# Chess

### Mauricio Esquivel Rogel

October 24, 2016

#### 1 Introduction

I implemented an iterative deepening minimax search with the following extensions: alpha-beta pruning, transposition table, null-move pruning, quiescence search with delta pruning, opening book, and move ordering.

# 2 Running the code

Open the project in Eclipse and run ChessClient.java. Unfortunately, I wasn't able to fix a compiling bug when you first add the project to Eclipse that tells you some library can't be found. To fix that, you just go to the chai package right-click menu, and then: Build path > Configure Build Path...> Libraries > Select JRE System Library [Java... > Add Library... > JRE System Library > Check Workspace default JRE... > Finish > Apply.

# 3 Opening book

As suggested in *Artificial Intelligence: A modern approach*, I decided that for the first 10 plys, the computer will actually attempt to make the moves directly out of some game from the opening-book. Here is the code for this:

```
150
       Get the first 10 moves from the opening book but stop if at
151 // any point the move is invalid or not quiescent, then start using
152
   if (position.getPlyNumber() < 10 && !invalidMove) {
153
154
      opening.goForward();
155
      short move = opening.getNextMove().getShortMoveDesc();
156
      boolean empty = position.isSquareEmpty(Move.getToSqi(move)),
        sacrifice = false, capture = Move.isCapturing(move),
157
158
          recapture;
159
160
      position.doMove(move);
161
      opening.goForward();
162
      if (!position.isLegal() || !empty) {
163
        position.undoMove();
164
165
        invalidMove = true;
        return IDMinimaxSerach(position);
166
167
      }
168
```

```
169
      Double v = eval(position, 0);
170
      recapture = position.getAllCapturingMoves().length > 0;
171
      sacrifice = recapture ? !capture : quiescenceSearch (position,
172
173
        Double . NEGATIVE_INFINITY ,
174
          Double.POSITIVE_INFINITY, 0) <= v;
175
      // check if the horizon effect makes this a bad move
176
      if (sacrifice) {
177
        position.undoMove();
178
179
        invalidMove = true;
        return IDMinimaxSerach (position);
180
181
182
183
      position.undoMove();
184
      return move;
185 }
```

As the code shows, there is a lot of move validation going on. Invalid moves are immediately rejected, and they trigger a normal search as soon as their detected in lines 163-167. On the other hand, non-quiescent moves are too risky to allow, so we also run a small QUIESCENT-SEARCH (see 4.2.1) and resort to a full, normal search if necessary (lines 171-181).

### 4 Minimax

To show how I implement the search, I will split it into subsections for each extension:

#### 4.1 Iterative-deepening

ID-MINIMAX-SERACH runs the iterations of the search, and MINIMAX-ALPHA-BETA-SERACH starts the depth-limited Minimax search.

#### 4.2 Alpha-beta pruning

Implemented from Artificial Intelligence: A modern approach

The calls to Max-Value(position, d, maxDepth, a, b) and Min-Value(position, d, maxDepth, a, b) take alpha, a, and beta, b, parameters to recursively find that best possible solution up to the max-depth. Each method starts out by checking if the search should terminate with the cutoff test,

```
// CUTOFF test with quiescence search
268
        if (cutoffTest(position, d, maxDepth)) {
269
270
          Double value = eval(position, d), q;
271
          if (position.isStaleMate()) {
272
273
    value = 0.0:
274
             else if (position.isTerminal() && position.isMate()) {
275
    value = position.getToPlay() == computerId ?
276
        Double.NEGATIVE_INFINITY: Double.POSITIVE_INFINITY;
277
    (Move.isCapturing(position.getLastMove().getShortMoveDesc()) &&
278
```

```
279 (q = quiescenceSearch(position, Double.NEGATIVE_INFINITY,
280 Double.POSITIVE_INFINITY, d)) < value) {
281 value = q;
282 }
283 
284     return value;
285 }
```

Here, given that the current position terminates the search, we check if this is a win, a draw, a loss, or simply the cutoff evaluation. This code is from MAX-VALUE, but the MIN-VALUE version is analogous.

#### 4.2.1 Quiescence Search

 $Implemented\ from\ https://chessprogramming.wikispaces.com/Quiescence+Search$ 

In order to make sure that the *horizon effect* is not causing unnecessary sacrifices, we check every non-quiescent position and extend the search until we land on a quiescent position. In this implementation, I consider captures non-quiescent positions. To do this, QUIESCNECE-SEARCH runs a reduced MINIMAX search with alpha-beta and delta pruning. Here is the code for the max part of the search (the min version is analogous):

```
513 // beta cutoff
514 if (standPat >= b) {
      return standPat;
515
516 }
517
518
    for (int i = 0; i < \text{capturingMoves.length}; i++) {
519
      move = capturing Moves [i];
520
521
      position.doMove(move);
      counter = quiescenceSearch (position, a, b, d);
522
523
      v = Math.max(counter, v);
524
525
526
      position.undoMove();
527
      if (v >= b) {
528
529
        return v;
530
531
      bigDelta = 975.0; // queen eval
532
533
      if (Move.isPromotion(move)) {
        bigDelta += 775.0;
534
535
536
537
      // delta cutoff
      // if not near the end of the game
538
      if (v < 2000.0 \&\& v < a - bigDelta) {
539
540
         return a;
541
542
543
      a = Math.max(a, v);
```

We know we have a quiescent position when  $\mathtt{standPat} \geq \mathtt{b}$ , so we keep searching until that happens. Although these trees can grow quite large as well, the size of the trees decreases as less pieces are available. So to make it more efficient, we ignore moves that are not good enough to make up for the loss of a queen in lines 532-541, which serves as a good parameter to evaluate captures. Near the end of the game, there are relatively few captures to be made, so we deactivate delta pruning at this point because it no longer makes sense.

#### 4.2.2 Move ordering

Before exploring the child min moves and max moves in Max-Value and Min-Value, respectively, these moves are ordered in a convenient way to make the alpha-beta pruning more efficient. In Max-Value, we sort the moves in decreasing evaluation values, and in Max-Value, we do the opposite. Here is the code for the move ordering in Max-Value:

```
// MOVE ORDERING
297
298
    move = moves [0];
299
    position.doMove(move);
300
    while (evalValues.containsKey(position) && j < moves.length) {
301
302
      orderedMovesHeap.insert (new
      FibonacciHeapNode<EvalMove>(new EvalMove (move,
303
      evalValues.get(position)));
304
305
306
      position.undoMove();
307
      if (j < moves.length) {
308
        move = moves[j++];
309
310
        position.doMove(move);
311
        else {
312
        j++;
313
314
315
316
    if (j > 1) {
      if (orderedMovesHeap.size() = moves.length) {
317
318
        canOrder = true;
319
320
    }
321
322
    position.undoMove();
```

The Fibonacci Heap takes care of the sorting, and here is its initialization:

```
289 comparator = new EvalMoveComparator(-1);
290 PriorityFibonacciHeap < EvalMove> orderedMovesHeap =
291 new PriorityFibonacciHeap < EvalMove> (comparator);
```

The comparator instantiates EvalMoveComparator with an integer, 1 or -1, to represent increasing and decreasing orders, respectively. Once this is ready, the while loop in lines 301-314 inserts all possible moves

into the fib-heap but only if they're already in the transposition table, evalValues, because otherwise, the ordering would actually hurt the efficiency of the search. If all necessary moves were found in evalValues, then lines 316-320 toggle the boolean canOrder to true so that in the actual alpha-beta pruning search we know if we can get the next move from the ordered heap or if we need to resort to normal ordering:

```
343 x = canOrder ? orderedMovesHeap.poll().getValue() : null;
344
345 move = canOrder ? x.getMove() : moves[i];
```

#### 4.2.3 Null-move pruning

 $Implemented\ from\ https://chessprogramming.wikispaces.com/Null+Move+Pruning$ 

As a forward-pruning method, null-move pruning makes the search more efficient by simulating a Move.NO\_MOVE from the current player and then seeing if even with that largely disadvantageous move, the search can still reach a satisfactory cutoff evaluation value (which would of course be to a shallower depth, since a null-move is equivalent to decreasing maxDepth by 1). If the search is able to accomplish this, then we know there's no point exploring a larger tree, so we just cutoff the search. This process gets done every recursion of both MAX-VALUE and MIN-VALUE to cutoff unnecessary trees, where the codes for the two methods are once again analogous to each other. Here is the code for null-move pruning in MAX-VALUE:

```
// NULL-MOVE PRUNING
324
   if (position.isCheck() && position.getToPlay() == computerId) {
326
      v = Double.NEGATIVE_INFINITY;
327
   } else {
328
      position.setToPlay(0);
      v = minValue(position, d+1, maxDepth, a, b);
329
      position.setToPlay(computerId);
330
331
   }
332
333
    if (v > Double.NEGATIVE_INFINITY) {
      if (v >= b) {
334
335
        return v;
336
       else {
337
        v = Double.NEGATIVE_INFINITY;
338
339
   }
```

Since I wasn't able to make Chesspresso allow a Move.NO\_MOVE for either player, I equivalently give the turn to the next player. Once the cutoff value for this shallower search has been obtained in line 329, we check if the value is good to cutoff the current search tree in lines 333-339.

#### 4.3 Evaluation function with Transposition Table

Idea from Artificial Intelligence: A modern approach

Here is the code for the evaluation function I'm using:

```
324 Double material;
325
```

```
// TRANSPOSITION TABLE
327
   if (evalValues.containsKey(position.hashCode())) {
      // repeated positions are less valuable
328
329
      material = evalValues.get(position.hashCode()) - PENALTY;
   } else {
330
      // more weight on the material
331
332
      material = position.getMaterial() + position.getDomination()
333
        / RATIO;
334
      evalValues.put(position.hashCode(), material);
335
   }
336
337
    if (position.getToPlay() == computerId) {
338
      return material;
339
   }
340
341 return material * -1;
```

Chesspresso conveniently provides the three key pieces for this evaluation:

- 1. The position's hashCode
- 2. The position's getMaterial method
- 3. The position's getDomination method

The first item provides the necessary keys to create the transposition table and thus drastically speed up running time. The last two items determine how valuable is a position, and I just simply ranked them according to what I considered more important. Since I consider defense more important than offense (mostly because the computer doesn't make the first move), I add only a fraction of the position's domination (how much has the player destroyed the other player) to the the position's material. Although I initially considered taking into account other factors such as the possibility of a castle, good pawn structure, etc. but I realized that it works well enough as it is.