
Network Security Contd

Internet Technologies
COMP90007

RSA: An Asymmetric Key Algorithm

- **RSA - Rivest, Shamir, Adleman**
- Famous and robust algorithm
- Key generation:
 - Choose two large primes, p and q
 - Compute $n = p \times q$ and $z = (p - 1) \times (q - 1)$.
 - Choose d to be relatively prime to z , i.e., no common factors
 - Find e such that
 - $(d \times e) \bmod z = 1$
 - Public key is (e, n) , and private key is (d, n)
- Encryption:
 - $\text{Cipher} = \text{Plain}^e \bmod n$
- Decryption:
 - $\text{Plain} = \text{Cipher}^d \bmod n$

RSA Example

- Let $p=3$, $q=11$: then z is $(3 - 1) \times (11 - 1) = 20$
- What is a potential d ?
- If $d = 7$ then they, z , 20, has no common factors
- What is an e ?
- If $e = 3$, then $(d \times e)$ is 1 in mod z
- What are the two key tuples then?
- Enc: $3, 33$ Dec: $7, 33$ (as $n=3 \times 11=33$ and $d=7$ and $e=3$)

S is the 19th character in the alphabet...

| Plaintext (P) | | | Ciphertext (C) | | After decryption | |
|---------------|---------|-------|-----------------|-------------|------------------|----------|
| Symbolic | Numeric | P^3 | $P^3 \pmod{33}$ | C^7 | $C^7 \pmod{33}$ | Symbolic |
| S | 19 | 6859 | 28 | 13492928512 | 19 | S |
| U | 21 | 9261 | 21 | 1801088541 | 21 | U |
| Z | 26 | 17576 | 20 | 1280000000 | 26 | Z |
| A | 01 | 1 | 1 | 1 | 01 | A |
| N | 14 | 2744 | 5 | 78125 | 14 | N |
| N | 14 | 2744 | 5 | 78125 | 14 | N |
| E | 05 | 125 | 26 | 8031810176 | 05 | E |

Encryption: $C = P^3 \pmod{33}$

Decryption: $P = C^7 \pmod{33}$

Another Use of Cryptography: Digital Signatures

- Cryptographic approaches can also be used to ensure **authenticity** and allow for **non-repudiation**
- Requirements
 - Receiver can **verify the claimed identity of the sender**
 - **Sender cannot deny she created** contents of the message
 - **Receiver cannot have derived the message themselves**

Digital Signatures

■ Approaches

- Using symmetric keys via an intermediary
 - You need a BIG BROTHER to do all the messaging, not preferred..!
- Using public keys as individuals...

Using Public Keys

- Sender Alice uses private key on P
- Receiver Bob uses her public key to undo and get P
- RSA can do this as well, as $E(D(P)) = P$ in RSA
- Alice cannot deny signing as she only knows her private key

Signatures with Message Digests

- Why $E(D(P))$ when P is large for just signing; if contents is not secret
- Basic concept of a **message digest is to use a one-way hash function** for an arbitrary length of plaintext, so that it becomes a **"unique" small fixed-length bit string**
- Thus **no need to deal with huge message text and encryption just for authentication** purposes and hashing is generally fast!
- A message digest (MD) has four important properties:
 - ❑ 1 Given P , it is easy to compute $MD(P)$
 - ❑ 2 Given $MD(P)$ it is effectively impossible to find P
 - ❑ 3 Given P , no one can find P' such that $MD(P') = MD(P)$
 - ❑ 4 A change in even a single bit of input produces a very different output

Famous Message Digest Algorithms

- MD5
- SHA-1
- Outputs
 - Given "this is a test" (text could have been longer)
 - MD5:
e19c1283c925b3206685522acfe3e6
 - SHA-1:
6476df3aac780622368173fe6e768a2edc3932c8

Public Key Management

- There is **specific PK infrastructure** to avoid compromising the security of PK's **during the initial distribution process**
- Certification Authority (CA)
 - A trusted intermediary who uses non-electronic identification to identify users prior to certifying keys and issuing certificates
- X.509 became the standard for certificates
 - An international format for certificate expression
- Then: PKI (Public Key Infrastructure) is a
 - **Hierarchically structured Certificate Authorities** allowing for the establishment of a chain of trust and thus certification paths
 - *Verisign* was a famous company in this domain for example

Certificate Issuing

- A Certificate authority (CA) give the following certificate:

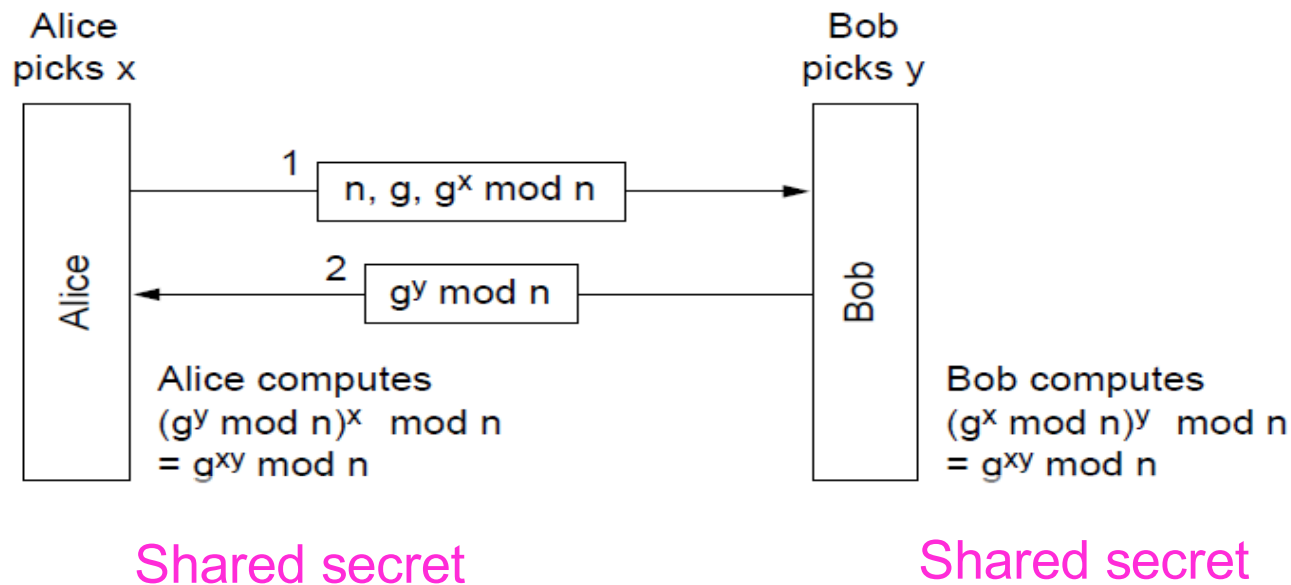
| |
|--|
| I hereby certify that the public key 19836A8B03030CF83737E3837837FC3s87092827262643FFA82710382828282A belongs to Robert John Smith 12345 University Avenue Berkeley, CA 94702 Birthday: July 4, 1958 Email: bob@superdupernet.com |
| SHA-1 hash of the above certificate signed with the CA's private key |

Authentication

- **Authentication is a primary tenet** of network security
- However, **authentication process itself needs to be secure** also
- A fundamental principle: **minimise the use of permanent keys in establishment of secure connections** (the less packets are exchanged using such keys, the less exposure to potential attackers)
- Four methods in common use:
 - ❑ Shared keys
 - ❑ Key distribution
 - ❑ Kerberos
 - ❑ Public keys

Authentication Based on a Shared Secret Key

- How to create a key with Diffie-Hellman key exchange:



Is there a way to break this: YES

Still open to man-in-the-middle attack!