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# Week 4 – Data Link Layer Contd

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Internet Technologies  
COMP90007

# Error Correcting Codes Key Points

- More efficient in noisy transmission media e.g., wireless
- A challenge is that the error can be in the check bits as well
- Strict assumption on a specific number of errors occurring in transmission

# Error Detecting Codes

- More efficient in some transmission media – e.g. where low error rates occur- e.g., **high quality copper**

A Common Basic Method:

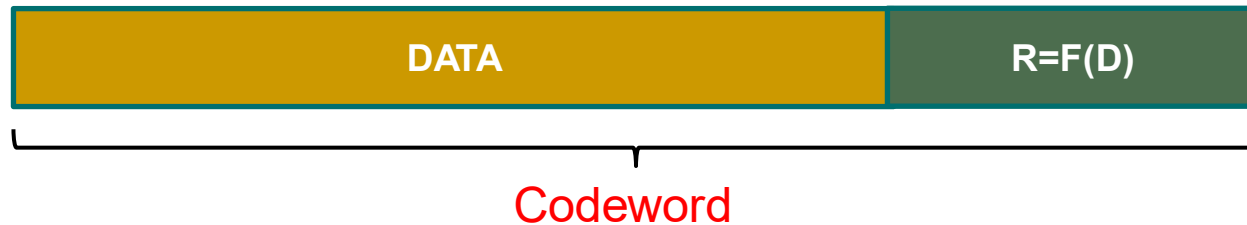
- **Parity** (1 bit): (Hamming distance=2)

Realistic Methods:

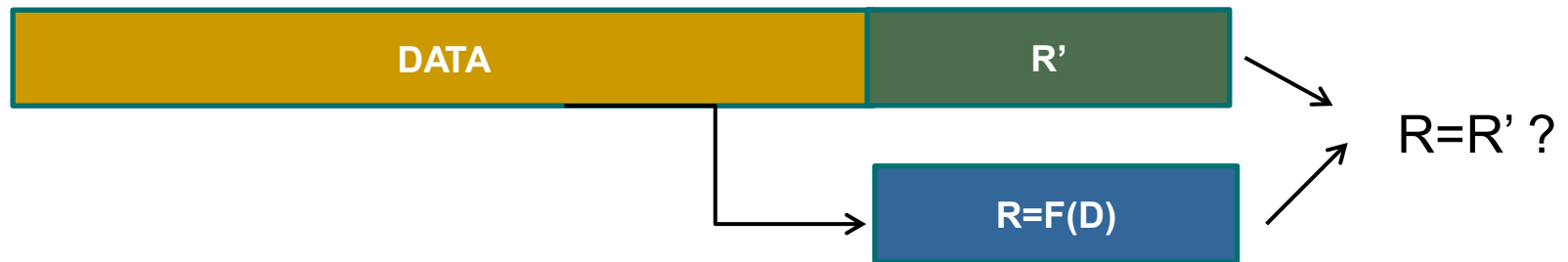
- **Checksum** (16 bit)
- **Cyclical Redundancy Check** (Standard 32 bit CRC)

# How it works?

- Sender calculates  $R$  check bits using a function of data bits:



- Receiver: Receive the codeword and calculates the same function on the data and match the results with received data check bits:



# Parity Bit

**10001110 is your data and you count the number of 1s**

You get = 100011100 (For even parity)

100011101 (For odd parity) and then transfer...

Check the transferred data for errors on arrival and you can catch:

(Recall: Hamming distance is 2 for Parity Bit... )

$2 = \text{\#errors} + 1$  can be detected and

$2 = 2 \times \text{\#errors} + 1$  can be corrected

$2 - 1 = \underline{\mathbf{1 \text{ error bit can be detected}}}$  and

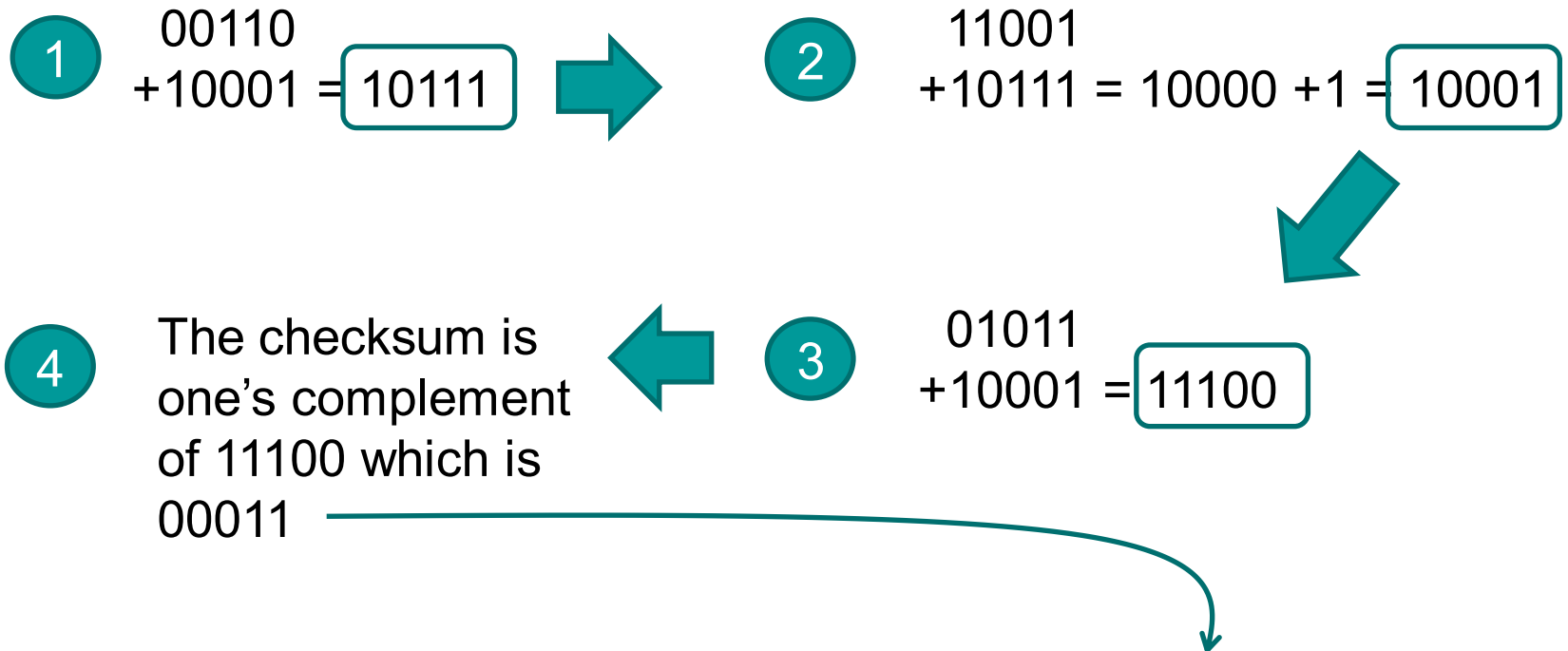
$(2 - 1) / 2 = \frac{1}{2}$  not even 1 bit error can be corrected

# Checksum

- There are different variations of checksum
- Internet version Checksum (16-bit word):  
Sum modulo  $2^{16}$  and adding any overflow of high order bits back into low-order bits

# Example of Checksum

Calculating checksum where words are 5 bits  
for data 00110 10001 11001 01011



Data sent: 00110 10001 11001 01011 00011

# Cyclic Redundancy Check

## ■ Based on a generator polynomial $G(x)$

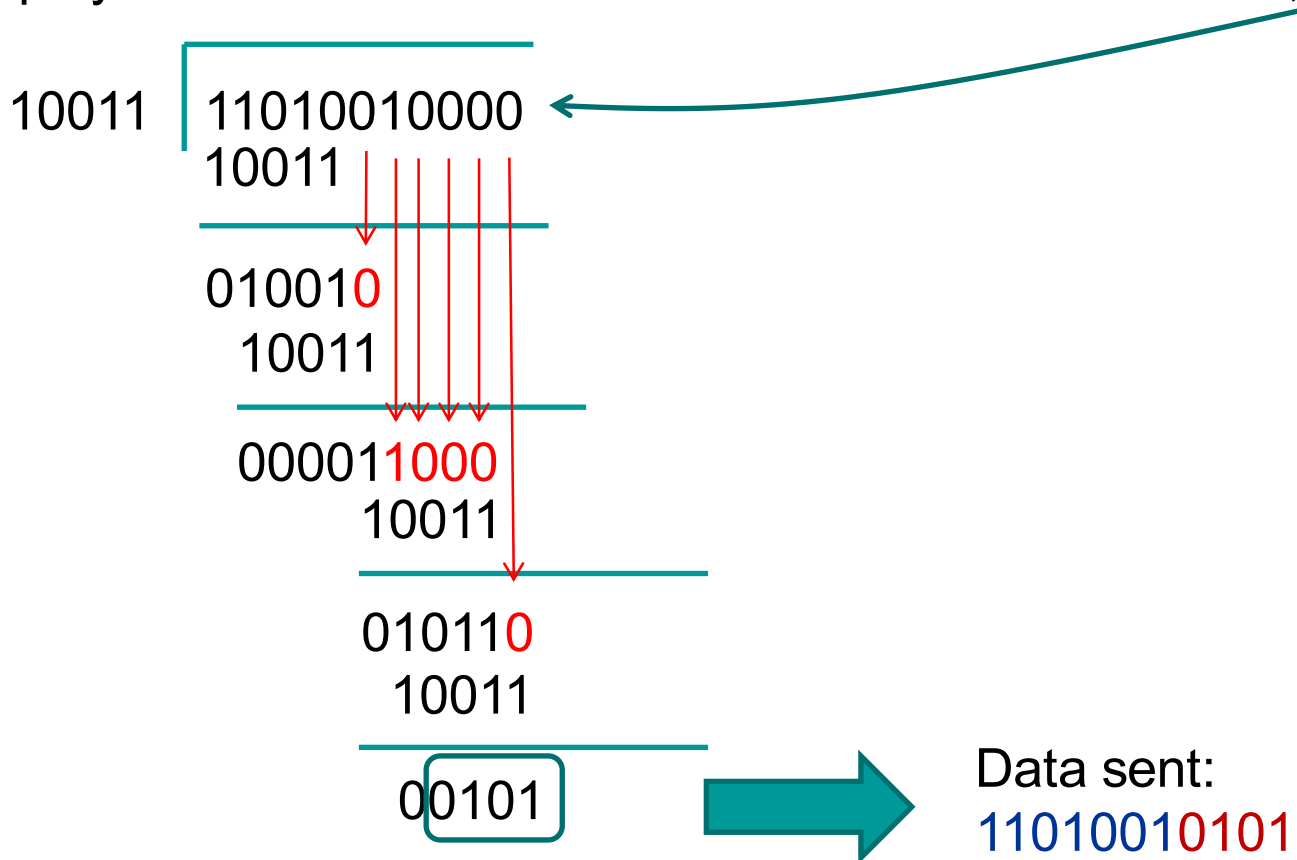
- Eg.  $G(x) = x^4 + x + 1$  (10011)
- Let  $r$  be the degree of  $G(x)$  ( $r=4$ ). Append  $r$  zero bits to the low-order end of the frame so it now contains  $m + r$  bits and corresponds to the polynomial  $x^r M(x)$ .
- Divide the bit string corresponding to  $G(x)$  into the bit string corresponding to  $x^r M(x)$ , using modulo 2 division.
- Subtract the remainder (which is always  $r$  or fewer bits) from the bit string corresponding to  $x^r M(x)$  using modulo 2 subtraction. The result is the frame to be transmitted. Call its polynomial  $T(x)$ .



# Example

Data: 1101001 and  $G(x) = x^4 + x + 1$  (10011)

5 bits polynomial and add 4 bits as the checksum at the end, so add 0000



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# Data Transmission

- So far we discussed how to send single messages and now we will look at a series of messages
  - A service to send messages should have:
    - Reliability AND
    - Flow Control
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# Reliability

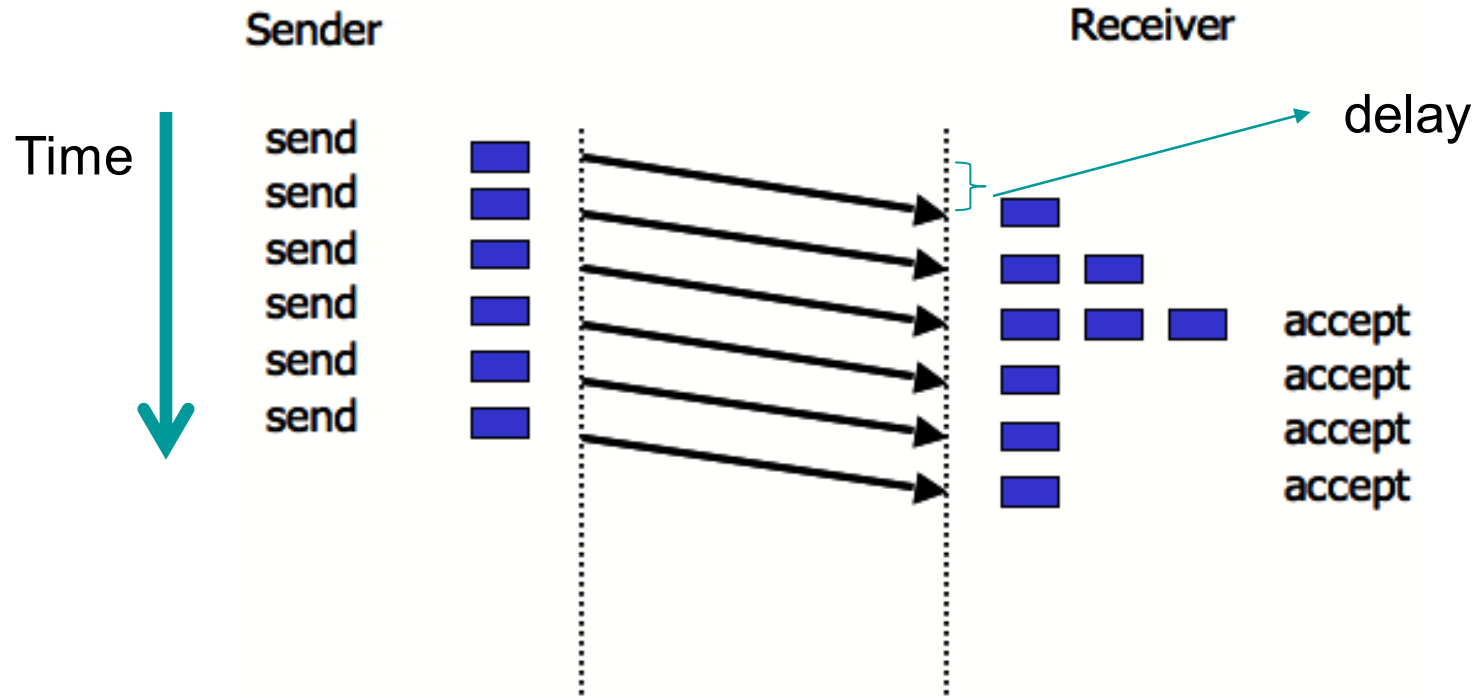
- Each layer need to make sure the service provided to other layers is reliable
  - Retransmission with error detection is a way of ensuring reliability
  - Error correction is another way but has its shortcomings
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# **Flow Control**

- ❑ The fast senders vs slow receivers problem requires a solution
  - ❑ Principles to control when sender can send next frame
    - ❑ Feedback based flow control is usually used in Data Link layer
    - ❑ Rate based flow control
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# A Very Simple Protocol



# Acknowledged transmission

(think: fast sender / slow receiver)

Data transmitted in one direction

Time is relatively important, buffer space constrained

