# **Exercise 3**

Same data as the in the previous exercise

```
In [9]:
```

```
srand(1)
n = 100
x = randn(n)
y = x - 2x.^2 + randn(n)
;
```

We now fit for degrees 1,2,3,4 a polynomial regression as before and for each one compute the AIC. We first define an AIC function, we have:

```
AIC = 2p - 2\ln(\hat{L})
```

Reference (https://en.wikipedia.org/wiki/Akaike information criterion)

#### In [10]:

```
function Logl(β, σ2, error)
    n = length(error)
    -(n / 2) * log(2pi * σ2) - (error' * error ) / (2σ2)
end
function AIC(βhat, σ2hat, error)
    logl = Logl(βhat, σ2hat, error)
    2(length(βhat) - logl)
end
;
```

Now train the models

### In [11]:

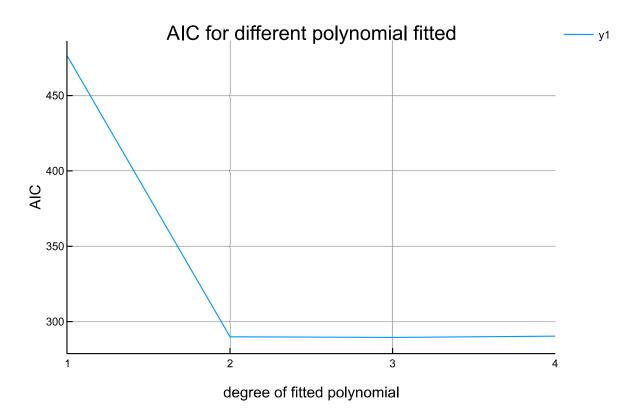
```
In [12]:
```

```
using Plots
```

## In [13]:

```
plot(1:4, aic, xlab = "degree of fitted polynomial", ylab = "AIC",
    title = "AIC for different polynomial fitted")
```

Out[13]:



## In [17]:

```
for i in 1:4
   @printf("Degree: %i, AIC: %0.2f\n", i, aic[i])
end
```

Degree: 1, AIC: 475.85 Degree: 2, AIC: 289.89 Degree: 3, AIC: 289.50 Degree: 4, AIC: 290.34

According to the AIC criterion, both 2 and 3 seem reasonable degrees (although we know the true model is 2).

NOTE: I am not combining AIC with cross-validation since I asked in class if there was any point to combine the AIC with cross-validation and the professor answered that it's usually one or the other.