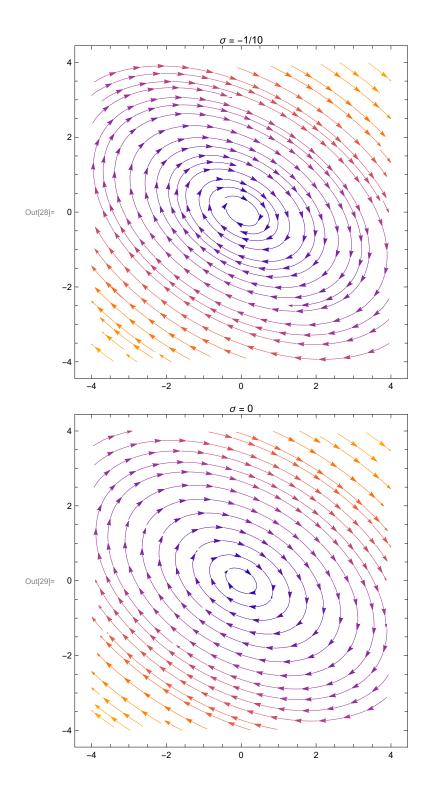
a)

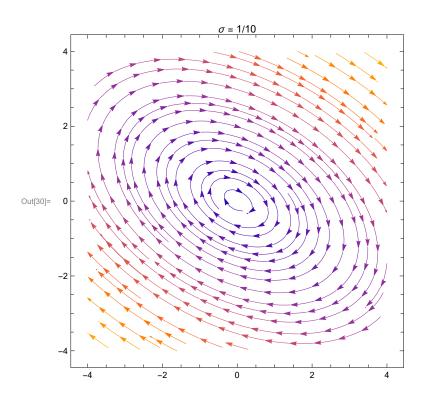
$$ln[*]:= M = \{ \{\sigma + 1, 3\}, \{-2, \sigma - 1\} \};$$
 $\lambda = Eigenvalues[M]$ 
 $ln[*]:= \{ -i \sqrt{5} + \sigma, i \sqrt{5} + \sigma \}$ 

b)

c)

```
In[25]:= plot1 = StreamPlot[\{(\sigma + 1) \times + 3y, -2x + (\sigma - 1) y\} /. \{\sigma \to -1/10\}, \{x, -4, 4\}, \{y, -4, 4\}, PlotLabel \to "\sigma = -1/10"]; plot2 = StreamPlot[\{(\sigma + 1) \times + 3y, -2x + (\sigma - 1) y\} /. \{\sigma \to 0\}, \{x, -4, 4\}, \{y, -4, 4\}, PlotLabel \to "\sigma = 0"]; plot3 = StreamPlot[\{(\sigma + 1) \times + 3y, -2x + (\sigma - 1) y\} /. \{\sigma \to 1/10\}, \{x, -4, 4\}, \{y, -4, 4\}, PlotLabel \to "\sigma = 1/10"]; Show[plot1] Show[plot3]
```





d)

$$In[\circ]:=$$
 Solve[X[0, u, v, 0] == X[t, u, v, 0], t]

$$\left\{\left\{t \to \left[\frac{2 \pi c_1}{\sqrt{5}} \text{ if } c_1 \in \mathbb{Z}\right]\right\}\right\}$$

e)

```
f)
```

```
\label{eq:local_local_local_local_local} $$ \ln[s]:=$ direction = solution /. \{u \to 1, v \to 1, \sigma \to 0, major[2][1]\}; $$ Normalize[direction] $$ Out[s]:= \{0.850651 - 0.525731\}$$
```