# INFO0054 Programmation Fonctionnelle – Exercises

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### Exercises 6: Non-Strict Evaluation

### Class discussion

- Explain in your own words "call by name."
- Explain in your own words "call by need."
- How does one use call by name and call by need in Scala?
- What's the main-motivation for call by name in functional programming?
- What's the main-motivation for call by need in functional programming?

#### Exercise 1:

Non-strict evaluation is a concept that many functional programming languages support. Not many imperative languages support this, though they incorporated this for Boolean operators. Using println statements, demonstrate the behavior of lazy evaluation in Scala's REPL environment. Can you explain the behavior?

#### Solution 1:

```
scala> { println("1") ; true } && { println("2") ; true } && { println("3") ; true }
1
2
3
val res0: Boolean = true

scala> { println("1") ; true } && { println("2") ; false } && { println("3") ; true }
1
2
val res1: Boolean = false

scala> { println("1") ; true } || { println("2") ; true } || { println("3") ; true }
1
val res2: Boolean = true

scala> { println("1") ; false } || { println("2") ; true } || { println("3") ; true }
1
2
val res3: Boolean = true
```

The operands of Boolean operations are evaluated from left to right, bearing in mind that the logical AND has precedence over the logical OR.

A logical AND will yield true if all its operands yield true, which weans that all expressions need to be evaluated. A logical AND will stop the evaluation of its operands when it encounters an expression that evaluates to false.

A logical AND will yield true when it encounters its first expression that evaluates to true. It will return false when all of its operands evaluate to false.

### Exercise 2:

Implement myif, a function that takes as input an argument test that contains a Boolean value, and two arguments on If and on Else that contains expressions evaluating to objects of the same type A. Ensure that myif simulates the behavior of an if-statement. Demonstrate your function. Implement myif2 that relies on currying.

Discussion: When and why would you use currying?

### Solution 2:

```
def myif[A](test: Boolean, onIf: => A, onElse: => A): A =
   if test then onIf else onElse

def myif2[A](test: Boolean)(onIf: => A)(onElse: => A): A =
   if test then onIf else onElse
```

```
scala> myif(3 > 5, 2 / 0, 5)
val res0: Int = 5

scala> myif2(3 > 5)(2 / 0)(5)
val res1: Int = 5
```

### Exercise 3:

Implement myifelseifelse, a function that simulates an if-else if-else statement. Your myifelseifelse should rely on myif.

### Solution 3:

```
def myifelseifelse[A](t1: Boolean, i: => A, t2: => Boolean, ei: => A, e: => A): A =
    myif(t1, i, myif(t2, ei, e))
```

#### Exercise 4:

Given the following function foo

```
def foo(x: => Int): Int =
    x + x
```

How many times will the expression we give the function foo be evaluated? Can you demonstrate this? How can we ensure that the expression is only evaluated once?

### Solution 4:

The expression will be evaluated twice.

```
scala> foo({ println("bar") ; 2 })
bar
bar
val res3: Int = 4
```

We can ensure that the expression passed to the function with call by name is evaluated with an additional variable: a "regular" variable in this case will suffice. We can also use a variable call by need.

#### Exercise 5:

Given our ADT Flux, implement the following functions:

- 1. takeWhile returning, from the beginning of a Flux, all elements that satisfy a condition.
- 2. exists checks whether an element satisfying a condition exists.
- 3. foldRight, with which you should already be familiar. ;-)

```
import Flux.*
enum Flux[+A]:
    case Empty
    case Cons(h: () \Rightarrow A, t: () \Rightarrow Flux[A])
    def headOption: Option[A] = this match
        case Empty => None
        case Cons(h, t) => Some(h())
    def toList: List[A] = this match
        case Cons(h,t) \Rightarrow h() :: t().toList
        case Empty => Nil
    def take(n: Int): Flux[A] = this match
        case Cons(h, t) if n > 1 \Rightarrow cons(h(), t().take(n - 1))
        case Cons(h, _) if n == 1 => cons(h(), empty)
        case _ => empty
    def filter(f: A => Boolean): Flux[A] = this match
        case Cons(h, t) if f(h()) => cons(h(), t().filter(f))
        case Cons(_, t) => t().filter(f)
        case _ => empty
    def map[B](f: A => B): Flux[B] = this match
        case Cons(h, t) \Rightarrow cons(f(h()), t().map(f))
        case _ => empty
    def takeWhile(p: A => Boolean): Flux[A] = ???
    def exists(p: A => Boolean): Boolean = ???
    def foldRight[B](acc: => B)(f: (A, => B) => B): B = ???
object Flux:
    def cons[A](hd: => A, tl: => Flux[A]): Flux[A] =
        lazy val head = hd
        lazy val tail = tl
        Cons(() => head, () => tail)
    def empty[A]: Flux[A] = Empty
    def apply[A](as: A*): Flux[A] =
```

```
if (as.isEmpty) empty
else cons(as.head, apply(as.tail*))
```

### Solution 5:

```
def takeWhile(p: A => Boolean): Flux[A] = this match
    case Cons(h, t) if p(h()) => cons(h(), t().takeWhile(p))
    case _ => empty

def exists(p: A => Boolean): Boolean = this match
    case Cons(h, t) => p(h()) || t().exists(p)
    case _ => false

def foldRight[B](acc: => B)(f: (A, => B) => B): B = this match
    case Cons(h,t) => f(h(), t().foldRight(acc)(f))
    case _ => acc
```

## References

[1] Paul Chiusano and Rnar Bjarnason. 2015. Functional Programming in Scala (2nd. ed.). Manning Publications Co., USA.