SCC.NRG.AI4ME: Self-optimising distributed encoding nodes.

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Acknowledgements

Supervisors: Dr Haris Rotsos, Prof Nick Race

Overview of Today's Presentation

#### Object Based Media

Traditiona

Dynamic Objects

High Level Overview Worked Example

Toy Example

Node Distribution

#### Testing the hypotheses

Generation of Objects/Cross-correlation
Optimisation of Objects

Network Distribution

Encoding/Decoding Weights Objects as Code (OaC)

Any Questions

References/Inspiration





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Most Compression Algorithms, make use of the 2D DCT II/III as part of their compression/analysis (Think MPEG).

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### Theorem

let position be time-series like such that.

$$A = \{S_0^A \cdots S_n^A\}, B = \{S_0^B \cdots S_m^B\}$$

where for a given object  $S_x$  assume.

$$S_x \in A, S_x \in B$$

$$A = \{S_x | \Sigma_1\}, B = \{S_x | \Sigma_2\}$$

such that.

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But how do you identify  $S_X$ ? No idea.



Assume  $S_x$  is identified, and we remove signal  $S_x$  from the sets.

$$A \neq \sigma(B) + \Sigma_1, B \neq \sigma(A) + \Sigma_2$$

i.e. A and B are no longer correlated signals.

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$$B = \Sigma_2 = \{S_y | \Sigma_3\}, C = \{S_y | \Sigma_4\}$$

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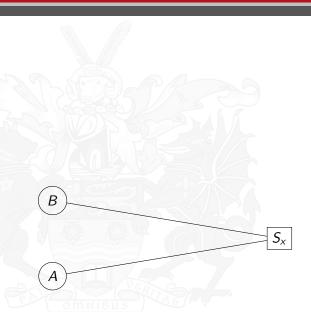
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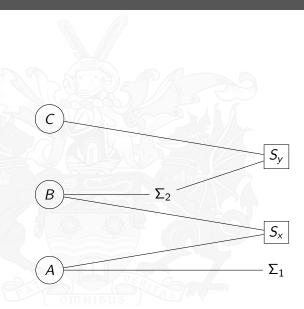
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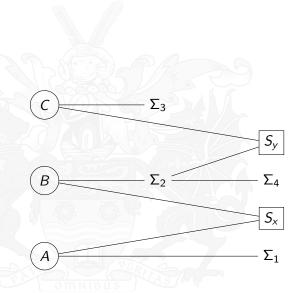
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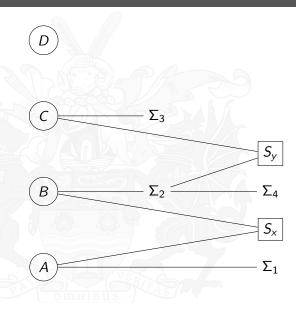
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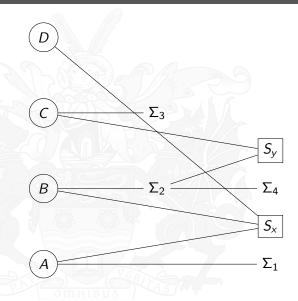
Figuring out if  $S_y$  is not in A or  $S_x$ ? No Idea.

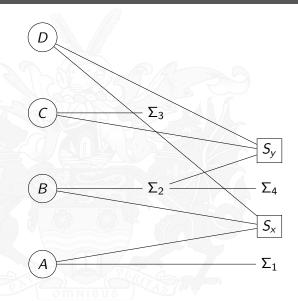


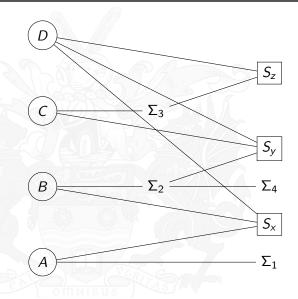


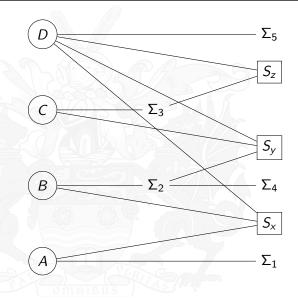


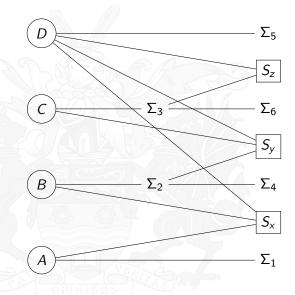


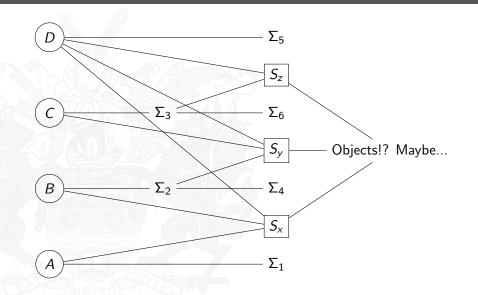


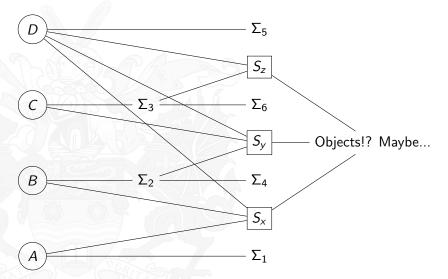












How do you optimise the ordering for encoder objects? No idea.



Client	Servicing Nodes
Α	$\Sigma_1, \mathcal{S}_{x}$
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assume that if the set is an itemised set of objects.

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How to Assess if  $\Sigma_n$  is just artefact or truly unique? No idea.

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Add a new Client E. Existing parts of E that are already cached closer to the client fetch faster / optimisation to identify similar signals from a lower-quality/partially computed version.

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E	$\Sigma_7, S_z, S_y$

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But how to identify  $S_z$  in E without full render? No idea.

Assuming that both signal A and B are correlated if they contain the same object with a different single change.

- Cross-Correlation?
- Steerable Pyramids?

Current Idea...

# Optimisation of an Object Tree How do you optimise extraction of signals?









