	0.3	0.0	6.4
Q	0.0	0.0	0.0	0.0	0.0	0.0	0.0	14.8	0.0	0.0	0.0	0.0	0.0	1.0
R	5.7	62.1	2.1	0.0	5.9	21.5	20.3	11.9	5.6	0.3	0.0	10.7	0.0	94.0
S	0.5	23.6	7.4	0.1	0.1	43.7	77.9	30.7	0.0	2.6	0.0	21.1	0.0	257.8
T	0.7	60.4	0.5	0.0	31.9	38.3	4.4	14.3	0.0	10.9	0.0	34.2	0.2	137.7
U	18.6	0.5	6.0	0.0	53.7	43.9	16.9	0.0	0.0	0.0	0.1	0.1	0.1	13.3
V	0.0	2.8	0.0	0.0	0.0	0.5	0.0	0.4	0.0	0.0	0.0	0.0	0.0	0.1
W	3.4	10.4	0.0	0.0	1.6	2.8	0.0	0.0	0.0	0.0	0.0	0.0	0.0	10.2
X	0.0	0.1	16.5	0.0	0.0	0.0	2.1	0.0	0.0	0.0	0.0	0.0	0.0	3.6
Y	0.6	15.5	5.0	0.0	0.2	25.2	0.3	0.1	0.0	0.1	0.0	0.0	0.9	96.1
Z	0.0	0.2	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.1	0.0
SP	27.4	135.2	71.6	4.8	53.2	136.3	251.9	30.0	15.7	54.7	0.5	16.6	0.1	0.0



Transposition Ciphers (contd.)

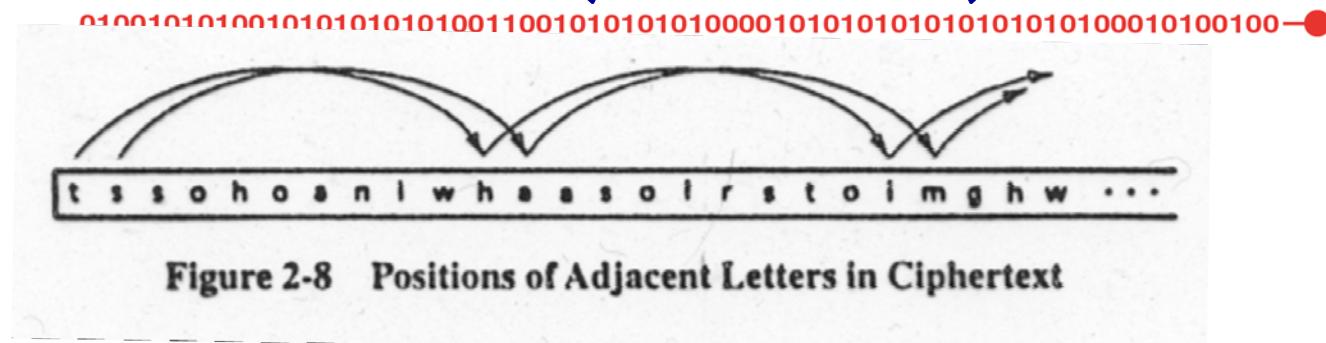


Figure 2-8 Positions of Adjacent Letters in Ciphertext

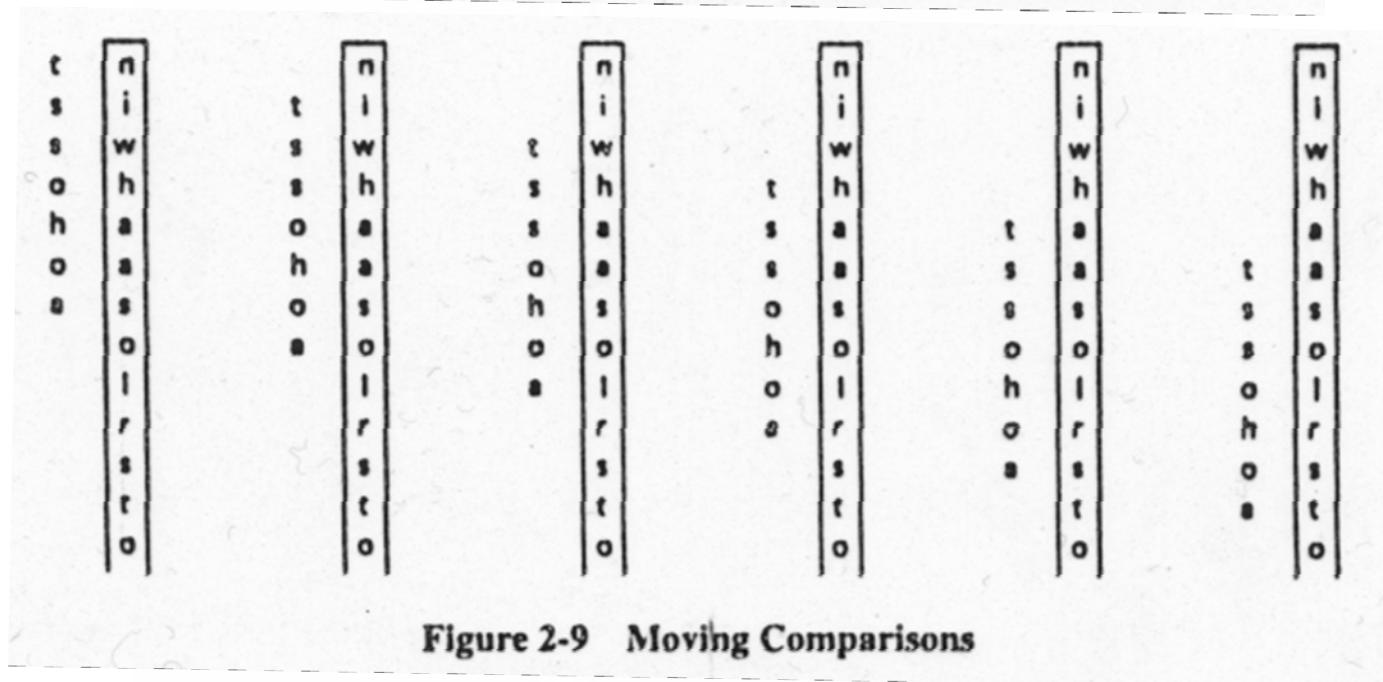


Figure 2-9 Moving Comparisons

Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100—●

Double Columnar Transposition

- Example ($c_1 = 10$; $c_2 = 15$)
- Ciphertext (First Transposition)

T	S	H	O	H	H	A	O	S	E	I	G	W	I	R
S	E	A	T	W	I	T	T	I	O	S	O	R	O	R
A	S	A	N	K	M	H	N	C	S	E	O	S	I	X
S	W	P	P	X	E	A	O	X	Y	Q	S	R	D	X

- Ciphertext (Second Transposition)

TSASS	ESWHA	APOTN	PHWKX	HI MEA	THAOT	NOSIC
XEOSY	I SEQG	00SWR	SRI OI	DRRXX		



Transposition Ciphers (contd.)

01001010100101010101001100101010100001010101010101010100010100100—●

tssoh oaniw haaso lrsto imghw
utpir seeoa mrook istwc nasns
tssoh oaniw haaso lrsto (i(m(g(h(w
(u(t(p(i(r s)e)o)a)m)r)o)o)k) istwc nasns

Table 2-10 Single Columnar Transposition

T	H	(I S)	I
S	A	(M E)	S
S	A	(G E)	T
O	S	(H O)	W
H	O	(W A)	C
O	L	(U M)	N
A	R	(T R)	A
N	S	(P O)	S
I	T	(I O)	N
W	O	(R K)	S

Table 2-11 Second Columnar Pattern

T	S	S	O	H	O	A
N	I	W	H	A	A	S
O	L	R	S	T	O	{I}
(M	(G	(H	(W	(U	(T	(P
(I	(R	(S	(E	(E	(O	(A)
M)	R)	O)	O)	K)	I	S
T	W	C	N	A	S	N
S	X	X	X	X	X	X

tno(m(i m)tssi l(g(rr)w xswr(h s)o)cxo
hs(we)o nxhat (ue)k)ax oao(to) isxas (i(pa)sn x



Transposition Ciphers (contd.)

0100101010010101010100110010101010100001010101010101010100010100100→●

Breaking Double Transposition Ciphers

- Relationship between plaintext/ciphertext characters
- $p_i = c^1 r_1 \cdot [(i-1) \bmod c_1] + (i-1)/c_1 + 1$
- $c^1_i = c^2 r_2 \cdot [(i-1) \bmod c_2] + (i-1)/c_2 + 1$
- Use digrams and trigrams to compute parameters (c_1, r_1, c_2, r_2)

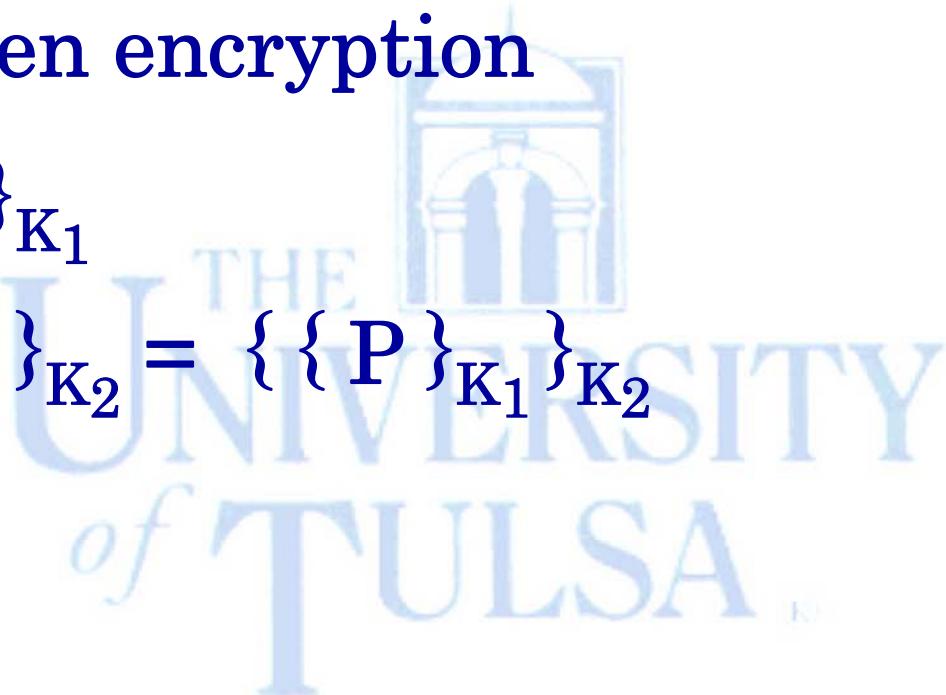




Product Ciphers

0100101010010101010100110010101010100001010101010101010100010100100—●

- Combine two or more approaches to strengthen encryption
- $E_1 = \{ P \}_{K_1}$
- $E_2 = \{ E_1 \}_{K_2} = \{ \{ P \}_{K_1} \}_{K_2}$





Fractionated Morse

010010101001010101010100110010101010100001010101010101010100010100100=

FRACTIONATED MORSE

Table 2-12 Morse Code

A	.-	H	O	---	U	...
B	-...	I	..	P	---.	V
C	-..-	J	----	Q	---.	W	.--
D	-..	K	--.	R	--.	X	-...
E	.	L	...-	S	...	Y	-.--
F	-..-	M	--	T	-	Z	--..
G	-..	N	-.				

F R A C T I O N A
T E D M O R S E

or

(Note that a break between words is shown as ||, or a long pause.)



Fractionated Morse (contd.)

01001010100101010101001100101010100001010101010101010100010100100—●

Example

As shown previously, the message

FRACTIONATED MORSE

is represented in Morse code as

...- .| .- | .- | - .- .| - | .. --- | - .| .- |
- | .| - ..| | -- | --- | .- .| . . .| .

We begin fractionated Morse by breaking this message into blocks of three symbols. If the last block does not have three symbols, we fill it with the separator i.

...- .| .- | .- | - .- .| - | .. | -- - | - .| .
- | - | .| - ..| | - | - | - | .- .| . . .| .

The encryption is completed by replacing each block of three symbols by its letter equivalent from Table 2.13.

..-	. .	-.	.-	-.-	. -	..	--	- -	. .
o	1	d	f	c	a	p	t	k	l
- -	.	-..	-	- -	--	.-.	
k	r	b	z	k	i	e	p		l

Fractionated Morse (contd.)

010010101001010101010011001010101000010101010101010100010100100—●

Table 2-13 English Letters Associated with Morse Code Symbols

w	...	a	. -	i	--	r	.
o	...-	x	.	j	- .	s	-.
v	..	b	...	k	- -	t	--
e	.-.	c	---	m	-	u	.-
n	.--	d	-.-	p	..	y	.
f	.-	g	---.	q	.-	z	-
l	. .	h	---				

The final transmitted message is

oldfcaptklkrbzkiepl



Shannon Characteristics

Characteristics of “Good Ciphers” (1949)

- Amount of secrecy needed should determine the amount of effort needed for encryption and decryption (Principle of Timeliness)
- Keys and enciphering algorithm should be free from complexity
- Implementation should be as simple as possible
- Errors should not propagate and corrupt message
- Ciphertext Size \leq Plaintext Size

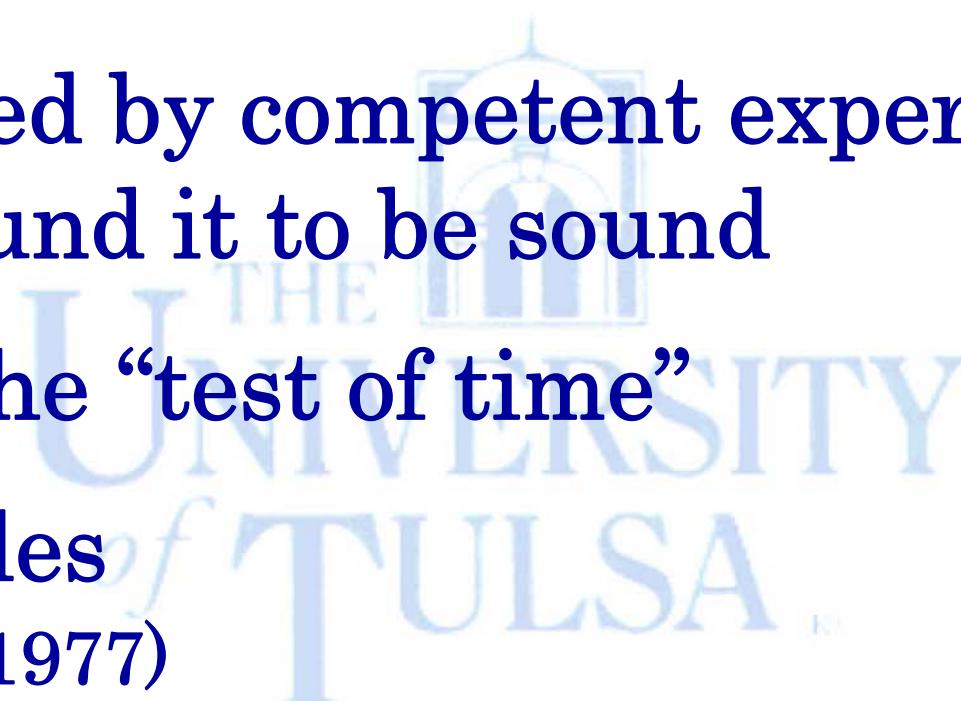




Trustworthy Encryption Systems

0100101010010101010100110010101010100001010101010101010100010100100—●

- Based on sound mathematics
- Analyzed by competent experts who have found it to be sound
- Stood the “test of time”
- Examples
 - DES (1977)
 - RSA (1978)
 - AES (2001)



Confusion vs. Diffusion

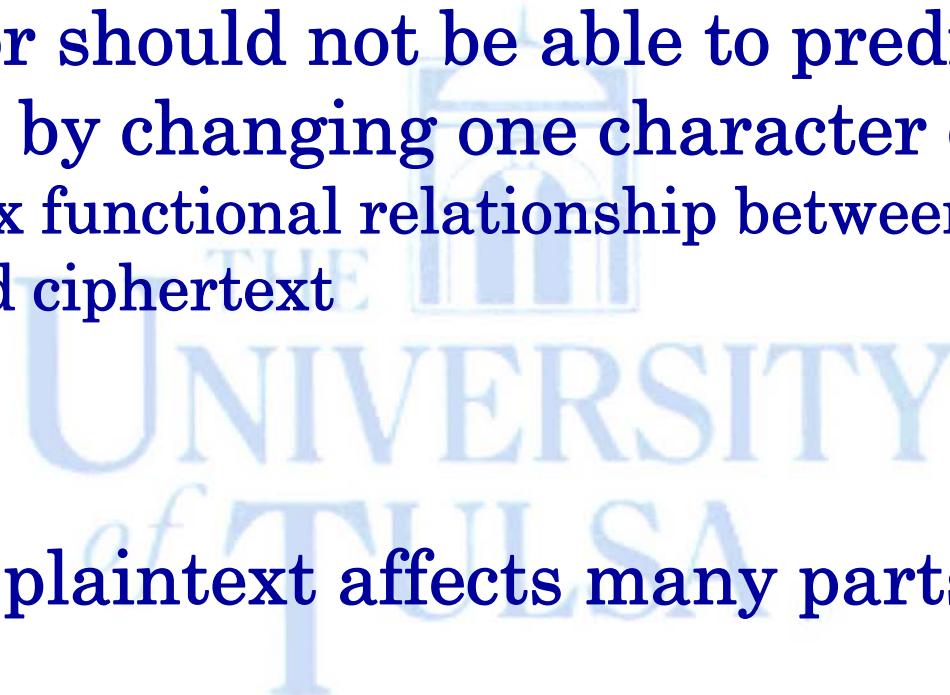
01001010100101010101001100101010100001010101010101010100010100100—●

Confusion

- Interceptor should not be able to predict effect on ciphertext by changing one character of plaintext
 - Complex functional relationship between key/plaintext pair and ciphertext

Diffusion

- Changing plaintext affects many parts of the ciphertext
 - Information about a single plaintext character is distributed throughout the ciphertext



Stream vs. Block Ciphers

0100101010010101010100110010101010100001010101010101010100010100100—●

Stream Ciphers (Convert $p_i \rightarrow c_i$)

- Substitution Ciphers
 - High Speed of Transformation
 - Low Error Propagation
 - Low Diffusion
 - Susceptibility to Malicious Insertions

Block Ciphers (Convert $P \rightarrow C$)

- Transposition Ciphers
 - Low Speed of Transformation
 - High Error Propagation
 - High Diffusion
 - Immunity to Malicious Insertions





Breaking Encryption

010010101001010101010011001010101000010101010101010100010100—●

Cryptanalysis

- Ciphertext Only Attack (only cipher text is known)
- Known Plaintext Attack (full plaintext is known)
- Probable Plaintext Attack (some plaintext is known)
- Chosen Plaintext Attack (sender's process is known)
- Chosen Ciphertext Attack (algorithm and ciphertext are known)

