Code suggestion for Query3 without modulo

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Abstract

sketch of a algorithm that doesn't need to recreate the whole Int (for most cases) in order to decide solve the Modulo in Query3. Should allow to work with weave format more efficiently

1 Reformulate "Where-Clause"

$$a \mod b = c \Leftrightarrow$$
 (1)

$$\exists \lambda \in \mathbb{N} : (a - c) - \lambda b = 0 \Leftrightarrow \tag{2}$$

$$\exists \lambda \in \mathbb{N} : \frac{(a-c)}{b} = \lambda \tag{3}$$

It should be possible exclude many rows without loading the complete numbers a,c and b, by checking for natural λ .

2 Pseudocode Propositon

Algorithm 1: check for natural λ bitwise

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Result: if a natural \lambda exists such that it is the quotient of two numbers
initialization;
g := a - c;
if g < b by checking the first 1 in the bit strings then
   return false;
else
   i = 1;
   j = 1;
   going through the bits from least to most significant
   while g[0:-j] > b[0:-i] by keeping track of most significant 1 do
       if length(g[0:-j]) == 0 then
           equals -j reaching the most significant position.
          return true;
       else
           if b[-i] == 0 then
              if g[-j] == 0 then
                  drop the bit -i and -j equals divide by two
                  j++; i++;
                  continue;
              else
                  g can't be divisible by two, while b is
                  return false;
              end
           else
              if g[-j] == 0 then
                  divide g by two
                  j++; continue;
              else
                  NON-Bitwise Block
                  subtract the remaining part of b from the remaining g
                  g[0:-j] -= b[0:-i];
                  continue;
              end
           end
       end
   end
end
```

It should be possible to figure out a way to keep track of the non bitwise block, such that one can correct the "new" bits. The rest of the code is index calculation or adresses only the last bit.

The runtime depends on the number of non-zero entries in g and the position of the least significant 1 in b. Worst case $\mathcal{O}(2*size_t)$. The expected runtime depend on the distribution of a and c. many small c and large a are close to the worst case