

Agriplots Linear Programming Model

Decision Variables

- X_j : Binary variable, equals 1 if a PV is installed at location j , 0 otherwise.

Objective Function

$$\text{Maximize} \quad \sum_{j=1}^{\text{num_locations}} (\text{fix_energy_production}_j \cdot X_j)$$

Constraints

- $\sum_{i \in S[j]} X_i \cdot \text{fix_energy_production}_i \leq \text{energy_consumption_by_yeshuv}_j \quad \forall j \in \{1, \dots, \text{num_cities}\}$
- $\sum_{i \in E[j]} X_i \cdot \text{fix_energy_production}_i \leq \text{energy_division_between_eshkolot}_j \cdot \sum_{k=1}^{\text{num_locations}} (\text{fix_energy_production}_k \cdot X_k) \quad \forall j \in \{1, \dots, \text{num_eshkolot}\}$
- $\sum_{j=1}^{\text{num_locations}} (X_j \cdot \text{area_in_dunam}_j) \leq \text{total_area_upper_bound}$
- $\sum_{j=1}^{\text{num_locations}} (X_j \cdot \text{influence_on_crops}_j) \geq \text{influence_on_crops_lower_limit}$
- $\sum_{j=1}^{\text{num_locations}} (X_j \cdot \text{total_revenue}_j) \geq \text{minimal_total_revenue}$
- $X_j \in \{0,1\} \quad \forall j \in \{1, \dots, \text{num_locations}\}$

Explanations

- The **objective function** maximizes the total energy production from the installed PV systems at various locations.
- Constraint (1)** ensures that the total energy production for each city does not exceed its energy consumption limit.
- Constraint (2)** limits the energy produced within each eshkol (group) to a certain percentage of the overall energy production.
- Constraint (3)** places an upper bound on the total area used for PV installations.

- **Constraint (4)** ensures that the total influence on crops from installed PV systems remains above a certain threshold.
- **Constraint (5)** guarantees that the total revenue from the PV systems meets or exceeds the required minimum revenue.
- **Constraint (6)** requires that each decision variable X_j is binary, meaning that a PV system is either installed or not at each location.