A regression Model

This is very quick look at what you can see in Jupyter notebooks. I haven't really included anything of much substance in here, rather just a look at what you can do and how it can be presented to you after I have done an analysis.

Importing all of the necessary modules for writing maths formulas, manipulating data and plotting.

Out[9]:		mailingQty	orders	marketingCosts
	0	249500	8401	162501.19
	1	102887	3514	0.00
	2	881	71	0.00
	3	110136	5114	0.00
	4	67489	2506	0.00
	•••		•••	
	85	250000	8923	67850.00
	86	60000	1394	21000.00
	87	140000	6278	49000.00
	88	229672	8280	80385.20
	89	175000	3124	61250.00

90 rows × 3 columns

Setting the independant and dependant variables as x and y respectively to split out the table.

```
In [10]: x = d.drop(["orders","marketingCosts"], axis=1)
In [11]: y = d.drop(["mailingQty","marketingCosts"], axis=1)
```

By using the describe function below you can see some of the fundamental properties of the data such as mean, standard deviantion and the quartile values.

```
In [12]: d.describe()
```

Out[12]: mailingQty orders marketingCosts 90.000000 90.000000 90.000000 count 80554.811111 3144.600000 25274.678770 mean std 77325.020775 2992.850889 30107.264507 0.000000 1.000000 0.000000 min 25% 2445.500000 350.500000 1394.325000 50% 57588.000000 2166.500000 12760.127200 75% 143750.000000 5596.500000 48400.458300 max 250000.000000 9816.000000 162501.190000

This line just calls the function to initialize it from the module

```
In [13]: regr = linear_model.LinearRegression()
```

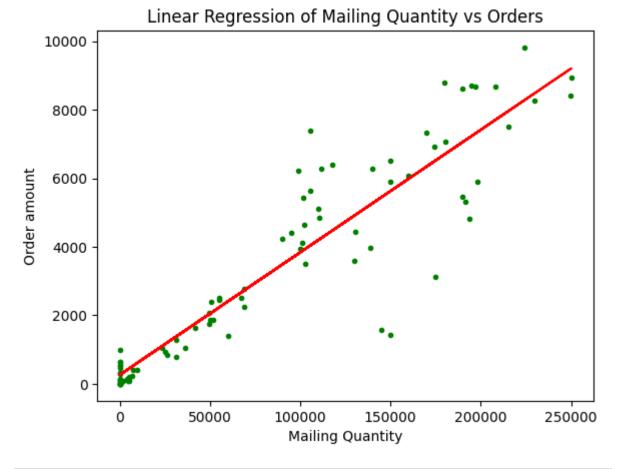
The predict function creates the regression line (best fit) by creating a simle y = mx + c function

```
In [15]: Y_pred = regr.predict(x)
```

Using the matplotlib library to plot the regression model

```
In [16]: plt.scatter(x, y, color = 'green', marker = '.')
    plt.plot(x, Y_pred, color='red')
    plt.xlabel("Mailing Quantity")
    plt.ylabel("Order amount")
    plt.title("Linear Regression of Mailing Quantity vs Orders")
```

Out[16]: Text(0.5, 1.0, 'Linear Regression of Mailing Quantity vs Orders')



```
In [17]: d.mean()
```

```
Out[17]: mailingQty 80554.811111 orders 3144.600000 marketingCosts dtype: float64
```

```
In [18]: #coefficient of determination
    r_sq = regr.score(x,y)
    r_sq
```

Out[18]: 0.85318447280849

the R^2 value determines how much of the dependant varibale is explained by the shape of the independant. The value given of 0.853 means that 85.3% of the data can be explained by this regression model which is very good. 0.7 < means a high level of correlation and 0.4 > shows little correlation between the variables.

```
In [19]: res = ttest_ind(x,y).pvalue
res
```

Out[19]: array([1.52245875e-17])

T-tests determine how much of the data represents the null hypothesis, i.e. The percentage of data that demonstrate that the variables aren't related. This value is much smaller than 0.05 (5%) meaning that the null hypothesis is not true.

Looking into Multivariable Linear Regression

For this test, there will be two independant variables and one dependant. This study will determine how the mailing quantity and the marketing costs will affect the total orders.

First the x variable must be overwritten to become a n x 2 array

```
Coefficients: [[0.03532648 0.00124918]]
```

OLS Regression Results

====	========	========	========	========	=========	==
Dep. Variable:		orders	R-squared:	0	0.	
853 Model:		0LS	Adj. R-squared:		0	ð.
850 Method:	Lea	st Squares	F-statistic:		2	25
2.9 Date:				<pre>Prob (F-statistic):</pre>		20
-37					5.62	
Time: 1.21		13:49:35	Log-Likeli	Lhood:	-76)
No. Observations:	:	90	AIC:		1	15
Df Residuals:		87	BIC:		1	15
36. Df Model:		2				
Covariance Type:		nonrobust				
=======================================	=======	:=======	========	-=======	:========	==
=====	coof	std err	+	D~ +	[0 025	
0.975]	COET	sta en	Ĺ	۲/ ۱	[0.023	
		477 004	4 500			
const 620.913	267.3095	177.904	1.503	0.13/	-86.294	
mailingQty 0.042	0.0353	0.003	10.856	0.000	0.029	
marketingCosts 0.018	0.0012	0.008	0.149	0.882	-0.015	
=======================================		=======				==
Omnibus:	mnibus:		Durbin-Watson:		2	2.
<pre>039 Prob(Omnibus): 248</pre>		0.000	Jarque-Bera (JB):		49).
Skew:		-0.701	Prob(JB):		2.02	2e
-11 Kurtosis: +05	ırtosis:		Cond. No.		1.71	le
===	=======	=======	========			==

Notes:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
- [2] The condition number is large, 1.71e+05. This might indicate that there are

strong multicollinearity or other numerical problems.

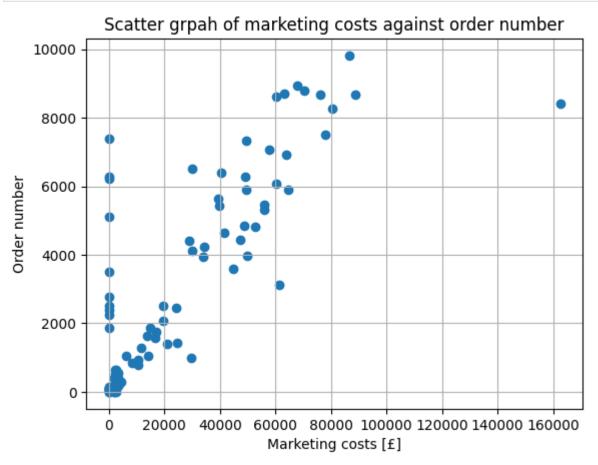
The Summary Table Explained

P>|t| is the p-value. A p-value below 0.05 means that the variable is significant. This means that the mailingQty is significant but the marketing costs may not be.

The *Prob (F-statistic)* shows how the F-Statistic compares to the significance level. In other words, how true is the null hypothesis. In this case it is extremely low and therefore the null hypothesis can probably be ignored.

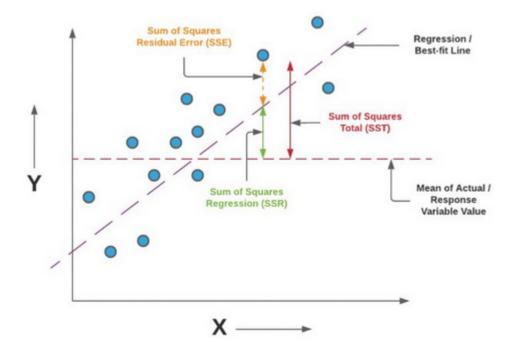
The \mathbb{R}^2 Value shows that 85.3% of the dependant variable's variation is explained by the independant variables.

```
In [32]: plt.scatter(d["marketingCosts"], d["orders"])
   plt.title("Scatter grpah of marketing costs against order number")
   plt.xlabel("Marketing costs [f]")
   plt.ylabel("Order number")
   plt.grid()
```



Expalination of the t-test

The best way to explain the f-test is with the below diagram



The F-Statistic

The f test of a regression model determines the significance of the trend. It tests the null hpothesis, which states that the model with no independant variabes fits the data as well as the model

The F-statistic is required in conjunction with the p-value

f-tests test determines the significance of all the coefficients wheras the t-test determines the significance of the coefficients individually. It is useful to use a t-test as well to see the effect of the independant variables seperately on the dependant.

In []: