

CSN341

R Programming

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R for Basic Math

R

All common arithmetic operations and mathematical functionality are ready to use at the console prompt.

(+, -, *, /, ^)

R for arithmetic

In R, standard mathematical rules apply throughout and follow the usual **left-to-right** order of operations: **parentheses, exponents, multiplication, division, addition, subtraction (PEMDAS).**

R for arithmetic

Except, exponent (^).

In R, the exponentiation operator ^ exhibits **right-to-left** associativity.

E.g.: 2^{3^2}

R

Examples

```
R> 2+3
```

```
[1] 5
```

```
R> 14/6
```

```
[1] 2.333333
```

```
R> 14/6+5
```

```
[1] 7.333333
```

```
R> 14/(6+5)
```

```
[1] 1.272727
```

```
R> 3^2
```

```
[1] 9
```

```
R> 2^3
```

```
[1] 8
```

R for arithmetic

You can find the square root of any non-negative number with the **sqrt** function.

```
R> sqrt(x=9)
```

```
[1] 3
```

```
R> sqrt(x=5.311)
```

```
[1] 2.304561
```

R for arithmetic

$$10^2 + \frac{3 \times 60}{8} - 3$$

$$\frac{5^3 \times (6 - 2)}{61 - 3 + 4}$$

$$2^{2+1} - 4 + 64^{-2^{2.25 - \frac{1}{4}}}$$

$$\left(\frac{0.44 \times (1 - 0.44)}{34} \right)^{\frac{1}{2}}$$

R for arithmetic

$$10^2 + \frac{3 \times 60}{8} - 3$$

```
R> 10^2+3*60/8-3  
[1] 119.5
```

$$\frac{5^3 \times (6 - 2)}{61 - 3 + 4}$$

```
R> 5^3*(6-2)/(61-3+4)  
[1] 8.064516
```

$$2^{2+1} - 4 + 64^{-2^{2.25-\frac{1}{4}}}$$

```
R> 2^(2+1)-4+64^((-2)^(2.25-1/4))  
[1] 16777220
```

$$\left(\frac{0.44 \times (1 - 0.44)}{34} \right)^{\frac{1}{2}}$$

```
R> (0.44*(1-0.44)/34)^(1/2)  
[1] 0.08512966
```

R for arithmetic

In R, the log transformation is achieved with the **log** function.

```
R> log(x=243, base=3)
```

```
[1] 5
```

R for arithmetic

Points to consider:

- Both x and the base must be positive.
- The log of any number x when the base is equal to x is 1.
- The log of $x = 1$ is always 0, regardless of the base.

E-Notation in R

When R prints large or small numbers beyond a certain threshold of significant figures, the numbers are displayed using the classic scientific e-notation.

E-Notation in R

In e-notation, any number x can be expressed as xye , which represents exactly $x * 10^y$.

```
R> 2342151012900
```

```
[1] 2.342151e+12
```

```
R> 0.0000002533
```

```
[1] 2.533e-07
```

Exercise 2.1

- a. Using R, verify that

$$\frac{6a + 42}{3^{4.2-3.62}} = 29.50556$$

when $a = 2.3$.

- b. Which of the following squares negative 4 and adds 2 to the result?
- i. $(-4)^{2+2}$
 - ii. -4^{2+2}
 - iii. $(-4)^{(2+2)}$
 - iv. $-4^{(2+2)}$
- c. Using R, how would you calculate the square root of half of the average of the numbers 25.2, 15, 16.44, 15.3, and 18.6?
- d. Find $\log_e 0.3$.
- e. Compute the exponential transform of your answer to (d).
- f. Identify R's representation of -0.00000000423546322 when printing this number to the console.

Operators in R

Arithmetic Operators

Operator	Description	Example	Output
+	Addition	5 + 3	8
-	Subtraction	5 - 3	2
*	Multiplication	5 * 3	15
/	Division	5 / 2	2.5
^ or **	Exponentiation	2 ^ 3	8
%%	Modulus (remainder)	5 %% 2	1
%/%	Integer division (quotient)	5 %/% 2	2

Relational Operators

Operator	Description	Example	Output
==	Equal to	5 == 3	FALSE
!=	Not equal to	5 != 3	TRUE
>	Greater than	5 > 3	TRUE
<	Less than	5 < 3	FALSE
>=	Greater than or equal to	5 >= 5	TRUE
<=	Less than or equal to	3 <= 5	TRUE

Logical Operators

Operator	Description	Example	Output
&	Element-wise AND – TRUE if both elements are TRUE	c (TRUE, FALSE) & c (TRUE, TRUE)	TRUE FALSE
	Element-wise OR – TRUE if at least one element is TRUE	c(TRUE, FALSE) c (TRUE, TRUE)	TRUE TRUE
!	NOT – Negates the logical value	!c(TRUE, FALSE)	FALSE TRUE

Assigning Objects in R

If you want to save the results and perform further operations, you need to be able to assign the results of a given computation to an object.

Assigning Objects in R

You can specify an assignment in R in two ways:

- Using arrow notation (<-)
- Using a single equal sign (=)

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Exercise 2.2

- a. Create an object that stores the value $3^2 \times 4^{1/8}$.
- b. Overwrite your object in (a) by itself divided by 2.33. Print the result to the console.
- c. Create a new object with the value -8.2×10^{-13} .
- d. Print directly to the console the result of multiplying (b) by (c).

Thank You