(2) Superficie poetrales, integrales de superficie F: R² -> R² Campovechial en R² Sea [T(x,y)=(-y,x)] y na \mathbb{C} la mitod syeria del circolo de radio 2 centado en (0,0) orientado en direción costria a los manerillas del relog. (a) Calcule el trabajo realizado por el campo F a lo largo de C. (6) Calcul el tabajo PROMEDIO de F en C. F(2,0=(-0,2) F(x,y)=(-y,x) Fids = Trobajo real i tado por Falo Cogo de C (1) La composição de la compo 干(o(n)·o'(ndt F(x,y) = (-y,x)2 Cos (1) , 2 Sm $0 \le t \le \pi$ $\sigma'(t) = (-2 \sin t) \cdot 2 \cdot (t)$ prehonus de C $F(\sigma(t)) = (-2 \sin (t), 2 \cdot (s))$ $Fds = \int F(\sigma(t)) \cdot \sigma'(t) dt = \int_{0}^{1} 4 \int_{0}^{2} \ln t + 4 \int_{0}^{2} (t) dt$ $4 \int_{0}^{1} (n + C_{0}^{2}(n)) dt$ 4 (S7 (M + C07 (N)

Hoy: (1) Ejemplo: Campos vertibles integrados sobre curvas (Repro)

$$= \int_{0}^{T} 4 dt = \boxed{417} \text{ Nom}$$

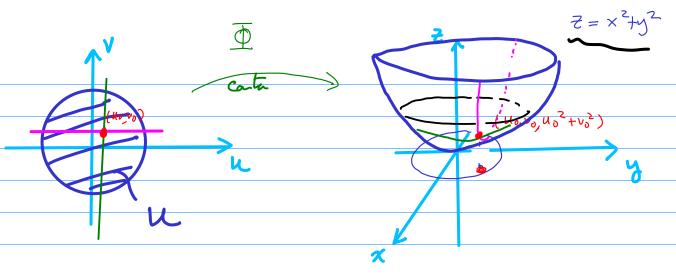
(b) PROMEDIOS e Megalis:

Proedio de
$$f$$
 en $E = \frac{\iint f(x,y,n) dV}{E}$

$$\frac{\int_{\alpha}^{b} f(x) dx}{\int_{\alpha}^{b} 1 dx}$$

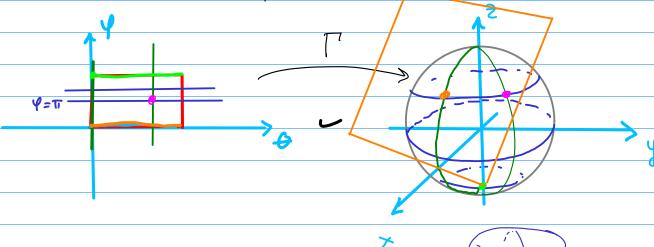
$$\frac{\int F ds}{C} = \frac{4\pi}{lossibl(C)} = \frac{4\pi}{2\pi} = 2 N$$

$$\underline{\Phi}: U \subseteq \mathbb{R}^2 \longrightarrow \mathbb{R}^3 \text{ que es dipunable}$$



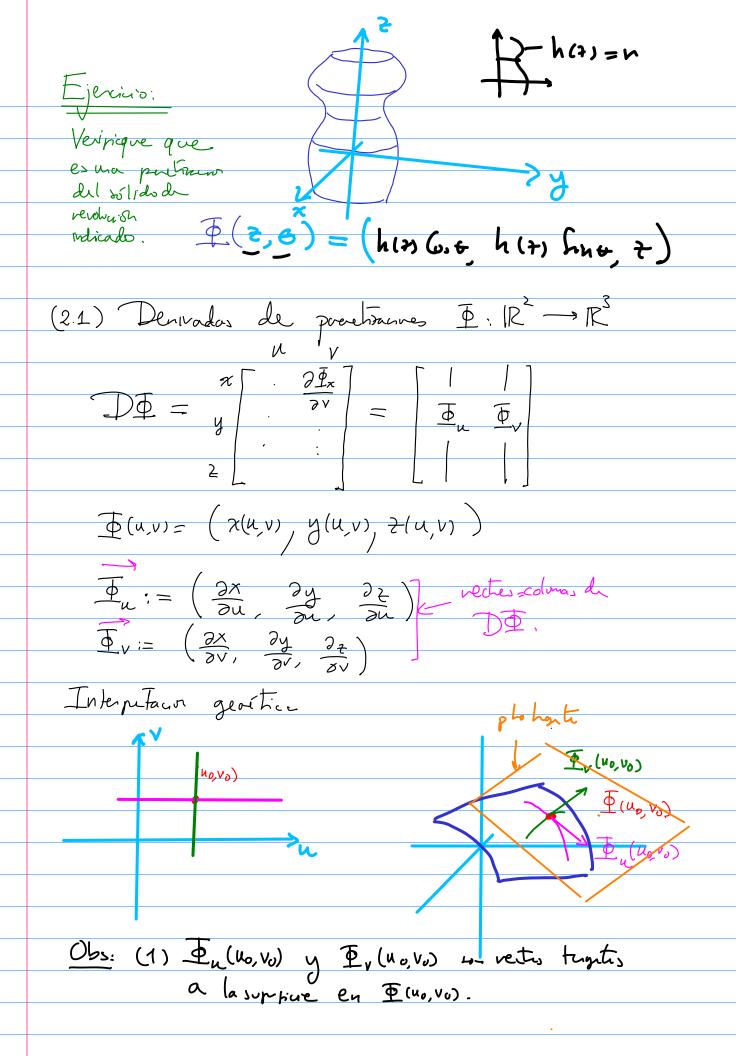
Ejemploz,

$$\frac{1}{\sqrt{\theta}} = \frac{1}{\sqrt{3} \ln \varphi (600)} = \frac{1}{\sqrt{$$



Carhena de putitarires.

$$facil = Su(x^2 - y^2)$$



(2) En goud no m entesi pupuliculares

(3) Perniter enconti un vett perpudiculares

Al supericie

$$N(N_0, N_0) := \Phi_{\nu}(N_0, N_0) \times \Phi_{\nu}(N_0, N_0)$$
Escrito: Encute un eccació pa el pluo

tegeta a $Z = \chi^2 M^2$ en $(1, 1, 2) = P$

Sol: Salvos que
$$\Phi(N_0, N_0) = (N_0, N_0^2 M^2) \quad \text{preton} \quad S$$

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$$\Phi(N_0, N_0) = P \quad N_0 \quad \text{preton} \quad S$$

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