

Week 09 Quiz

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Due May 14 at 23:59 **Points** 10 **Questions** 10
Available May 5 at 10:00 - May 14 at 23:59 10 days **Time Limit** None
Allowed Attempts Unlimited

Instructions

You should attempt the quiz after the lecture and your tutorial.

- The quiz is available for a period of 10 days.
- You may attempt the quiz multiple times (if you happen to get a question wrong, you can do it again)
- Your score on the quiz will be recorded in the grade book.
- The quiz might not display equations correctly in some browsers. If you experience problems, we recommend that you use Firefox.

Note: you must complete at least eight of the weekly quizzes to meet one of the hurdle requirements in this subject.

This quiz was locked May 14 at 23:59.

Attempt History

	Attempt	Time	Score
LATEST	Attempt 1	44 minutes	7 out of 10

Score for this attempt: **7** out of 10

Submitted May 13 at 15:36

This attempt took 44 minutes.

Question 1

1 / 1 pts

Suppose we have a hash function $h(k) = k \bmod 11$ and a hash table T of size 11.

When the following keys 44, 77, 30, 92, 100, 54, 63 are inserted into T using linear probing (that is, in an open-addressing manner), the key 100 will be in table position?

Correct!

☒ 2

☐ 0

☐ 1

☐ 10

Well done. Too easy!

Question 2

0 / 1 pts

A hash table with 5003 entries is used with linear probing (that is, in an open-addressing manner). It currently holds 4000 keys/records. How many probes should we expect during a lookup for some key that is in fact present (that is, in a successful search)?

You Answered

☒ 2

Correct Answer

- ☐ 3
- ☐ 4
- ☐ 5
- ☐ 6
- ☐ At least 7

No. What is the load factor? How do you calculate the expected number of probes?

Question 3**0 / 1 pts**

Edsger Dijkstra studied the following problem which he called the Problem of the Dutch National Flag. We are given an array of pebbles, some blue, some red, some white. We want to rearrange them in the order of the Dutch flag, that is, first come the red, then the white, and finally the blue pebbles. Which sorting method is best suited for this task, that is, most efficient?

- ☐ Heapsort
- ☐ Insertion sort
- ☐ Mergesort
- ☒ Quicksort
- ☐ Selection sort
- ☐ Shellsort

You Answered

Correct Answer☐ Sorting by counting

No, there's a better option. What is unusual about this particular sorting problem?

Question 4**1 / 1 pts**

Which of the following statements about hashing is false?

Correct!☒

A good hash function maps similar data items or records to the same hash values.

☐

A good hash function uniformly distributes data items across the entire set of possible hash values.

☐

A perfect hash function allows for constant time search, insertion, and deletion, into and from a hash table.

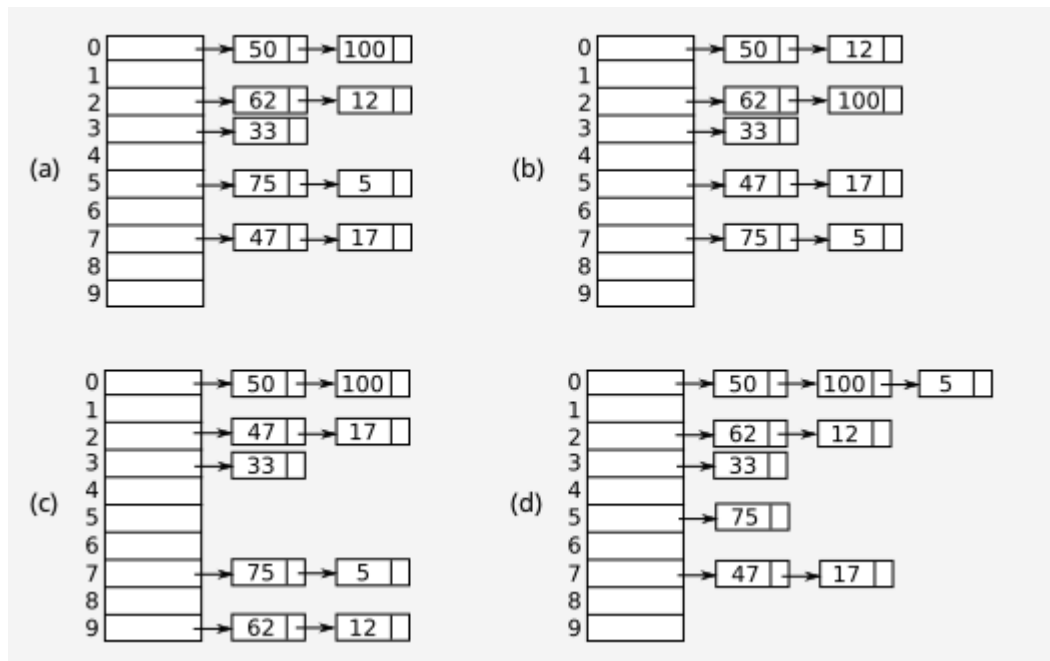
☐

When using an open addressing method of collision resolution, all data records reside in a single bucket array.

Question 5**1 / 1 pts**

Consider an empty Hash Table, and the simple hash function $f(\text{key}) = \text{key} \bmod 10$. (Note, we know 10 is not prime ...)

When using the separate chaining with linked lists method of collision resolution, which of the following hash tables is produced after inserting keys 12, 5, 100, 50, 75, 17, 62, 33, and 47, in that order, into the above table. Note that when inserting an item into an unsorted linked list, we insert it at the front of the list.



Correct!

☒ (a)

☐ (b)

☐ (c)

☐ (d)

CORRECT: Each time we insert a key K into our table, we add it to the linked list at index $= K \bmod 10$. In this example, we are inserting our keys at the front of the relevant linked lists.

Question 6**1 / 1 pts**

Consider a hash table with hash function $H(x) = x \bmod 11$. To resolve collisions, double hashing with $H'(x) = 7 - (x \bmod 7)$ is used.

The keys 0, 1, 8, 9 are already in the table.

index	0	1	2	3	4	5	6	7	8	9	10
key	0	1							8	9	

What index position will hold the key 52 when added to the hash table?

Correct!☒ 5☐ 3☐ 7☐ 10**Question 7****0 / 1 pts**

Considering collision handling approaches for hash tables, it is correct to say:

☐

Deletion of an item can always be performed in $O(1)$ time when using linear probing.

☐

Deletion of an item can always be performed in $O(1)$ when using separate chaining.

Correct Answer

- ☐ Deletion of an item can always be performed in $O(n)$ time.

You Answered



Double hashing facilitates item deletion in comparison with linear probing.

Question 8**1 / 1 pts**

What is the time complexity of rehashing values from a hash table of size n containing $2n$ elements, where separate chaining is used and each bucket points to a sorted linked list, into a new hash table of size $2n$ (the new hash table also uses separate chaining and each bucket points to a sorted linked list)?

Correct!

- ☒ $O(n^2)$
- ☐ $O(n)$
- ☐ $O(1)$
- ☐ $O(2n) + n$

Question 9**1 / 1 pts**

How many character comparisons will Horspool's algorithm make in searching for the pattern 01010 in a binary text consisting of one thousand zeros?

Correct!

Correct Answers

996 (with margin: 0)

Question 10**1 / 1 pts**

Given the string 001001001001 we wish to use some string search algorithm to see if the string contains the substring 111. The candidates are the brute-force method and Horspool's. The number of character comparisons the two will make are, respectively:

☐ 13 and 4☒ 13 and 5☐ 12 and 5☐ 12 and 6☐ 13 and 6☐ 13 and 8**Correct!**

Yes, that's good.

Quiz Score: 7 out of 10